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Characterizing the Algorithmic Complexity of Reconfigurable Data Center Architectures

Klaus-T. Foerster (U. Vienna), Manya Ghobadi (Microsoft Research), Stefan Schmid (U. Vienna)

23 July 2018, IEEE/ACM ANCS 2018

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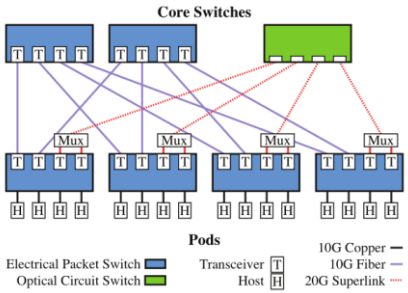
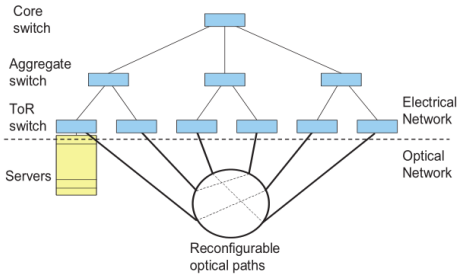
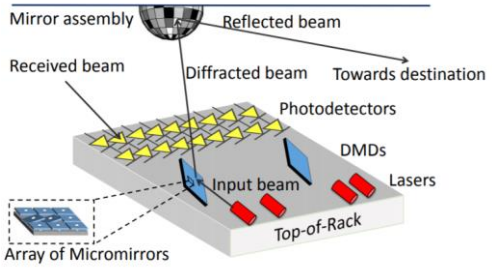
Reconfigurable Data Center Networks (DCNs)



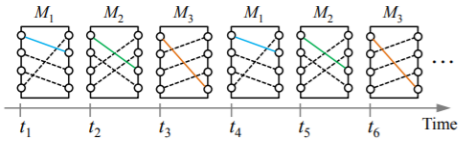
Helios (core)
Farrington *et al.,* SIGCOMM '10



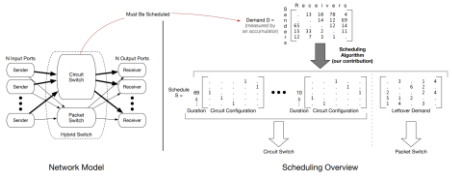
c-Through (*HyPaC* architecture)
Wang *et al.,* SIGCOMM '10



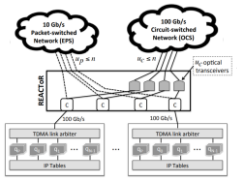
ProjecToR interconnect
Ghobadi *et al.,* SIGCOMM '16



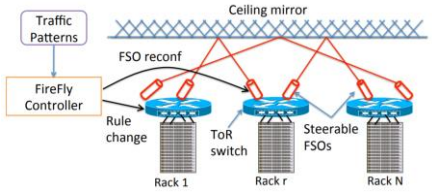
Rotornet (rotor switches)
Mellette *et al.,* SIGCOMM '17



Solstice (architecture & scheduling)
Liu *et al.,* CoNEXT '15



REACToR
Liu *et al.,* NSDI '15



FireFly
Hamedazimi *et al., SIGCOMM* '14

… and many more …

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Reconfigurable Data Center Networks (DCNs)

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- Results and conclusions often not portable
  - Between topologies/technologies

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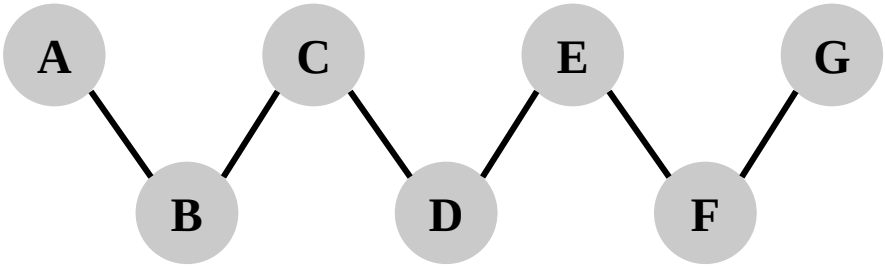
- We take a look from a theoretical perspective
  - With average path length as an objective
  - For one switch (with/without this assumption)
  - Also briefly for multiple switches

The Static Case



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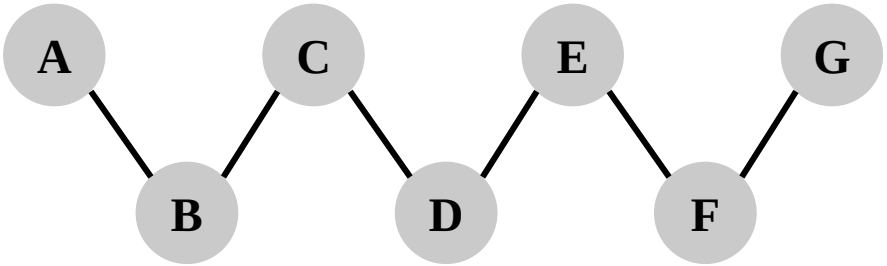

Communication frequency: **A→E: 10**, **A→G: 5**

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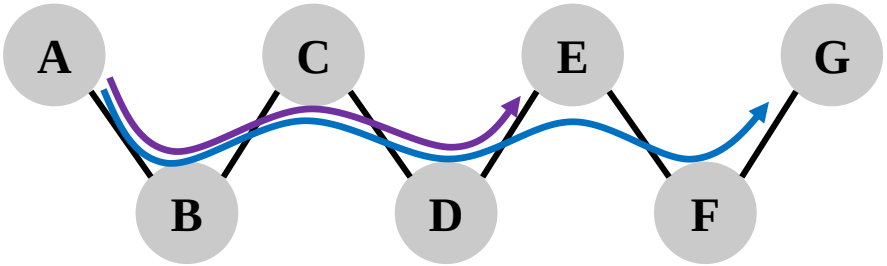

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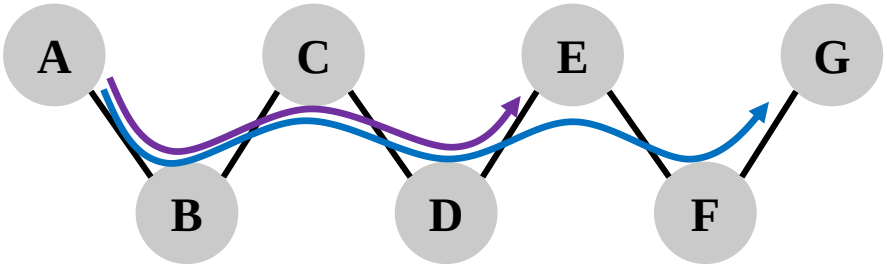

Communication frequency: **A→E: 10**, **A→G: 5**

Weighted average path length: **4*10+6*5=70**

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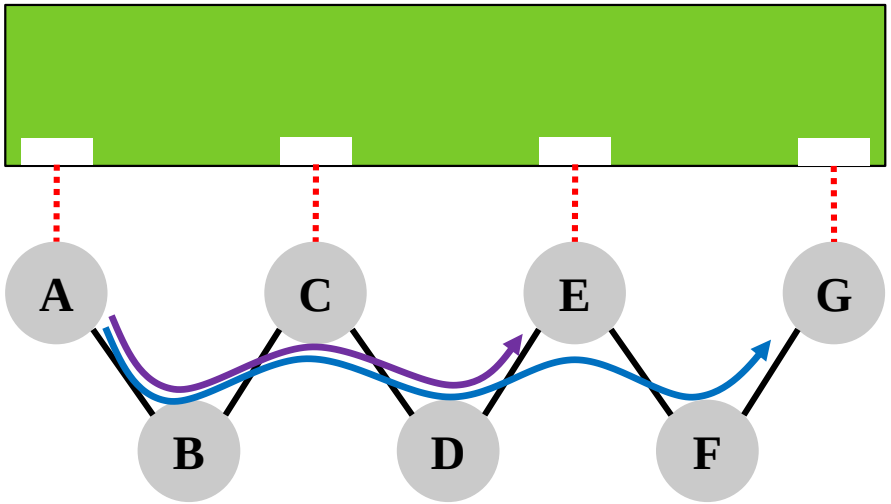
Adding Reconfigurability



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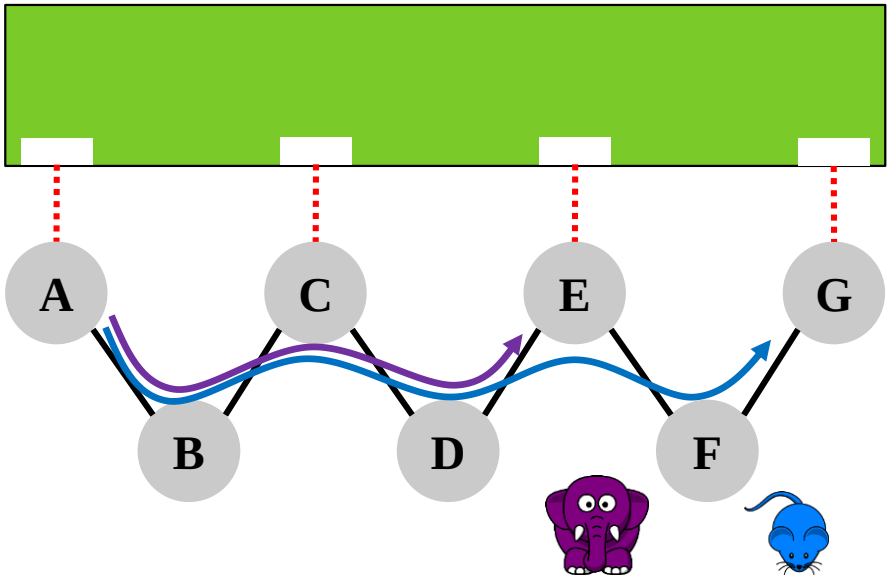

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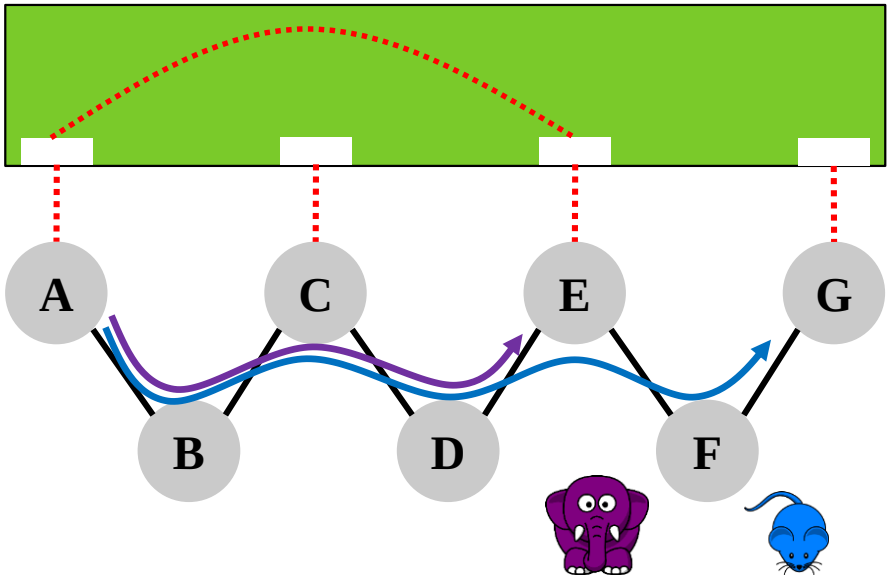

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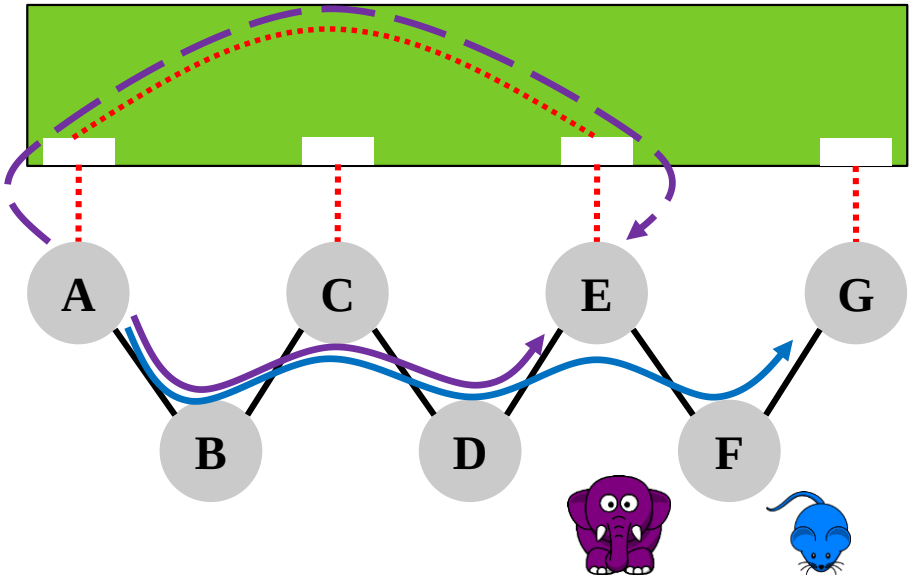

Communication frequency: A→E: 10, A→G: 5

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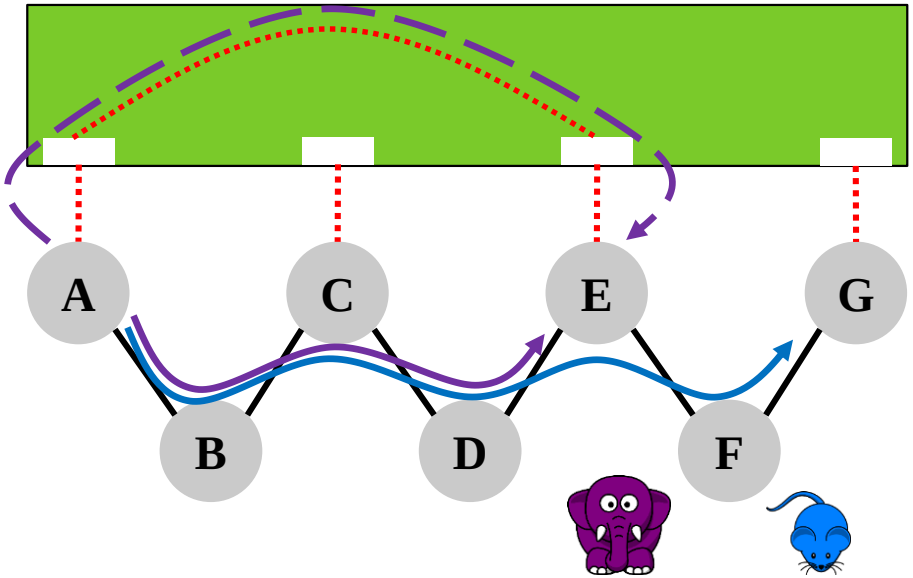
Adding Reconfigurability

reconfig

Weighted average path length: **1*10+6*5=40**



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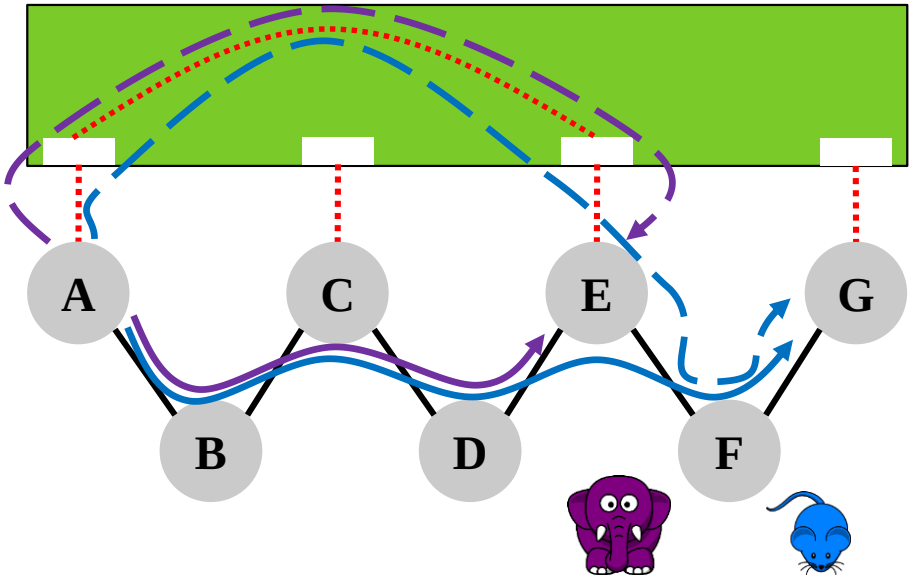

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reconfig *optimum*

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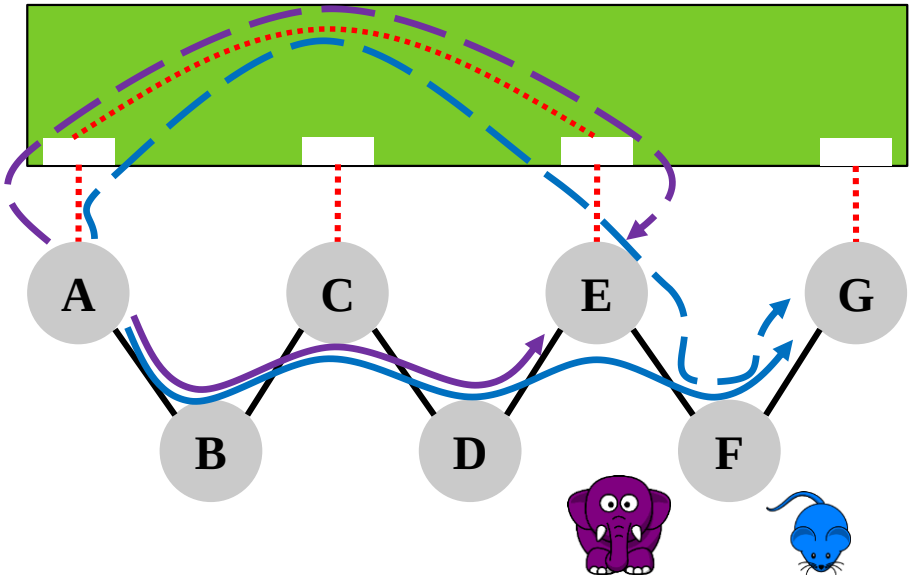

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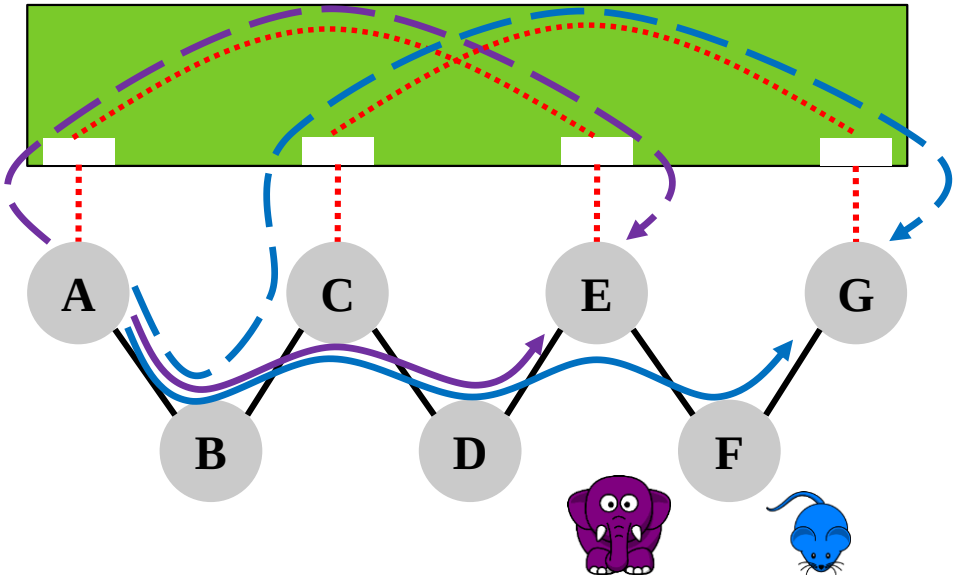

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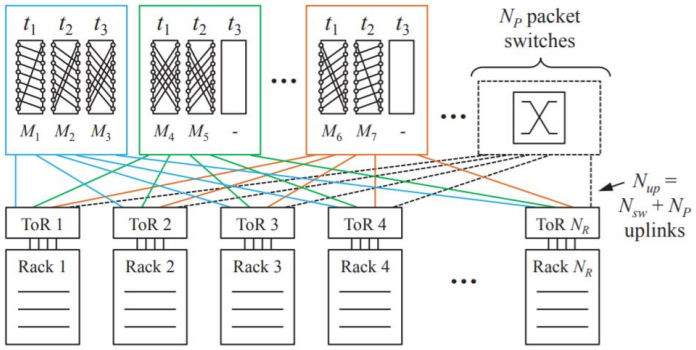
static

Beyond a Single Switch

- Especially important at scale: **multiple** reconfigurable switches



Rotornet
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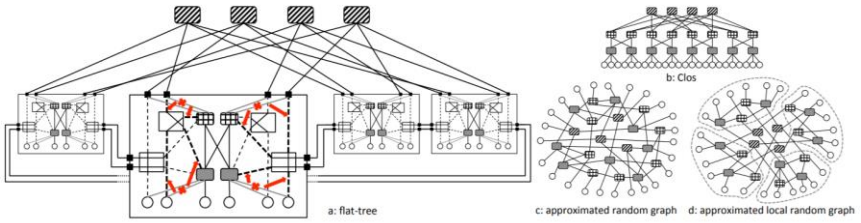

A Tale of Two Topologies
Xia *et al.*, SIGCOMM '17

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One Switch: Segregated Routing Policies

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- Model: Either **just 1 reconfig** or **just static**

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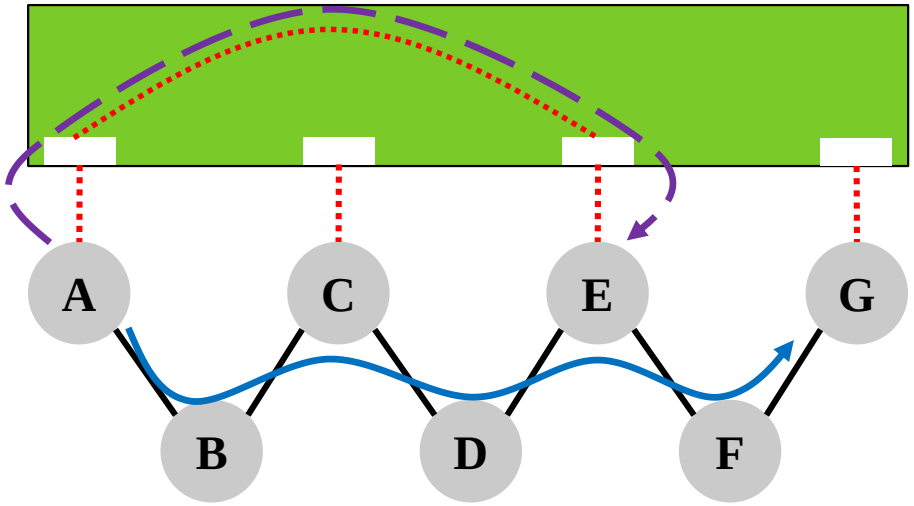

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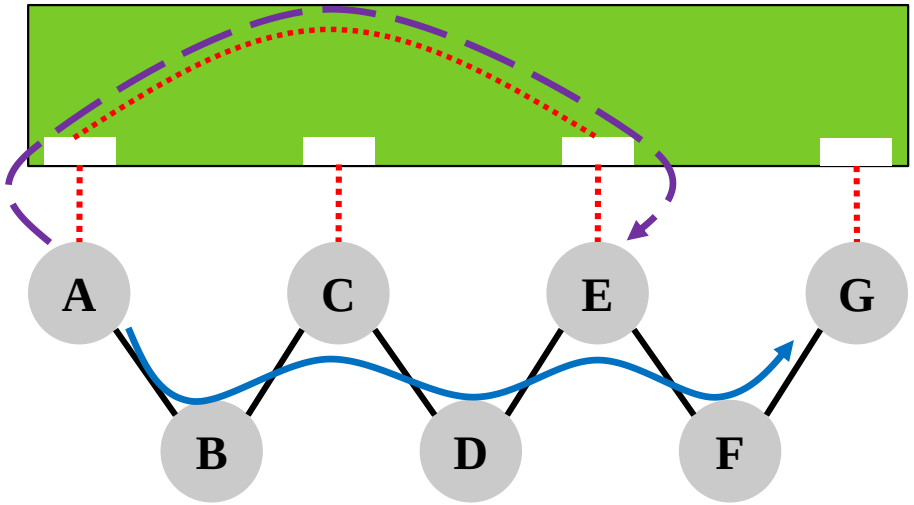

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Why this solution?

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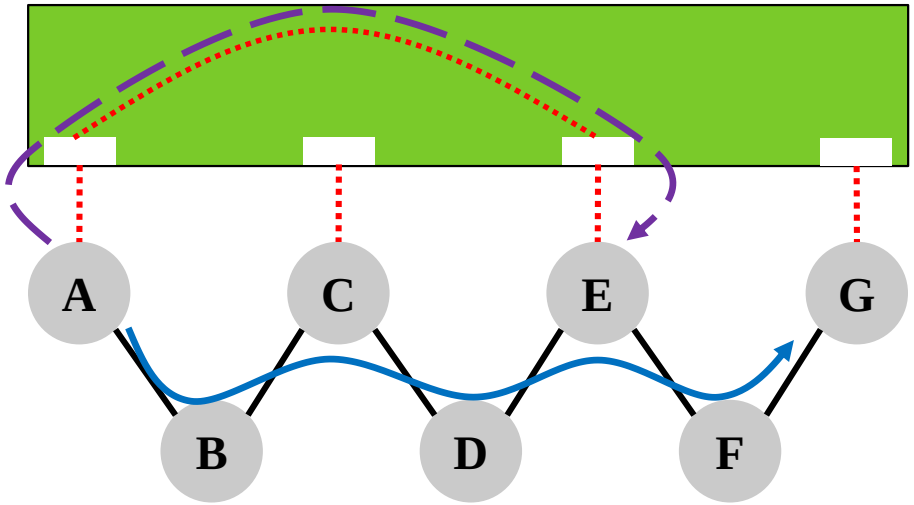

Communication frequency: **A→E: 10**, **A→G: 5**

Why this solution?

Benefit of **A→E: 10**:

- Static-Reconfig: 40-10=**30**

Benefit of **A→G: 5**:

- Static-Reconfig: 30-5=**25**

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- Optimal solution in polynomial time:

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  1. Compute & assign benefit to every matching edge

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     - E.g., weighted Edmond's Blossom algorithm

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One Switch: Non-Segregated Routing

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Can improve routing quality

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(sparse communication patterns, unit weights etc.)

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Approximation algorithms & restricted topologies

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Approximation algorithms & restricted topologies Future Work

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Approximation algorithms & restricted topologies

Future Work

Already some work in different settings, e.g.:

- network forms a dynamic tree [Schmid et al., ToN '16]
- constant degree and sparse demands [Avin et al., DISC '17]
- degree depends on node popularity [Avin et al., Inf. Pr. Let. '18]

(these works assume all links are reconfigurable)

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Multiple Reconfigurable Switches

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- Makes the setting more scalable ☺

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- But of course, still NP-hard ☹

  (already for one switch)

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Multiple Reconfigurable Switches

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- But of course, still NP-hard ☹

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- Let's make things simpler

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Multiple Switches: More than One Flow

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- Can we optimize max. path length?

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Multiple Switches: More than One Flow

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  - For 2 flows?

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Multiple Switches: One Flow

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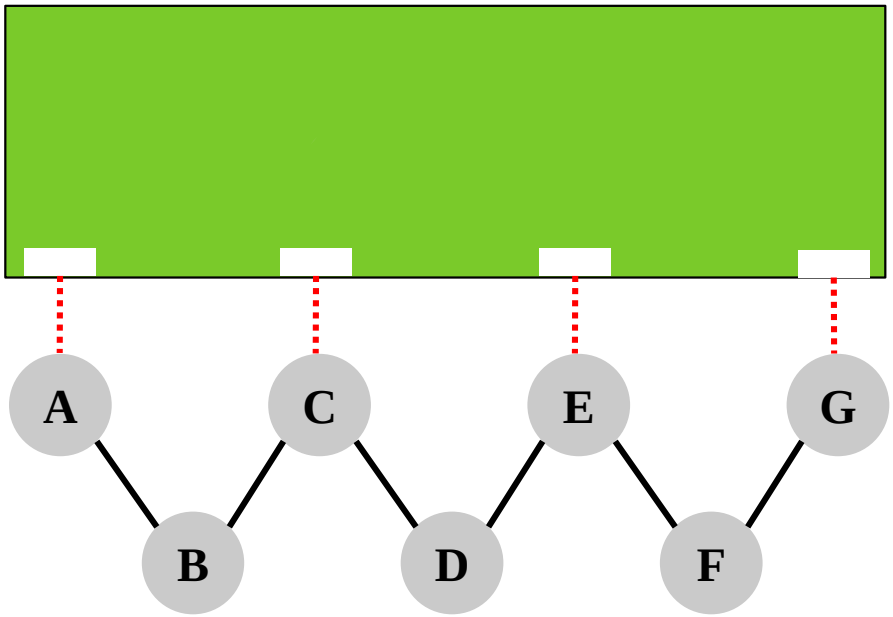

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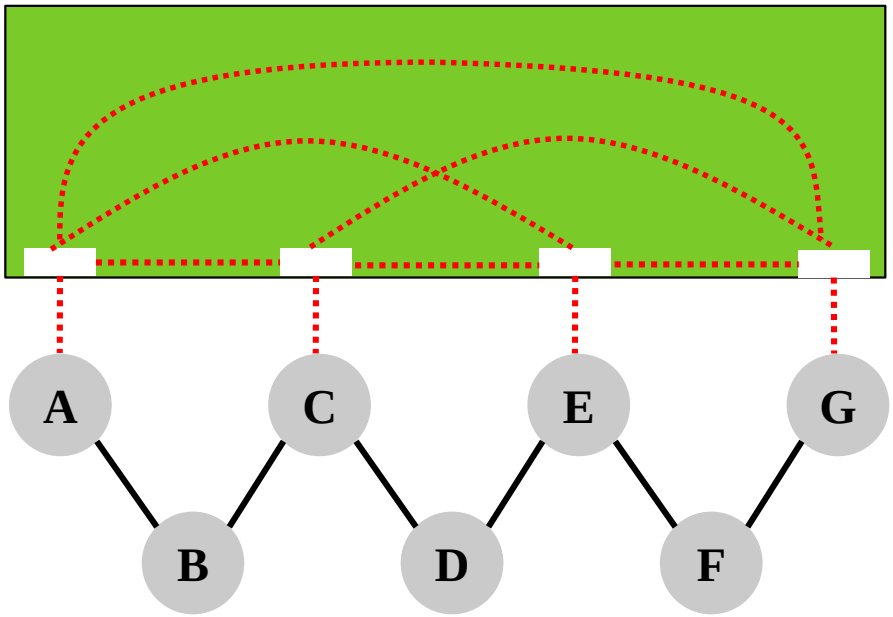
Multiple Switches: One Flow



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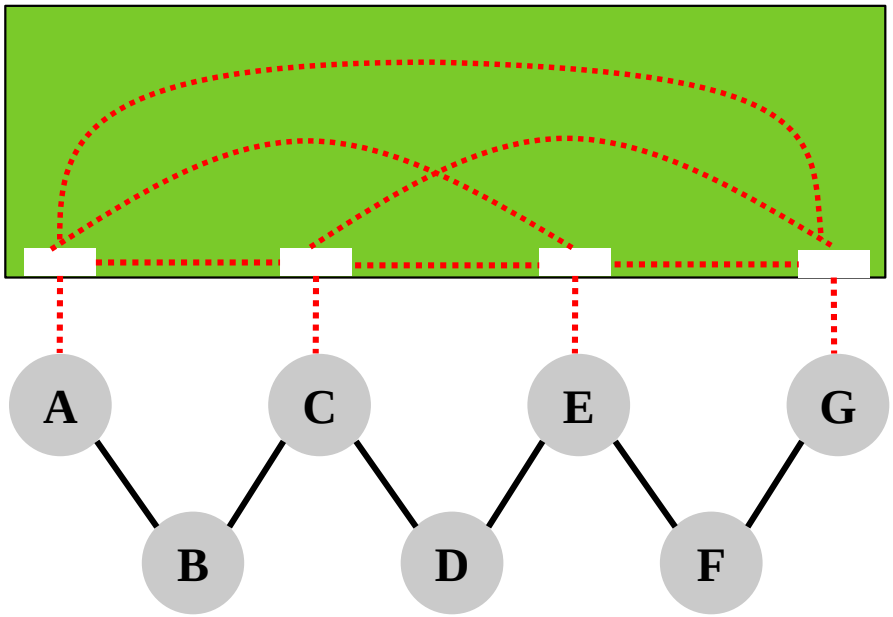
Multiple Switches: One Flow

- Consider **weights**



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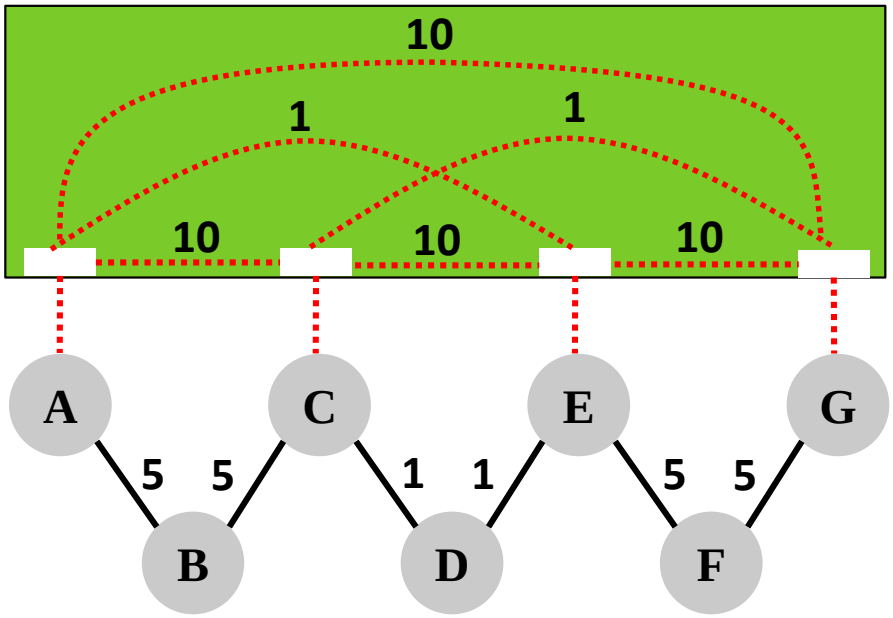

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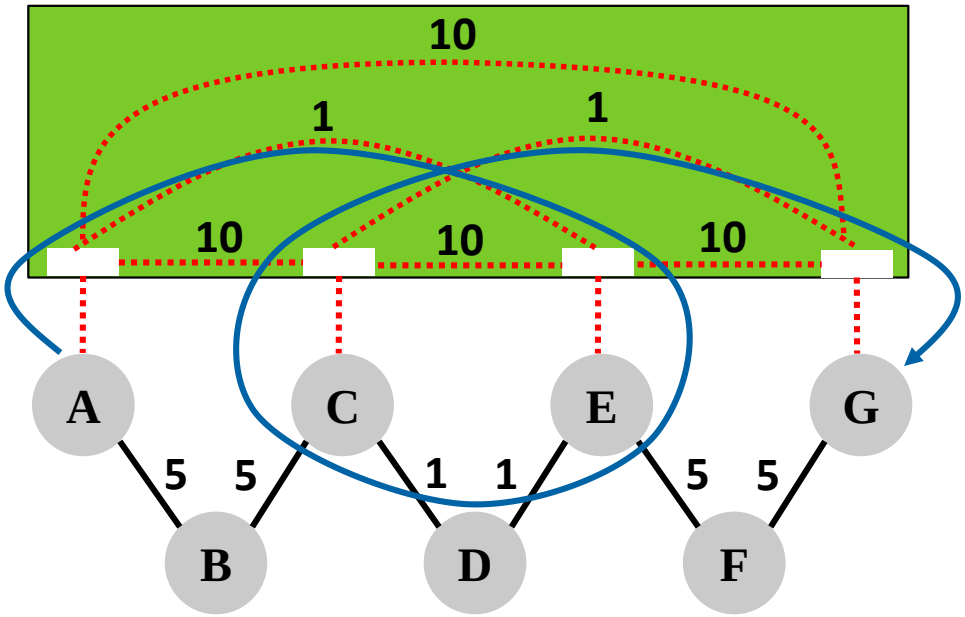

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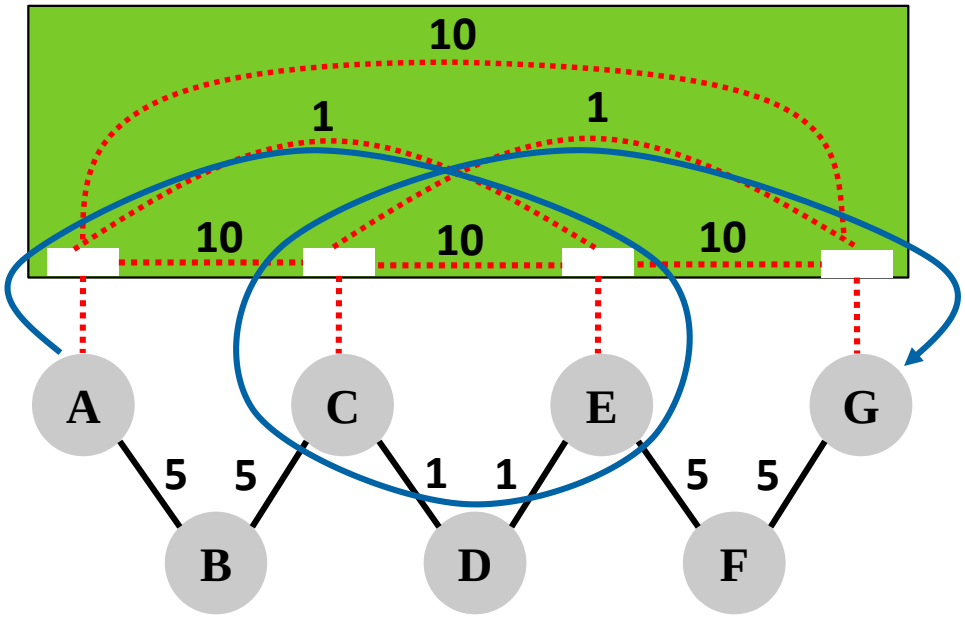

How to formalize?

Communication frequency: **A→G: 1**

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Multiple Switches: One Flow

- Challenge:

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Multiple Switches: One Flow

- Challenge:
  - Proper matchings

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Multiple Switches: One Flow

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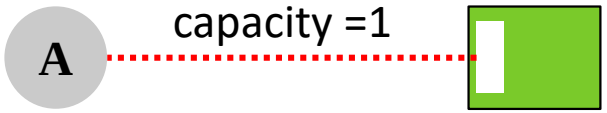

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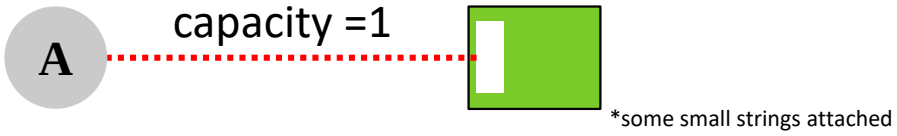

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Unidirectionality

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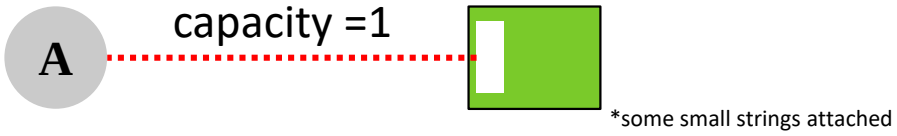

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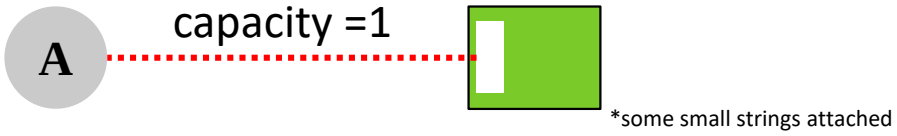

Unidirectionality

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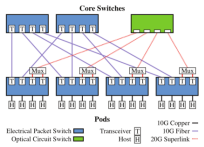

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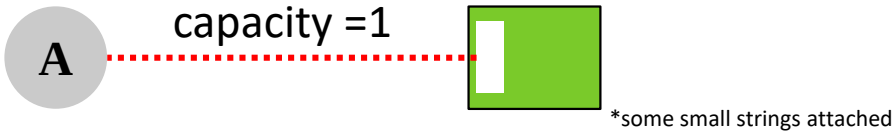

*some small strings attached

Unidirectionality

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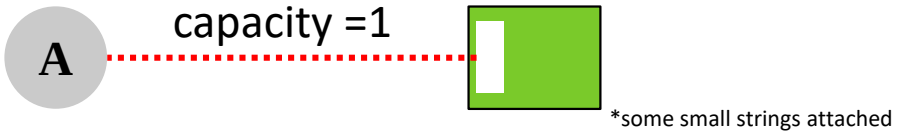
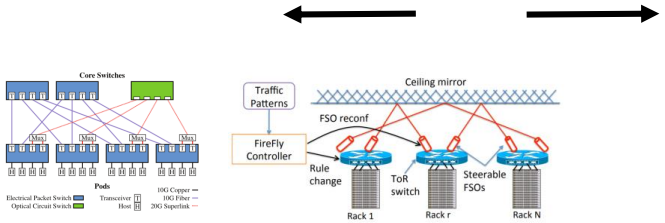


*some small strings attached

Unidirectionality



Multiple Switches: One Flow

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  - Polynomial algorithm

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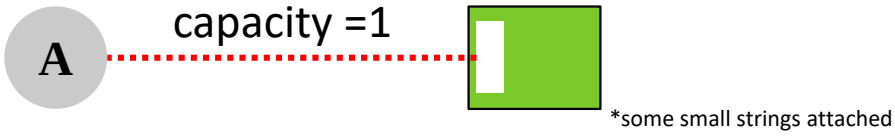

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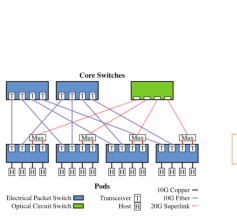

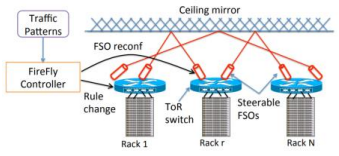

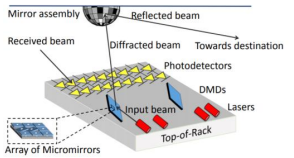

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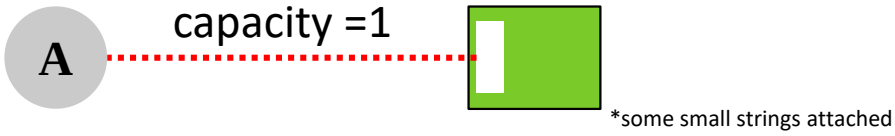

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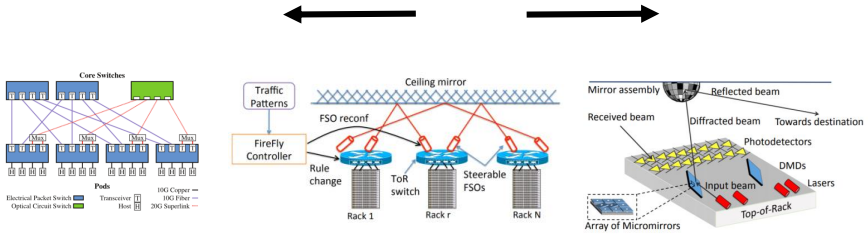

- Same conceptual idea

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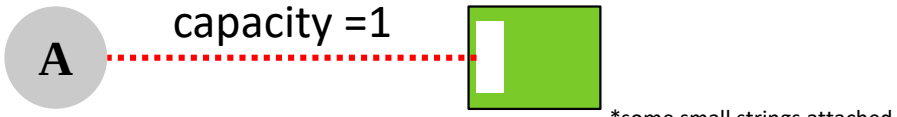

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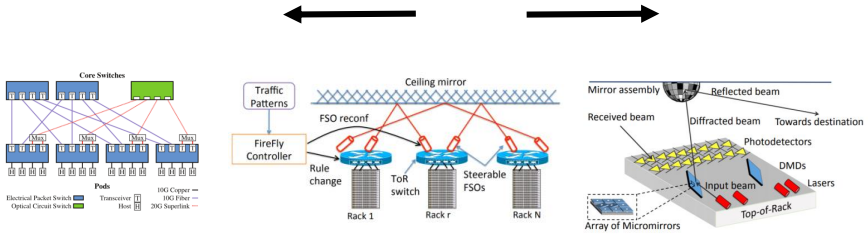
Unidirectionality



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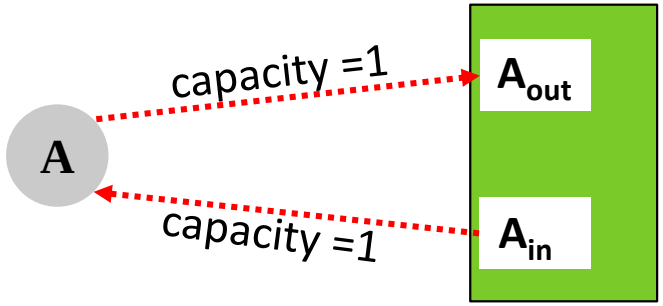
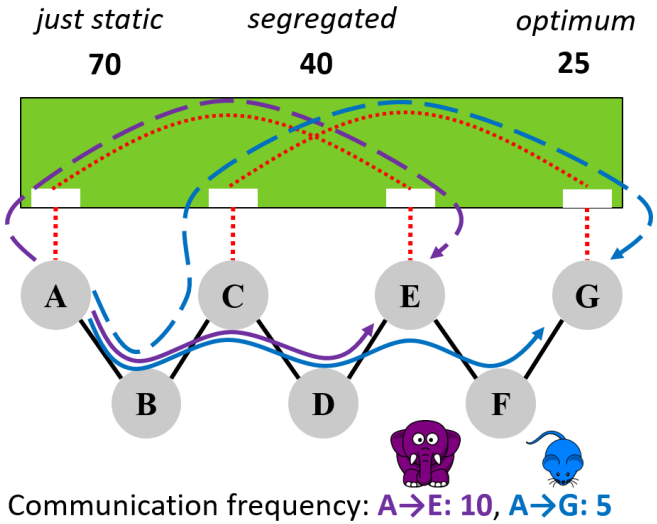


Summary and Outlook

- one reconfigurable switch
  - segregated: Easy. Not optimal.
  - not seg.: NP-hard. Improves solutions.

- multiple reconfigurable switches
  - multiple flows: NP-hard
  - just one flow: Easy.

- Next steps
  - approximation algorithms
  - special topologies



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Characterizing the Algorithmic Complexity of Reconfigurable Data Center Architectures

Klaus-T. Foerster (U. Vienna), Manya Ghobadi (Microsoft Research), Stefan Schmid (U. Vienna)

Thank you! ☺

23 July 2018, IEEE/ACM ANCS 2018