

SDN and Network Virtualization

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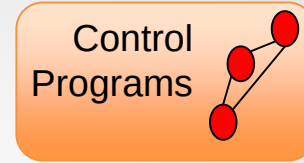
Rough Plan

- ❑ SDN and Network Virtualization: Debunking some myths and misunderstandings
- ❑ Some fundamental research challenges
- ❑ Mini-Tutorial: How to exploit flexibilities in virtualized networked systems?
- ❑ Mini-Tutorial: How are datacenters designed?
- ❑ Mini-Tutorial: Put your hands on SDN

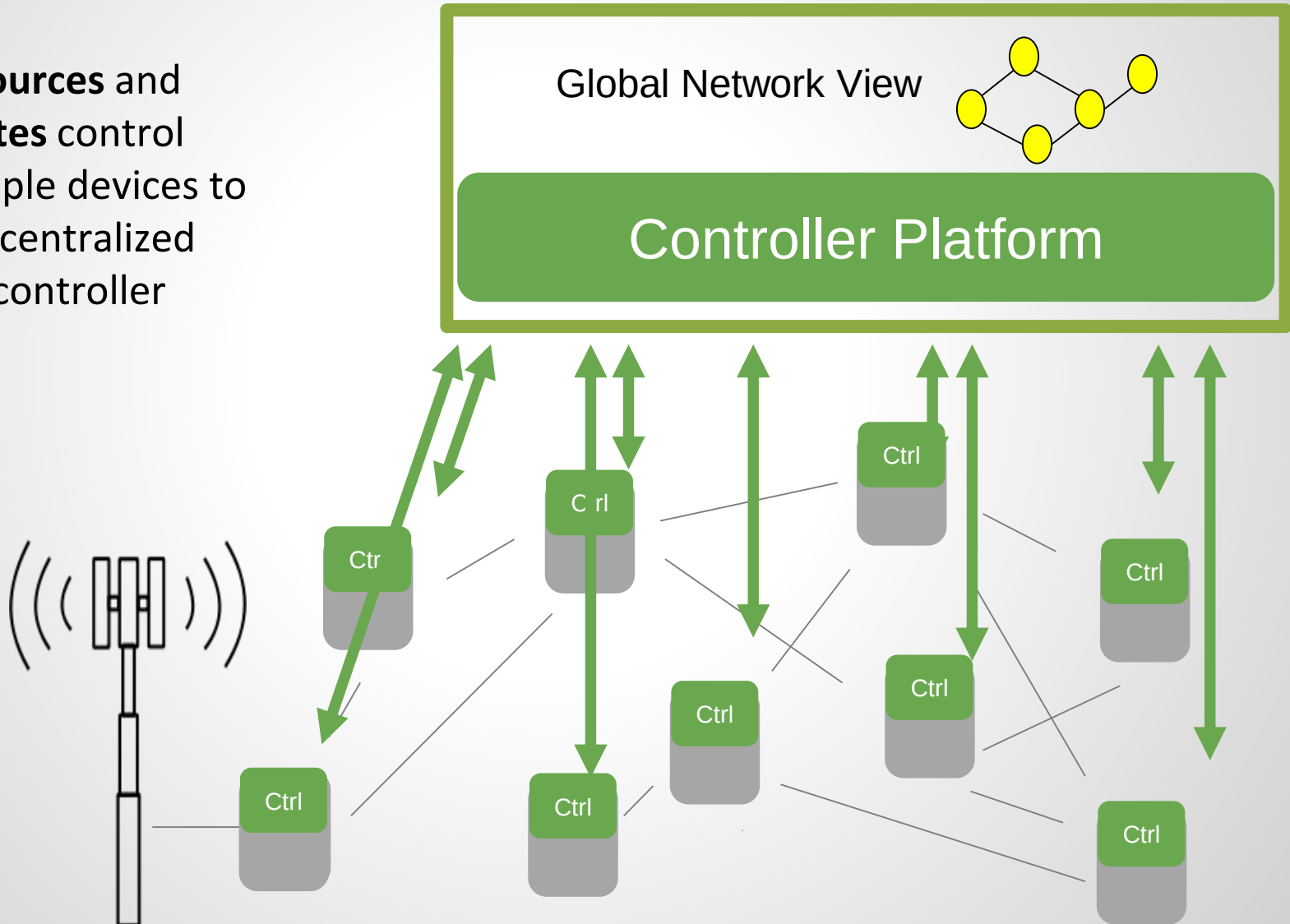
Hands-On Exercises

- **In Groups:** you will get a VM and a key during coffee break
- **Exercise 1:**
 - Learning about waypoint enforcement and isolation concepts
 - Setting access control policies
- **Exercise 2:**
 - Dealing with layer-3 devices (routers, WPE across subnet boundaries)
 - Supporting migration (IP subnet mobility)
- **Exercise 3:**
 - Dealing with layer-3 devices (routers)
 - Supporting migration

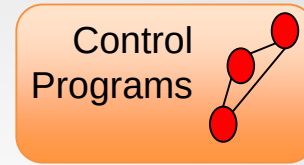
Flexible Networked Systems: Programmable...



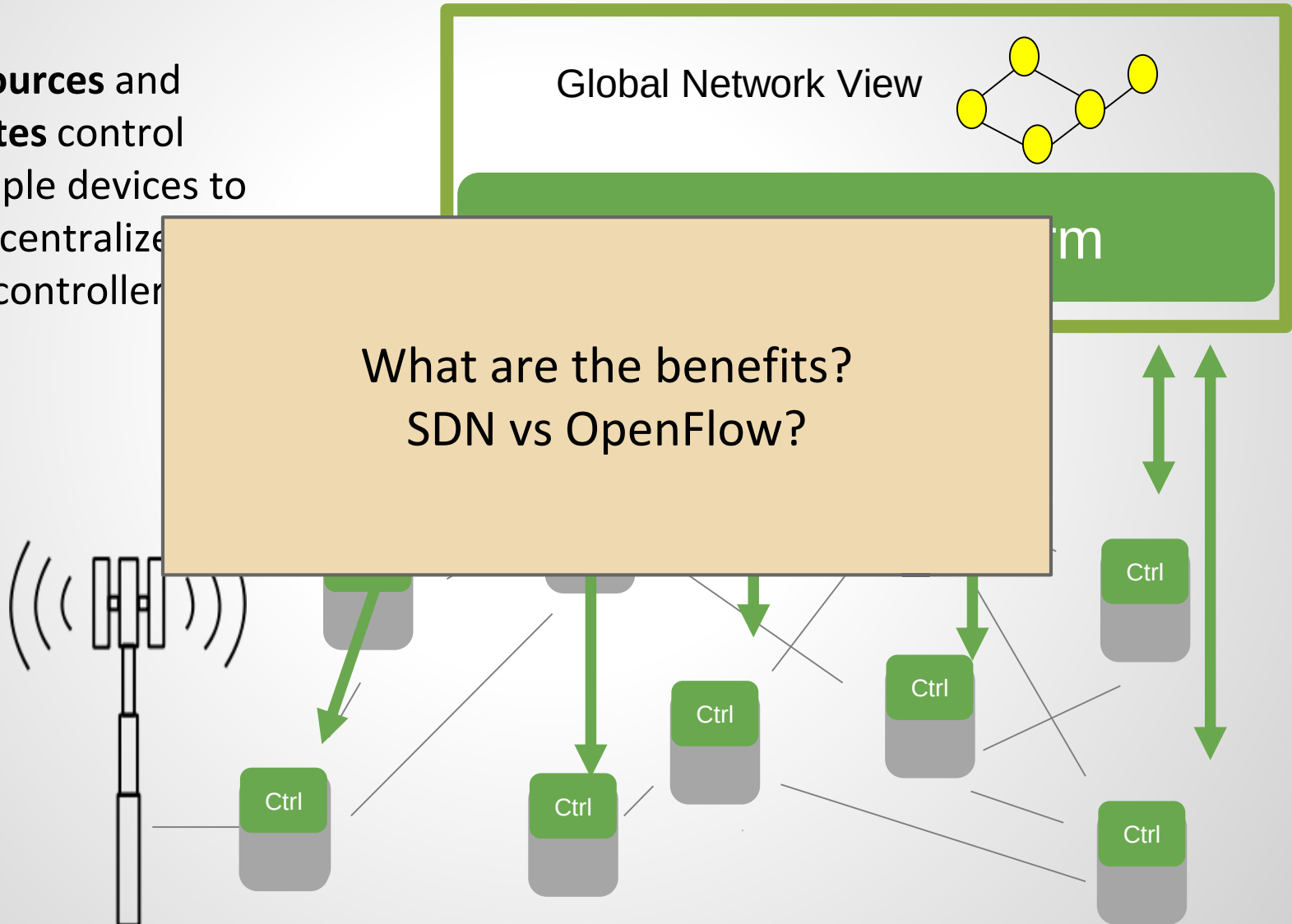
SDN **outsources** and **consolidates** control over multiple devices to (logically) centralized **software** controller



Flexible Networked Systems: Programmable...

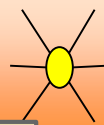


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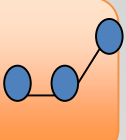
Control Programs



Control Programs



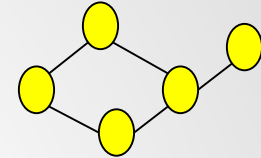
Control Programs



Benefit 1: Decoupling! Control plane can **evolve independently** of data plane: innovation at speed of software development.
Software trumps hardware for fast implementation and deployment!

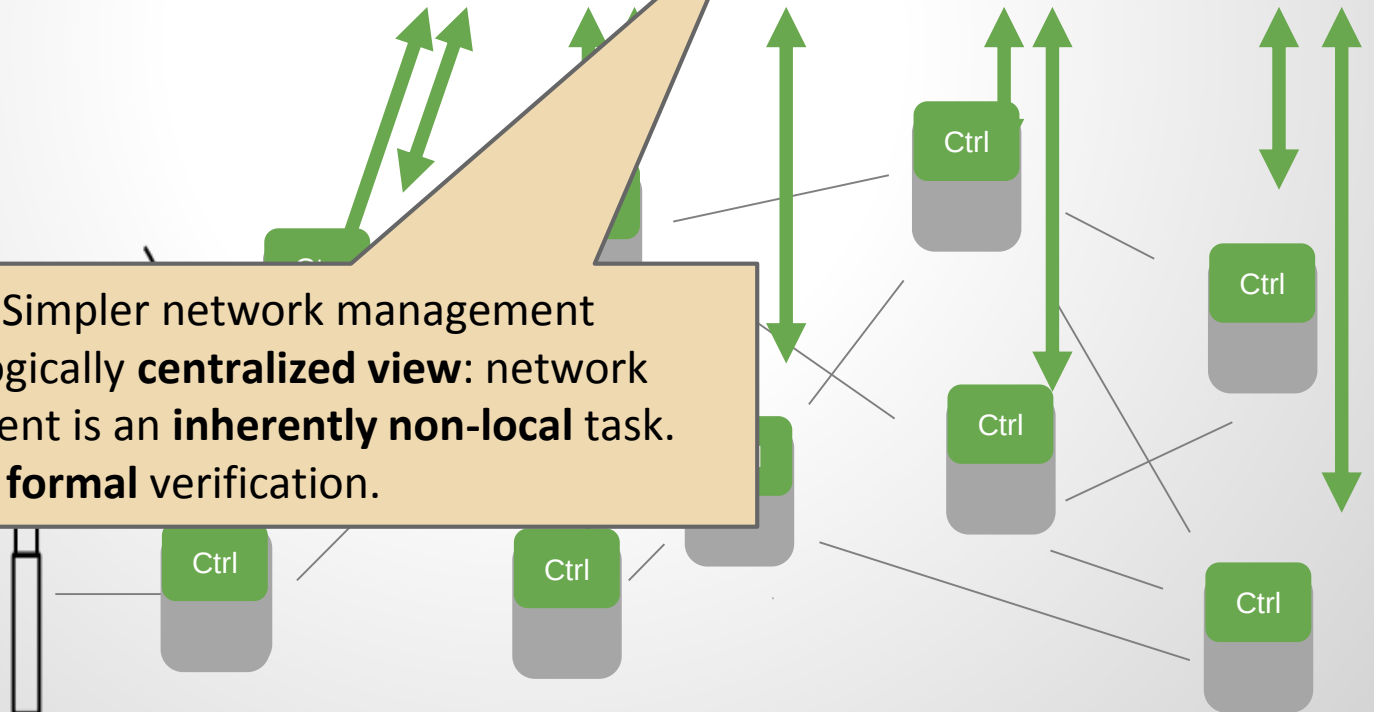
(logically) centralized software controller

Global Network View

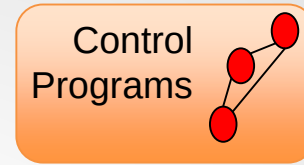


Controller Platform

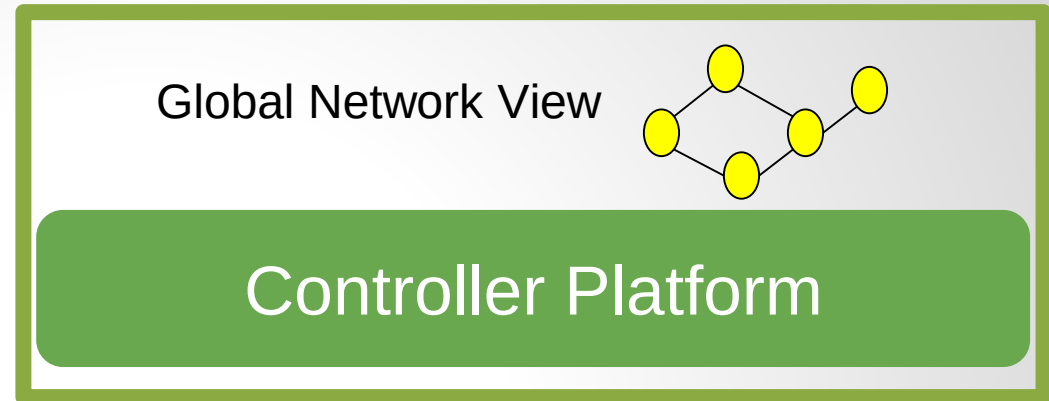
Benefit 2: Simpler network management through logically **centralized view**: network management is an **inherently non-local** task. Simplified **formal** verification.



Flexible Networked Systems: Programmable...

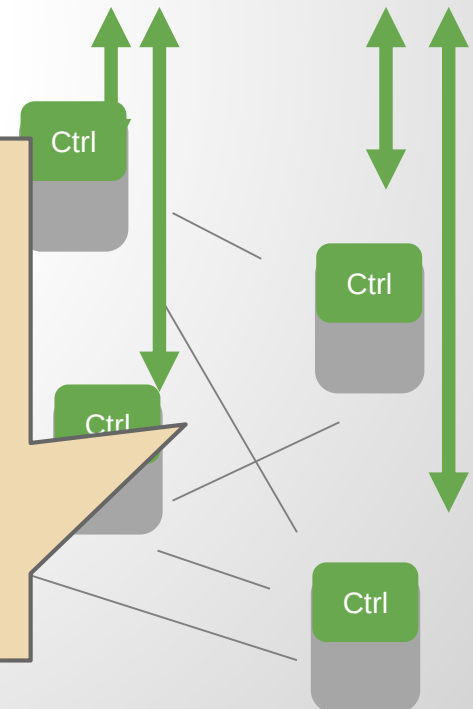


SDN outsources and consolidates control over multiple devices to (logically) centralized software controller



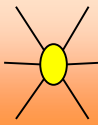
Benefit 3: Standard API OpenFlow is about **generalization!**

- Generalize **devices** (L2-L4: switches, routers, middleboxes)
- Generalize **routing and traffic engineering** (not only destination-based)
- Generalize **flow-installation**: coarse-grained rules and wildcards okay, proactive vs reactive installation
- Provide general and logical **network views** to the application / tenant



Flexible Networked Systems: Programmable...

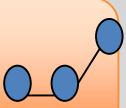
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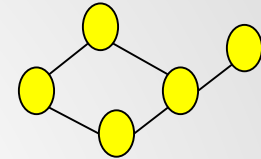


Control Programs



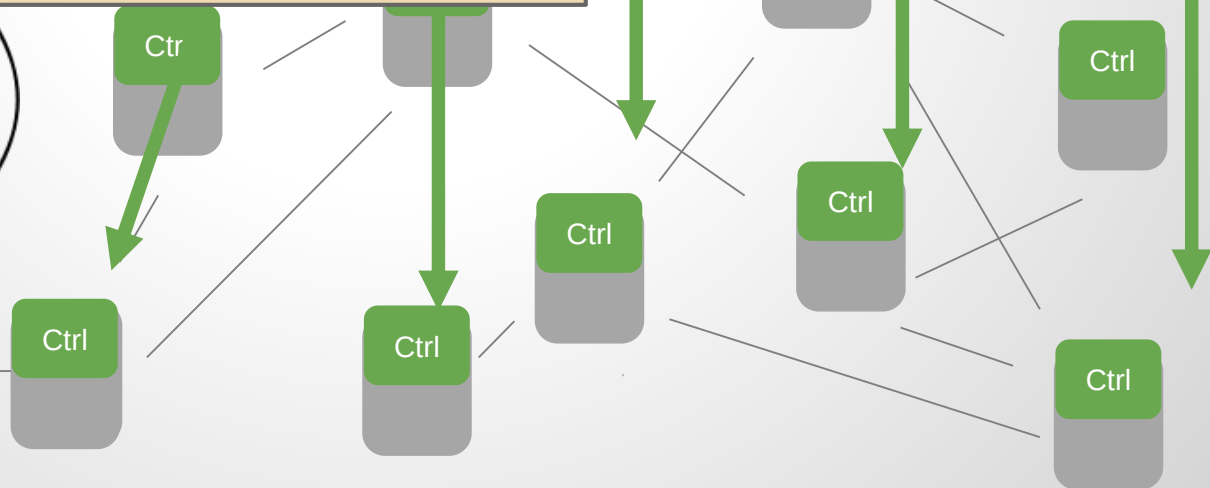
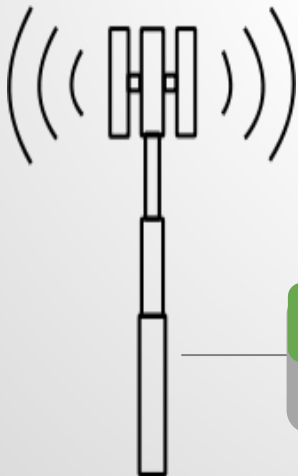
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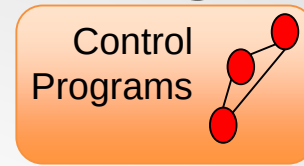


Controller Platform

Thinking SDN further: It would be nice to be able to program also the middleboxes! Why?

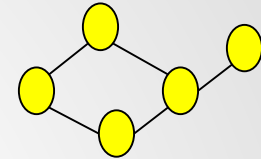


Flexible Networked Systems: Programmable...



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Today almost as many middleboxes as routers!
Faster innovations: Not much innovation in the past years.
Flexible and fast service deployment, scale-out, migration...

Flexible Networked Systems: ... *and Virtualized*

- ❑ Virtualization: a powerful concept in Computer Science

Flexible Networked Systems: ... *and Virtualized*

- ❑ Virtualization: a powerful concept in Computer Science
- ❑ Virtualization allows to **abstract**:
 - ❑ Hardware: compute, memory, storage, network resources
 - ❑ Or even entire distributed systems (including OS)
- ❑ **Decouples** the application from the substrate
- ❑ Introduces **flexibilities** for resource allocation
 - ❑ Improved **resource sharing** (esp. in commercial clouds)
 - ❑ Seamless migration

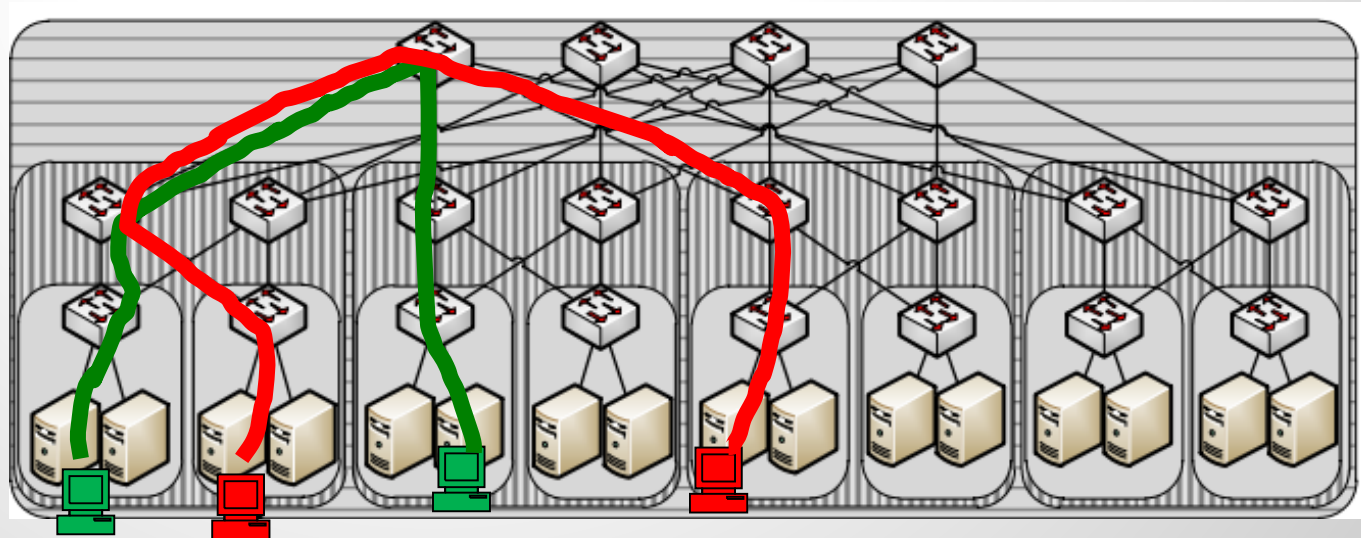
Challenges

- ❑ Great..., but: are we brainstorming hammers or nails?
 - ❑ SDN and virtualization are enablers, ***not solutions***! What to do with them *and how*?

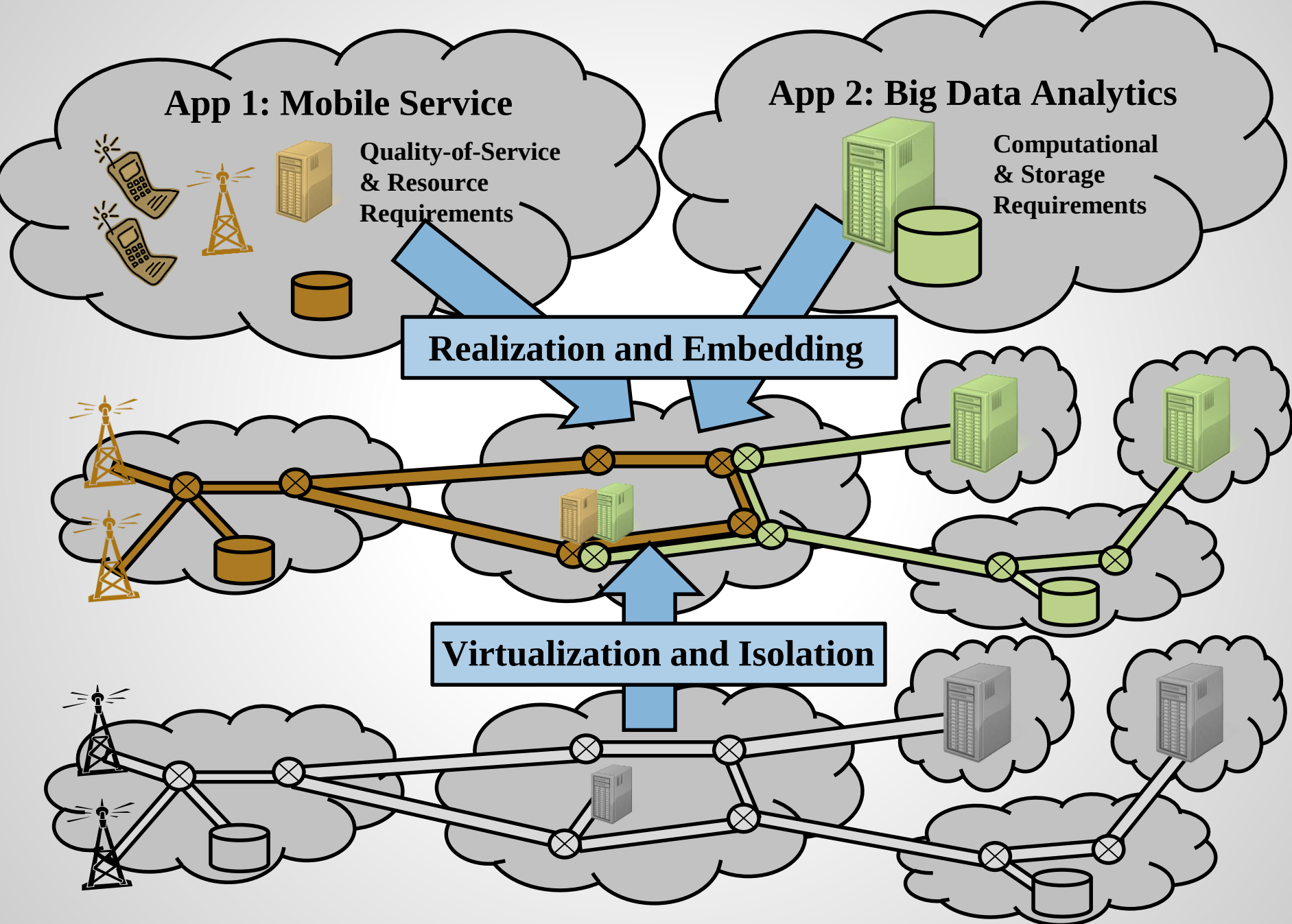
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 - ❑ SDN and virtualization are enablers, ***not solutions!*** What to do with them *and how?*
- ❑ Example: Virtualization for better **resource sharing**
 - ❑ Many **flexibilities** to embed **virtual machines**
 - ❑ But: often **not enough** to provide the expected performance!

Need to virtualize the **entire system**: otherwise risk of **interference** on other resources (network, CPU, memory, I/O) : **unpredictable performance**



For predictable performance: full virtualization!



Network Virtualization

An interesting concept beyond datacenters...

- ❑ Network virtualization for the Internet!
- ❑ But what is the problem of the Internet today??

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An interesting concept beyond datacenters...

- ❑ Network virtualization for the Internet!
- ❑ But what is the problem of the Internet today??
- ❑ Much innovation going on in the Internet
 - ❑ Peer-to-peer, online social networks, big data analytics, Internet-of-Things
 - ❑ But innovation limited to edge, no innovation in core! Example: IPv6
- ❑ Currently carrier networks are complex (VLAN, MPLS, ...)
 - ❑ Based on blackboxes (CISCO routers, switches)
 - ❑ Consist of many middleboxes without uniform management
- ❑ Limited functionality
 - ❑ No path control

Network Virtualization

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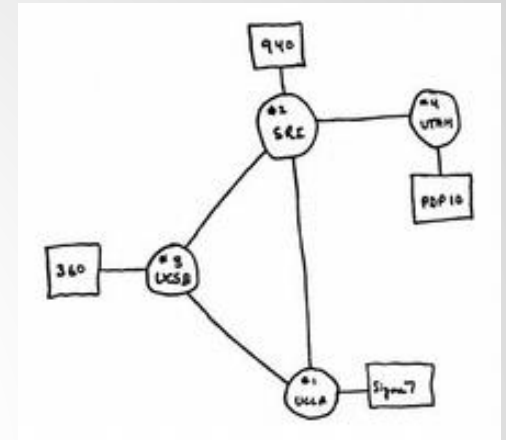
Paradigm to **introduce innovation** in Internet core

Indeed, Internet has changed radically over the last decades

Historic goal: Connectivity between a small set of super-computers

Applications: File transfer and emails among scientists

Situation now: Non-negligible fraction of the world population is constantly online



New requirements:

- More traffic, new demands on **reliability and predictability**
- Thus: use infrastructure more efficiently, use in-network caches: **TE beyond destination-based routing**, ...
- Many different applications: Google docs vs datacenter synchronization vs on-demand video
- Also: user mobility, IP subnet mobility

Network Virtualization

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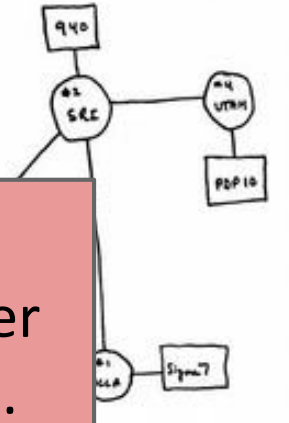
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Network Virtualization Vision:

Application tailored virtual networks, co-hosted over shared infrastructure, with (performance) isolation.

SDN: an enabler for network virtualization!

- More traffic, new demands on **reliability and predictability**
- Thus: use infrastructure more efficiently, use in-network caches: **TE beyond destination-based routing**, ...
- Many different applications: Google docs vs datacenter synchronization vs on-demand video
- Also: user mobility, IP subnet mobility



SDN and Virtualization: Many Algorithmic Challenges

- ❑ How to maximize the resource **utilization/sharing**?
 - ❑ E.g., how to embed a maximal number of virtual Hadoop clusters?

- ❑ And still ensure a **predictable** application performance?
 - ❑ How to **meet the job deadline** in MapReduce application?
 - ❑ How to guarantee **low lookup latencies** in data store?
 - ❑ It's not only about resource **contention**! **Skew** due to high demand also occurs in well-provisioned systems

- ❑ How to exploit allocation flexibilities to even mask and **compensate for** unpredictable events (e.g., failures)?
 - ❑ A key benefit of virtualization!

It's a Great Time to Be a Scientist

"We are at an interesting inflection point!"



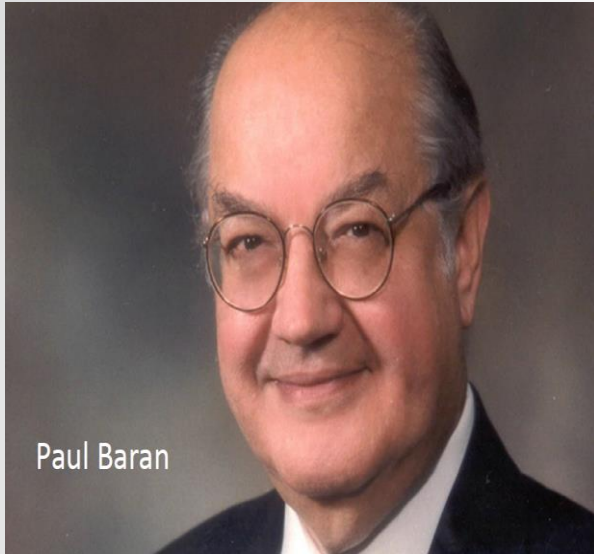
Keynote by George Varghese
at SIGCOMM 2014



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SDN: A step backward?



- Distributed control planes and packet-switching had **a reason**: “On Distributed Communications” (**Baran, 1964**)

- Packet-switched networks and distributed protocols render networks **robust** «to the bomb»

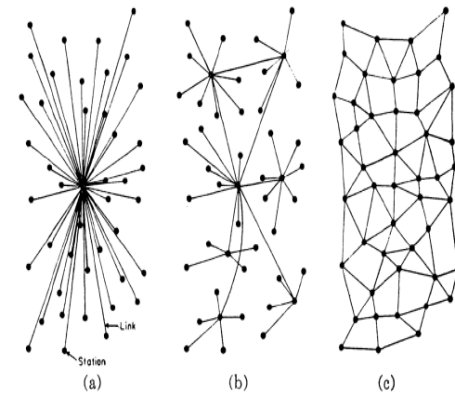


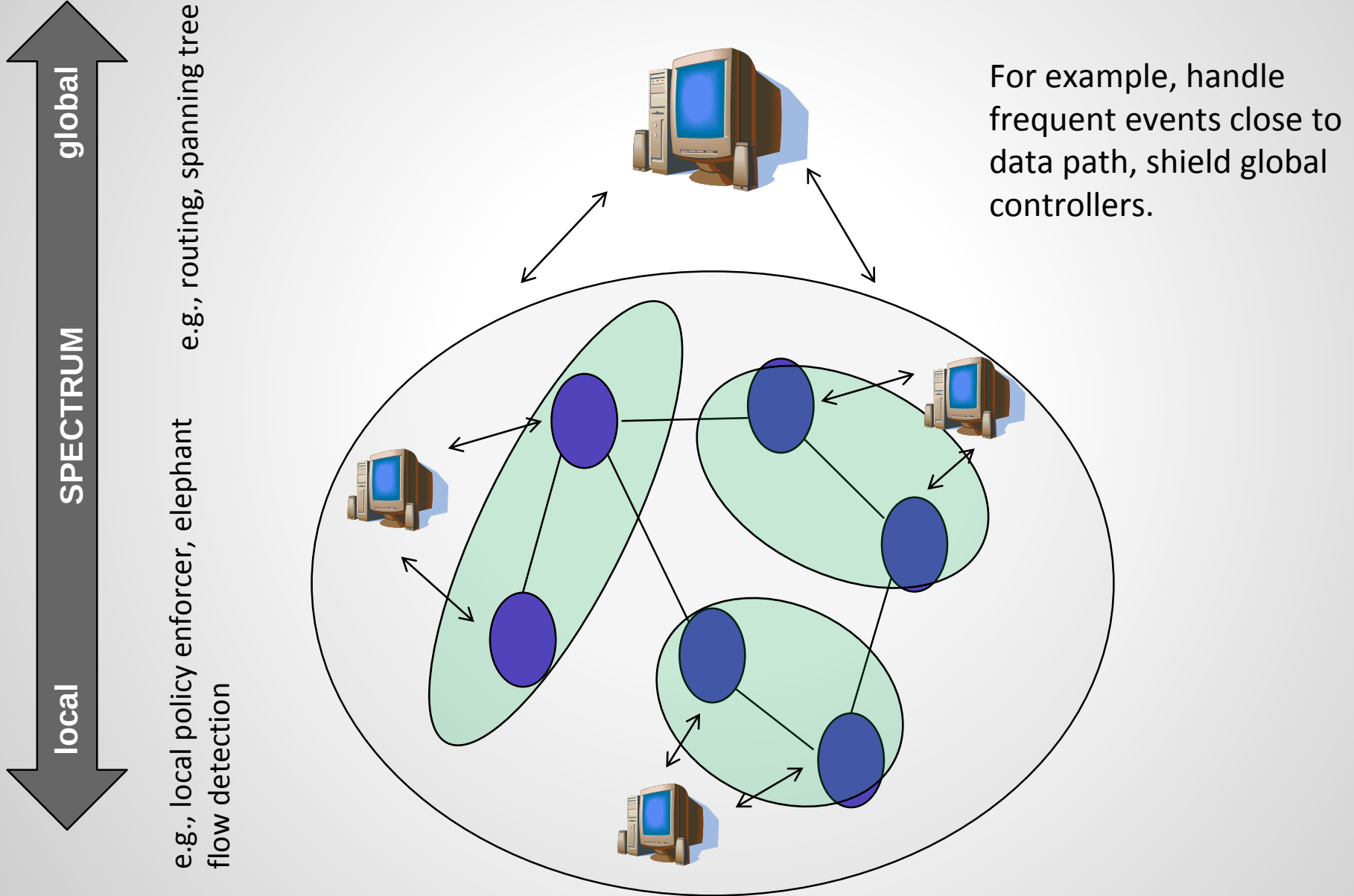
Fig. 1—(a) Centralized. (b) Decentralized. (c) Distributed networks.

1. Node & Edge Destruction
2. Distributed Routing

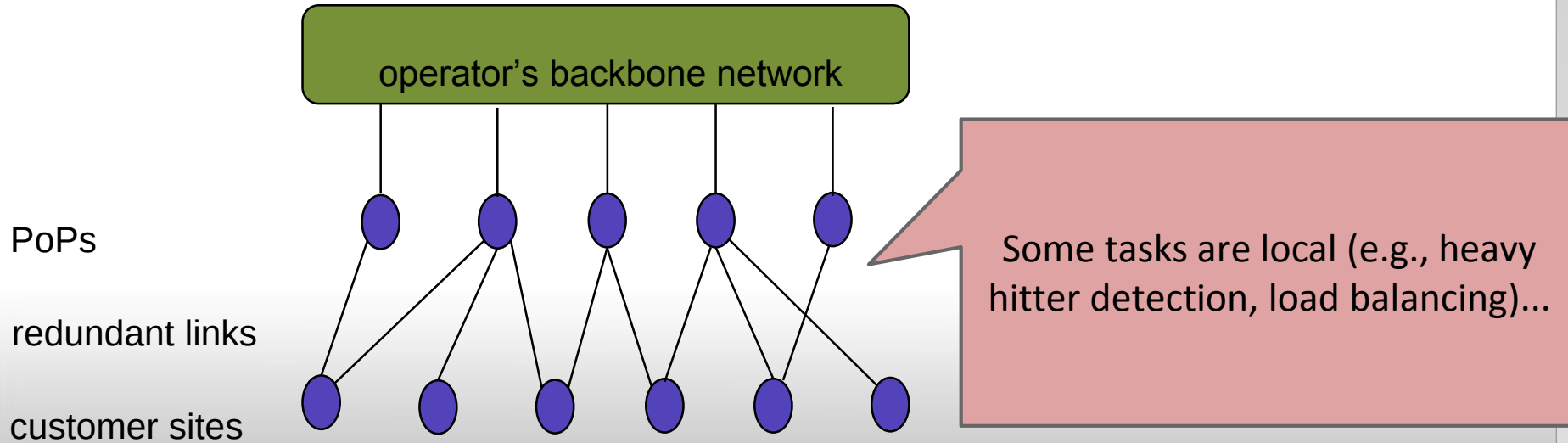
It's Logically Centralized!

- ❑ SDN control only logically centralized: can actually be distributed!
 - ❑ Redundancy for reliability
 - ❑ Redundancy for elasticity (automatic scaling)
 - ❑ Geographic distribution: handle local events locally
- ❑ But building such distributed systems is not easy!

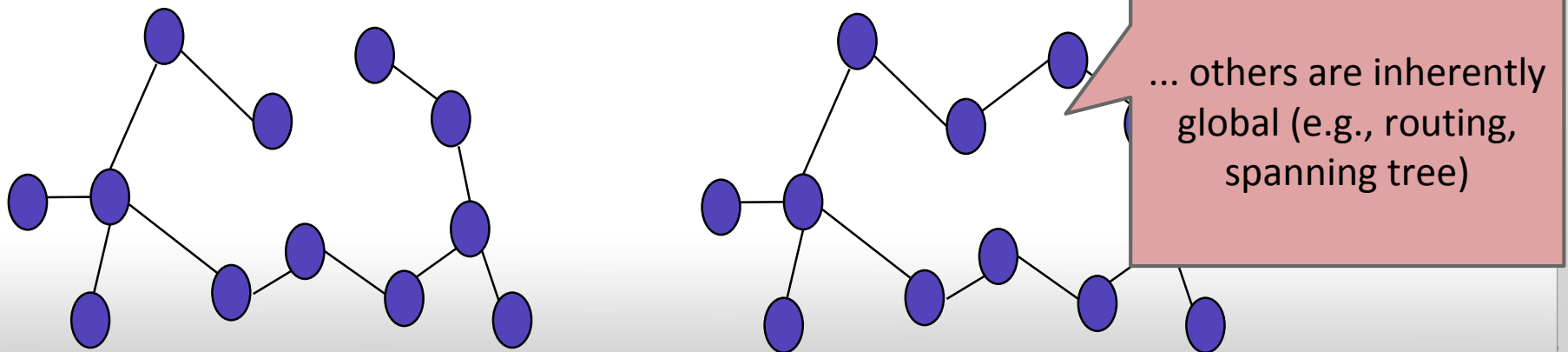
Challenge: Local Control



SDN Task 1: Link Assignment („Semi-Matching Problem“)

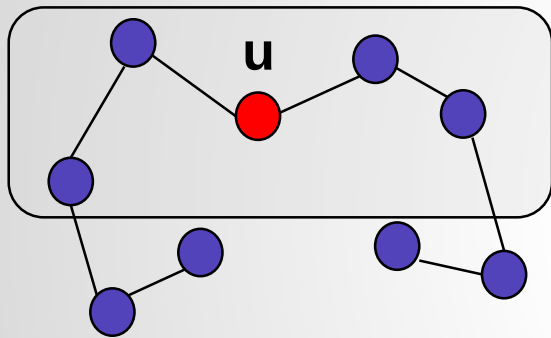


SDN Task 2: Spanning Tree Verification

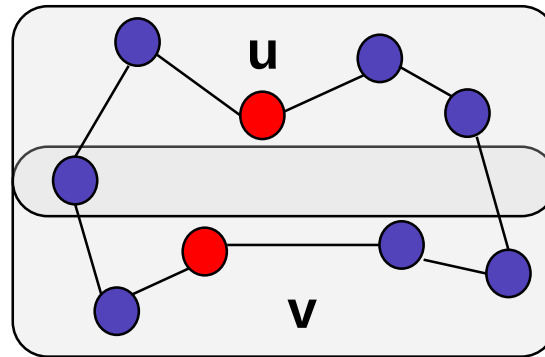


Limitations of a Local View

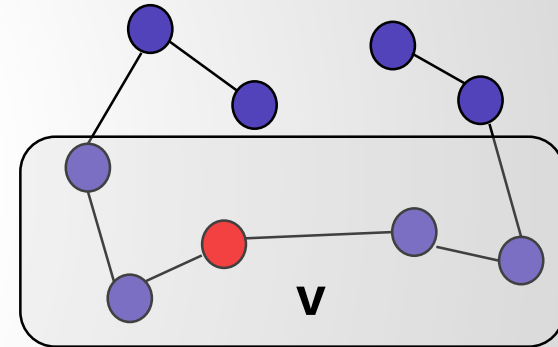
Example: checking loop-freenedom



OK



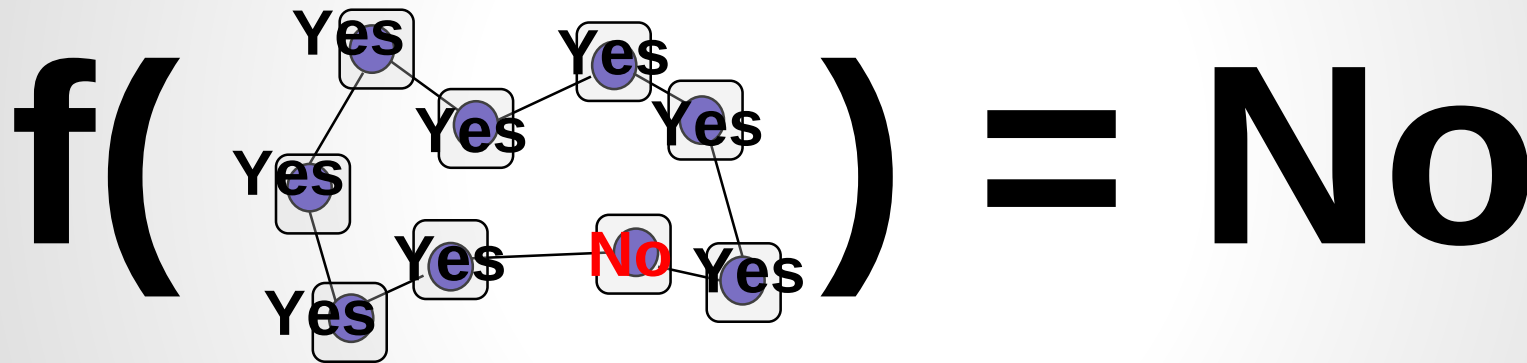
not OK



OK

Verifying is easier!

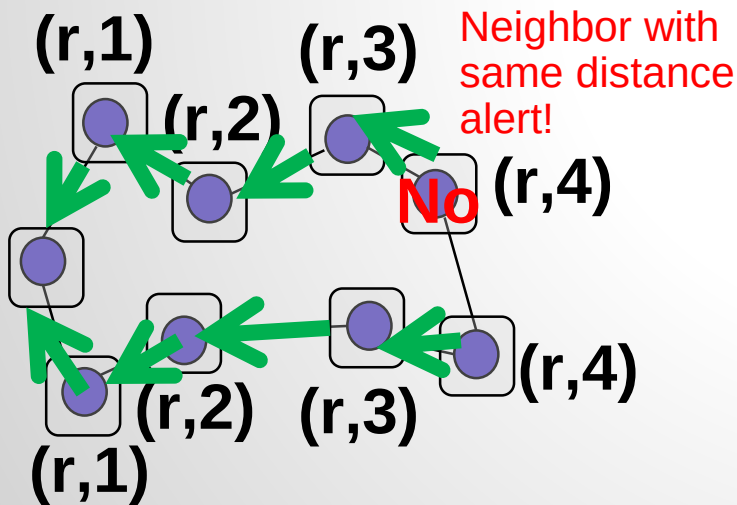
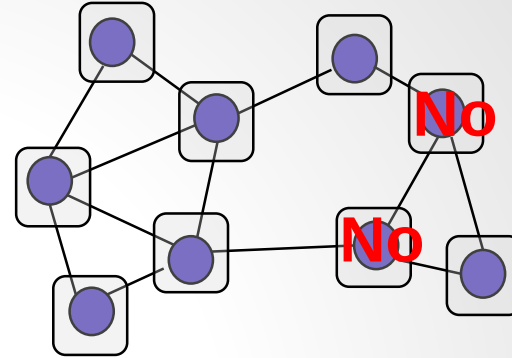
- ❑ Verification is easier than computation
 - ❑ Sometimes sufficient if at least one controller notices inconsistency: it can then trigger global re-computation



- ❑ Similar to classic computability theory
 - ❑ NP-complete problem solutions can be verified in polynomial time

Example

Euler Property: Hard to compute Euler tour (“each edge exactly once”), but easy to verify! **0-bits (= no communication)** : output whether degree is even.



Spanning Tree Property: Label encodes root node plus distance & direction to root. At least one node notices that root/distance not consistent! Requires **$O(\log n)$ bits.**

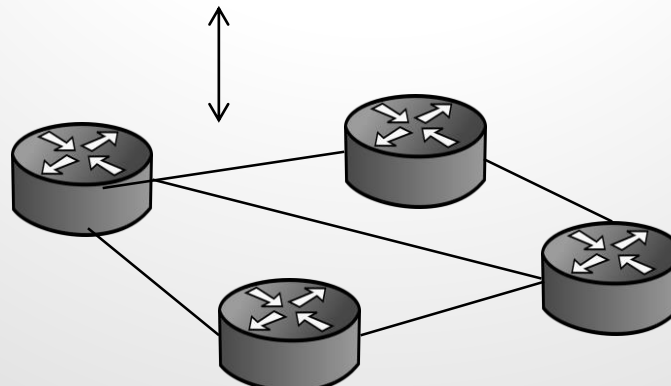
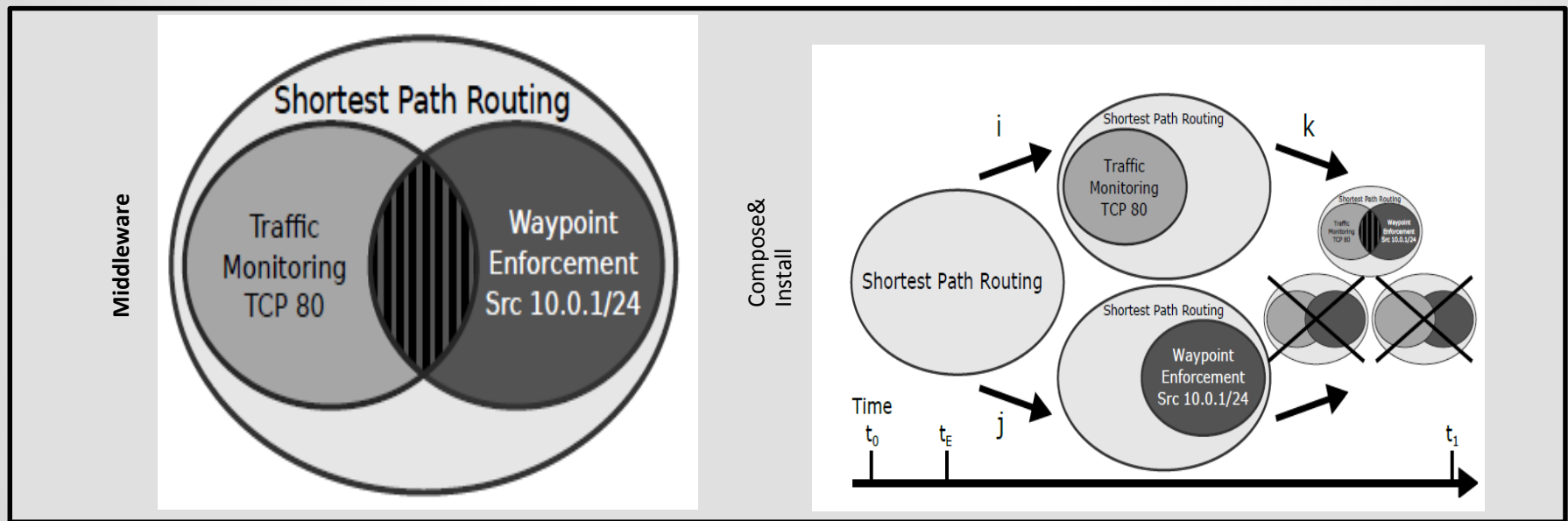


How to deal with concurrency?



In charge
of ACLs

In charge
of tunnels





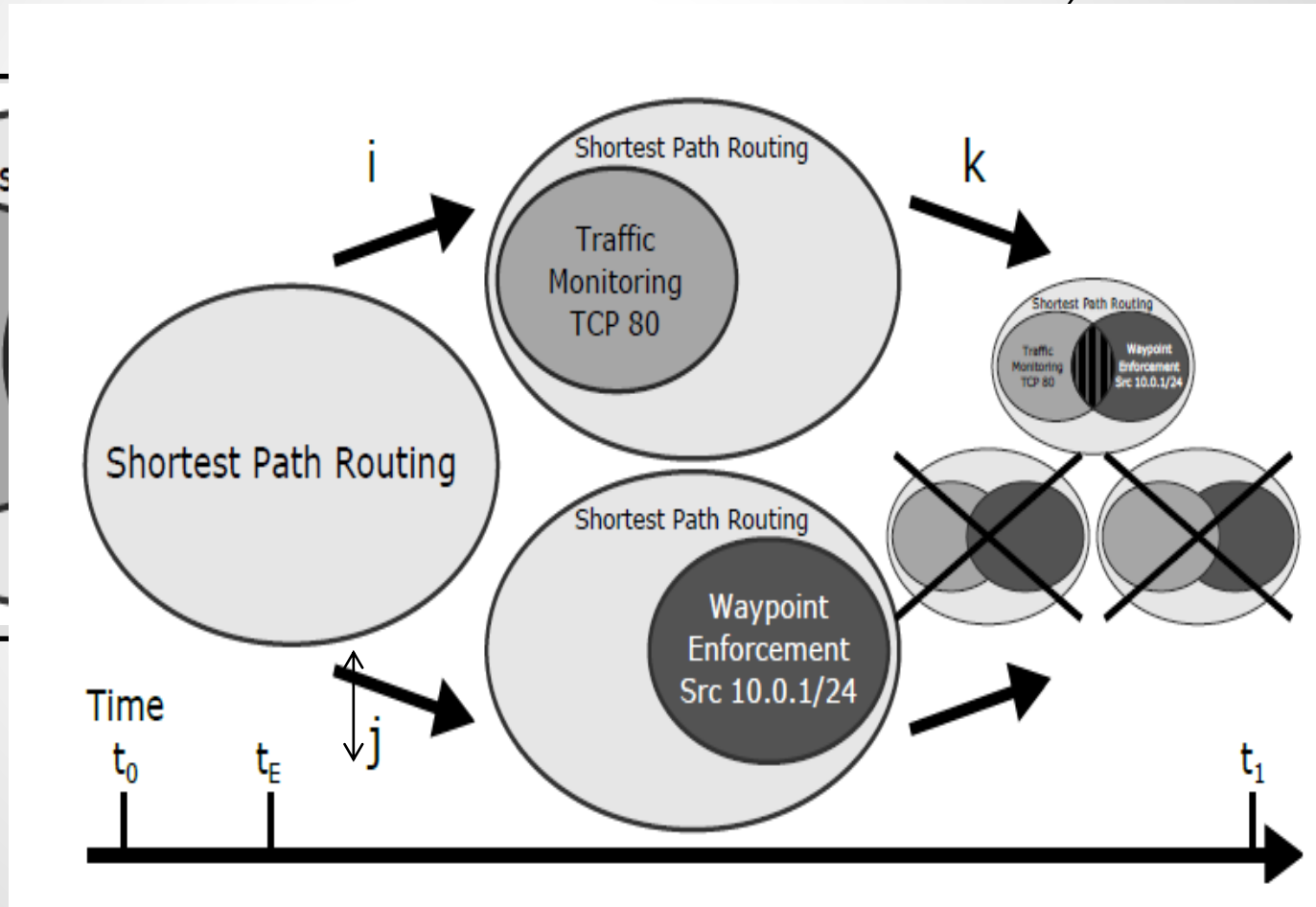
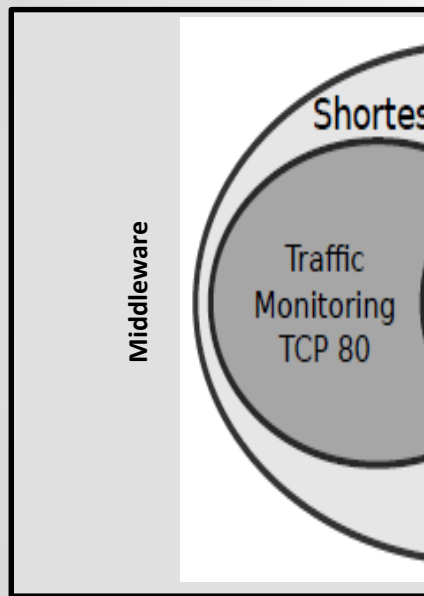
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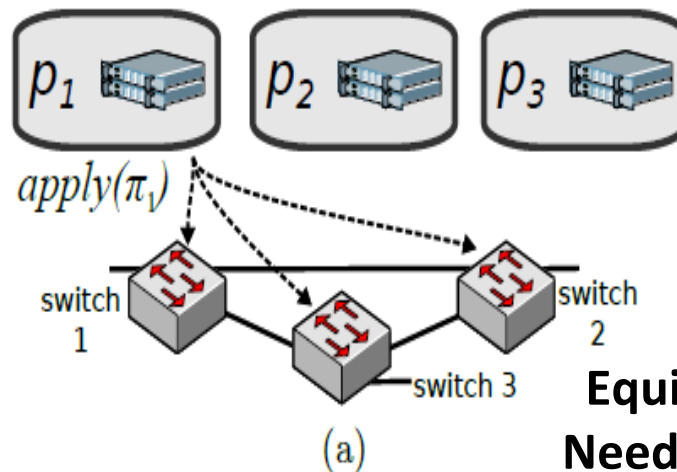


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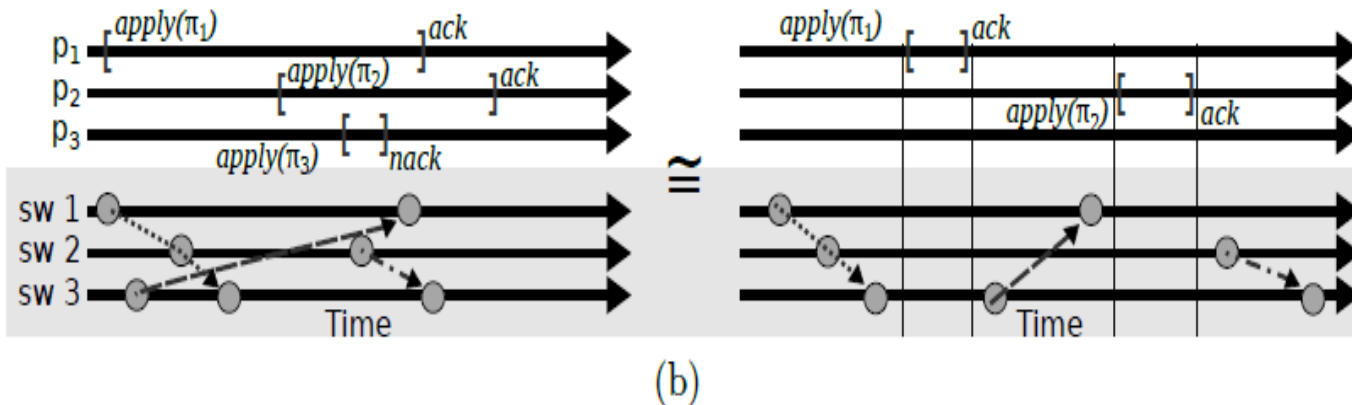
A distributed systems problem!

Problem: Conflict free, per-packet consistent policy composition and installation

Holy Grails: Linearizability (Safety),
Wait-freedom (Liveness)



Equivalent linearized schedule!
Need to abort p3's "transaction".

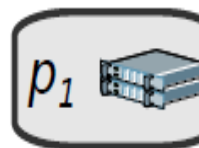


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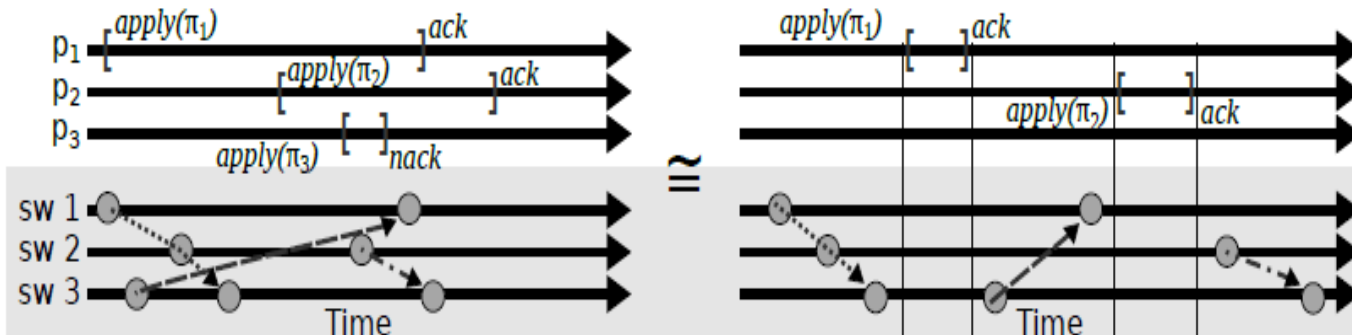


Nice about distributed systems:
Don't do anything...
and you are already correct! 😊



(a)

Equivalent linearized schedule!
Need to abort p_3 's "transaction".



(b)

Reading / Literature Pointer

- [A Distributed and Robust SDN Control Plane for Transactional Network Updates](#)
Marco Canini, Petr Kuznetsov, Dan Levin, and Stefan Schmid.
34th IEEE Conference on Computer Communications (**INFOCOM**), Hong Kong, April 2015.
- [Exploiting Locality in Distributed SDN Control](#)
Stefan Schmid and Jukka Suomela.
ACM SIGCOMM Workshop on Hot Topics in Software Defined Networking (**HotSDN**), Hong Kong, China, August 2013.

SDN: Dumb Switches?



How smart should switches be?

- Good news: separation of control plane
 - More global view
- Bad news: separation of control plane
 - Reduced visibility: in-band events?
 - What about the overhead / additional latency?

What is the right visibility?
Which functionality to keep in data plane?

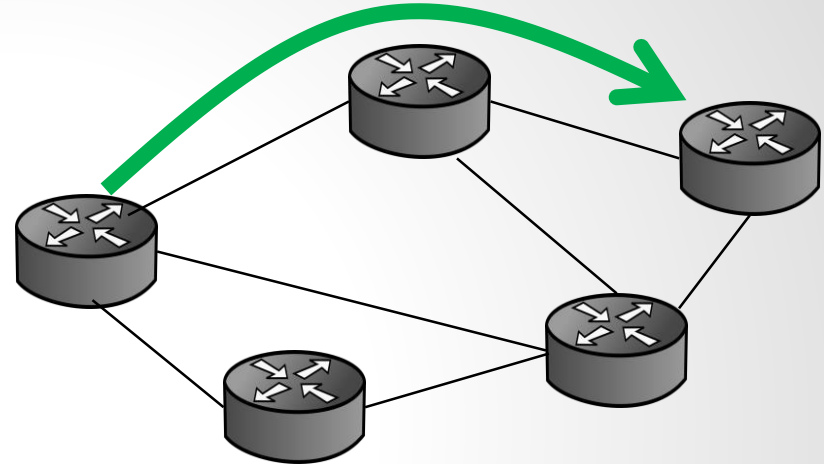
Example: where to
implement robust
routing?

Example: Fast Robust Routing Mechanisms

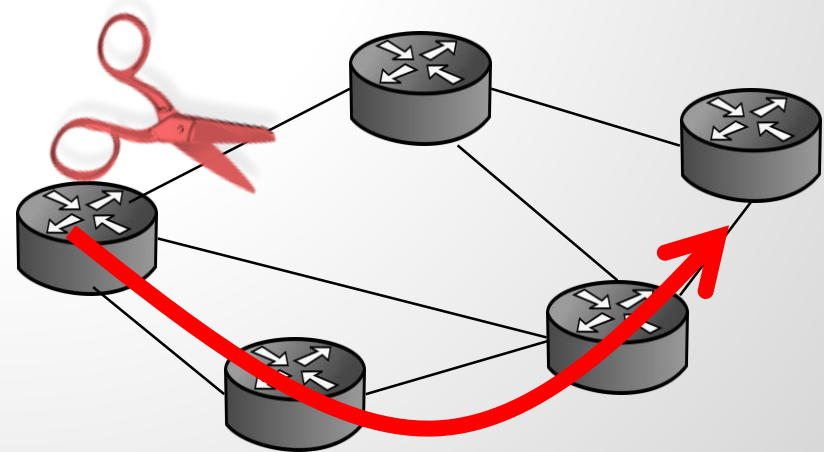
Modern networks provide **robust routing mechanisms**

- i.e., routing which reacts to failures
- example: MPLS local and global path protection

Before failover:

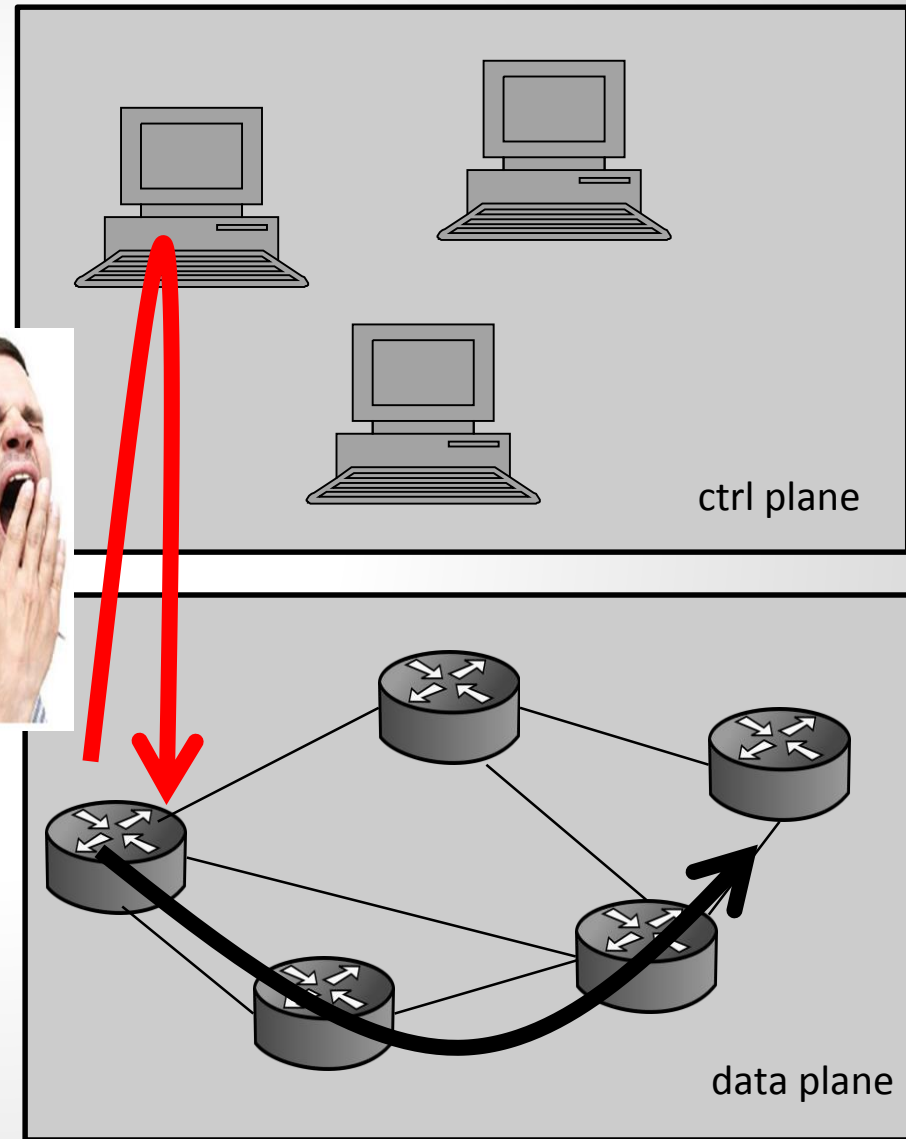


After failover:



Fast In-band Failover

- Important that failover happens **fast = in-band**
 - Reaction time in control plane can be orders of magnitude slower
- For this reason: **OpenFlow Local Fast Failover Mechanism**
 - Supports conditional forwarding rules (depend on the local state of the link: live or not?)
- Gives fast but local and perhaps “**suboptimal**” forwarding sets
 - Controller improves globally later...



Reading / Literature Pointer

- [Reclaiming the Brain: Useful OpenFlow Functions in the Data Plane](#)
Liron Schiff, Michael Borokhovich, and Stefan Schmid.
13th ACM Workshop on Hot Topics in Networks (**HotNets**), Los Angeles, California, USA, October 2014.
- [Provable Data Plane Connectivity with Local Fast Failover: Introducing OpenFlow Graph Algorithms](#)
Michael Borokhovich, Liron Schiff, and Stefan Schmid.
ACM SIGCOMM Workshop on Hot Topics in Software Defined Networking (**HotSDN**), Chicago, Illinois, USA, August 2014.

What are use cases for SDN?
What are existing deployments?

SDN Use Cases

Many use cases discussed today, e.g. in:

- Enterprise networks
 - Datacenters
 - WANs
 - IXPs
 - ISPs
- 
- Existing deployments!

The origins? E.g., Stanford campus network (coined SDN)

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Existing deployments!

The killer application?
Network virtualization

Deployments at Microsoft and Google

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What is it used for?
And how is it deployed?

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3

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1

Deployments at Microsoft and Google

2

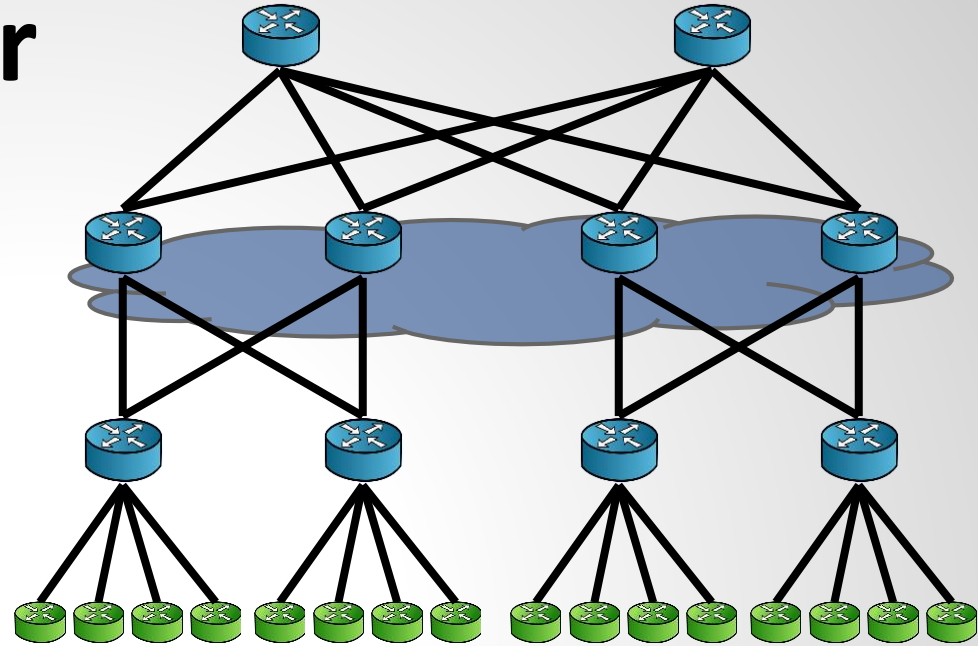
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SDN in Datacenter

Characteristics

- Already highly virtualized
- Quite homogeneous
- Scalability a challenge

Why SDN?



How?

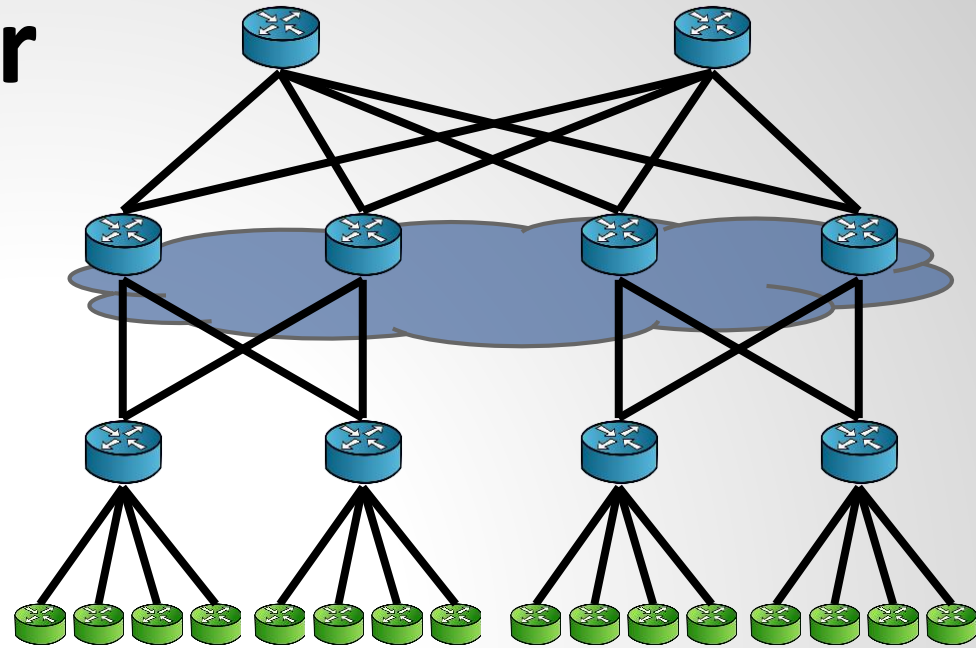
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Why SDN?

- **Decouple** application from physical infrastructure
- Enable **virtual networks** (e.g., Nicira): own addresses for tenants, isolation, support for seamless VM **migration**
- Performance: improve **throughput**



How?

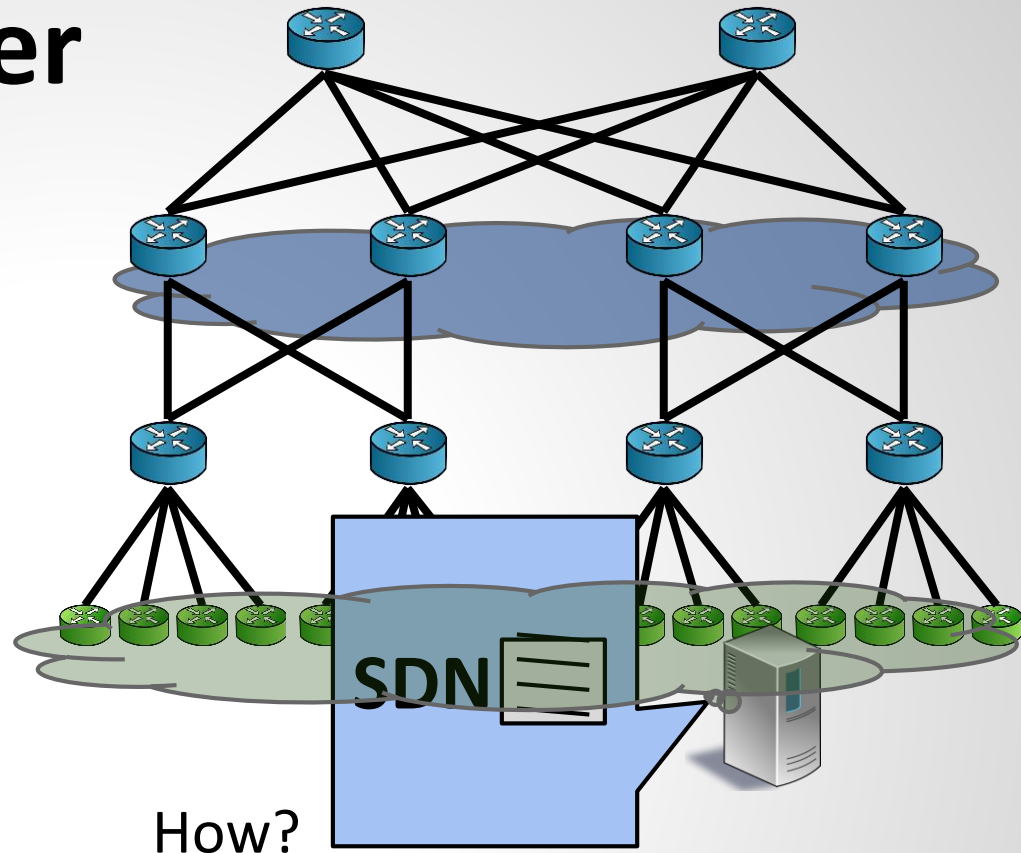
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Excursion: Scalability Challenge (1)

- A single datacenter can consist of
 - 100k servers...
 - ... à 32 VMs each
 - So 3.2 million VMs!
- Each VM requires a MAC and IP address
- But also physical infrastructure needs addresses

Excursion: Scalability Challenge (2)

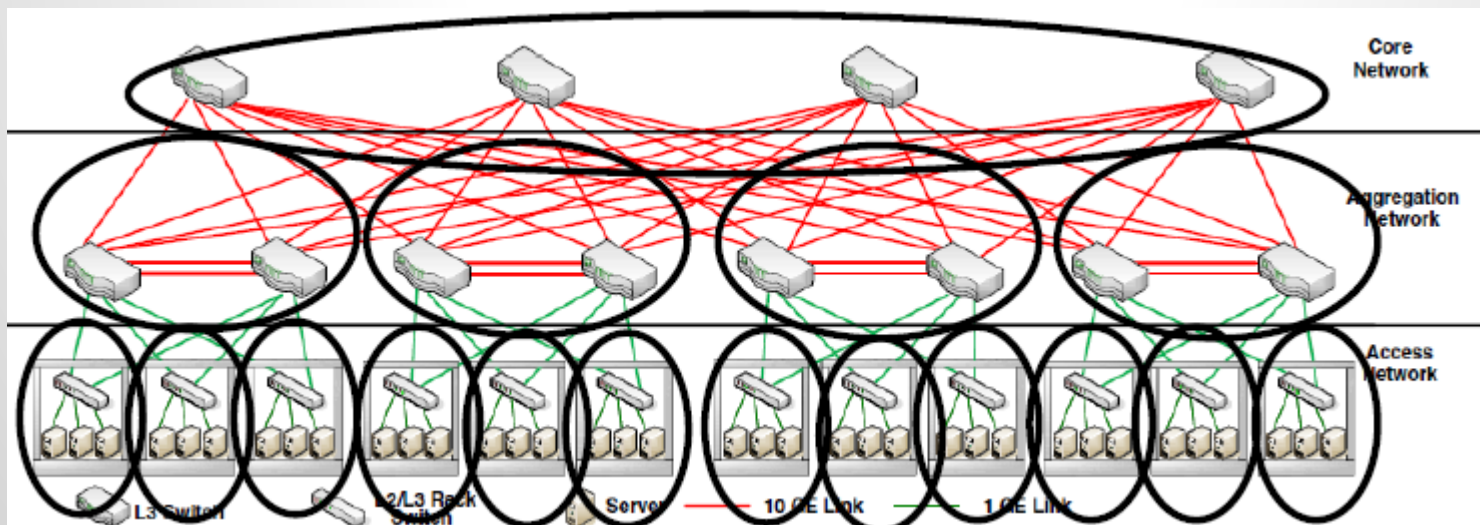
- Broadcast domains needed
 - ARP and Neighbor Discovery (ND) for resolving IP to MAC address can be overwhelming
 - Broadcast, multicast, ...
- In addition: require
 - Isolation between different tenants (addresses, traffic)
 - Support for dynamic provisioning and migration (e.g., maintenance, optimization)

Excursion: Virtualization

- Classically 2 solutions to provide isolation
- VLANs, but:
 - Only 4096 tags
 - For dynamic VM placement, each server-TOR link must be configured as a trunk
 - Can move VMs only to servers where VLAN tag is configured
 - Physical dependencies, dynamic trunking difficult...
 - Often used in single-tenant datacenters (e.g., Ericsson)
- Overlays better but:
 - E.g., VPLS or VPNs
 - But challenging to coordinate overlay and underlay

Excursion: Virtualization

- Classic approaches: IP subnets, VLANs, Overlays
- IP Subnets: last hop router?
 - If at TOR: broadcast limited to rack, poor mobility
 - If at Core: high mobility but unlimited broadcast



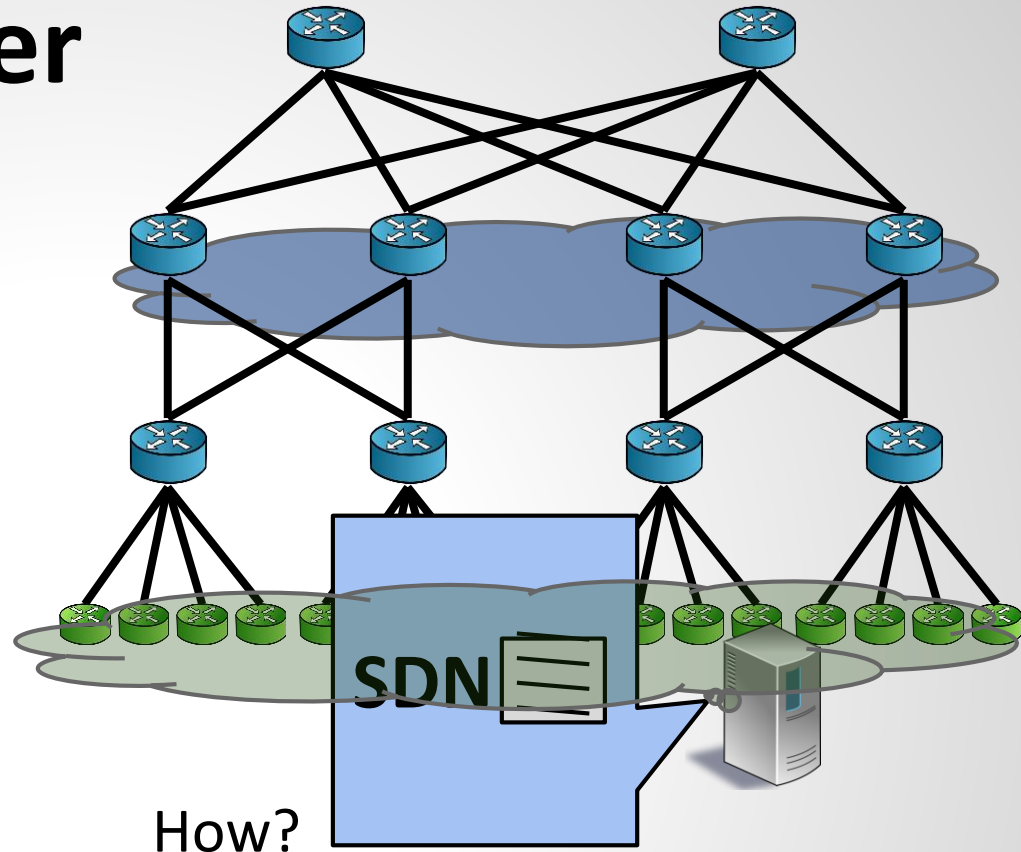
SDN in Datacenter

Characteristics

- Already highly virtualized
- Quite homogeneous
- Scalability a challenge

Why SDN?

- **Decouple** application from physical infrastructure
- Enable **virtual networks** (e.g., Nicira): own addresses for tenants, isolation, support for seamless VM **migration**
- Performance: improve **throughput**



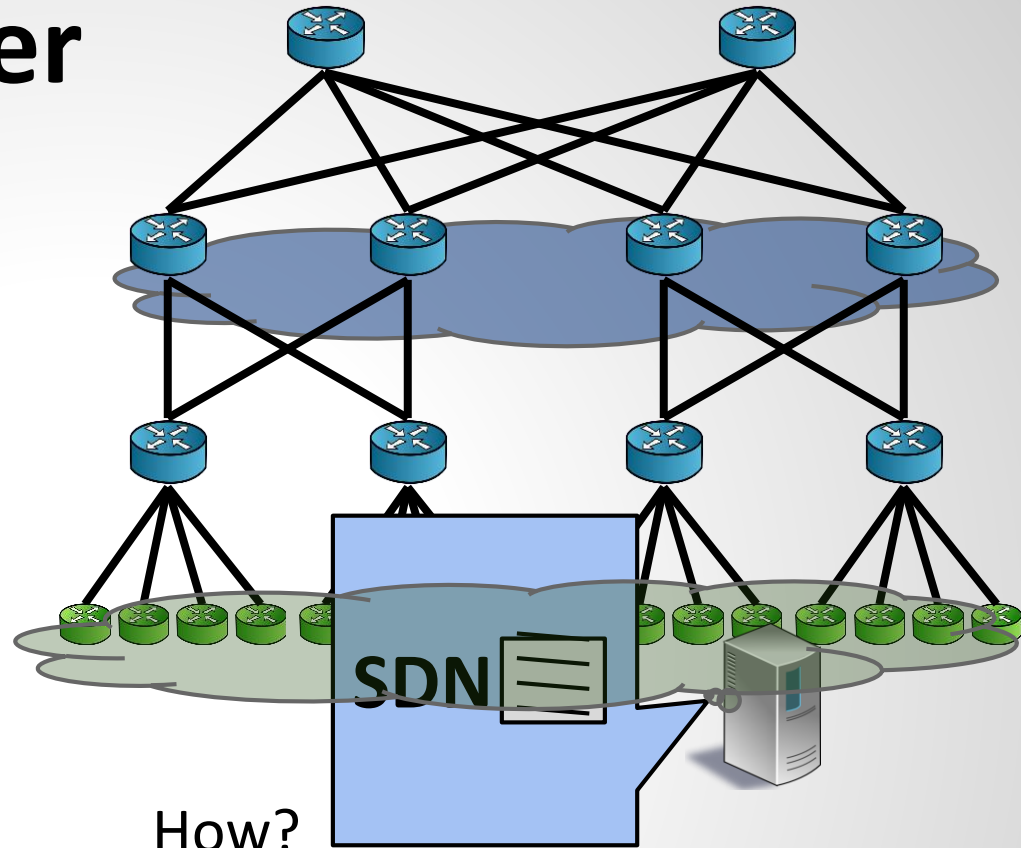
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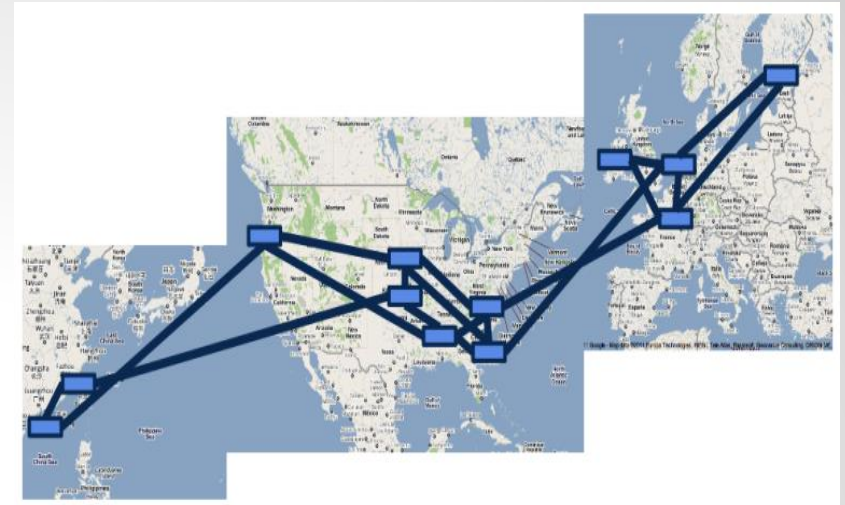


How?

- Two separate control planes at edge and in core; «innovation» only at edge
- Provide simple **fabric abstraction** to tenant: classify packets at ingress and providing tunnels (through **ECMP fabric**)
- SDN deployment easy: software switches (Open vSwitch) **at edge**, software update

SDN in WAN

Characteristics



Why SDN?

How?

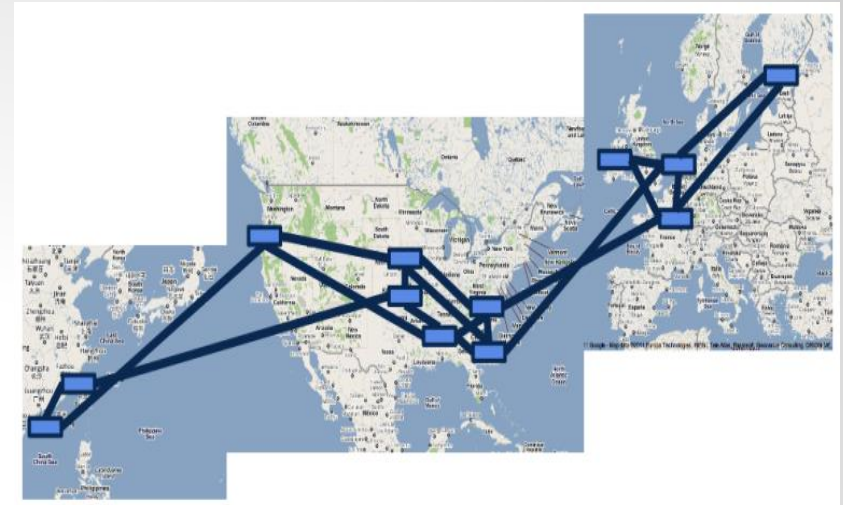
SDN in WAN

Characteristics

- **Small**: not many sites
- Many different **applications** and requirements, latency matters
- **Bandwidth** precious (WAN traffic grows fastest): 1G fiber connection from San Jose costs USD 3000/month

Why SDN?

How?



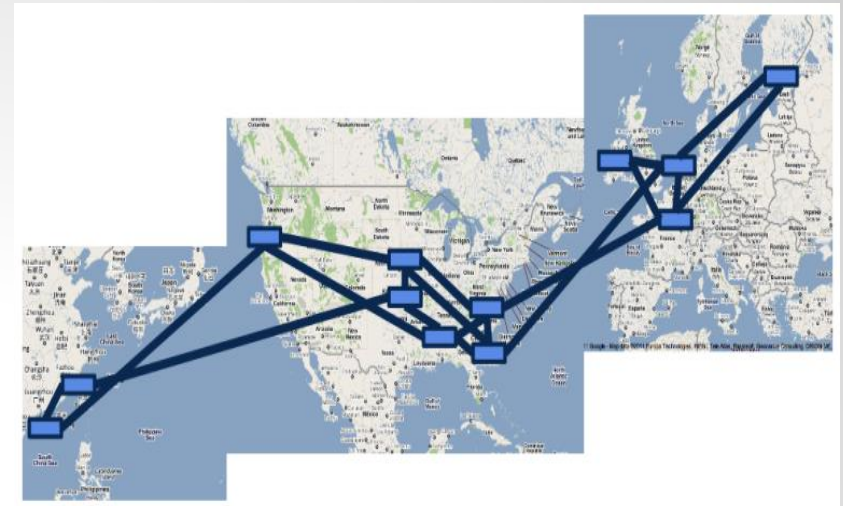
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- **Differentiate** applications (latency sensitive Google docs vs datacenter synchronization)



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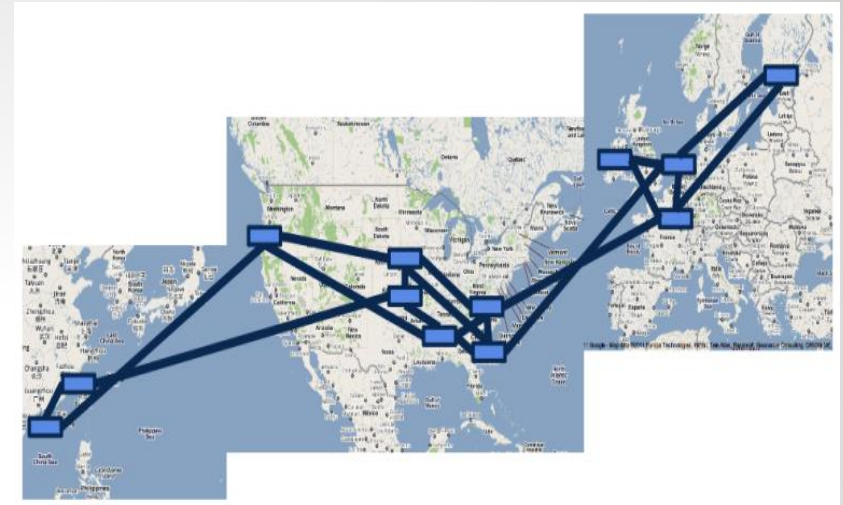
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How?

- Replace IP “core” routers (running BGP) at border of datacenter (end of **long-haul fiber**)
- Gradually replace routers

SDN in WAN

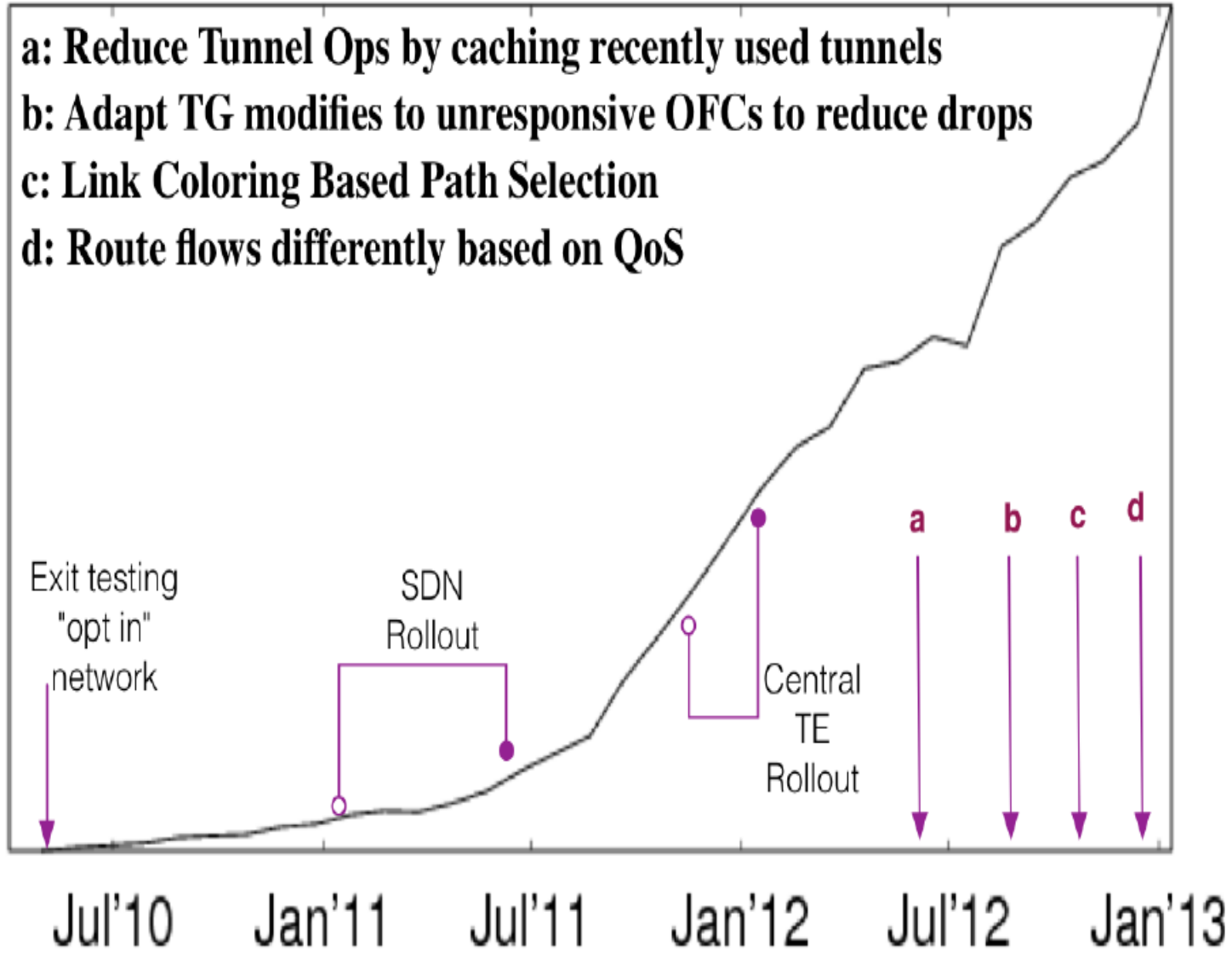
Characteristics

- Smaller
- More
- Reduced
- Better
- Faster
- Cost

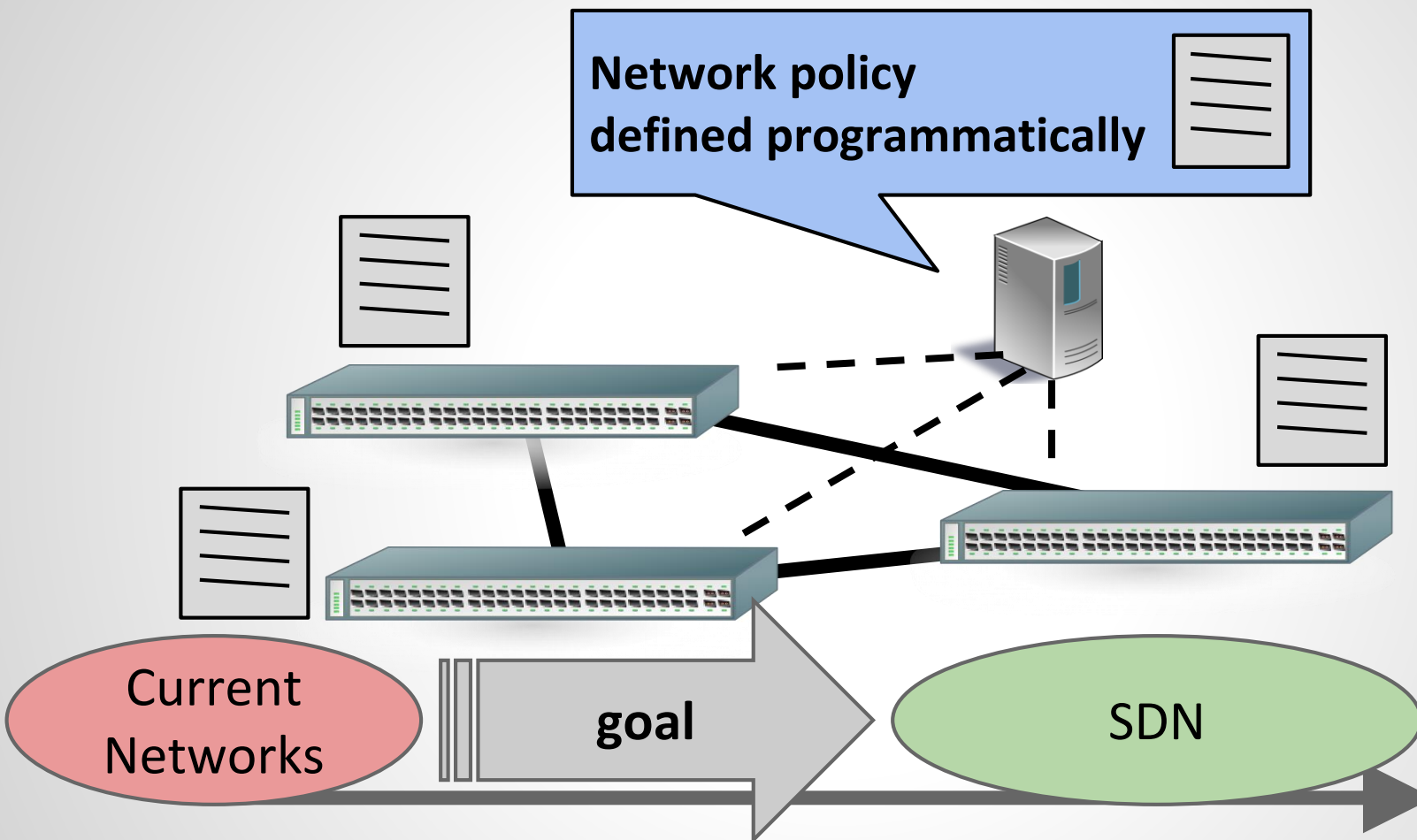
Why SDN?

- Improved
- Easier
- Simpler
- Reduced
- Cost

Traffic



Use Case: Why SDN in Enterprise?

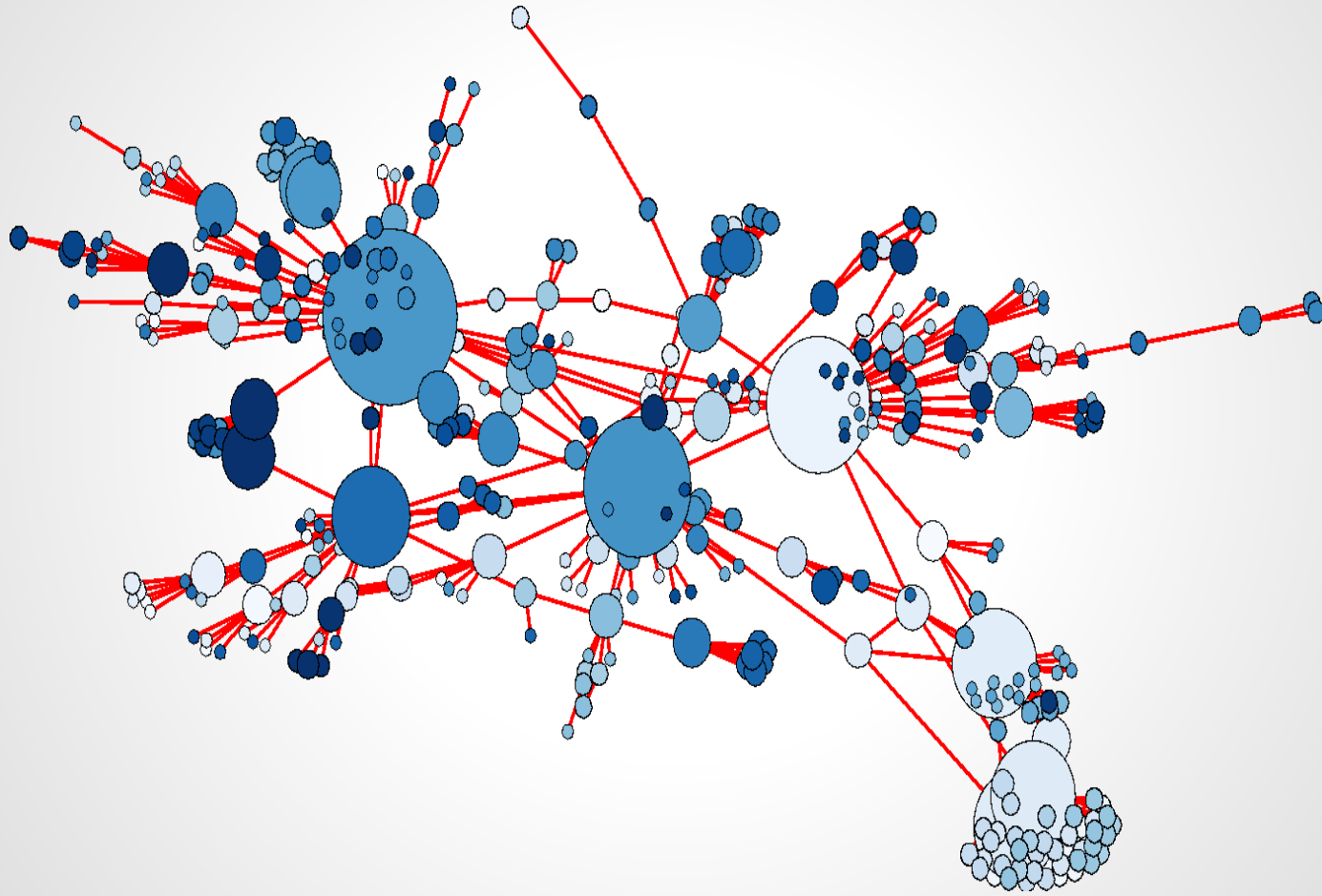


Main benefit: automation and abstraction for networks

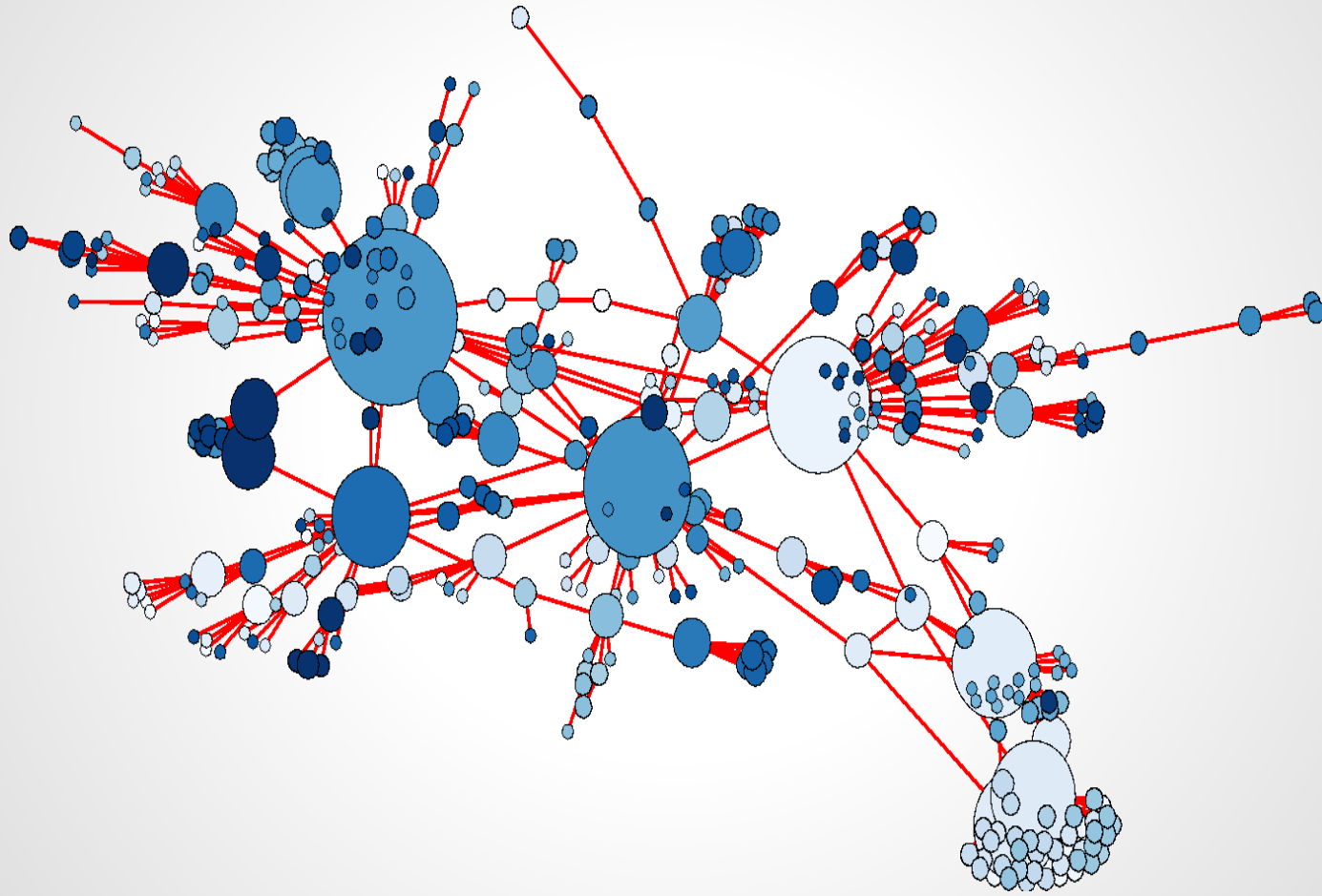
But how to deploy SDN in enterprise?

- Infrastructure **budgets** are limited
- Idea: Can we **incrementally deploy SDN** into enterprise campus networks?
- And what **SDN benefits** can be realized in a hybrid deployment?

Can we deploy SDN in enterprise edge?

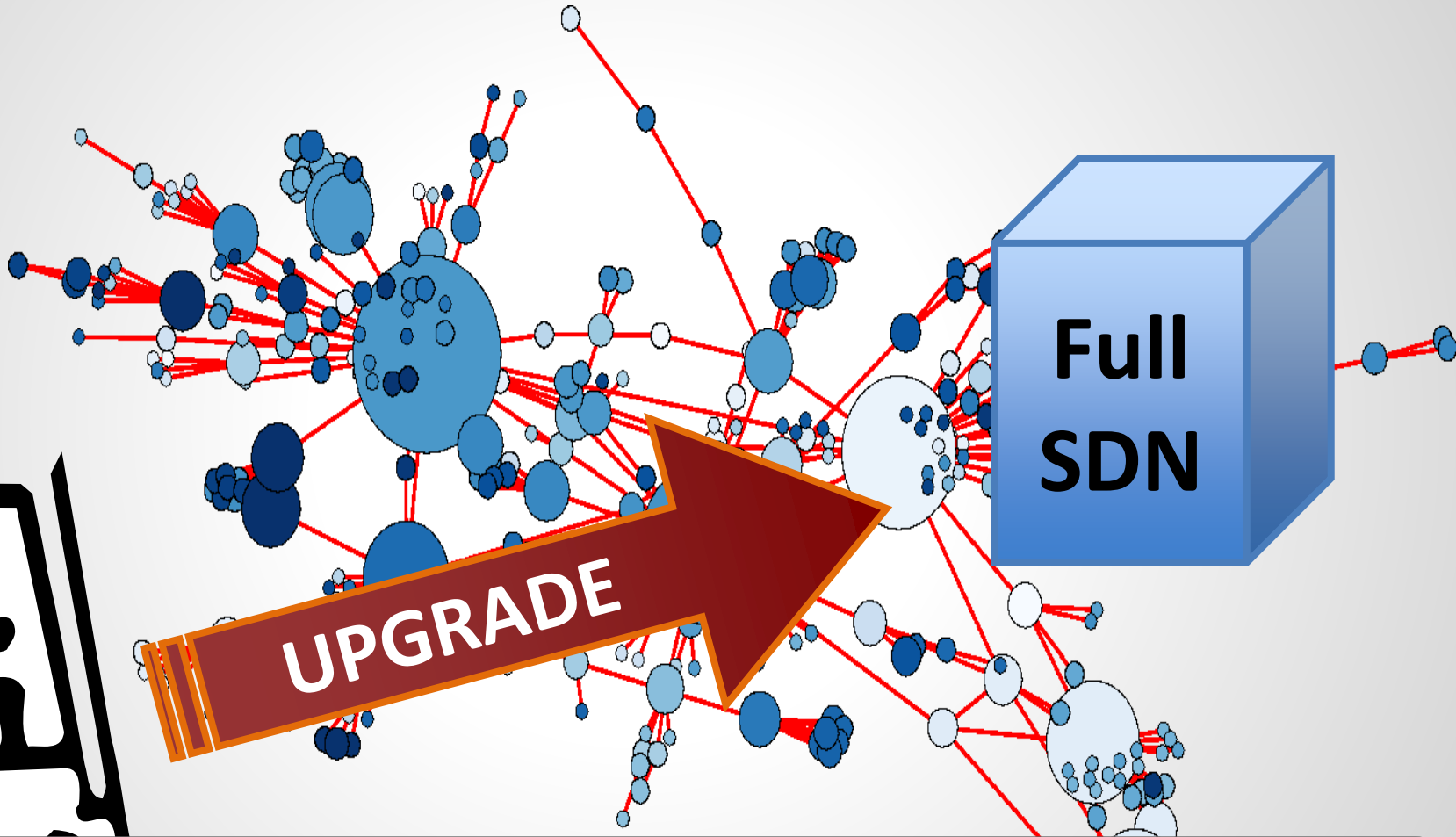


Can we deploy SDN in enterprise edge?



The edge is large, and not in software!

The SDN Deployment Problem

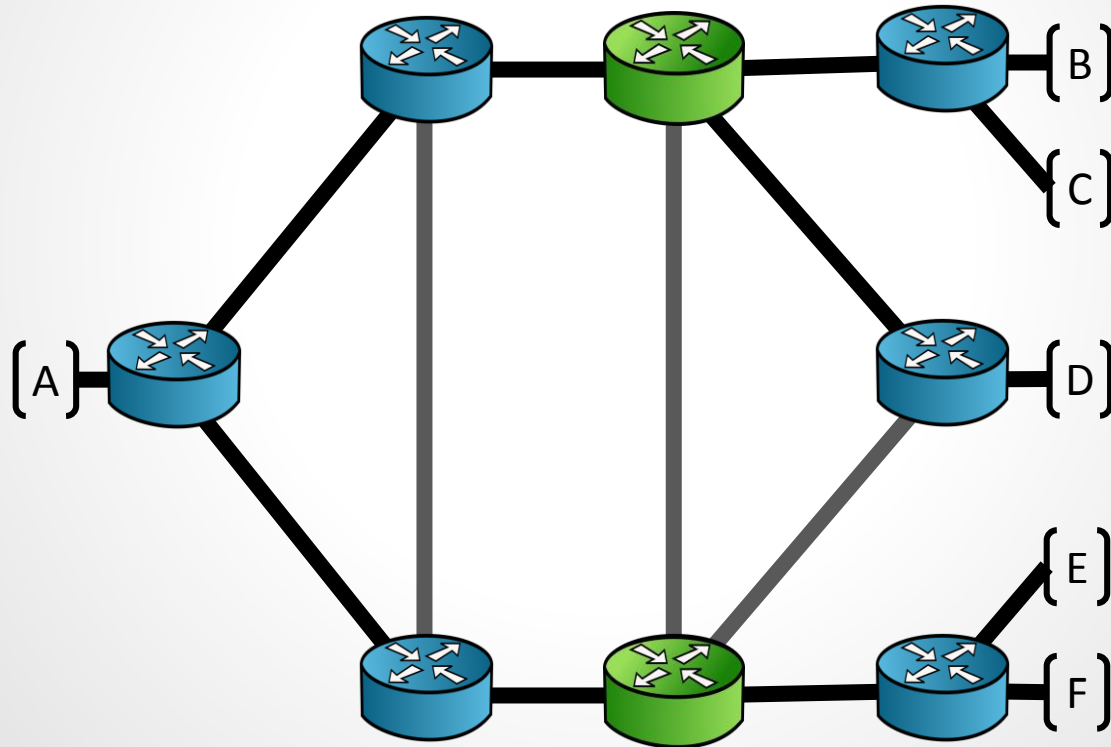


Expensive and undesired: must upgrade to SDN incrementally

Key Questions

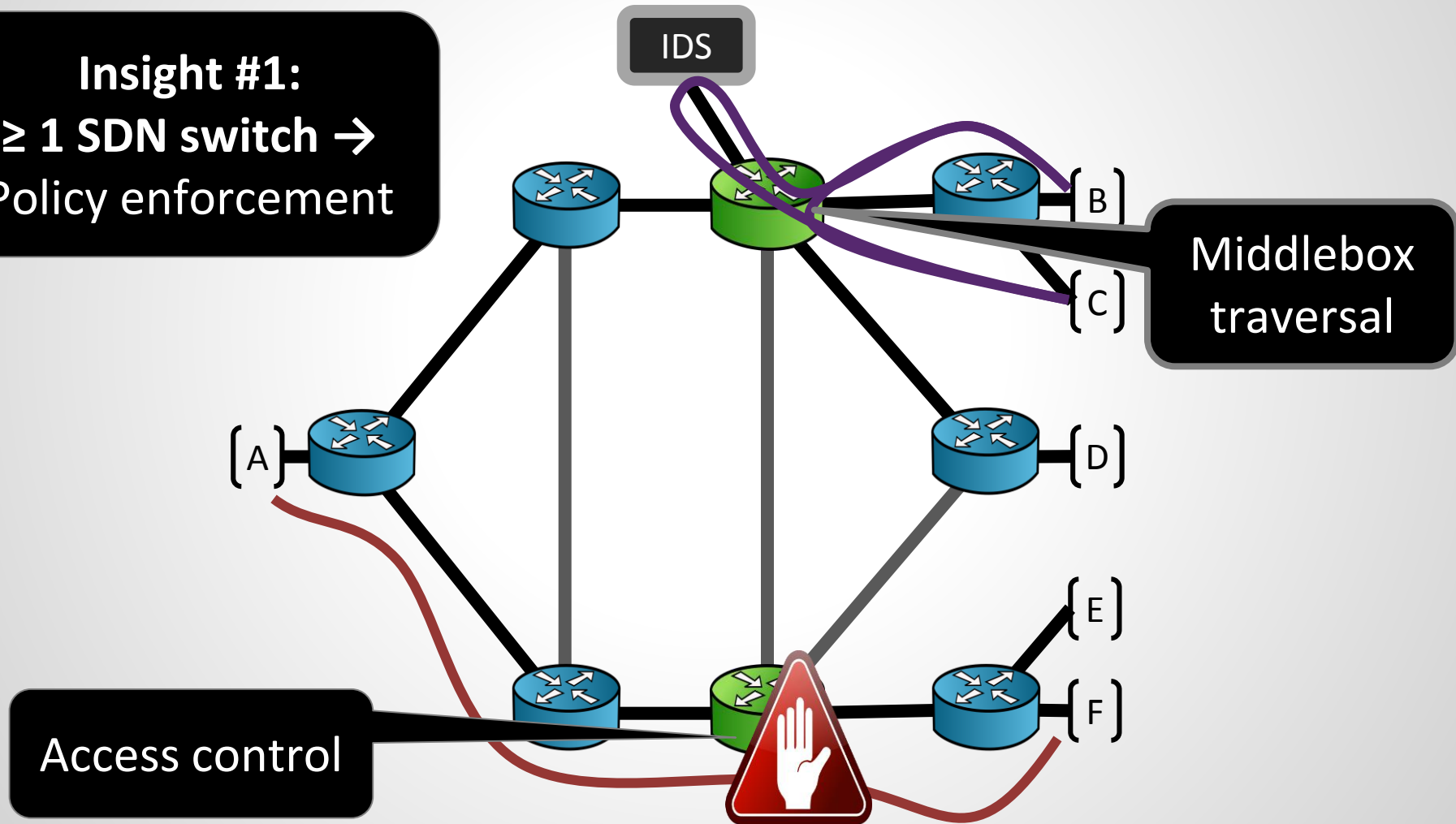
- How can we **incrementally deploy SDN** into enterprise campus networks?
- What **SDN benefits** can be realized in a hybrid deployment?

The Partial SDN Deployment ()



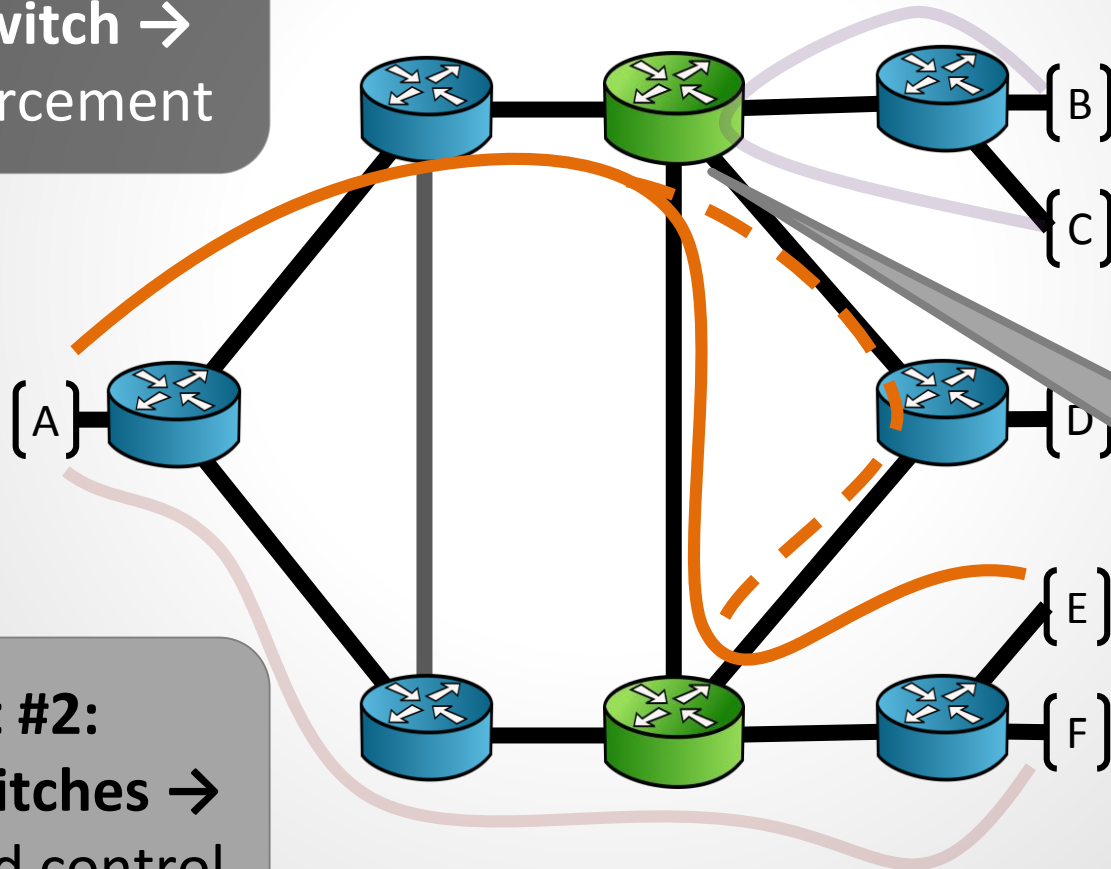
Get Functionality with Waypoint Enforcement

Insight #1:
 ≥ 1 SDN switch $\rightarrow$
Policy enforcement



Larger Deployment = More Flexibility

Insight #1:
 ≥ 1 SDN switch $\rightarrow$
Policy enforcement

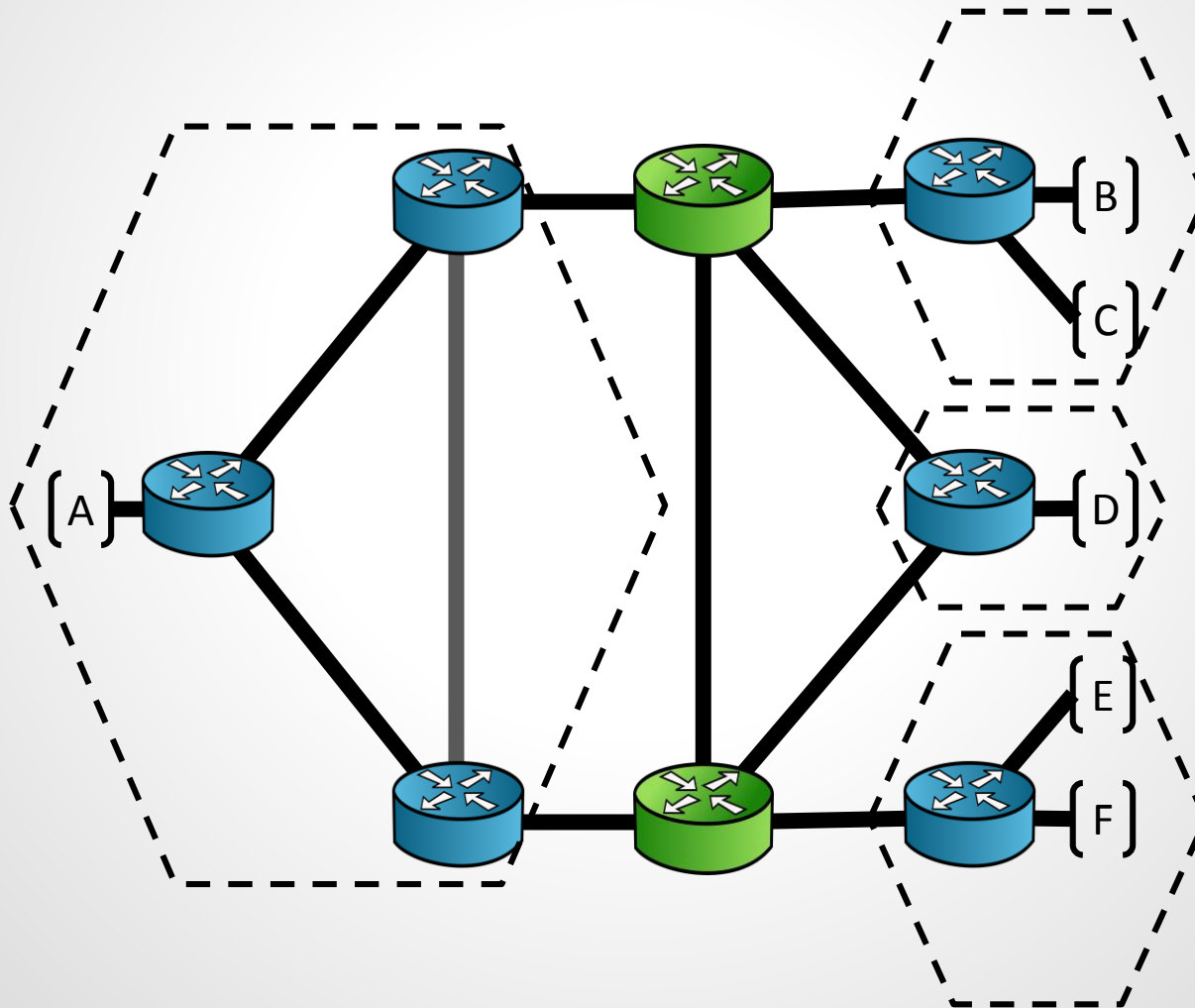


Insight #2:
 ≥ 2 SDN switches $\rightarrow$
Fine-grained control

Traffic
load-
balancing

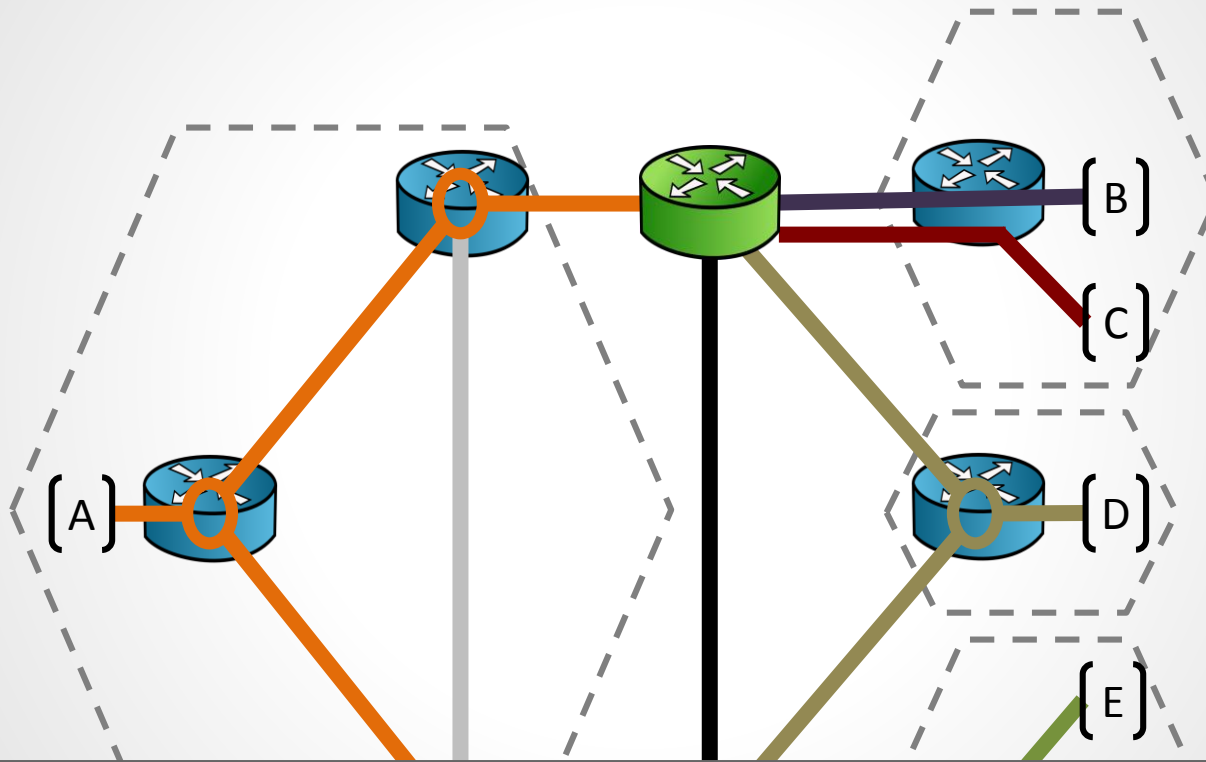
Panopticon: Building the Logical SDN Abstraction

1. Group SDN ports in **Cell Blocks**



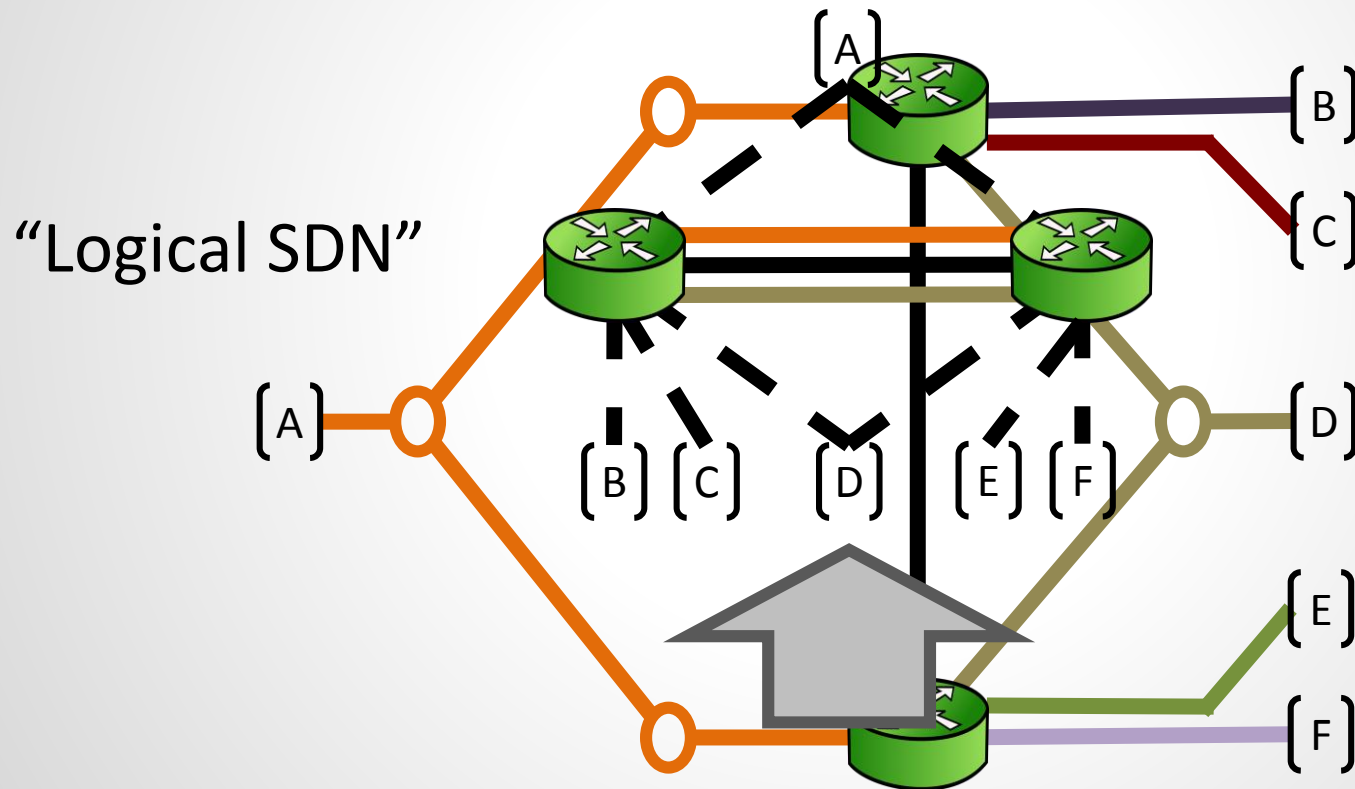
Panopticon: Building the Logical SDN Abstraction

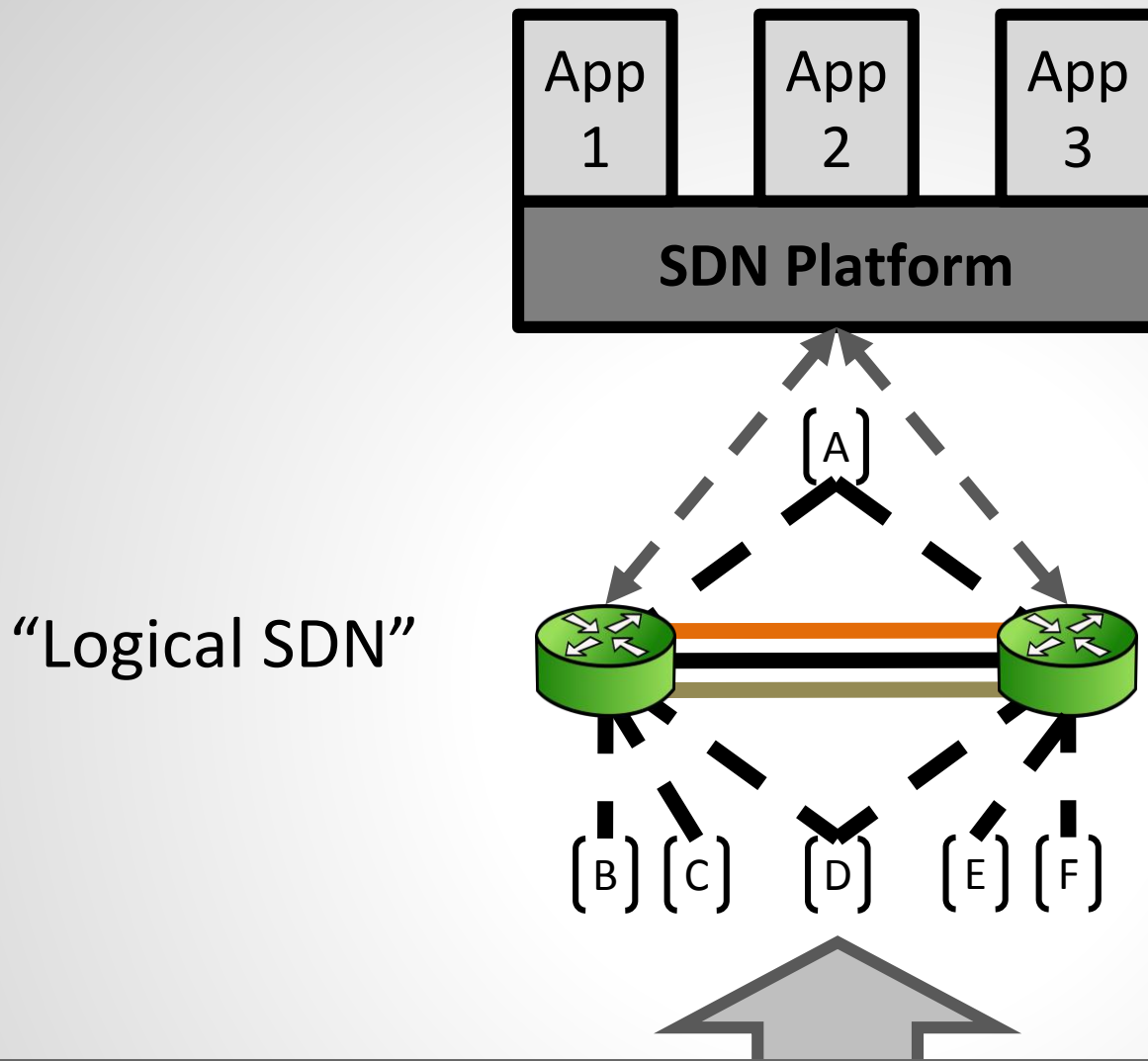
2. Restrict traffic by using VLANs



Per-port spanning trees that ensure waypoint enforcement

Panopticon: Building the Logical SDN Abstraction





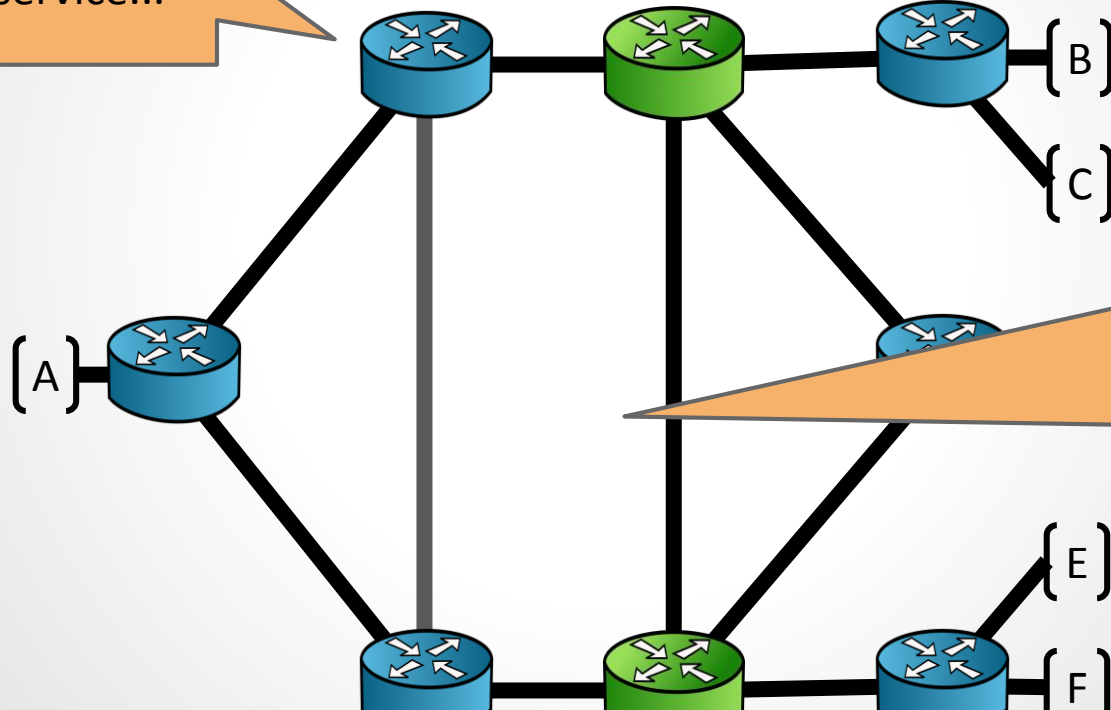
PANOPTICON provides the abstraction of a (nearly) fully-deployed SDN in a partially upgraded network

What is the value of
a logical SDN



Use Case 1: Planned Maintenance

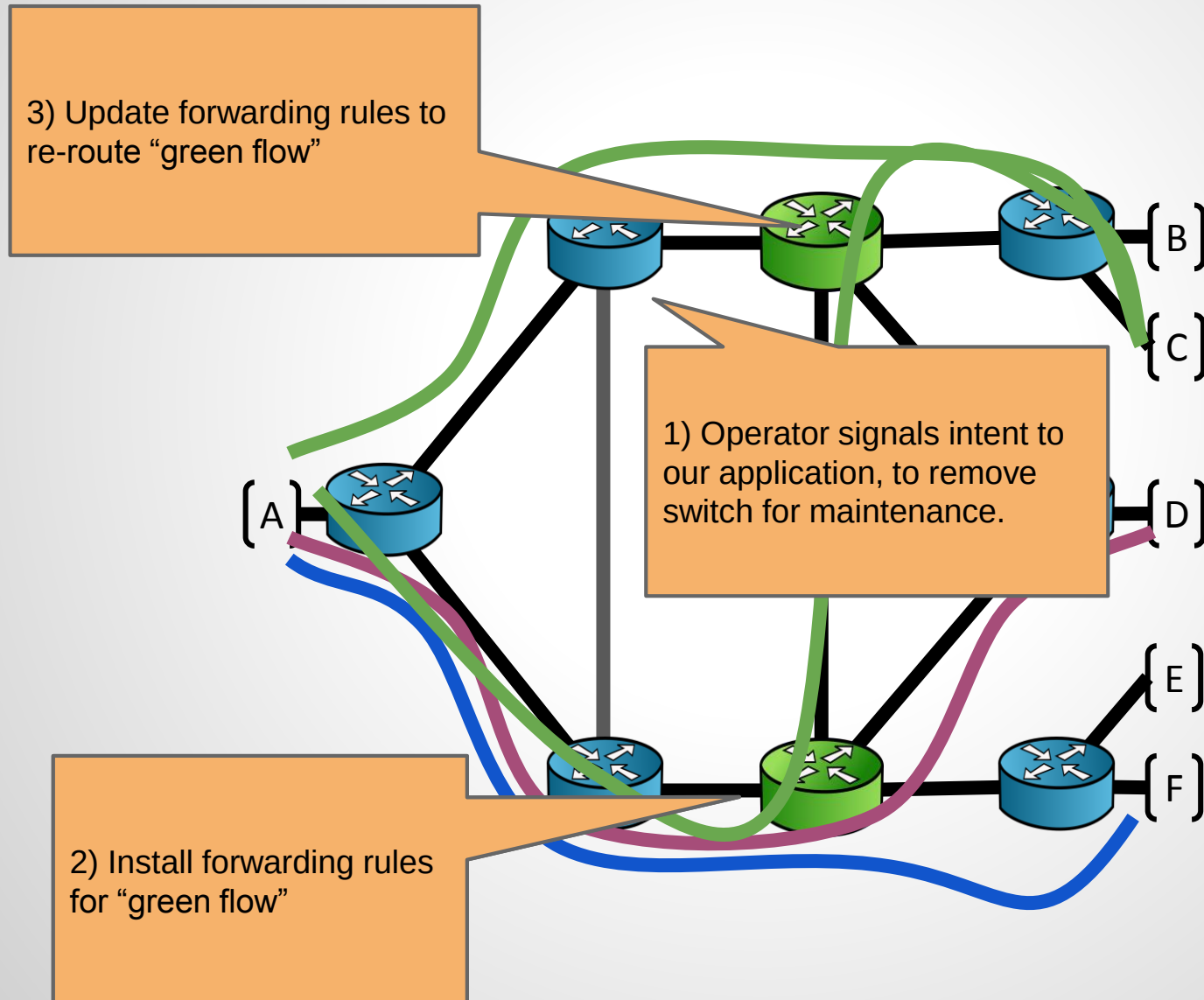
Operator says:
"You're Going
down for service..."



...and, could the
rest of you
switches
cooperate to
minimize the
disruption?

**Let software worry about the dependencies,
not the human operator!**

Use Case 1: Planned Maintenance



Reading / Literature Pointer

- [Panopticon: Reaping the Benefits of Incremental SDN Deployment in Enterprise Networks](#)

Dan Levin, Marco Canini, Stefan Schmid, Fabian Schaffert, and Anja Feldmann.

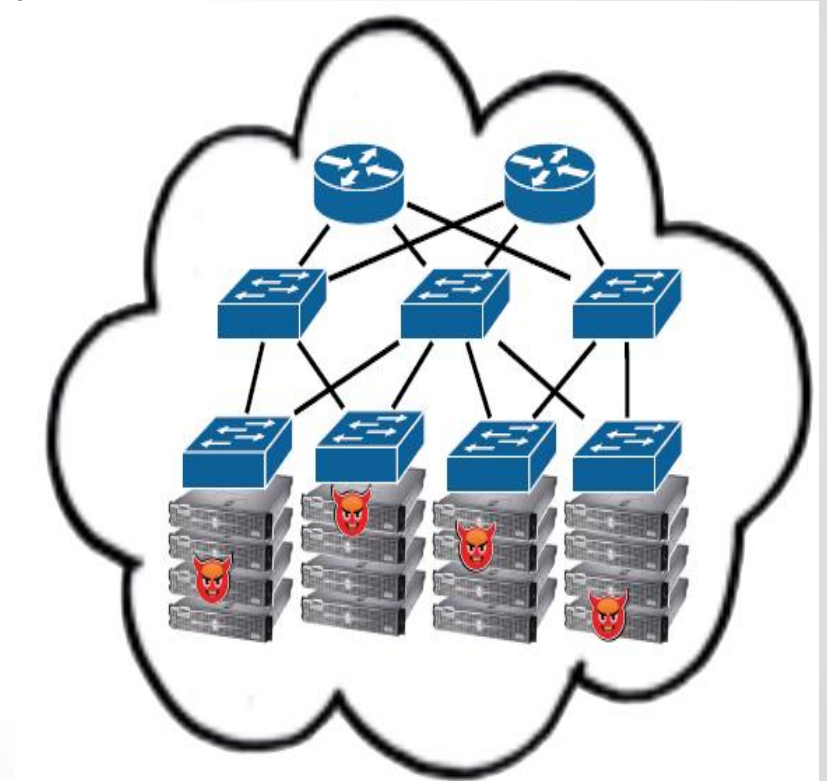
USENIX Annual Technical Conference (**ATC**), Philadelphia, Pennsylvania, USA, June 2014.

SDN: Easy to make network adaptive?

Not really: consistency is a challenge!

Example: Cloud

What if your traffic was *not* isolated from other tenants during periods of routine maintenance?



Example: Outages

Even technically sophisticated companies are struggling to build networks that provide reliable performance.



We discovered a misconfiguration on this pair of switches that caused what's called a "bridge loop" in the network.

A network change was [...] executed incorrectly [...] more "stuck" volumes and added more requests to the re-mirroring storm

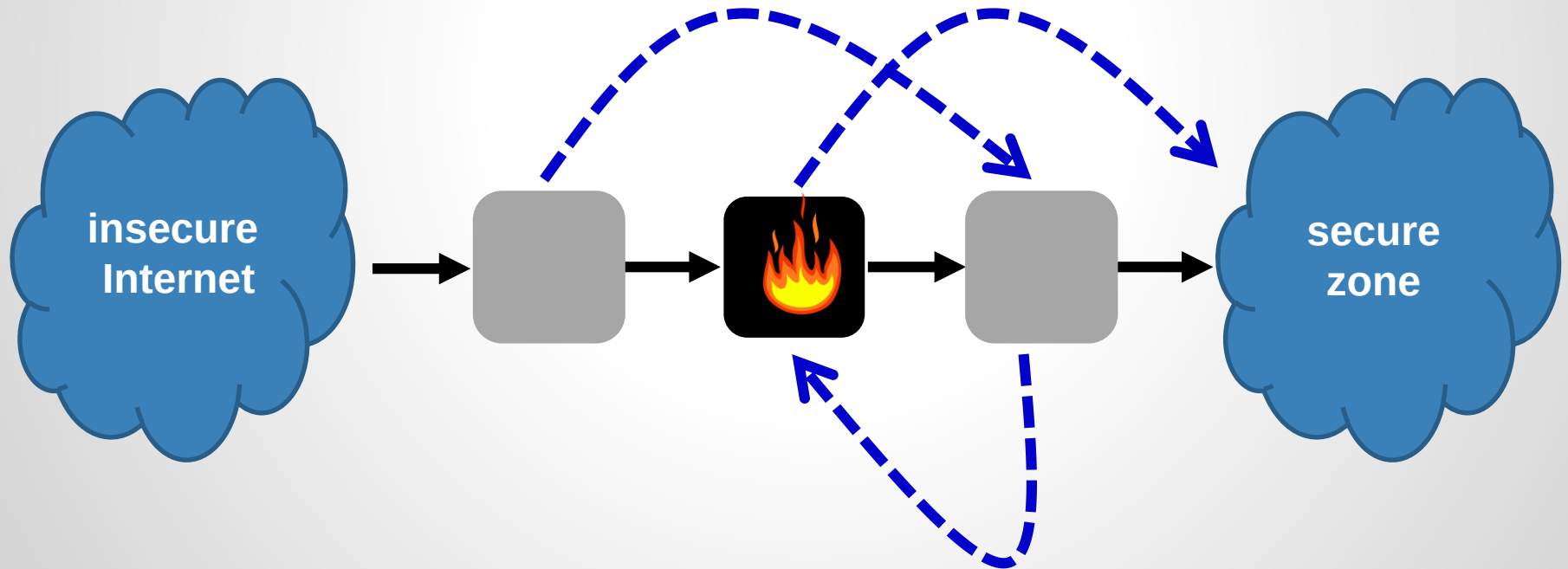


Service outage was due to a series of internal network events that corrupted router data tables

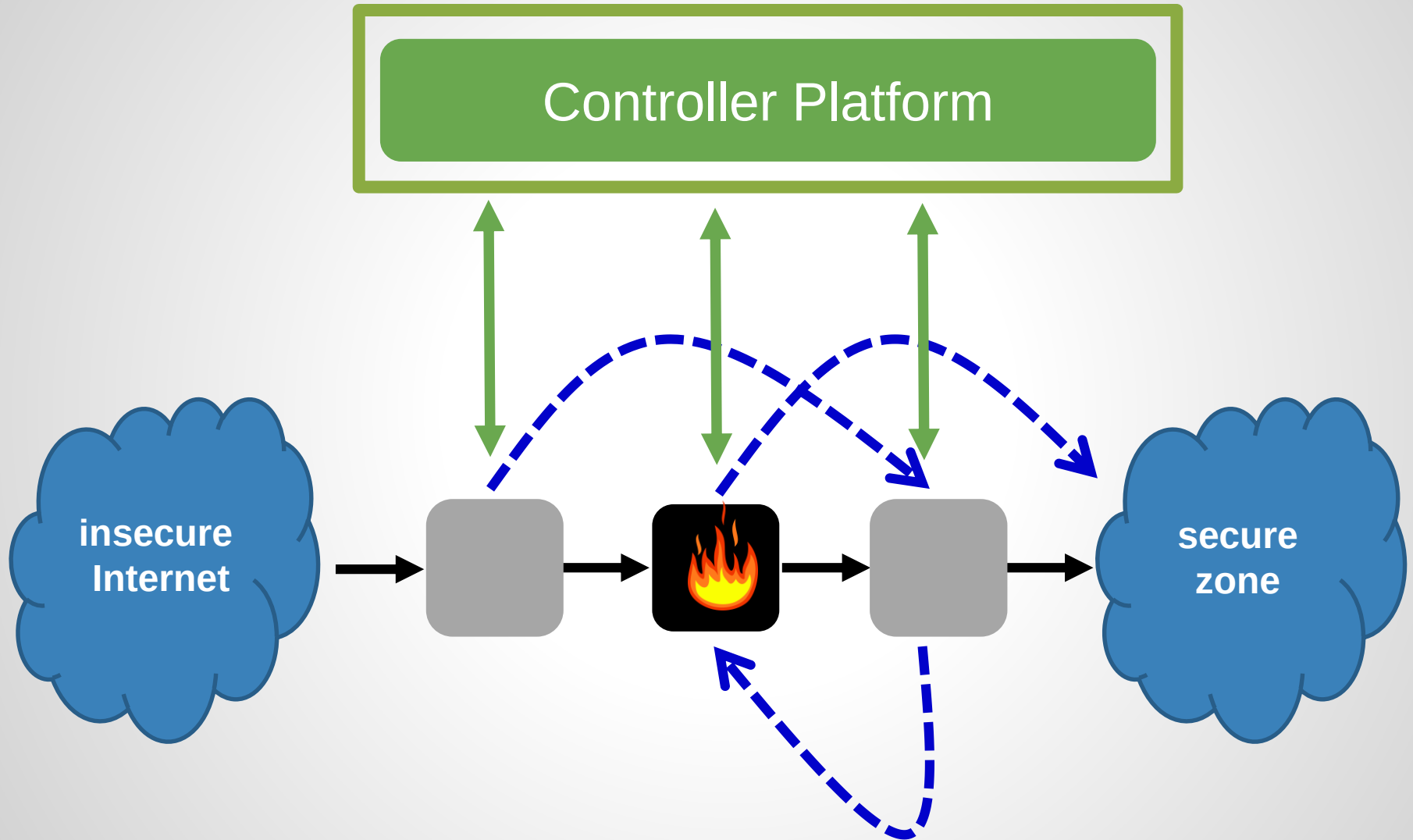
Experienced a network connectivity issue [...] interrupted the airline's flight departures, airport processing and reservations systems



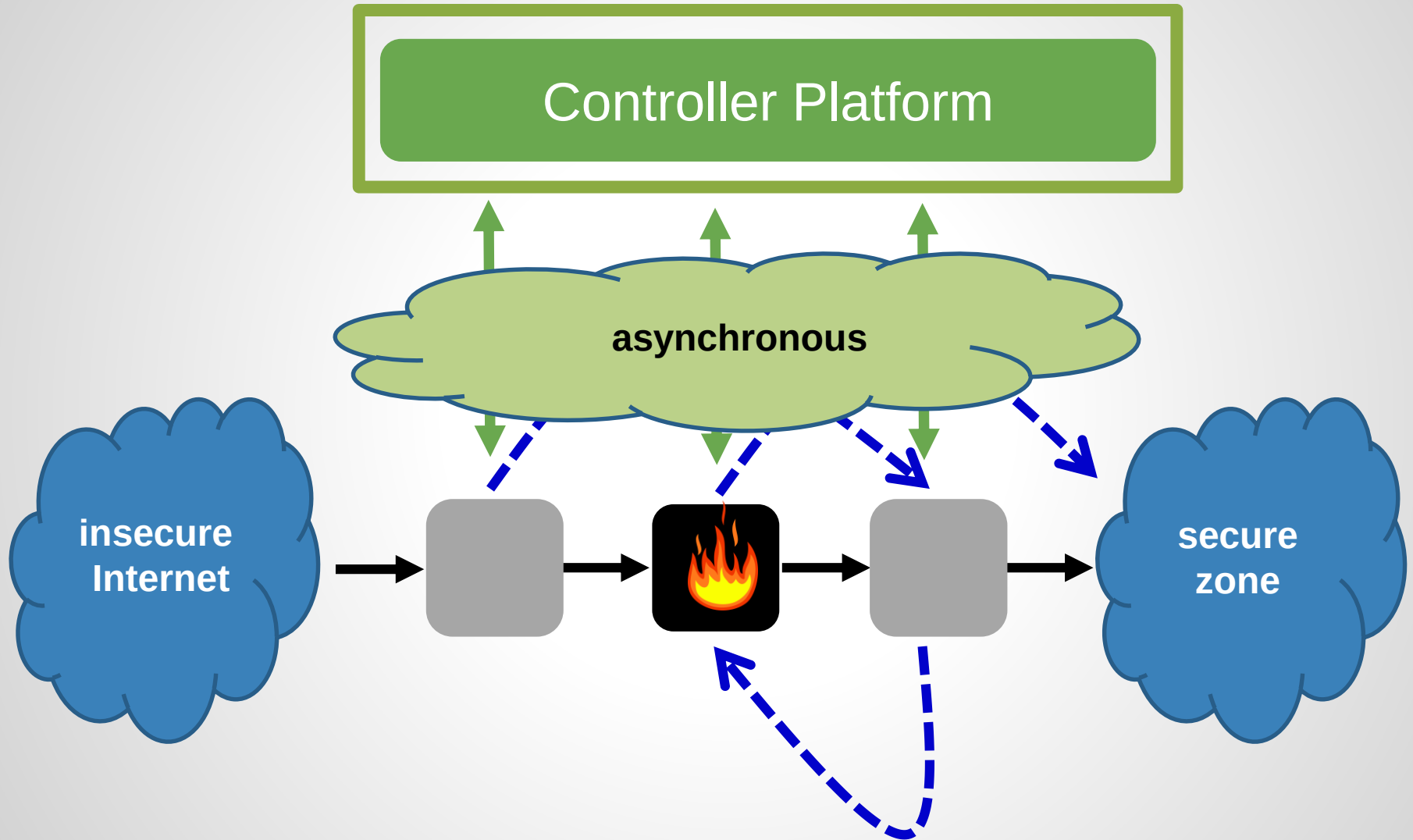
Example: Security-Critical Updates



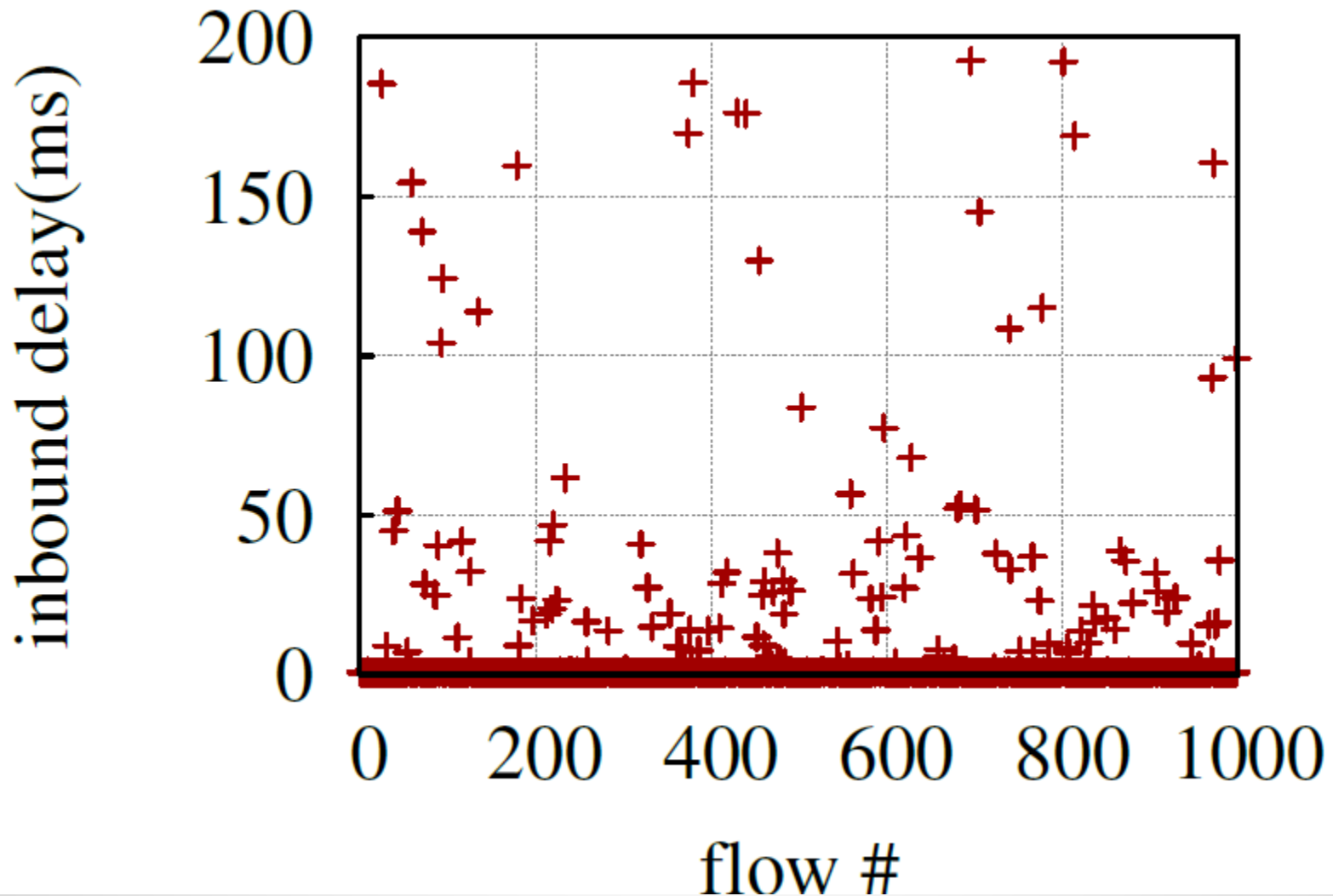
Example: Security-Critical Updates



Example: Security-Critical Updates

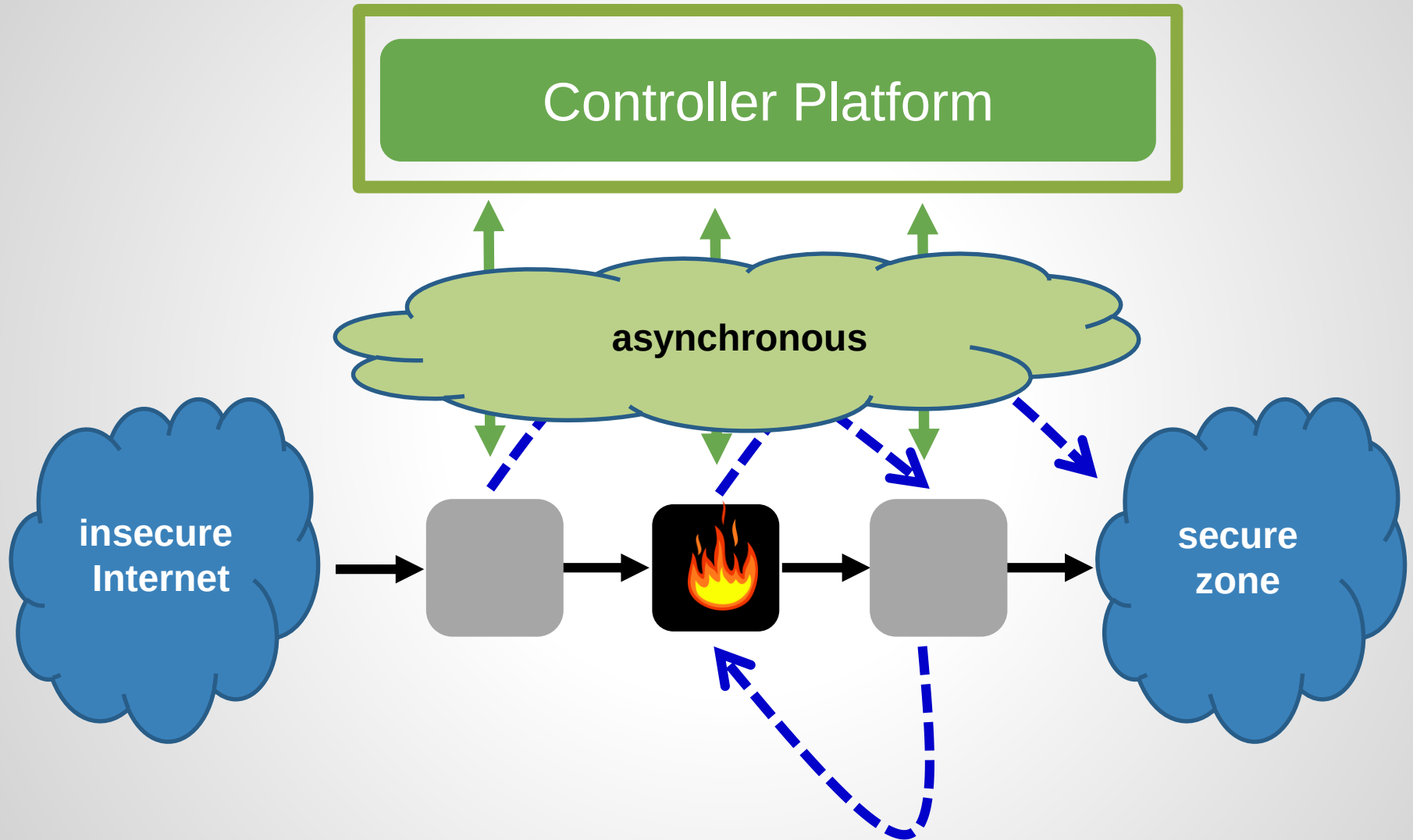


An Asynchronous Distributed System

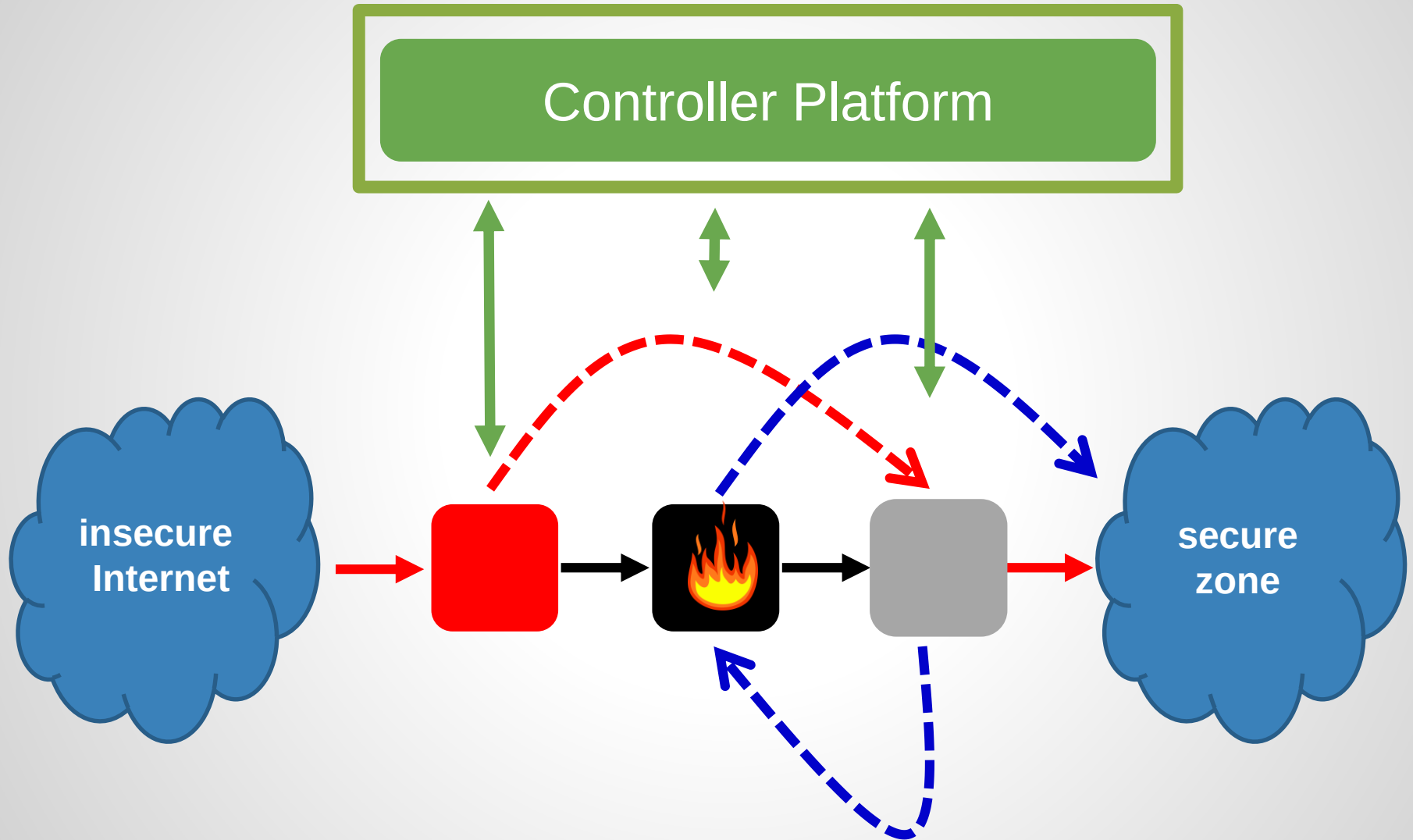


He et al., ACM SOSR 2015:
without network latency

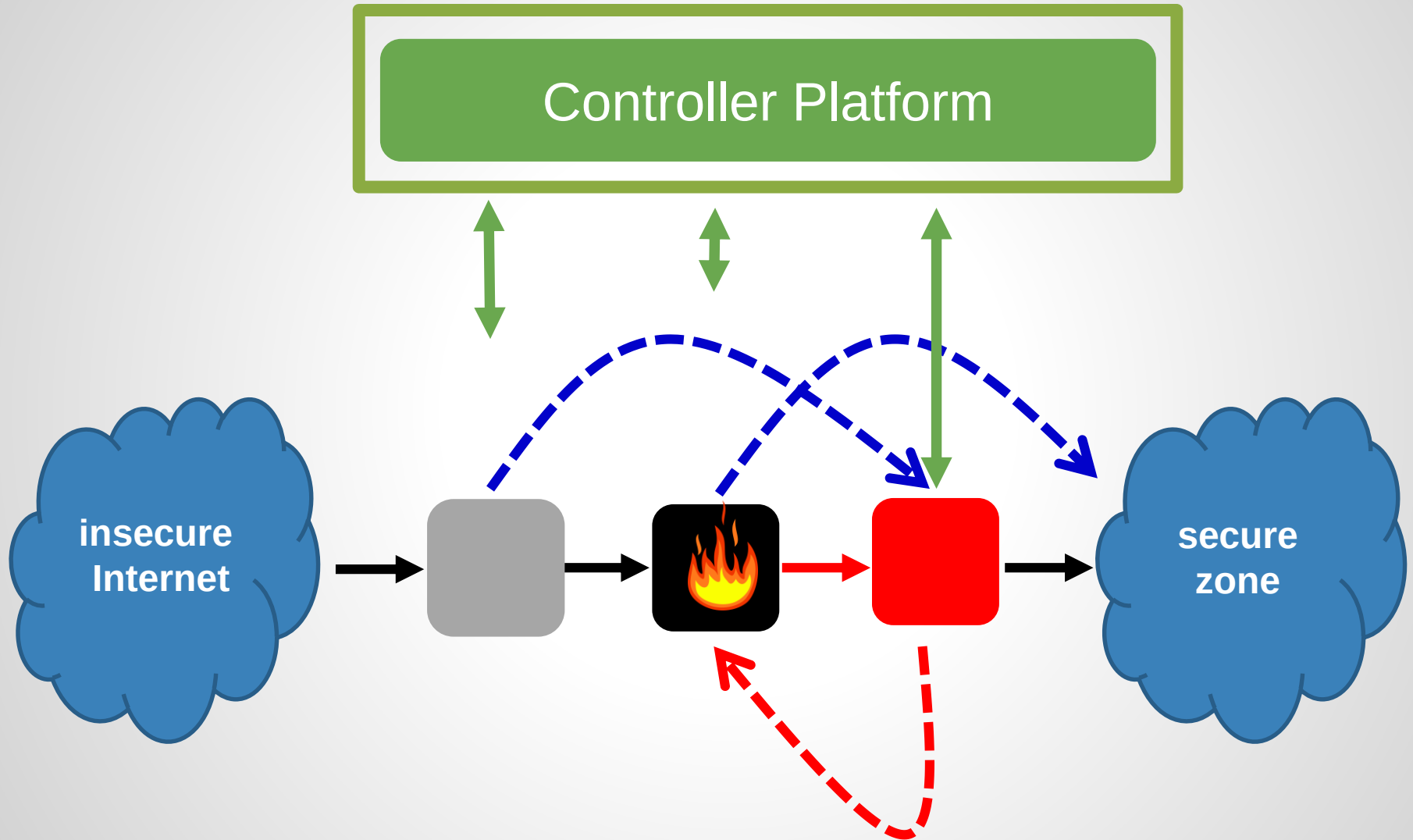
What Can Go Wrong?



Example 1: Bypassed Waypoint



Example 2: Loops



The Spectrum of Consistency

per-packet consistency

Reitblatt et al., SIGCOMM 2012

correct network
virtualization

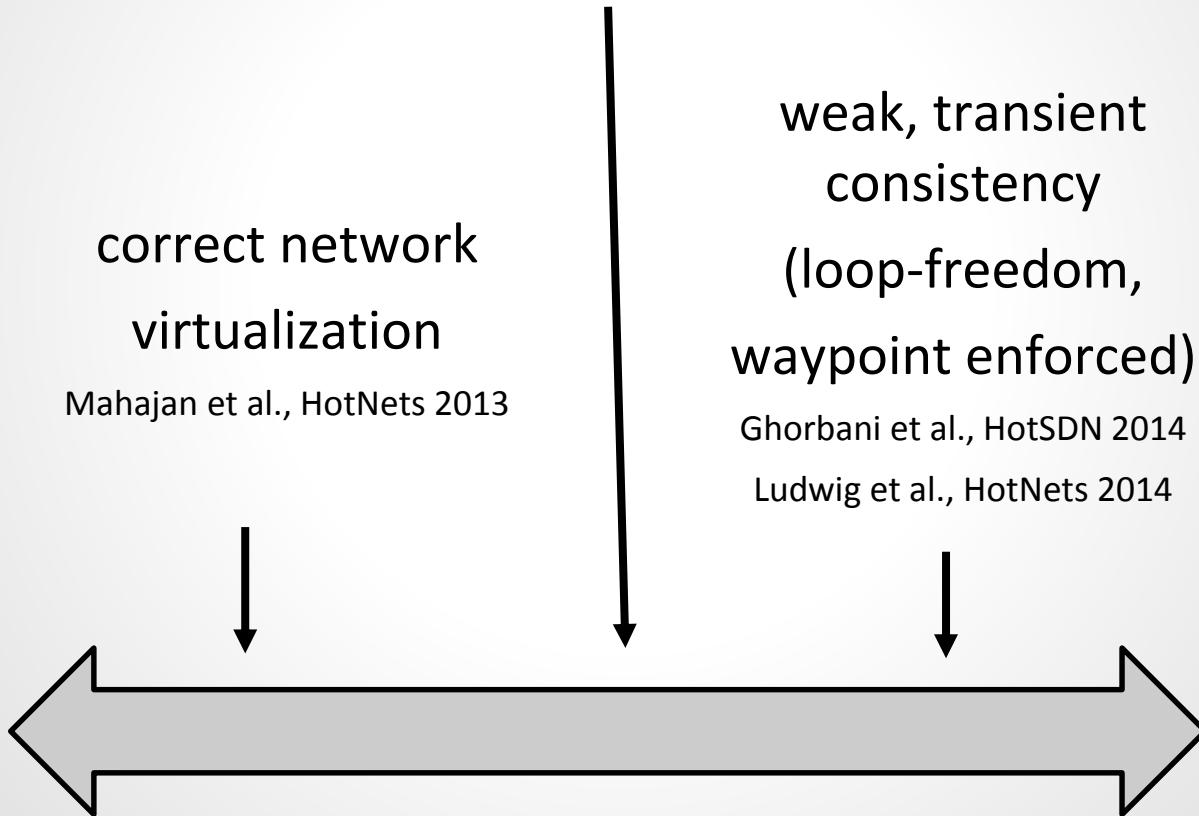
Mahajan et al., HotNets 2013

weak, transient
consistency
(loop-freedom,
waypoint enforced)

Ghorbani et al., HotSDN 2014

Ludwig et al., HotNets 2014

Strong



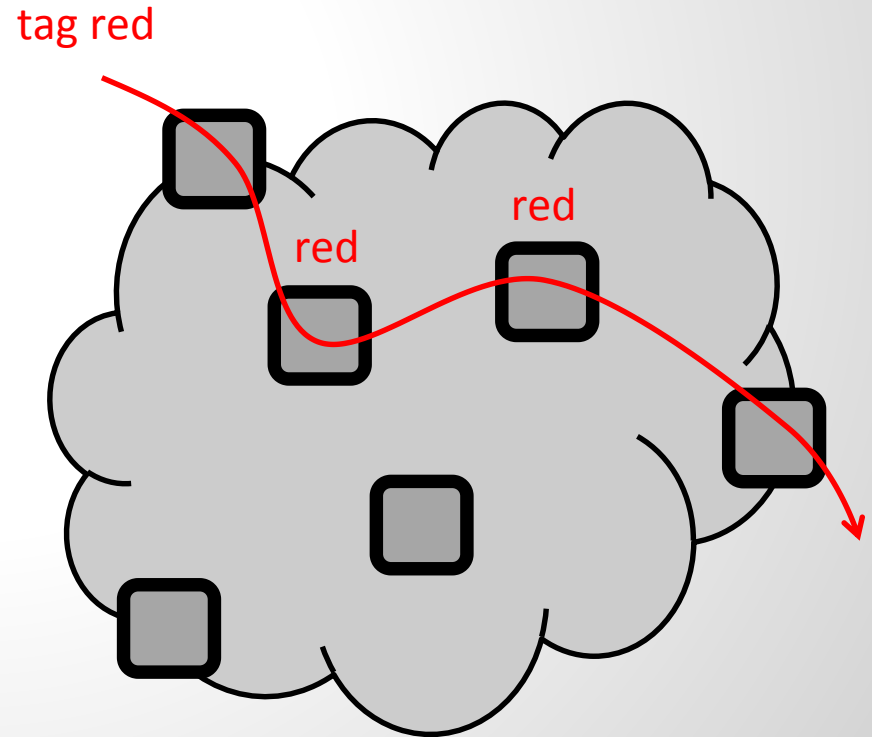
Weak

Example: Per-Packet Consistency

Definition: Any packet should either traverse the old route, or the new route, but not a mixture

Implementation:

- ❑ 2-Phase Installation
- ❑ Tagging at ingress port

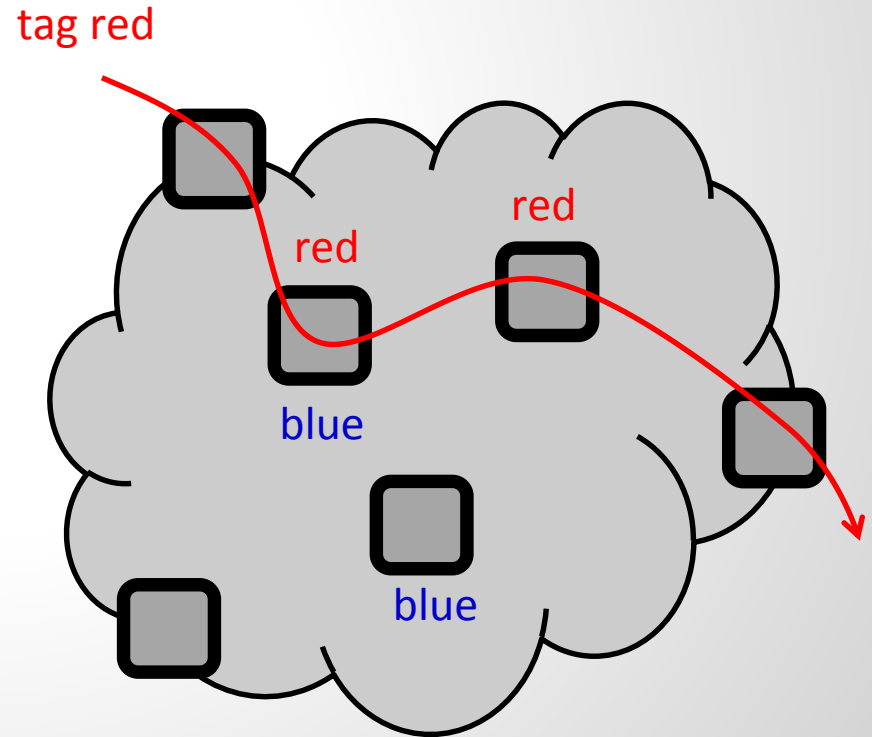


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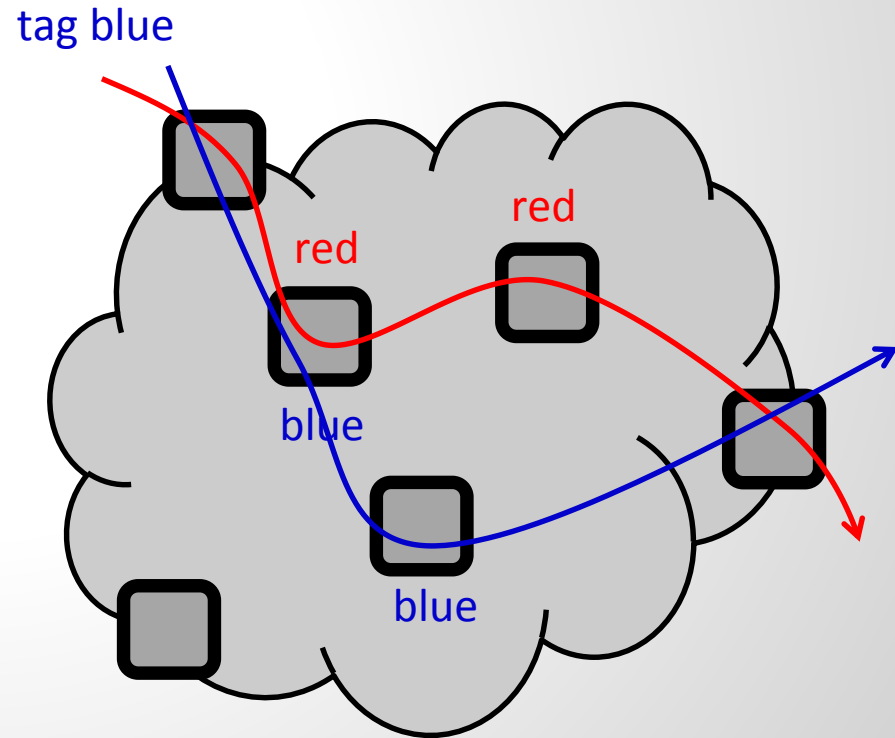


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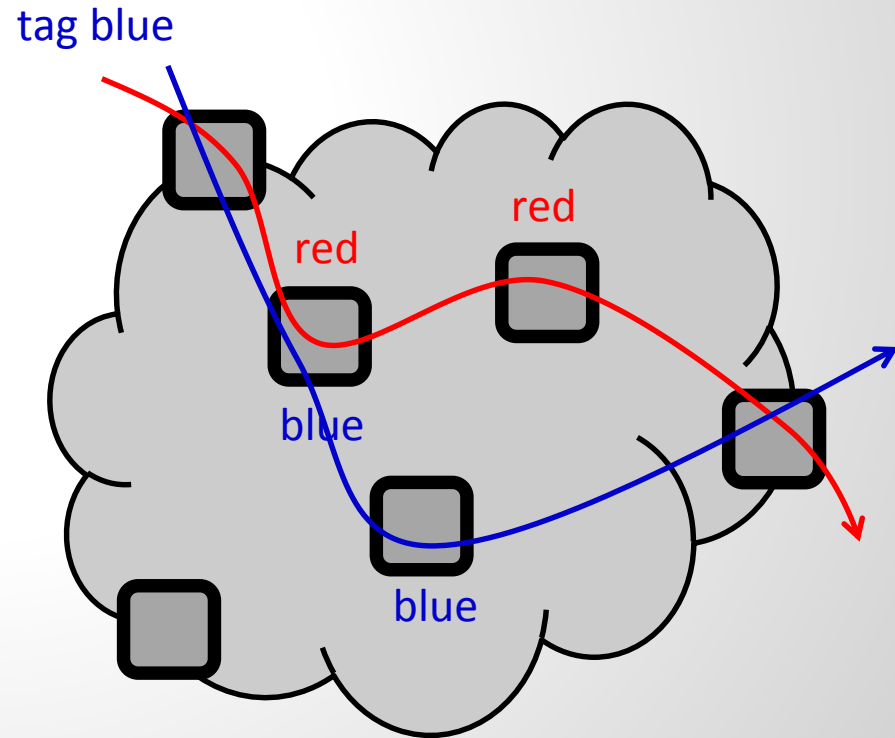
Definition: Any packet should either traverse the old route, or the new route, but not a mixture

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- ❑ Tagging at ingress port

Disadvantages:

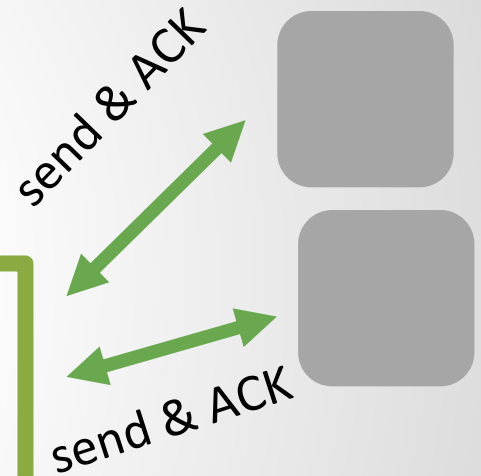
- ❑ Tagging: memory
- ❑ Delayed effects



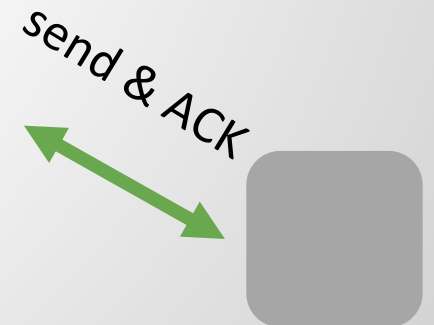
Implementing weaker transient consistency?

- ❑ Update in multiple rounds
 - ❑ No tagging needed
 - ❑ See effects earlier

Round 1

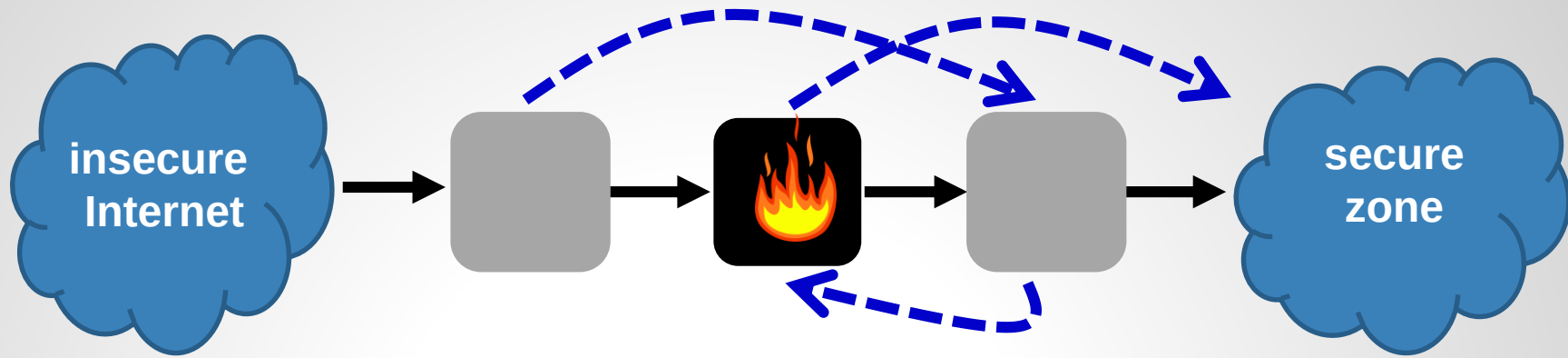


Round 2

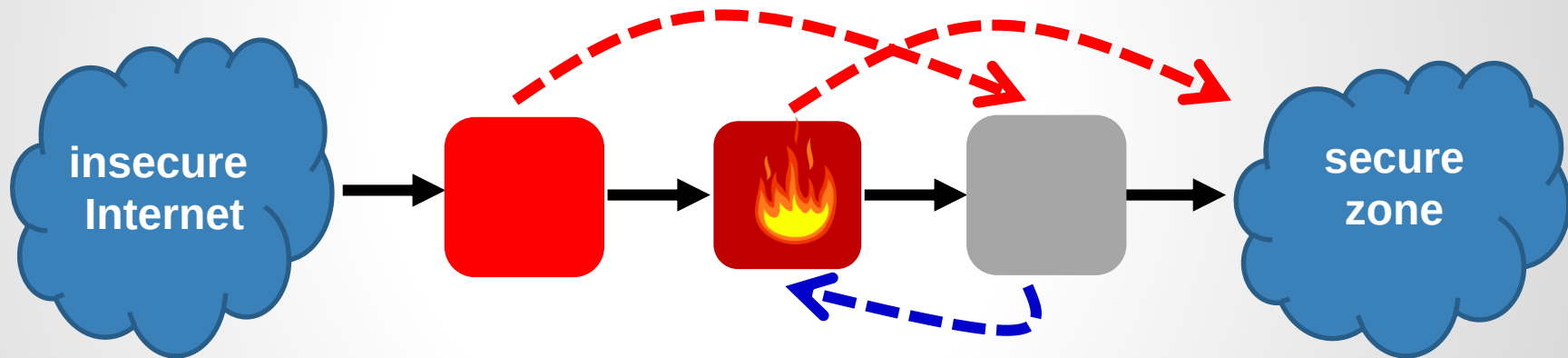


...

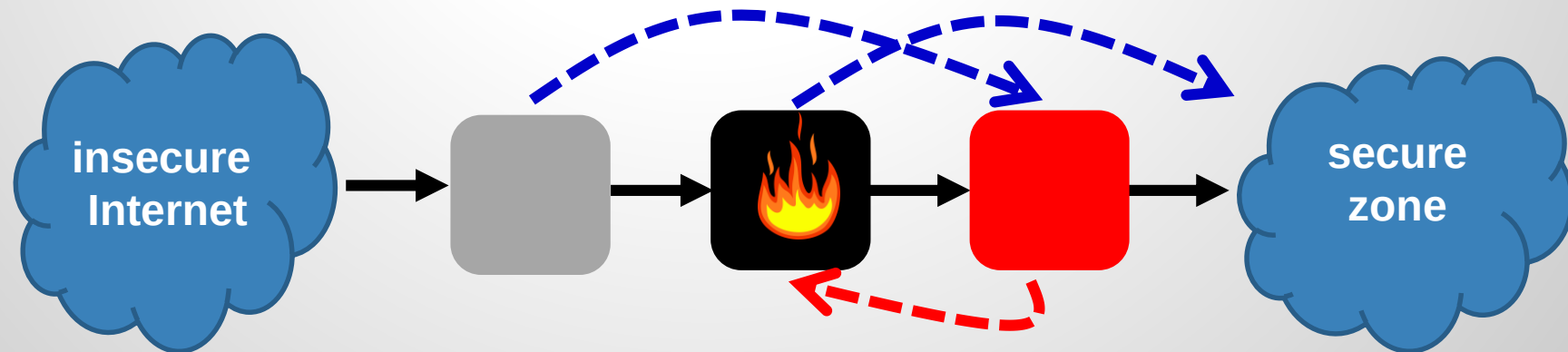
Going Back to Our Examples: LF



R1:

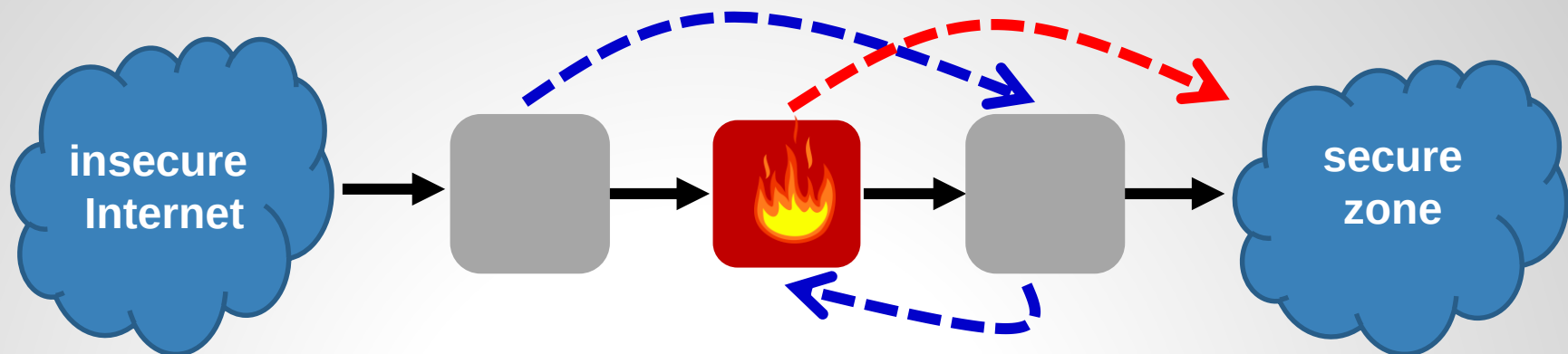


R2:

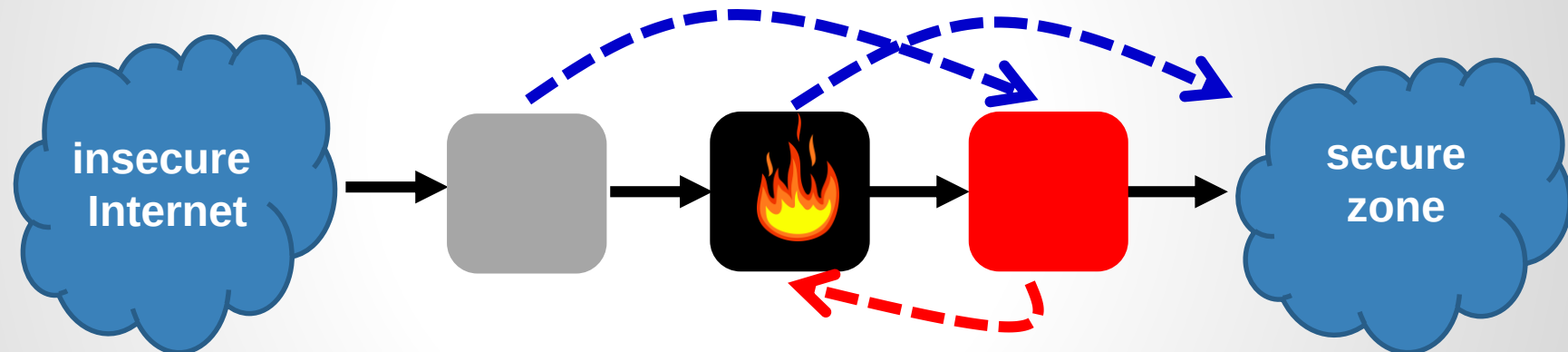


Going Back to Our Examples: WPE+LF

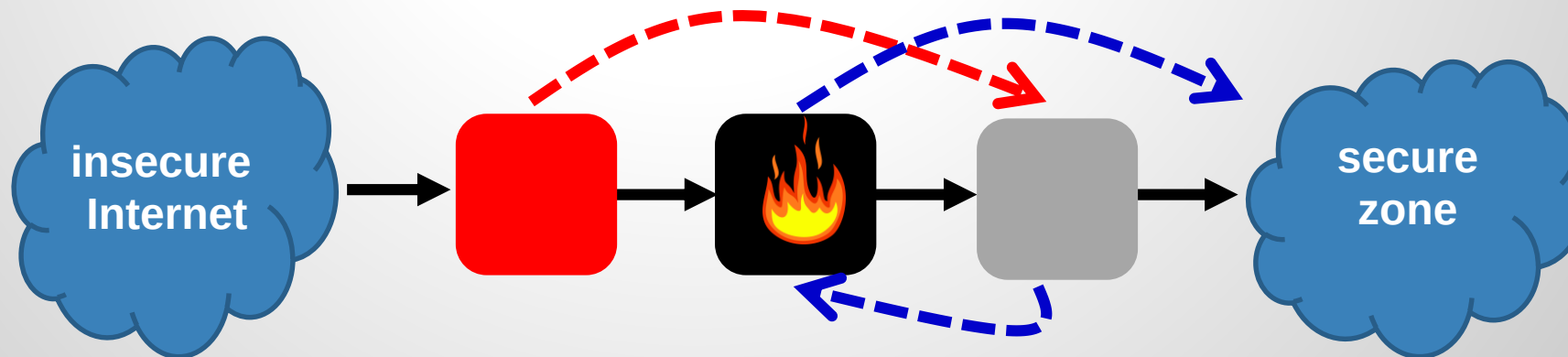
R1:



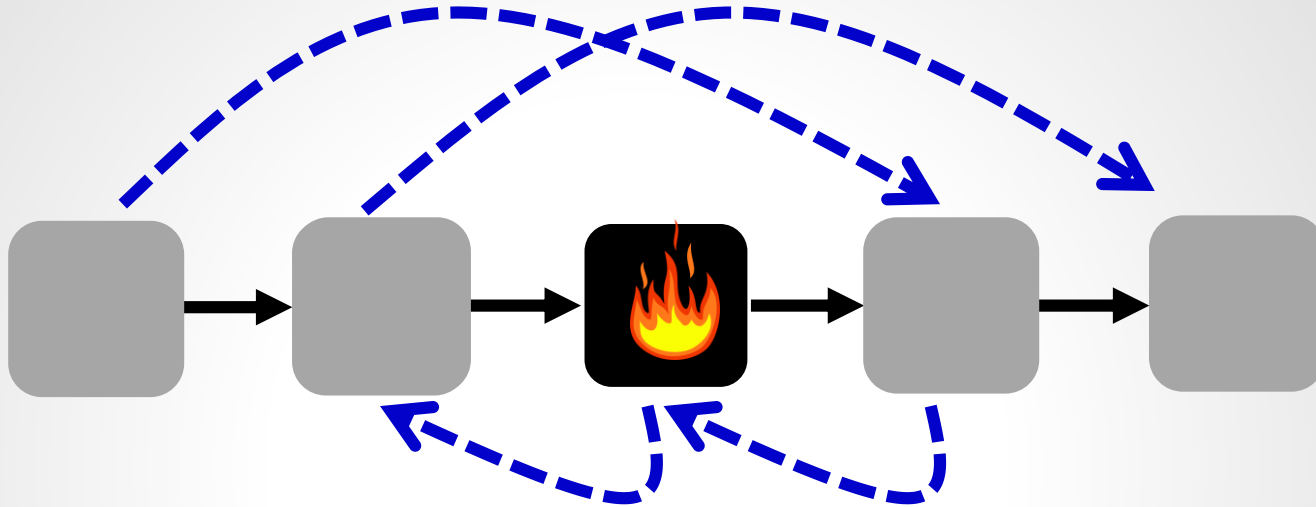
R2:



R3:



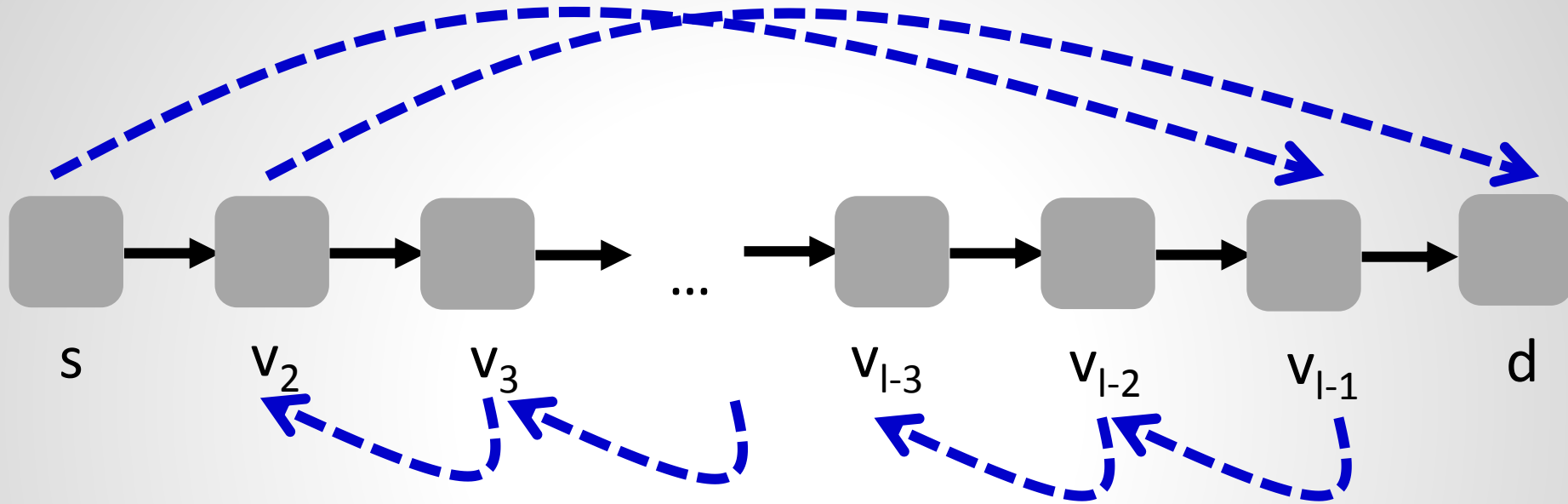
LF and WPE may even conflict!



- ❑ Cannot update forward edge: WP
- ❑ Cannot update backward edge: LF

No schedule exists!

$\Omega(n)$ Rounds



- ❑ Must update v_i before v_{i+1}
- ❑ Takes $\Omega(n)$ rounds: $v_3 v_4 v_5 v_6 \dots$

Reading / Literature Pointer

- A nice talk by Jennifer Rexford:
<http://materials.dagstuhl.de/files/15/15071/15071.JenniferRexford.Slides.pptx>
- [Scheduling Loop-free Network Updates: It's Good to Relax!](#)
Arne Ludwig, Jan Marcinkowski, and Stefan Schmid.
ACM Symposium on Principles of Distributed Computing (**PODC**),
Donostia-San Sebastian, Spain, July 2015.
- [Good Network Updates for Bad Packets: Waypoint Enforcement Beyond Destination-Based Routing Policies](#)
Arne Ludwig, Matthias Rost, Damien Foucard, and Stefan Schmid.
13th ACM Workshop on Hot Topics in Networks (**HotNets**), Los Angeles,
California, USA, October 2014.

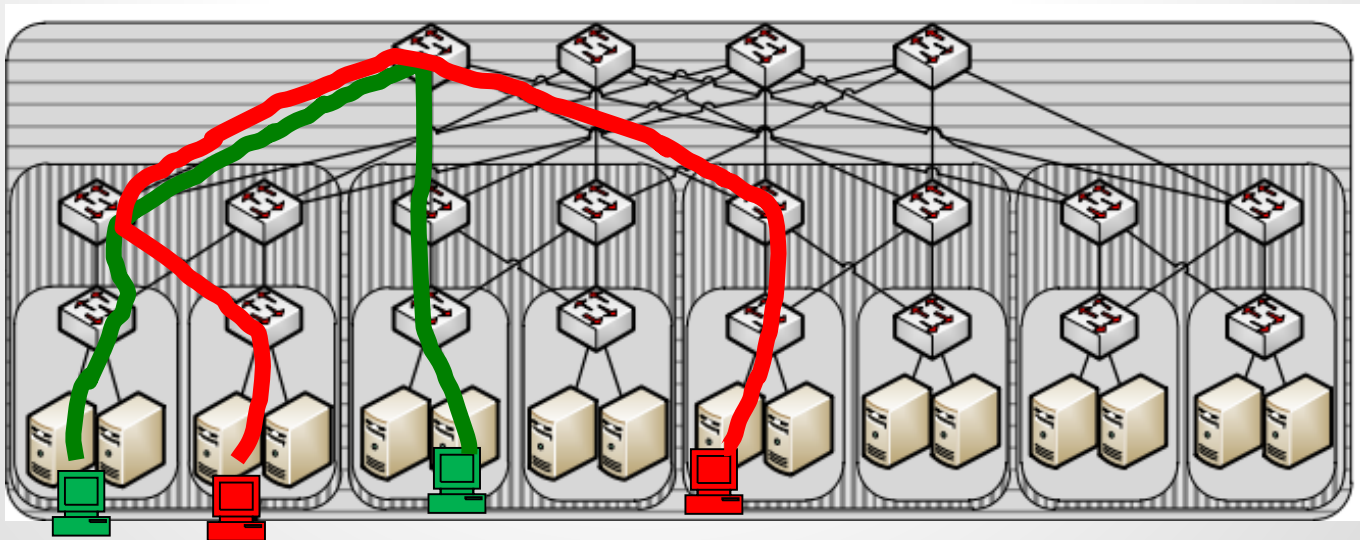
Rough Plan

- ❑ SDN and Network Virtualization: Debunking some myths and misunderstandings
- ❑ **Some fundamental research challenges**
- ❑ Mini-Tutorial: How to exploit flexibilities in virtualized networked systems?
- ❑ Mini-Tutorial: How are datacenters designed?
- ❑ Mini-Tutorial: Put your hands on SDN

Cloud Computing + Networking?

Network matters!

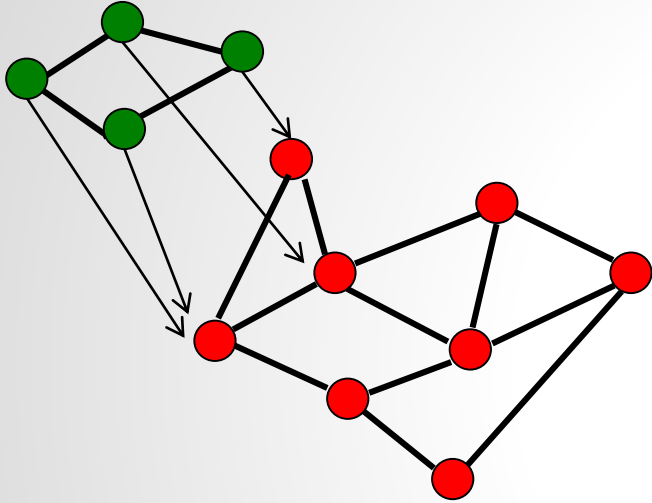
- ❑ Example: Batch Processing Applications such as Hadoop
 - ❑ **Communication intensive**: e.g., shuffle phase
 - ❑ Example Facebook: 33% of **execution time** due to communication
- ❑ For predictable performance in shared cloud: need explicit bandwidth reservations!



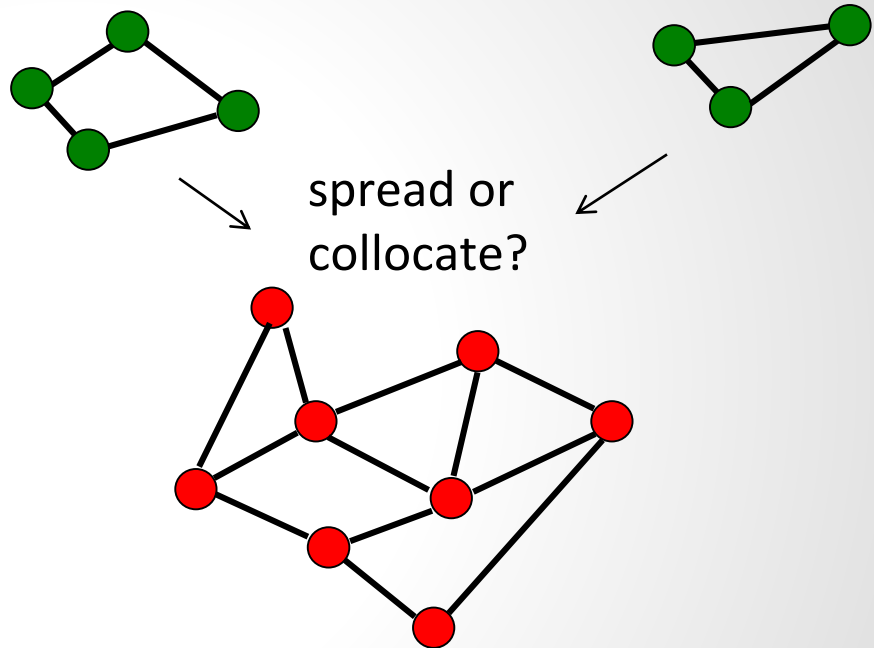
- ❑ How to max utilization? A **network embeddig problem!**

Flavors of VNet Embedding Problems (VNEP)

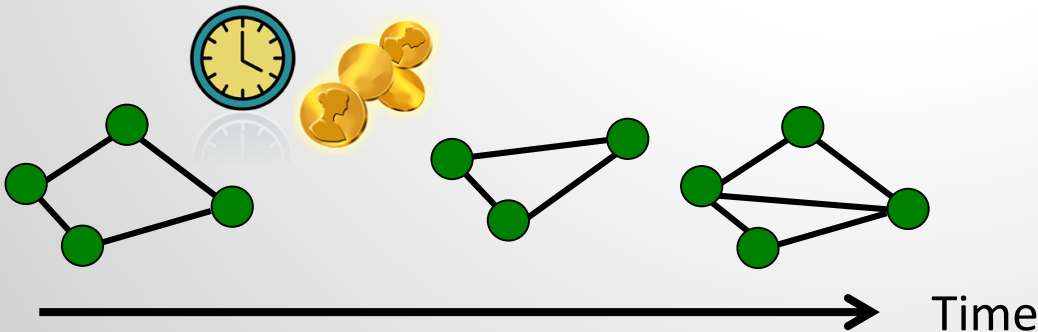
Minimize embedding **footprint** of a single VNet :



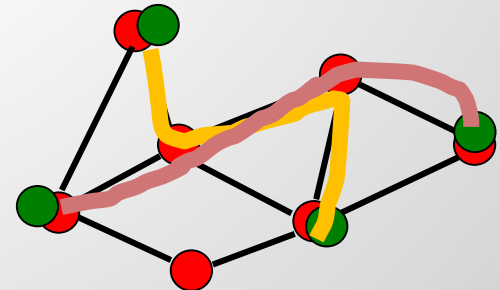
Minimize max load of **multiple VNets** or collocate to save energy:



Maximize profit **over time**:



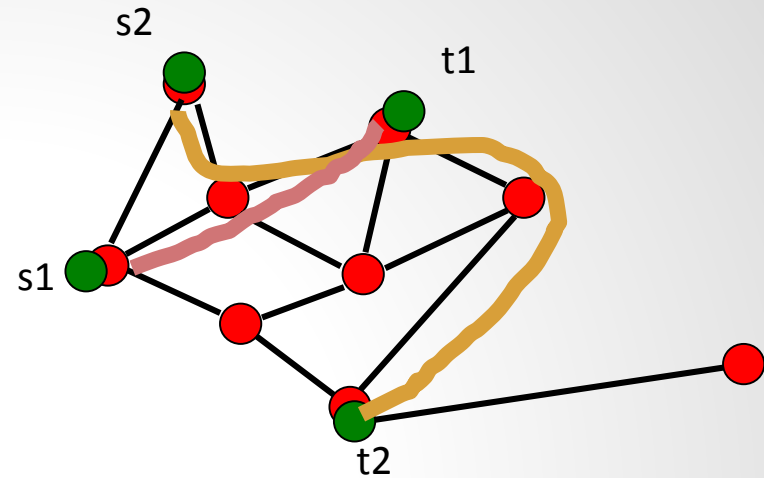
Endpoints fixed:



Let's Exploit Allocation Flexibilities to Maximize Utilization

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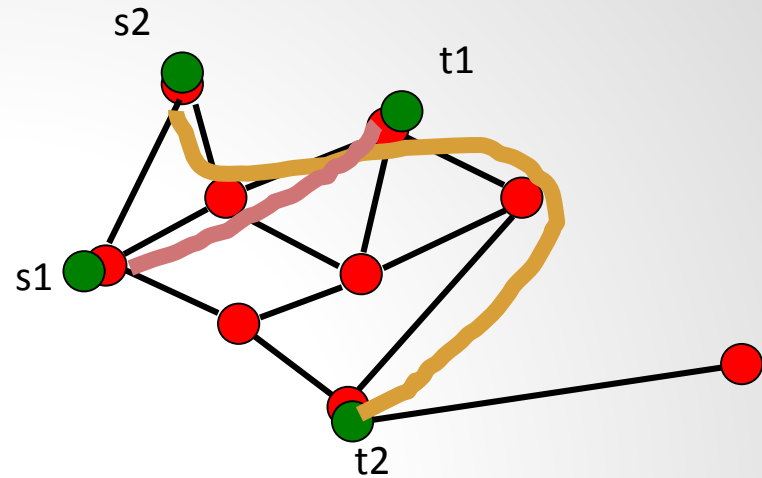
Start simple: exploit flexible routing between given VMs



Let's Exploit Allocation Flexibilities to Maximize Utilization

Start simple: exploit flexible routing between given VMs

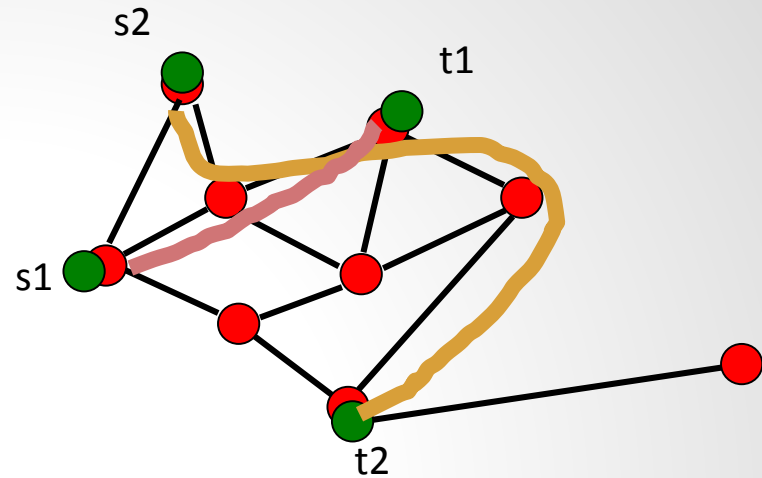
- ❑ Integer multi-commodity flow problem with 2 flows?



Let's Exploit Allocation Flexibilities to Maximize Utilization

Start simple: exploit flexible routing between given VMs

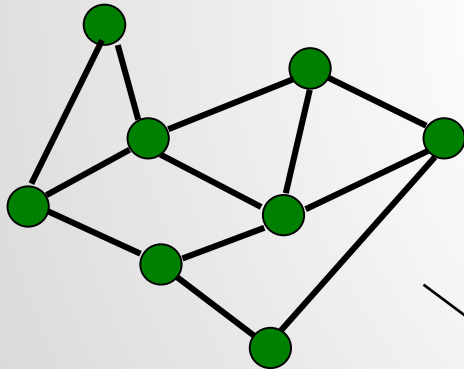
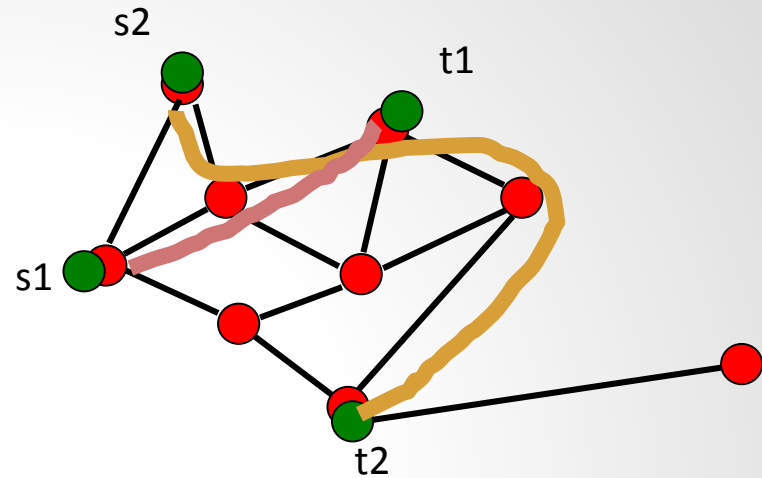
- ☐ Integer multi-commodity flow problem with 2 flows?
- ☐ Oops: NP-hard



Let's Exploit Allocation Flexibilities to Maximize Utilization

Start simple: exploit flexible routing between given VMs

- ❑ Integer multi-commodity flow problem with 2 flows?
- ❑ Oops: NP-hard



Forget about paths: exploit VM placement flexibilities!

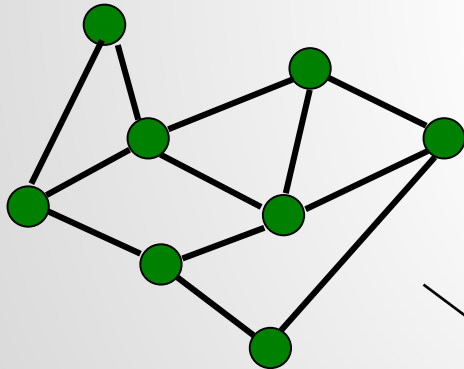
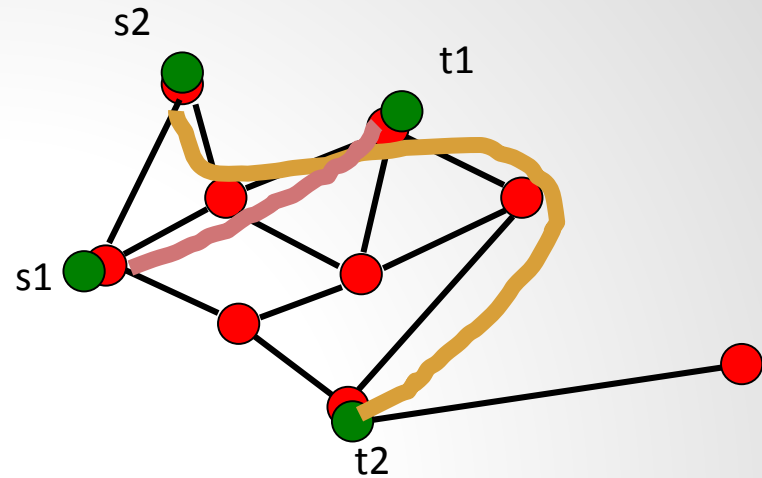
- ❑ Most simple: Minimum Linear Arrangement without capacities



Let's Exploit Allocation Flexibilities to Maximize Utilization

Start simple: exploit flexible routing between given VMs

- ❑ Integer multi-commodity flow problem with 2 flows?
- ❑ Oops: NP-hard



Forget about paths: exploit VM placement flexibilities!

- ❑ Most simple: Minimum Linear Arrangement without capacities
- ❑ NP-hard ☹️





That's all Folks!



That's all Folks!

Wait a minute!
These problems need to be solved!
And they often can, even with guarantees.

Rough Plan

- ❑ SDN and Network Virtualization: Debunking some myths and misunderstandings
- ❑ Some fundamental research challenges
- ❑ **Mini-Tutorial: How to exploit flexiblities in virtualized networked systems?**
- ❑ Mini-Tutorial: How are datacenters designed?
- ❑ Mini-Tutorial: Put your hands on SDN

A Brief Tutorial on Network Embedding

Solving the VNEP

- ❑ **Formulate a Mixed Integer Program**
- ❑ Leverage additional structure
- ❑ Use online primal-dual approach

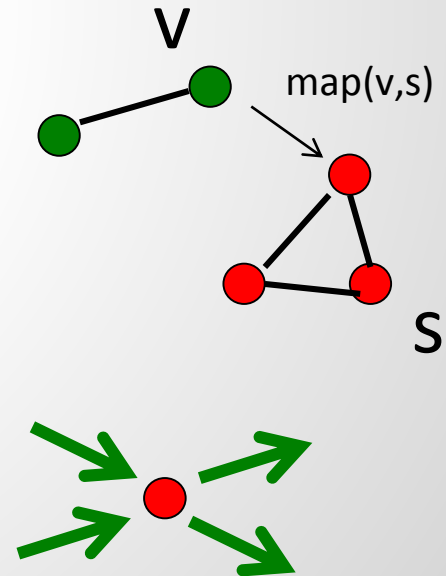
Mixed Integer Programs (1)

Recipe for VNEP formulation :

- ❑ A (linear) objective function (e.g., load or footprint)
- ❑ A set of (linear) constraints
- ❑ Feed it to your favorite solver (CPLEX, Gurobi, etc.)

Details:

- ❑ Introduce binary variables $\mathbf{map}(v,s)$ to map virtual nodes v on substrate node s
- ❑ Introduce flow variables for paths (splittable or not?)
- ❑ Ensure **flow conservation**: all flow entering a node must leave the node, unless it is the source or the destination



Mixed Integer Programs (1)

Constants:

Substrate Vertices : V_s

Substrate Edges : $E_s : V_s \times V_s$

Unique : $uni_check_s : \forall (s_1, s_2) \in E_s : (s_2, s_1) \notin E_s$

SNode Capacity : $snc(s) \rightarrow \mathbb{R}^+, s \in V_s$

SLink Capacity : $slc(e_s) \rightarrow \mathbb{R}^+, e_s \in E_s$

Edges-Reverse : $ER_s : \forall (s_1, s_2) \in E_s \exists (s_2, s_1) \in ER_s \wedge |E_s| = |ER_s|$

Migration Cost : $mig_cost(r, v, s) \rightarrow \mathbb{R}^+ |V_v(r)| \times |V_s|, r \in R, v \in V_v(r), s \in V_s$

Possible Placements : $place(r, v, s) \rightarrow \{0, 1\}^{|V_v(r)| \times |V_s|}, r \in R, v \in V_v(r), s \in V_s$

Requests : R

Virtual Vertices : $V_v(r), r \in R$

Virtual Edges : $E_v(r) : \rightarrow V_v(r) \times V_v(r), r \in R$

Unique : $uni_check_v : \forall r \in R, (v_1, v_2) \in E_v(r) : (v_2, v_1) \notin E_v(r)$

VNode Demand : $vnd(r, v) \rightarrow \mathbb{R}^+, r \in R, v \in V_v(r)$

VEdge Demand : $vld(r, e_v) \rightarrow \mathbb{R}^+, r \in R, e_v \in E_v(r)$

Edges-Bidirectional : $EB_s : E_s \cup ER_s$

Variables:

Node Mapping : $n_map(r, v, s) \in \{0, 1\}, r \in R, v \in V_v(r), s \in V_s$

Flow Allocation : $f_alloc(r, e, eb) \geq 0, r \in R, e \in E_v(r), eb \in EB_s$

Constraints:

Each Node Mapped : $\forall r \in R, v \in V_v(r) : \sum_{s \in V_s} n_map(r, v, s) \cdot place(r, v, s) = 1$

Feasible : $\forall s \in V_s : \sum_{r \in R, v \in V_v(r)} n_map(r, v, s) \cdot vnd(r, v) \leq snc(s)$

Guarantee Link Realization : $\forall r \in R, (v_1, v_2) \in E_v(r), s \in V_s \sum_{(s_1, s_2) \in V_s \times V_s \cap EB_s} f_alloc(r, v_1, v_2, s, s_2) - \sum_{(s_1, s) \in V_s \times V_s \cap EB_s} f_alloc(r, v_1, v_2, s_1, s) = vld(r, v_1, v_2) \cdot (n_map(r, v_1, s) - n_map(r, v_2, s))$

Realize Flows : $\forall (s_1, s_2) \in E_s \sum_{r \in R, (v_1, v_2) \in E_v(r)} f_alloc(r, v_1, v_2, s_1, s_2) + f_alloc(r, v_1, v_2, s_2, s_1) \leq slc(s_1, s_2)$

Objective function:

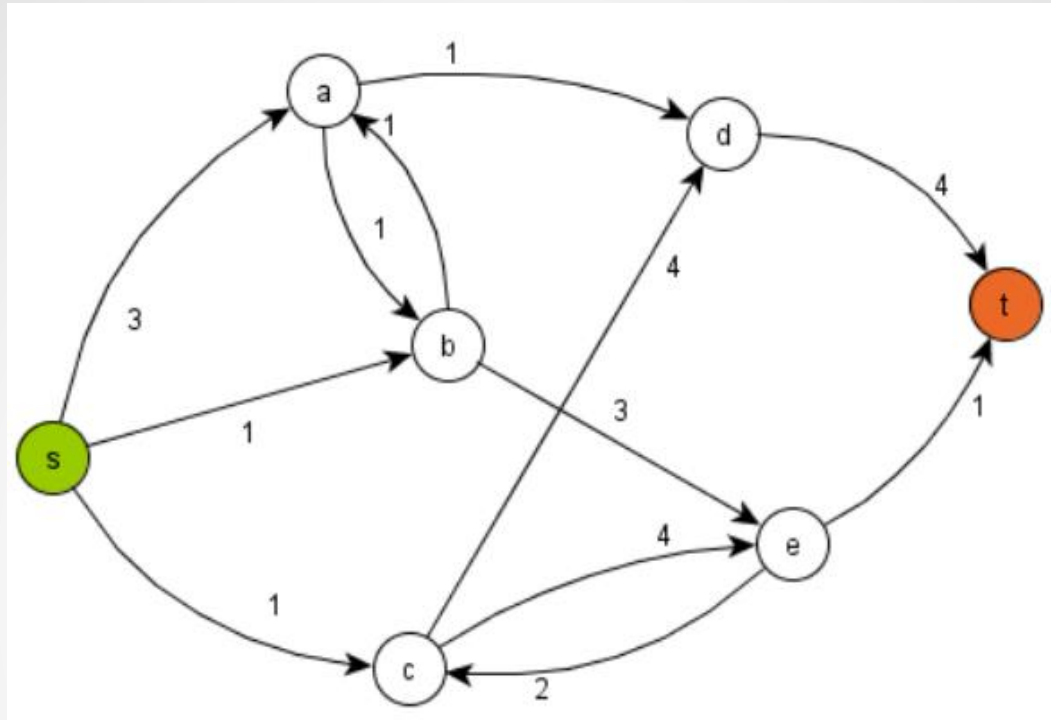
Minimize Embedding Cost : $min : \sum_{r \in R, (v_1, v_2) \in E_v(r), (s_1, s_2) \in E_s} f_alloc(r, v_1, v_2, s_1, s_2) + f_alloc(r, v_1, v_2, s_2, s_1)$

entering a node must leave the node,

unless it is the source or the destination



Example: Flow Conservation (1)



Except for source s and destination t,
the incoming flow must equal the outgoing flow:

$$\sum_{u:u \rightarrow v} f_{uv} = \sum_{w:v \rightarrow w} f_{vw}, \quad \forall v \neq s, t$$

Example: Flow Conservation (2)

But now virtual machines (resp. s and t) are flexible!
Still a linear program?

Example: Flow Conservation (2)

But now virtual machines (resp. s and t) are flexible!
Still a linear program? Yes!

$$\forall v: \sum_u f_{uv} - f_{vu} \geq \text{map}(s,v) * b - \text{map}(t,v) * \infty$$

b : constant for requested bandwidth resource from s to t .

$\text{map}(u,v)$: binary variable for «is u mapped on v »?

Linear indeed. Cases:

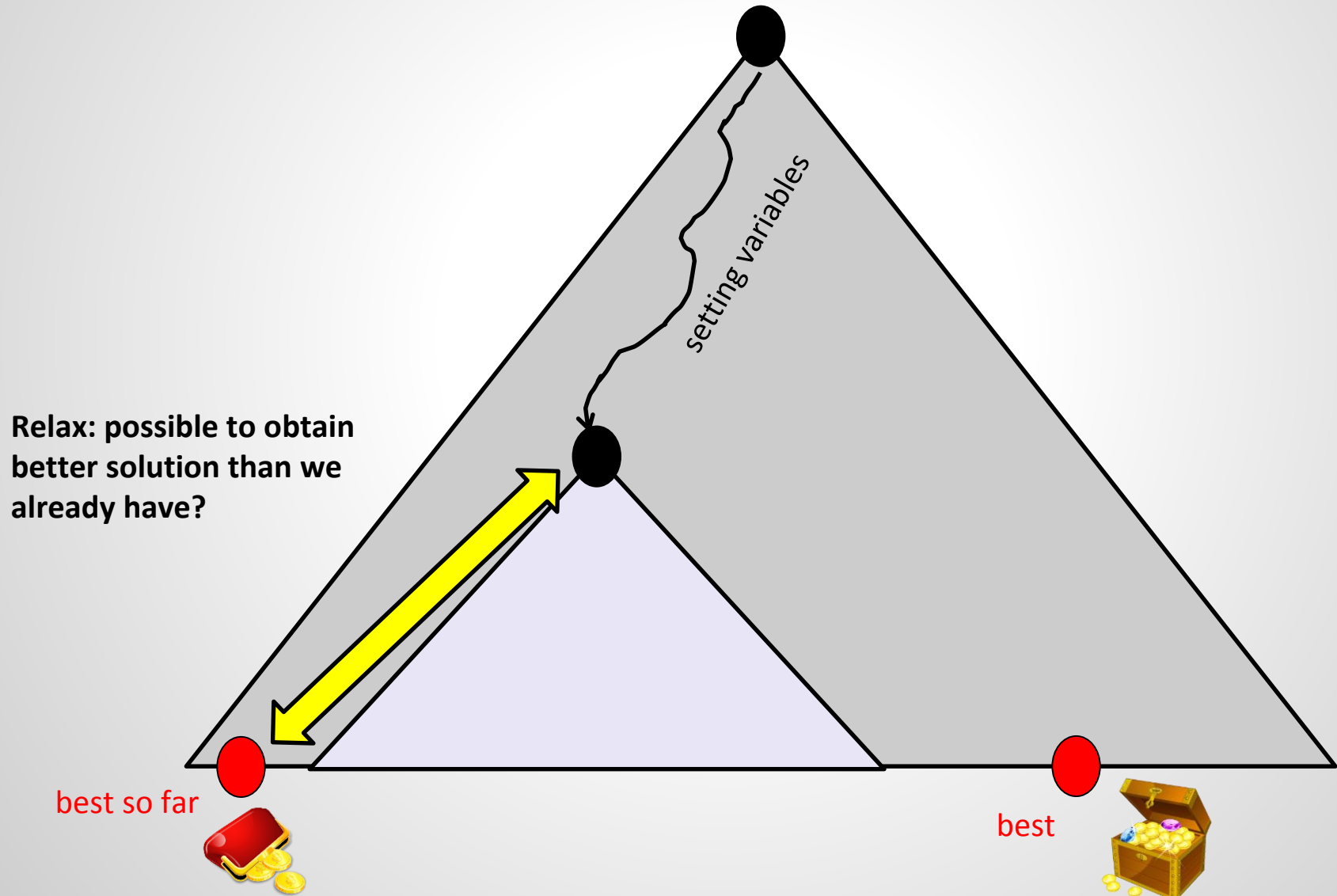
- If $v = s \neq t$: outgoing flow at least b
- If $v \neq t \neq s$: RHS 0, flow conservation if $=$. ($\geq$ handled by objective function)
- If $v = t \neq s$: no constraint

Mixed Integer Programs (3)

- ❑ MIPs can be quite fast
 - ❑ For pure integer programs, SAT solvers likely faster
- ❑ However, that's not the end of the story: **MIP $\neq$ MIP**
 - ❑ The specific formulation matters!
- ❑ For example: many solvers use relaxations
 - ❑ Make integer variables **continuous**: resulting linear programs (LPs) can be solved **in polynomial time**!
 - ❑ How good can solution in this subtree (given fixed variables) be **at most**? (More flexibility: solution can only be better!)
 - ❑ If already this is worse than currently best solution, we can **cut**!
- ❑ Relaxations can also be used as a basis for heuristics
 - ❑ E.g., round fractional solutions to closest integer?

Mixed Integer Programs (4)

Branch & bound tree:



Mixed Integer Programs (5)

- ❑ Recall: Relaxations useful if they give good bounds
- ❑ However it's hard to formulate a MIP for VNEP which yields useful relaxations!
- ❑ What happens here?

VNet:



Physical Network:

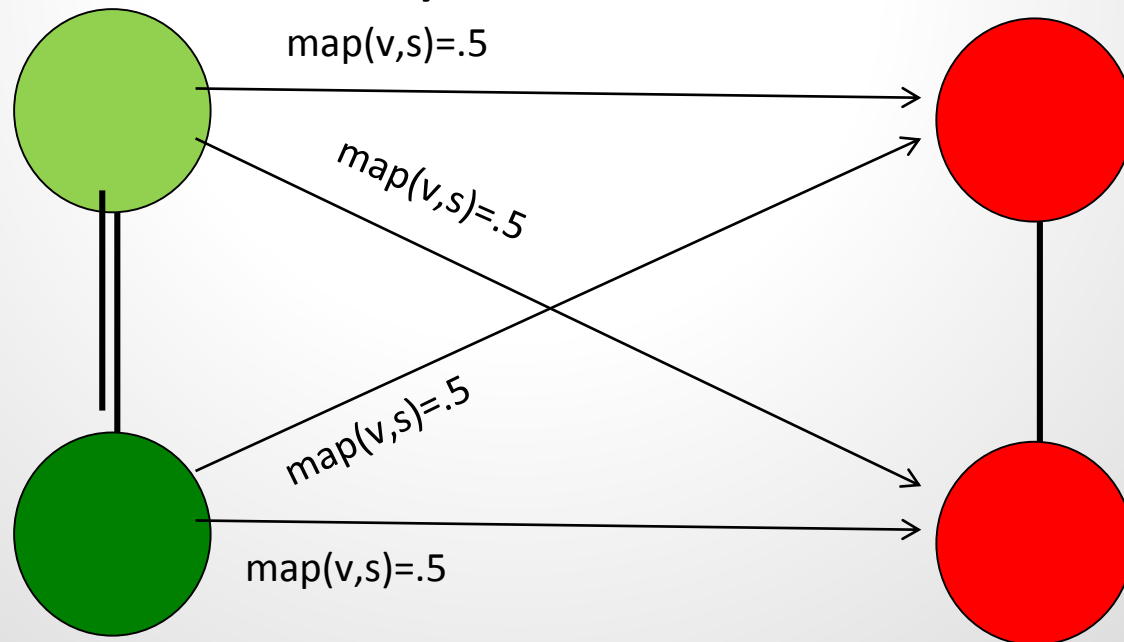


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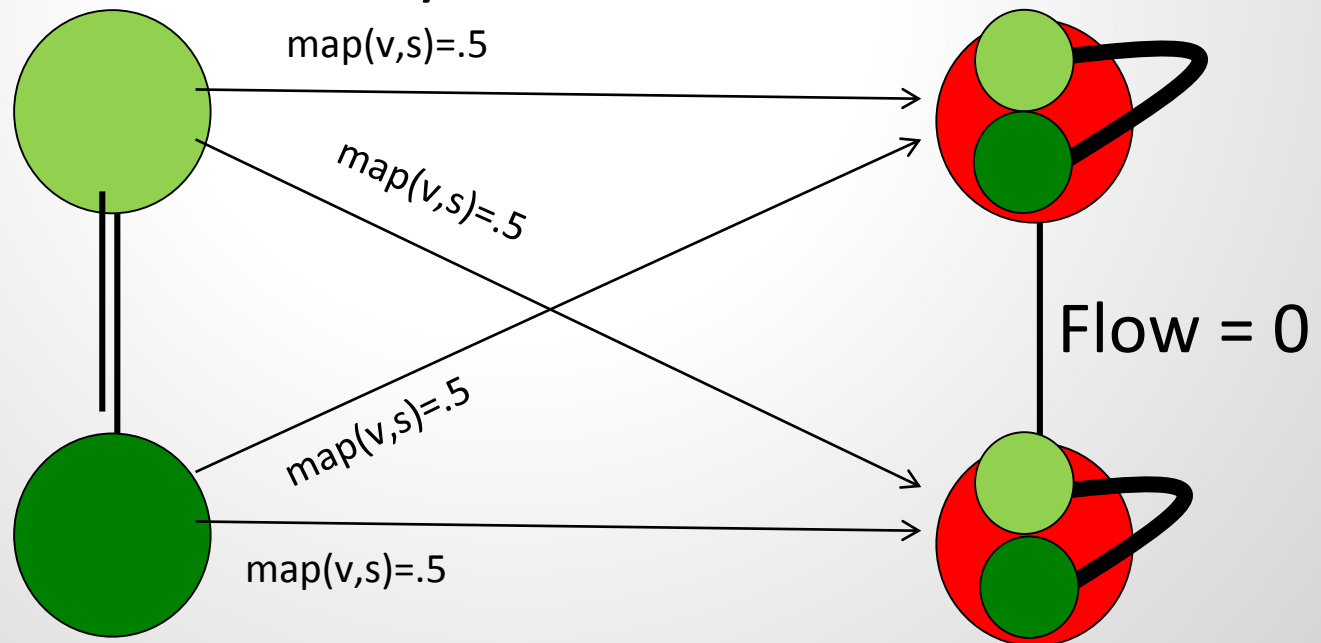


Mixed Integer Programs (5)

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Mixed Integer Programs (5)

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- ❑ However it's hard to formulate a MIP for VNEP which yields useful relaxations!
- ❑ What happens here?

VNet

Relaxations do not provide good bounds: allocation 0! Also not useful for rounding...



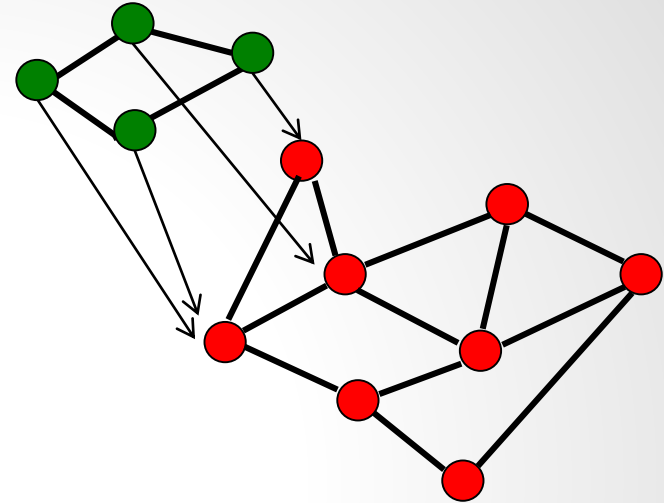
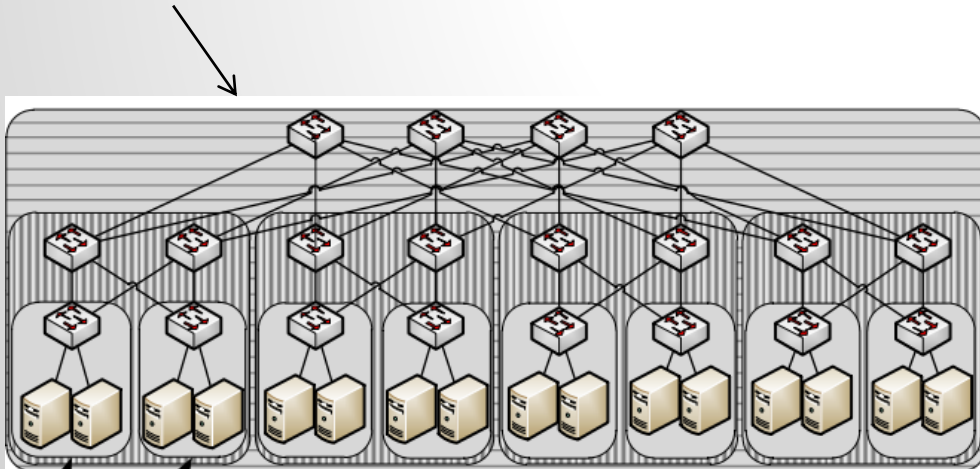
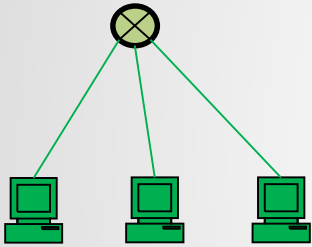
Solving the VNEP

- ❑ Formulate a Mixed Integer Program
- ❑ **Leverage additional structure**
- ❑ Use online primal-dual approach

Theory vs Practice

Goal in theory:

Embed as general as possible *guest graph*
to as general as possible *host graph*

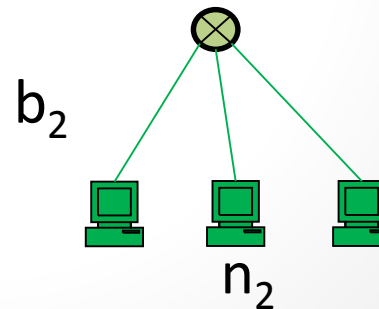
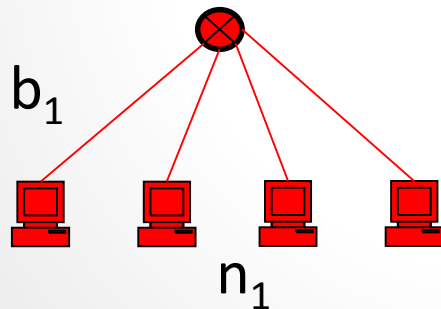


Reality:

Datacenters, WANs, etc. exhibit much **structure** that can be exploited! But also guest networks come with **simple specifications**

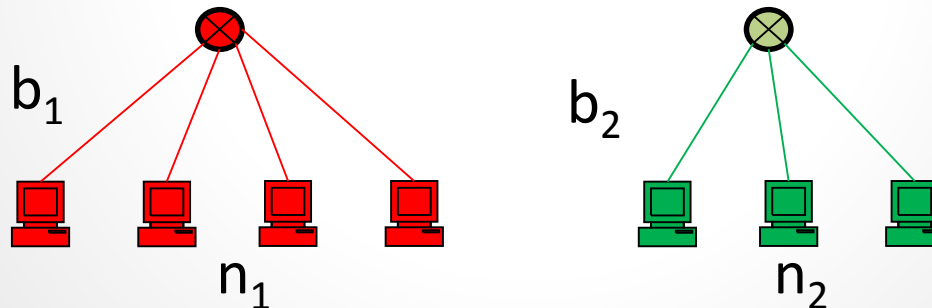
Virtual Clusters

- ❑ A prominent abstraction for batch-processing applications: Virtual Cluster $VC(n,b)$
- ❑ Connects n virtual machines to a «logical» switch with bandwidth guarantees b
- ❑ A simple abstraction



Virtual Clusters

- ❑ A prominent abstraction for batch-processing applications: Virtual Cluster $VC(n,b)$
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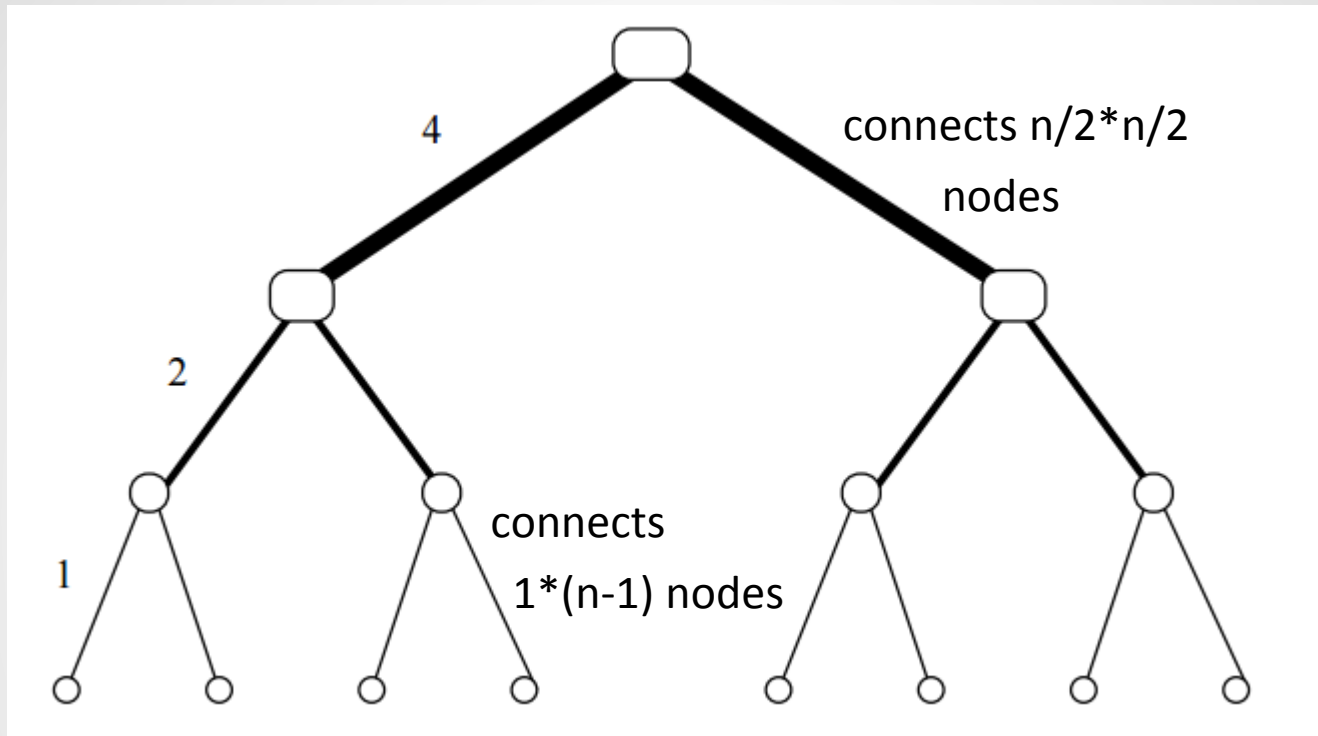


How do datacenter topologies look like?

Rough Plan

- ❑ SDN and Network Virtualization: Debunking some myths and misunderstandings
- ❑ Some fundamental research challenges
- ❑ Mini-Tutorial: How to exploit flexibilities in virtualized networked systems?
- ❑ **Mini-Tutorial: How are datacenters designed?**
- ❑ Mini-Tutorial: Put your hands on SDN

A Typical Datacenter Topology



- ❑ Full bisection bandwidth
- ❑ In practice, often not full bisection

A Brief Tutorial on Datacenter Topologies

Network topologies are often described as graphs!

Graph $G=(V,E)$: V = set of nodes/peers/..., E = set of edges/links/...

$d(.,.)$: **distance** between two nodes (shortest path), e.g. $d(A,D)=?$

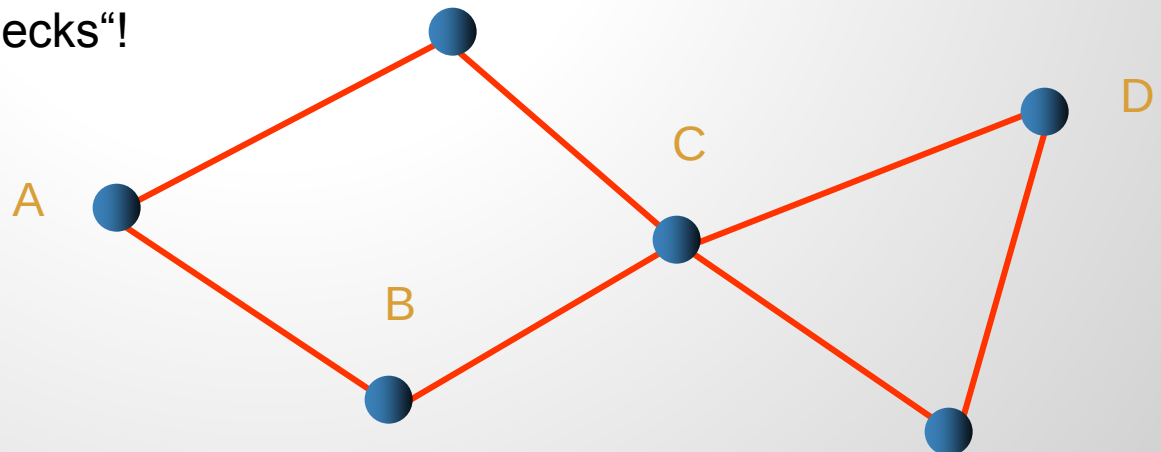
$D(G)$: **diameter** ($D(G)=\max_{u,v} d(u,v)$), e.g. $D(G)=?$

$\Gamma(U)$: neighbor set of nodes U (not including nodes in U)

$\alpha(U)$ = $|\Gamma(U)| / |U|$ (size of neighbor set compared to size of U)

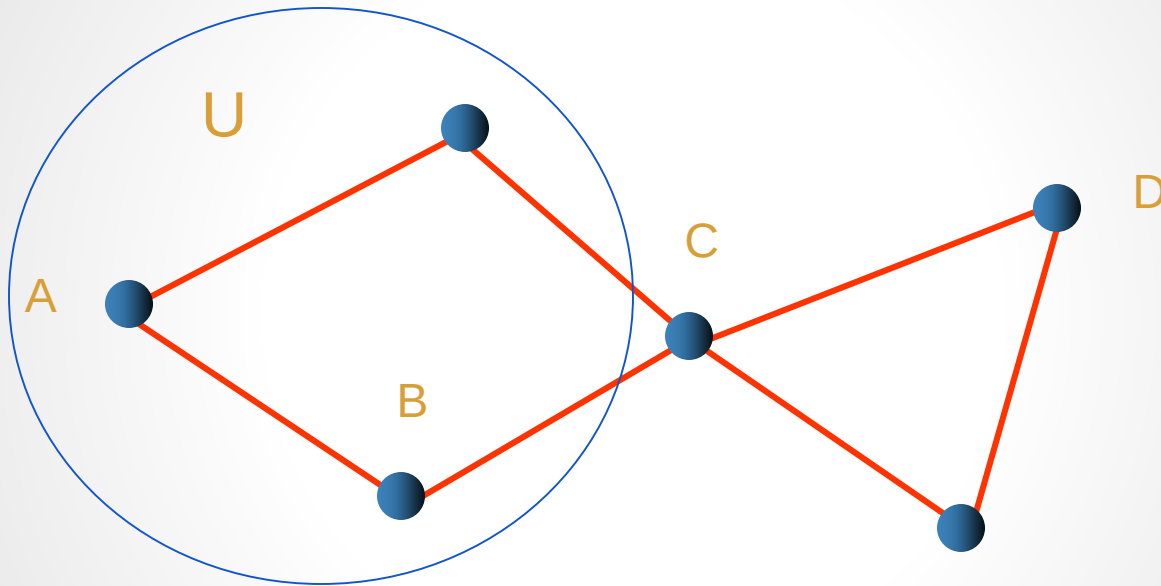
$\alpha(G)$ = $\min_{U, |U| \leq n/2} \alpha(U)$: **expansion** of G (meaning?)

Expansion captures „bottlenecks“!



Example

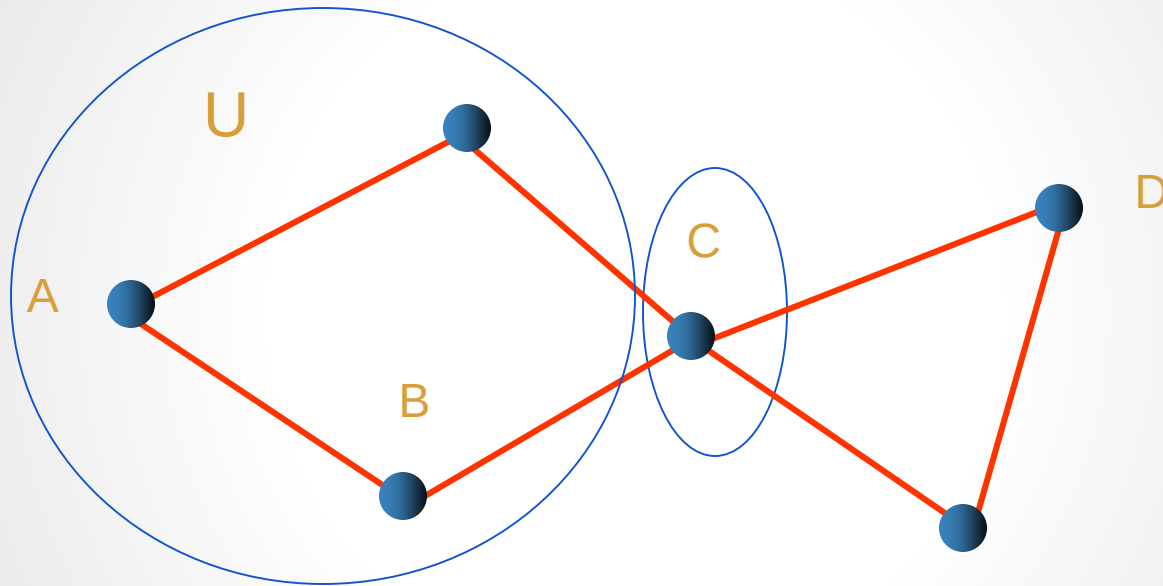
Explanation: $\Gamma(U)$, $\alpha(U)$?



**Neighborhood is
just $\{C\}$, so...
... $\alpha=1/3$.**

Example

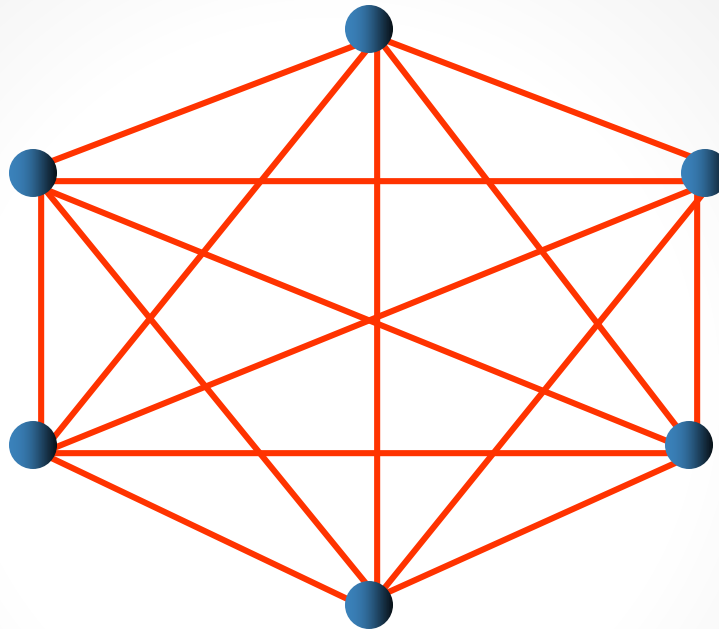
Explanation: $\Gamma(U)$, $\alpha(U)$?



$\alpha(U)=1/3$ (bottleneck!)

What is a good topology?

Complete network: pro and cons?



Pro: robust, easy and fast **routing**, small diameter...

Cons: does **not scale**! (degree?, number of edges?, ...)

Why Fat-Tree Networks?

Line network: pro and cons?

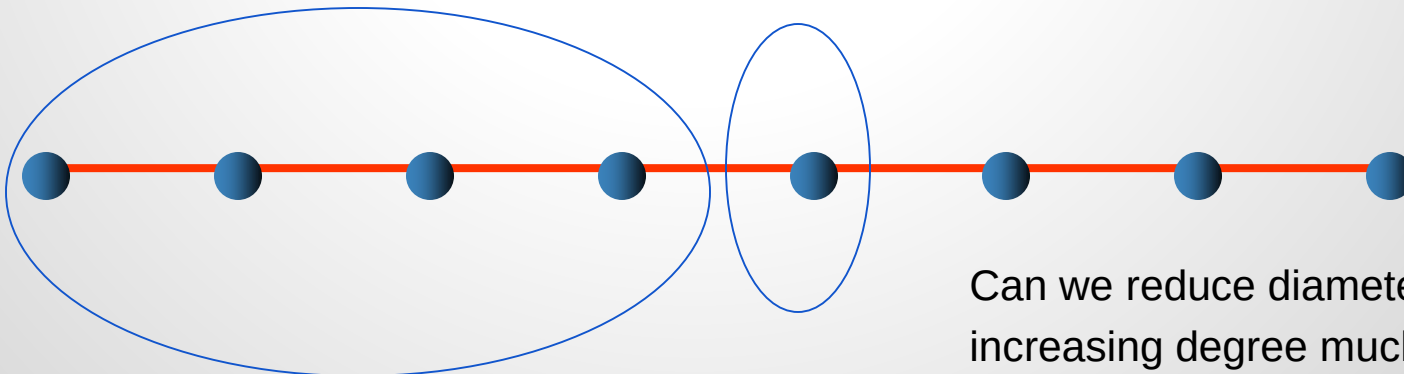


Degree? Diameter? Expansion?

Pro: easy and fast routing (tree = unique paths!), small degree (2)...

Cons: does **not scale**! (diameter = $n-1$, expansion = $2/n$, ...)

Expansion: U ($|V|/2$ nodes) $\Gamma(U)$ (= 1 node)

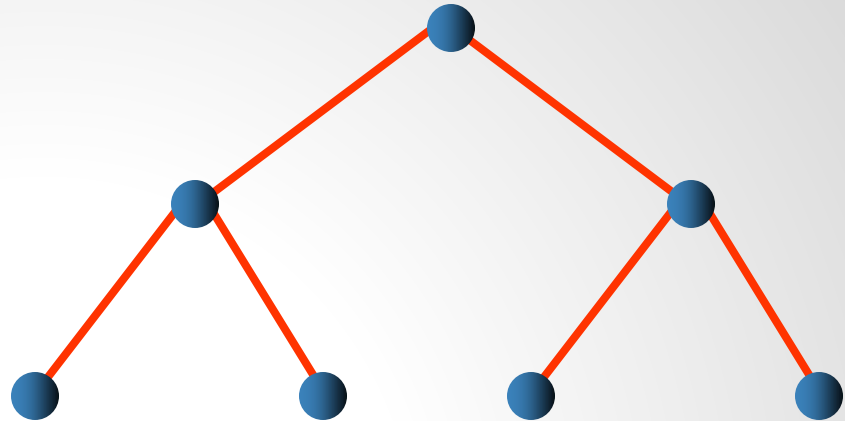


Can we reduce diameter without increasing degree much?

Why Fat-Tree Networks?

Binary tree network: pro and cons?

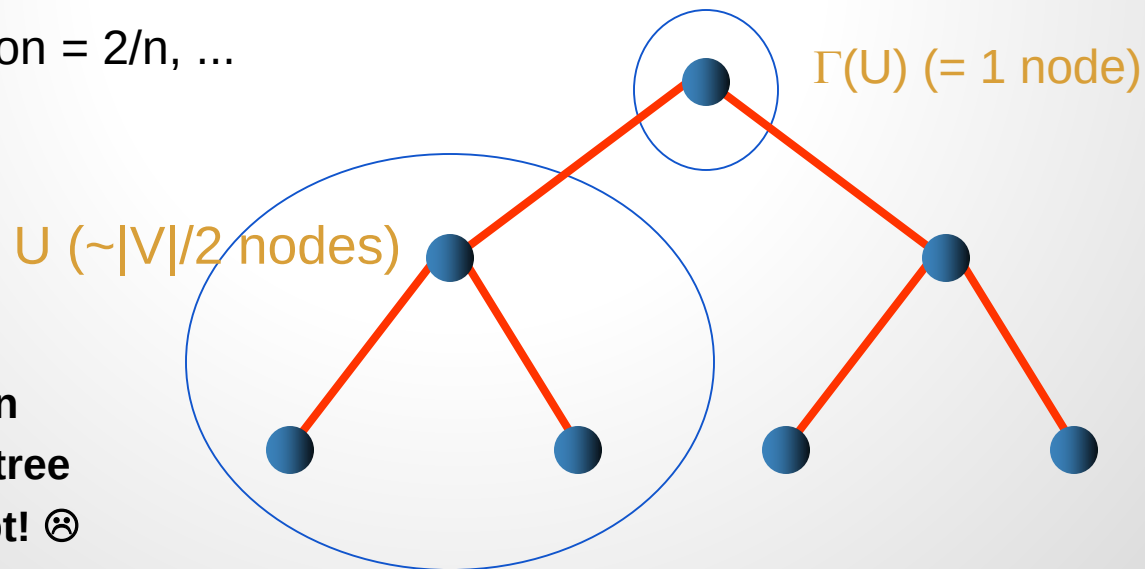
Degree? Diameter? Expansion?



Pro: easy and fast routing (tree = **unique paths!**), small degree (3), log diameter...

Cons: bad expansion = $2/n$, ...

Expansion:

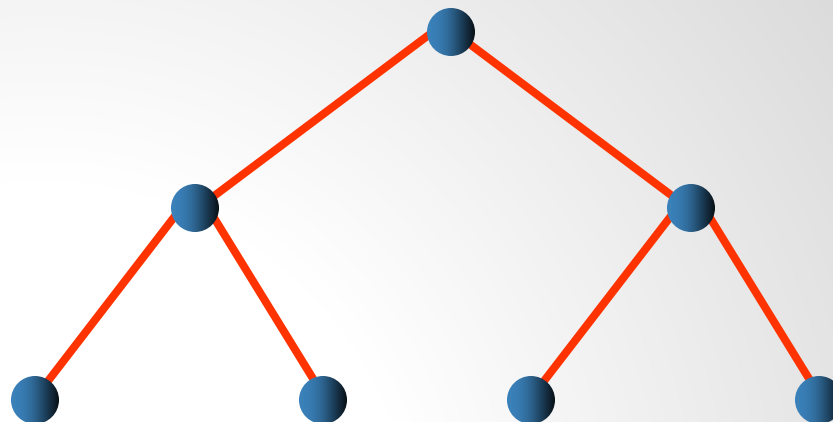


**All communication
from left to right tree
goes through root! ☹️
(no «bisection bandwidth»)**

Why Fat-Tree Networks?

Binary tree network: pro and cons?

Degree? Diameter? Expansion?



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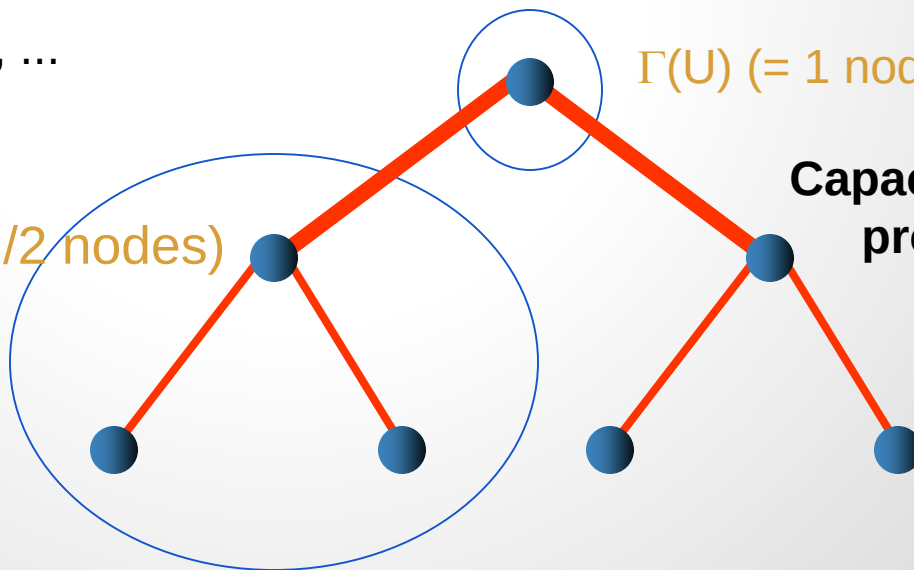
Expansion:

$U (\sim |V|/2 \text{ nodes})$

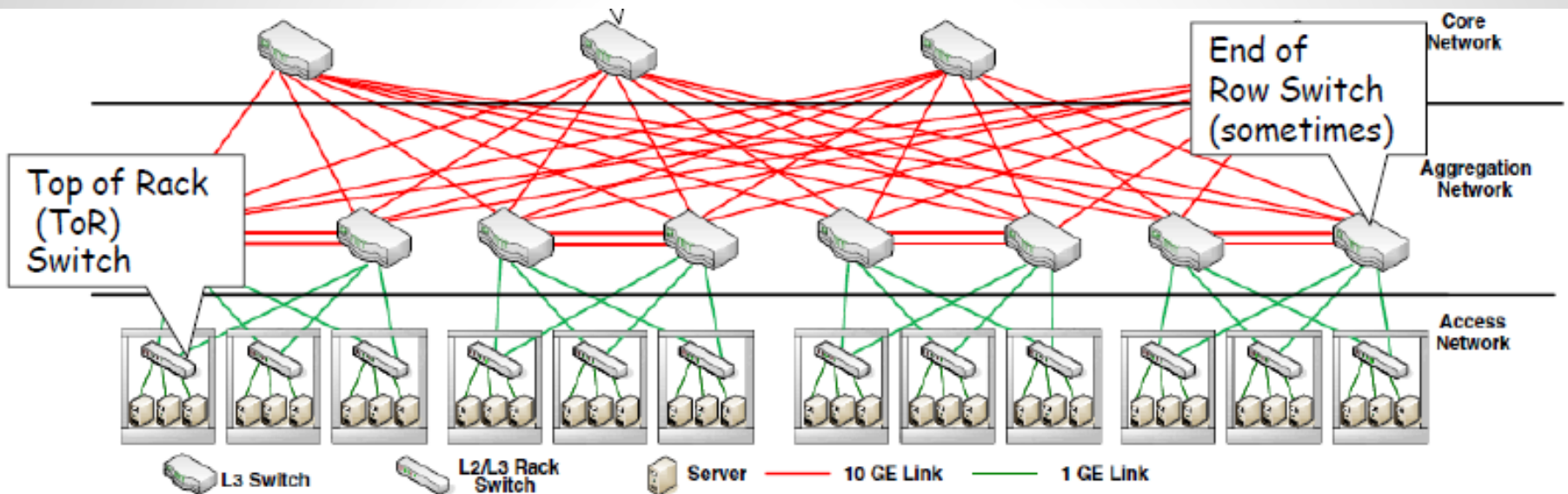
$\Gamma(U) (= 1 \text{ node})$

Capacity increases proportionally!

**All communication from left to right tree goes through root! ☹️
(no «bisection bandwidth»)**

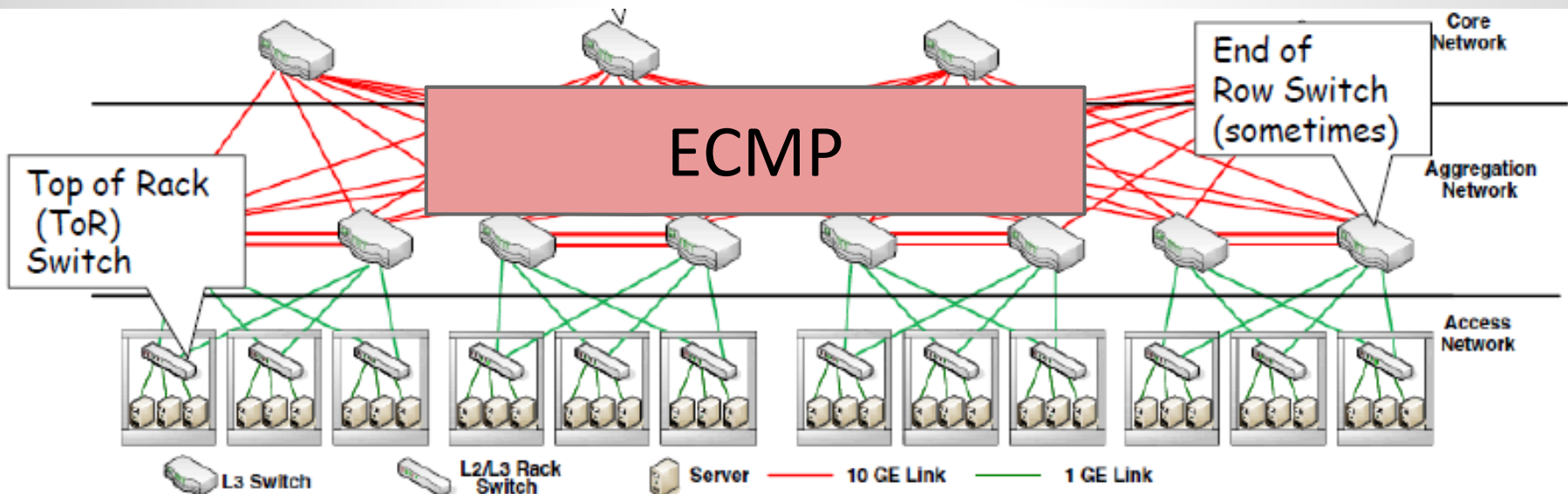


Fat-Tree Networks in Reality



Source: K. Bilal, S. U. Khan, L. Zhang, H. Li, K. Hayat, S. A. Madani, N. Min-Allah, L. Wang, D. Chen, M. Iqbal, C.-Z. Xu, and A. Y. Zomaya, "Quantitative Comparisons of the State of the Art Data Center Architectures," *Concurrency and Computation: Practice and Experience*.

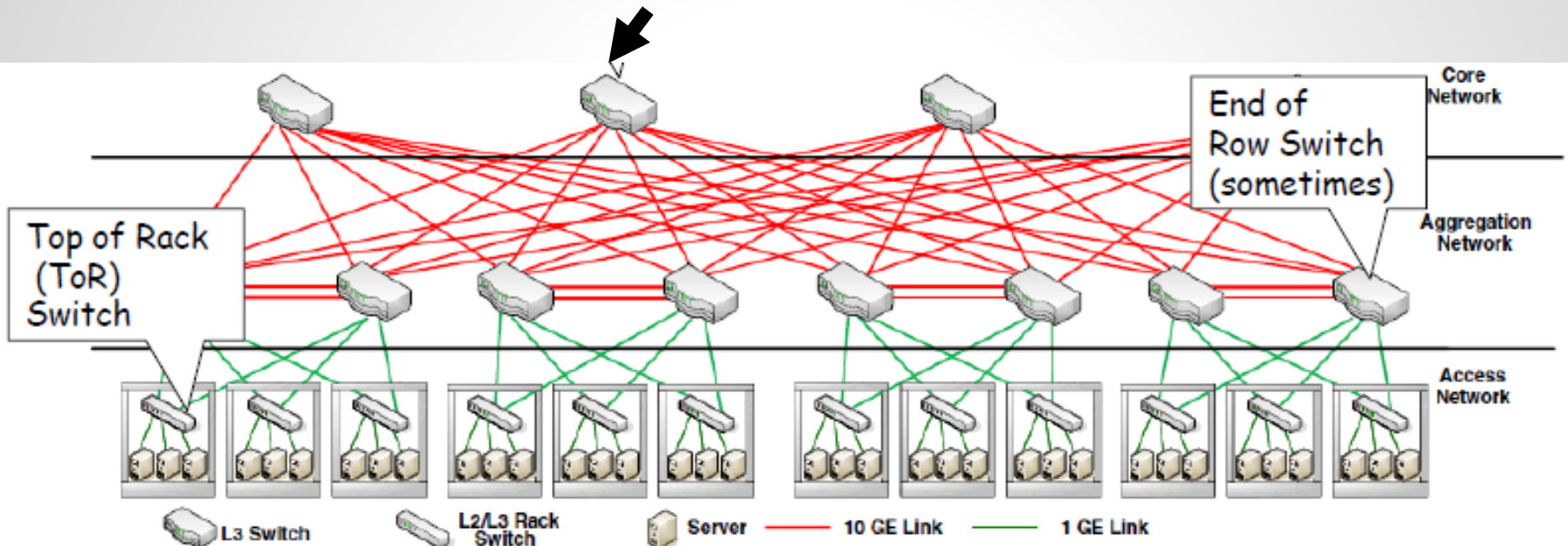
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Fat-Tree Networks in Reality

For some extra EUR,
these can be routers.

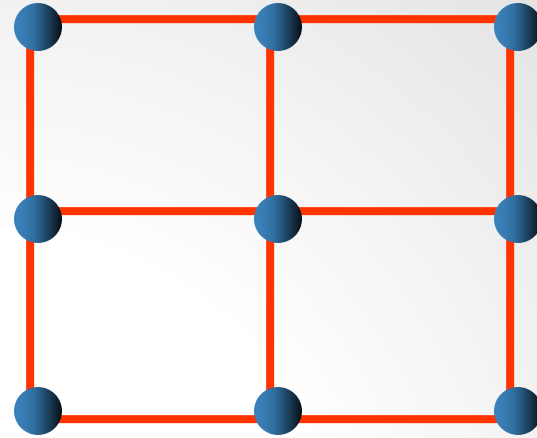


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More Examples...

2d Mesh: pro and cons?

Degree? Diameter? Expansion?



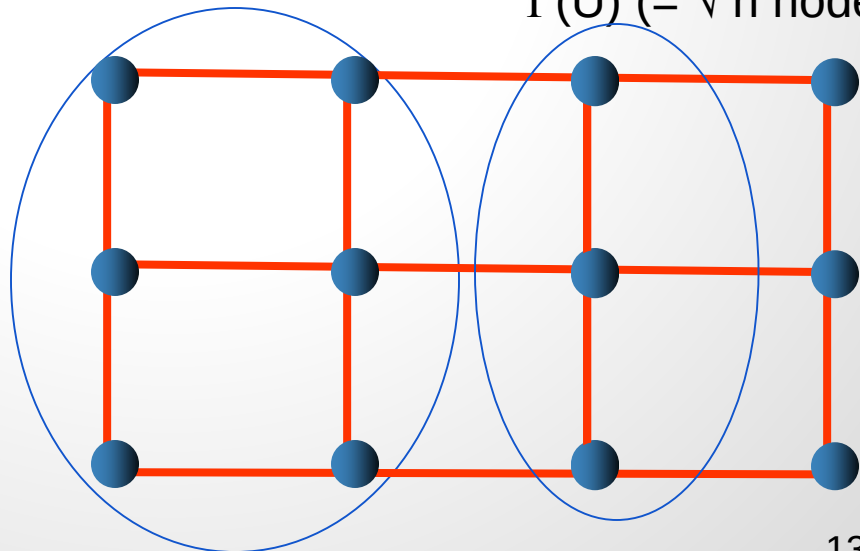
Pro: easy and fast routing (coordinates!), small degree (4), $< 2\sqrt{n}$ diameter...

Cons: diameter?, expansion = $\sim 2/\sqrt{n}$, ...

Expansion:

U ($\sim n/2$ nodes)

$\Gamma(U)$ ($= \sqrt{n}$ nodes)

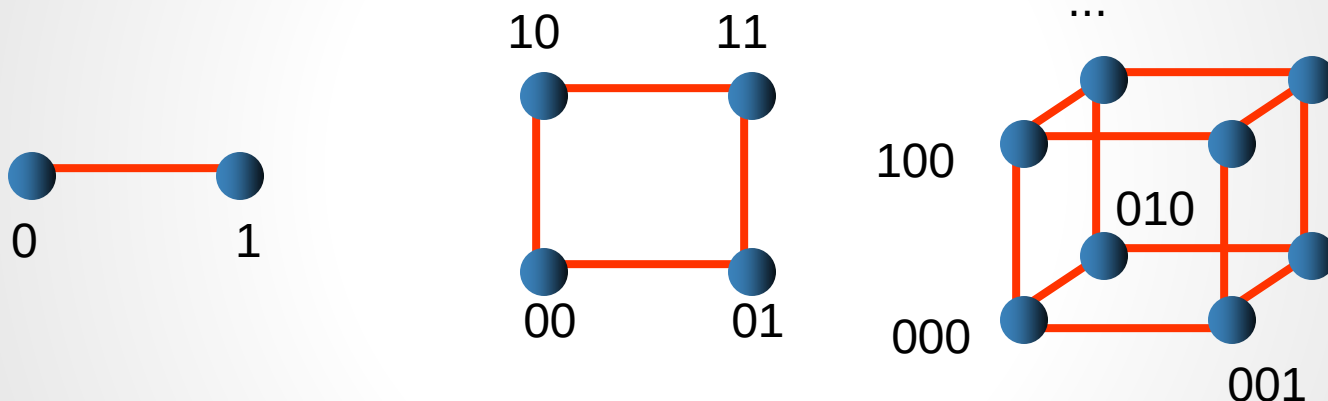


Future Datacenters: Hypercubic

d-dim Hypercube: Formalization?

Nodes $V = \{(b_1, \dots, b_d), b_i \text{ binary}\}$ (nodes are bitstrings!)

Edges $E =$ for all i : $(b_1, \dots, b_i, \dots, b_d)$
connected to $(b_1, \dots, 1-b_i, \dots, b_d)$



Degree? Diameter? Expansion? How to get from (100101) to (011110)?

$2^d = n \text{ nodes} \Rightarrow d = \log(n)$: degree

Diameter: fix one bit after another $\Rightarrow \log(n)$ too

Hypercube: Expansion (upper bound for a ball)

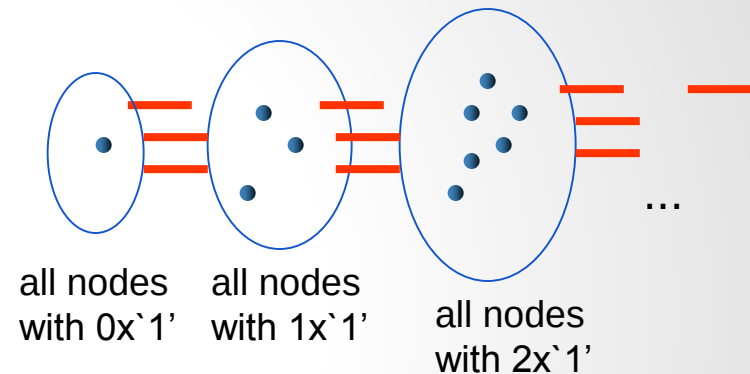
d-dim Hypercube:

Nodes $V = \{(b_d, \dots, b_1), b_i \in \{0,1\}\}$

Edges $E =$ for all i : $(b_d, \dots, b_i, \dots, b_1)$
connected to $(b_d, \dots, 1-b_i, \dots, b_1)$

Expansion? Find small neighborhood!

$$1/\sqrt{d} = 1/\sqrt{\log n}$$



Idea: nodes with i x`1` are connected to which nodes?

To nodes with $(i-1)$ x`1` and $(i+1)$ x`1`....:

Hypercube: Expansion (upper bound for a ball)

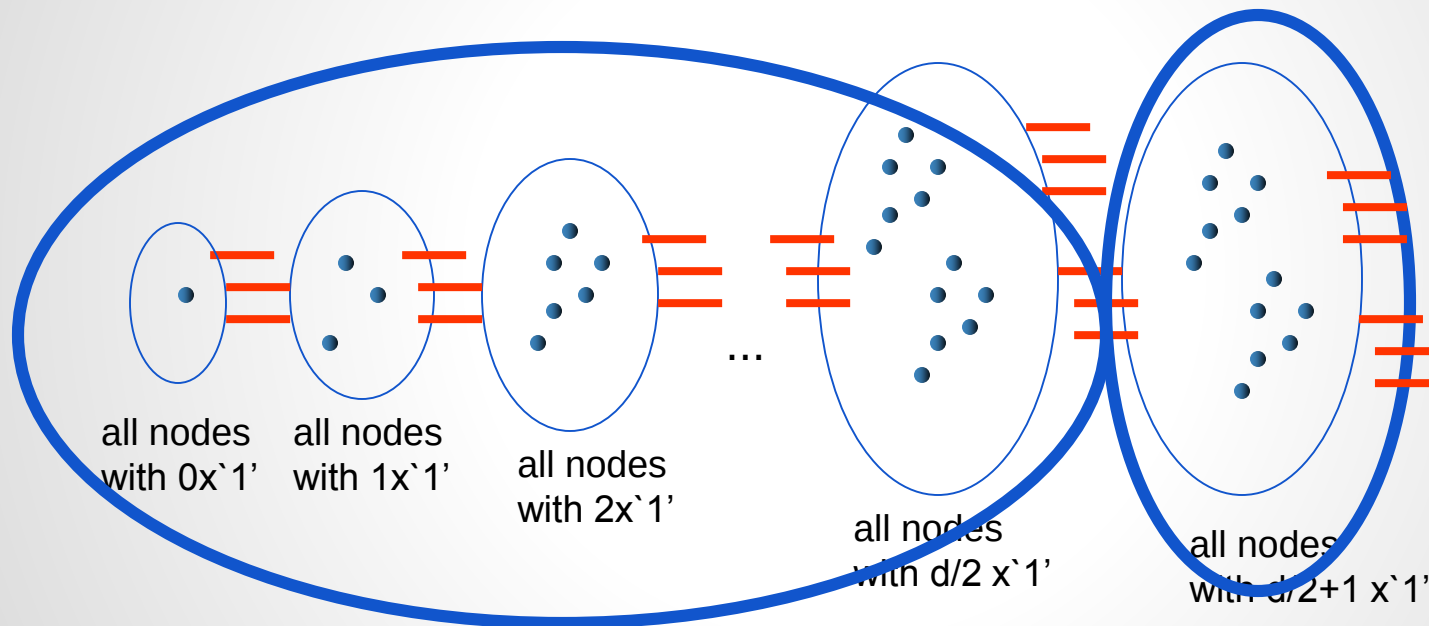
Idea:

How many nodes?

U ($\sim n/2$ nodes)

$\Gamma(U)$ (= ?)

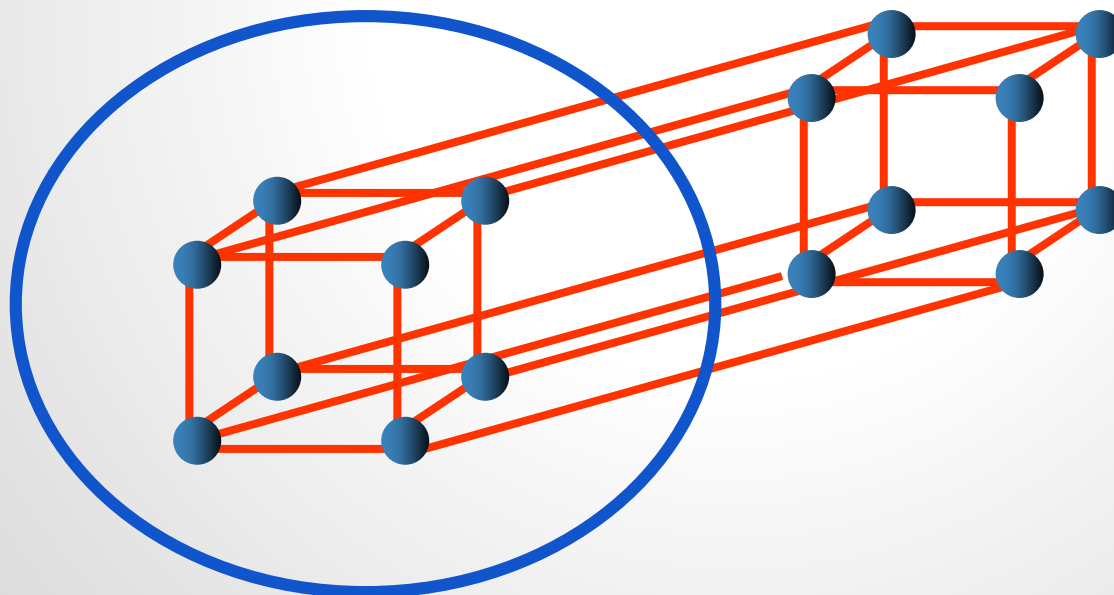
= binomial($d, d/2+1$)



Expansion then follows from computing the ratio...

Hypercube: Expansion

- ❑ The expansion $1/\sqrt{\log n}$ is an upper bound only
- ❑ In general, it is just $1/\log n$: In the dimension cut, 1 out of $\log n$ edges crosses the dimension

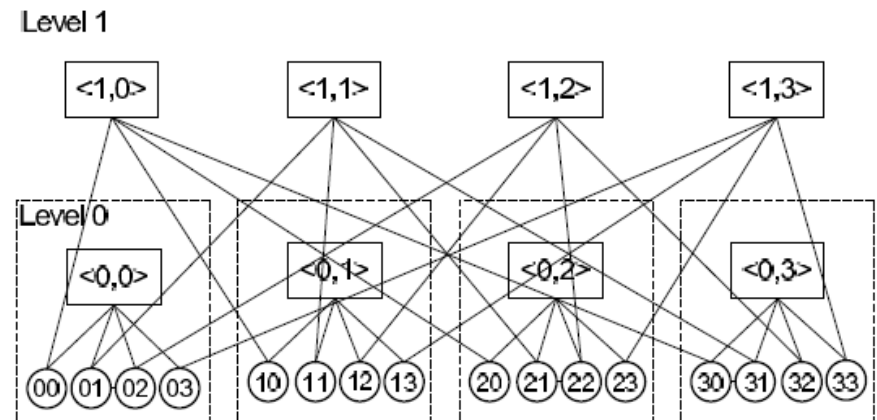
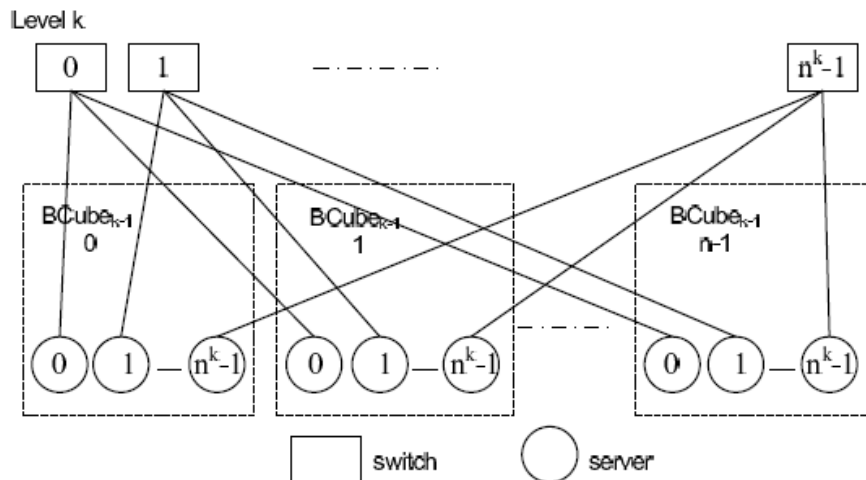


Datacenter Topologies

- Many more recently proposed datacenter topologies are hypercubic: BCube, MDCube, even Jellyfish

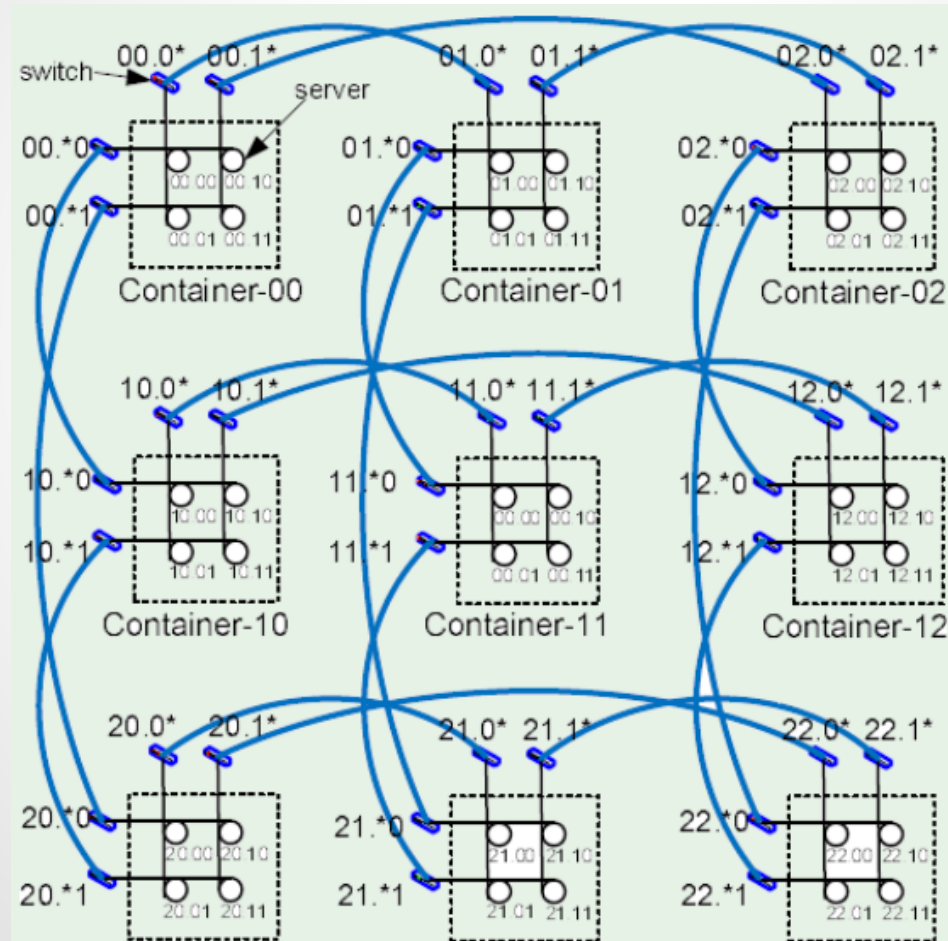
- Example: BCube

- Modular design: based on shipping containers
- Server centric: switches only connect to servers, but not other switches
- Low-cost, mini-switches



Datacenter Topologies

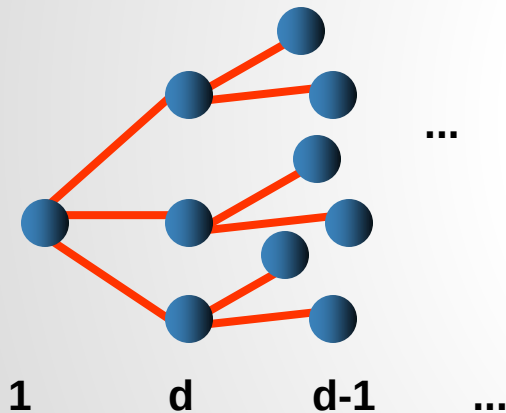
❑ Example: MDCube



What is the degree-diameter tradeoff? Idea? Proof?

Theorem

Each network with n nodes and max degree $d > 2$ must have a diameter of at least $\log(n)/\log(d-1)-1$.



In two steps, at most

$$d(d-1)$$

additional nodes can be reached!

So in k steps at most:

$$1 + \sum_{i=0}^{k-1} d \cdot (d-1)^i = 1 + d \cdot \frac{(d-1)^k - 1}{(d-1) - 1} \leq \frac{d \cdot (d-1)^k}{d-2}$$

To ensure it is connected this **must be at least n** , so:

$$(d-1)^k \geq \frac{(d-2) \cdot n}{d} \Leftrightarrow k \geq \log_{d-1} \left(\frac{(d-2) \cdot n}{d} \right) \Leftrightarrow k \geq \log_{d-1} n + \log_{d-1} \left(\frac{d-2}{d} \right)$$

Reformulating this yields the claim... ☺

What is the best tradeoff? E.g., Pancake Graphs

Graph which minimizes $\max(\text{degree}, \text{diameter})$!

Both in $O(\log n / \log \log n)$

Nodes = permutations of $\{1, \dots, d\}$

Edges = **prefix reversals**

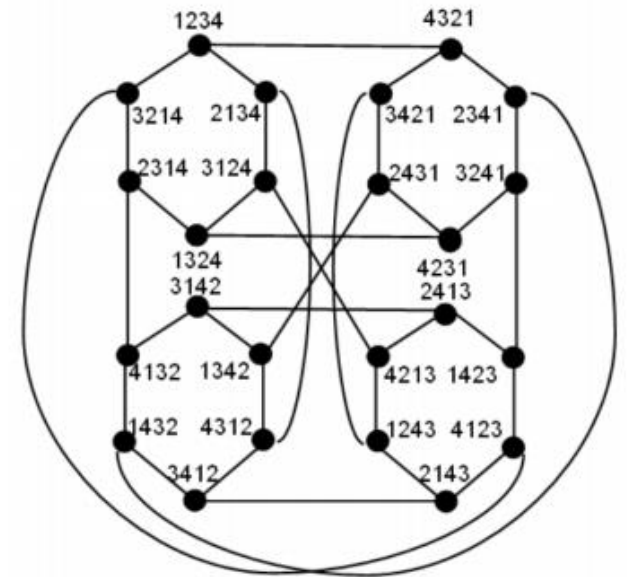
nodes? degree?

$d!$ many nodes and degree $(d-1)$.

Routing?

E.g., from (3412) to (1243)?

Fix bits at the back, one after the other, in two steps, so diameter also $\log n / \log \log n$.



$d! = n$,
so by Stirling formula:
 $d = \log(n)/\log \log(n)$
(insert it to $d^d = n$, resp. to
 $d \log(d) = \log(n) \dots$)

Drawing Pancake Graphs

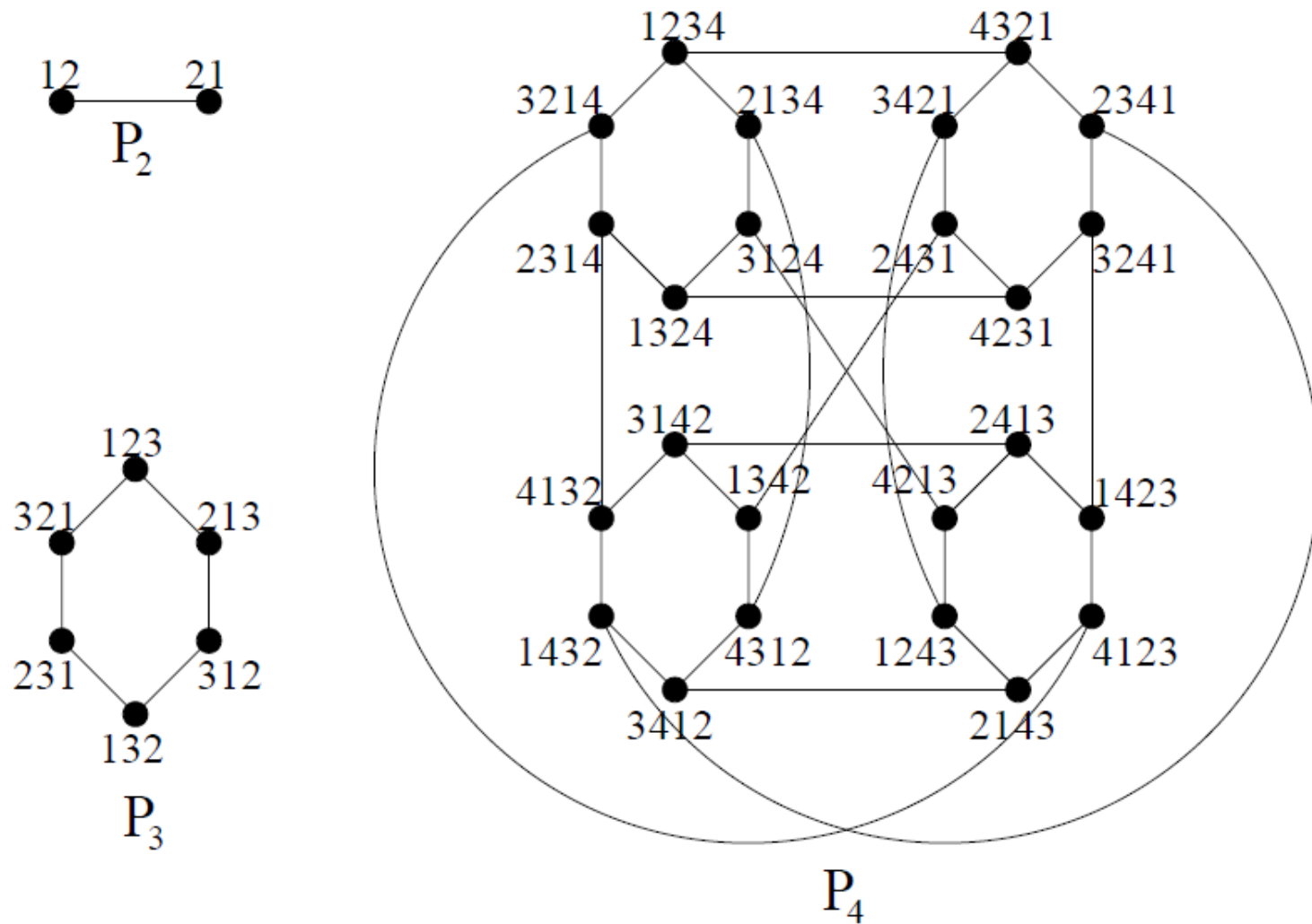
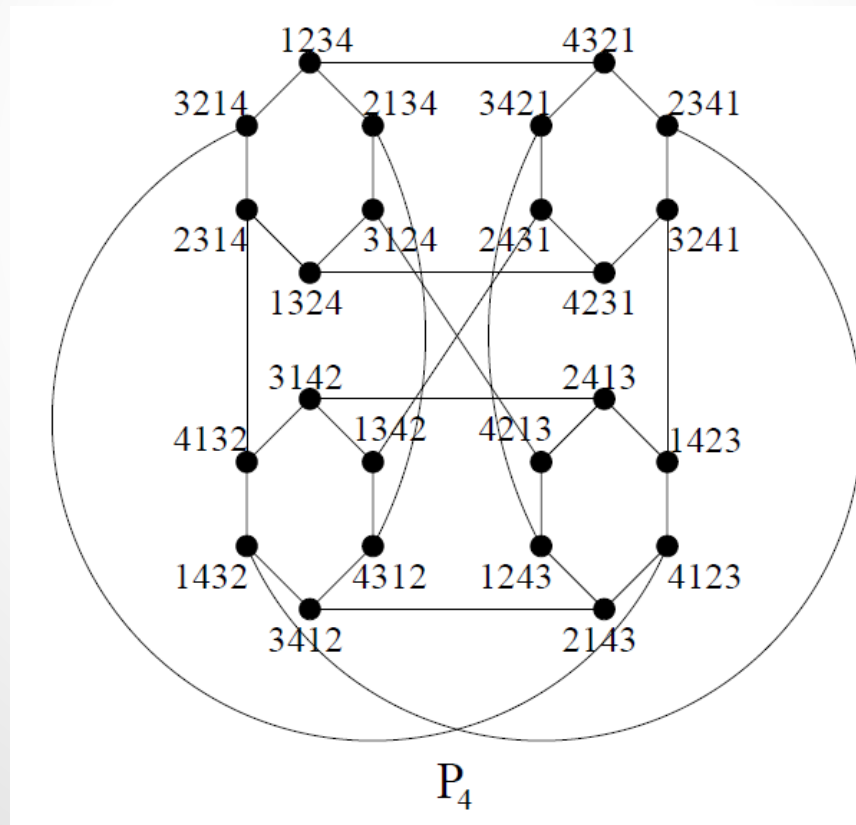


Figure 1: Pancake graphs for $n = 2, 3, 4$.

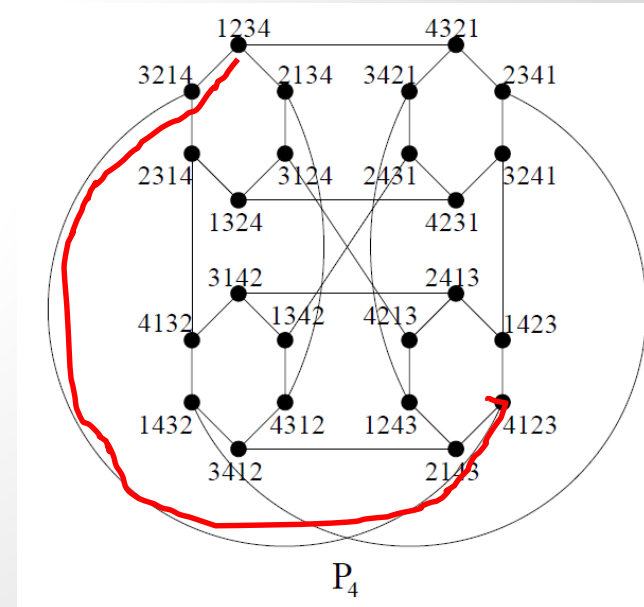
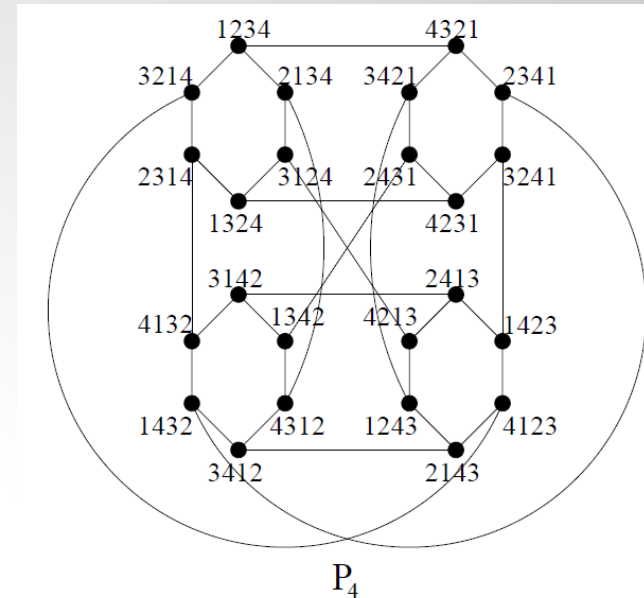
Degree Pancake Graphs

There are $n-1$ non-trivial prefix reversals for an n -dimensional Pancake with n digits



Diameter of Pancake Graphs

- How to get from node $v=v_1\dots v_n$ to $w=w_1\dots w_n$?
- Idea: fix one digit after the other at the back!
 - Two steps: Prefix reversal such that digit is at the front, then full prefix reversal such that digit is at the back
- Length of routing path: at most $2*(n-1)$
- Papadimitriou and Bill Gates have shown that this is asymptotically also optimal (i.e., close to diameter)

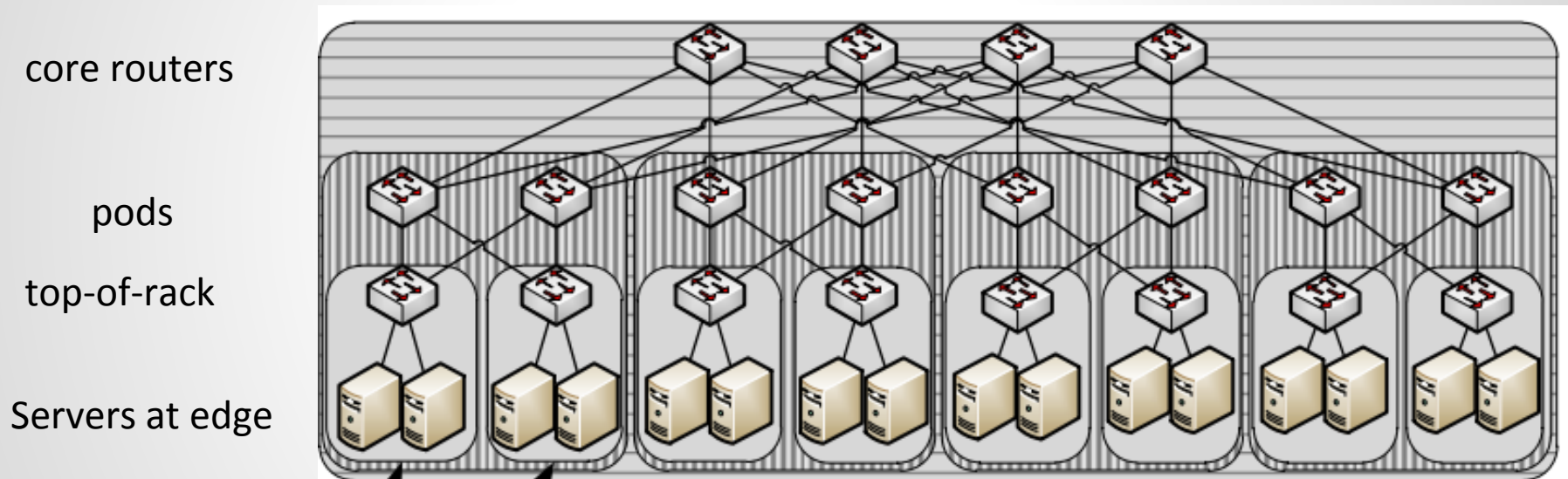


Rough Plan

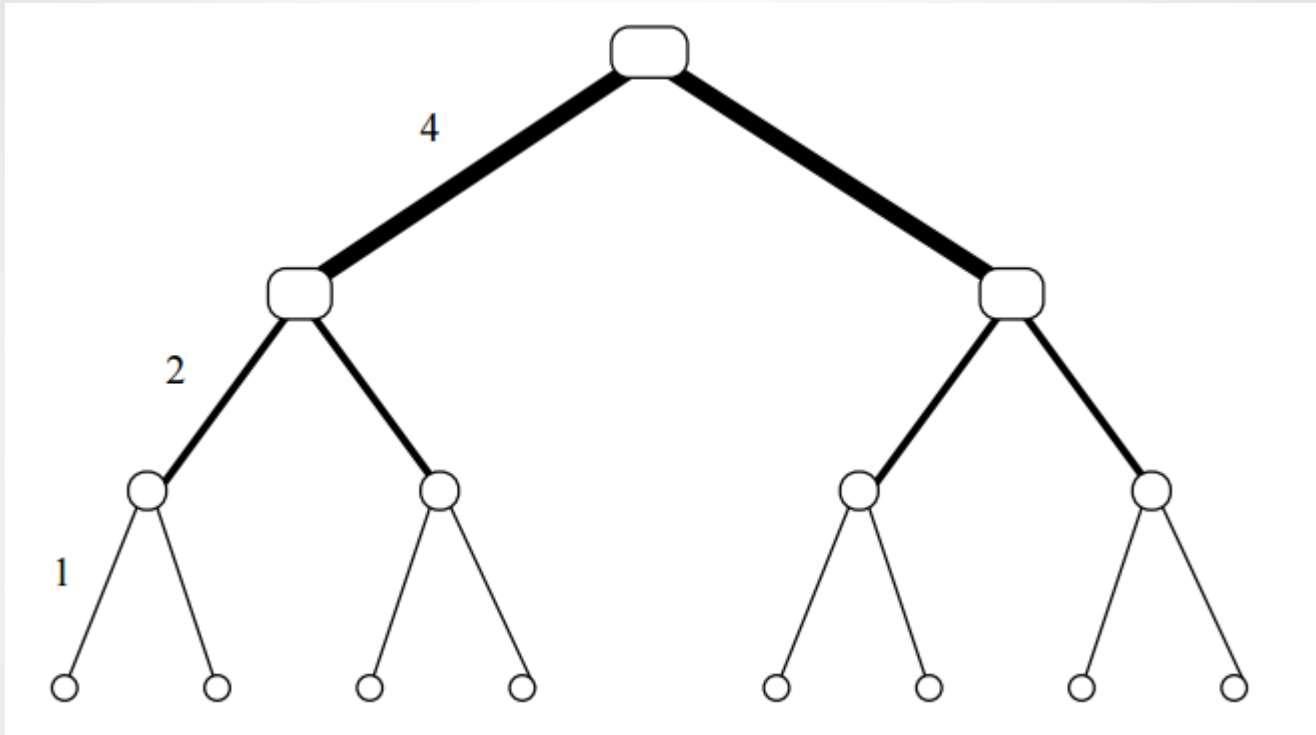
- ❑ SDN and Network Virtualization: Debunking some myths and misunderstandings
- ❑ Some fundamental research challenges
- ❑ **Mini-Tutorial: How to exploit flexiblities in virtualized networked systems? 😊**
- ❑ Mini-Tutorial: How are datacenters designed?
- ❑ Mini-Tutorial: Put your hands on SDN

How to Embed a VNet in a Typical Datacenter Topology?

- ❑ If realized with multiple commodity switches and links



A Typical Datacenter Topology

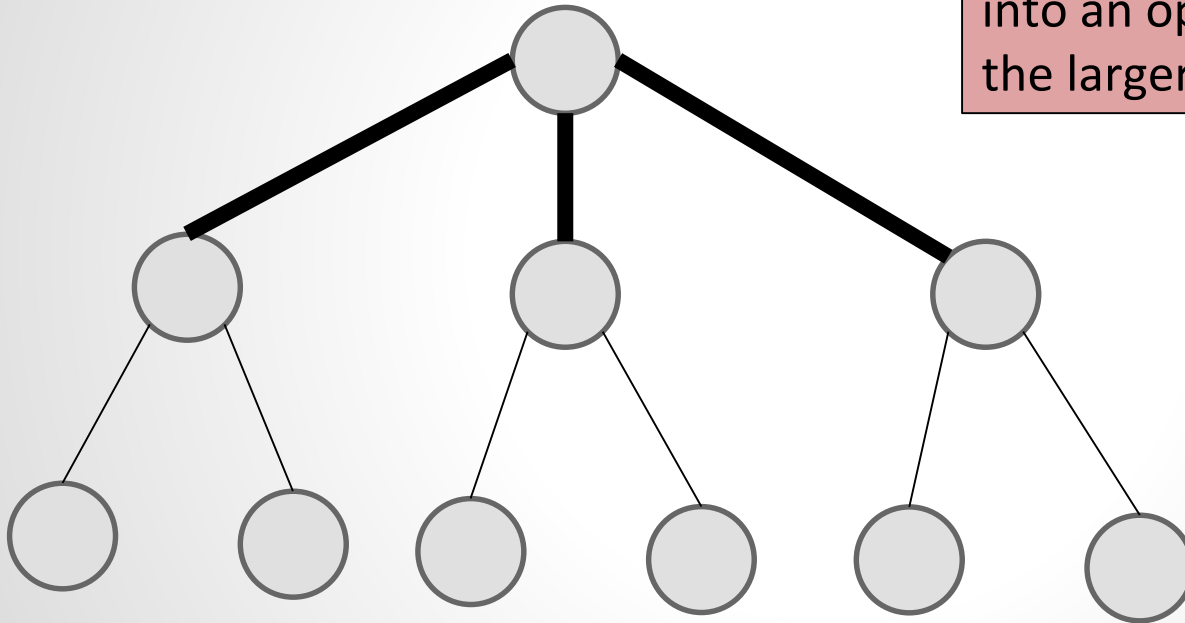


But due to ECMP, often ok to think of it like this.

How to embed a Virtual Cluster in a Fat-Tree?

- Example: dynamic programming

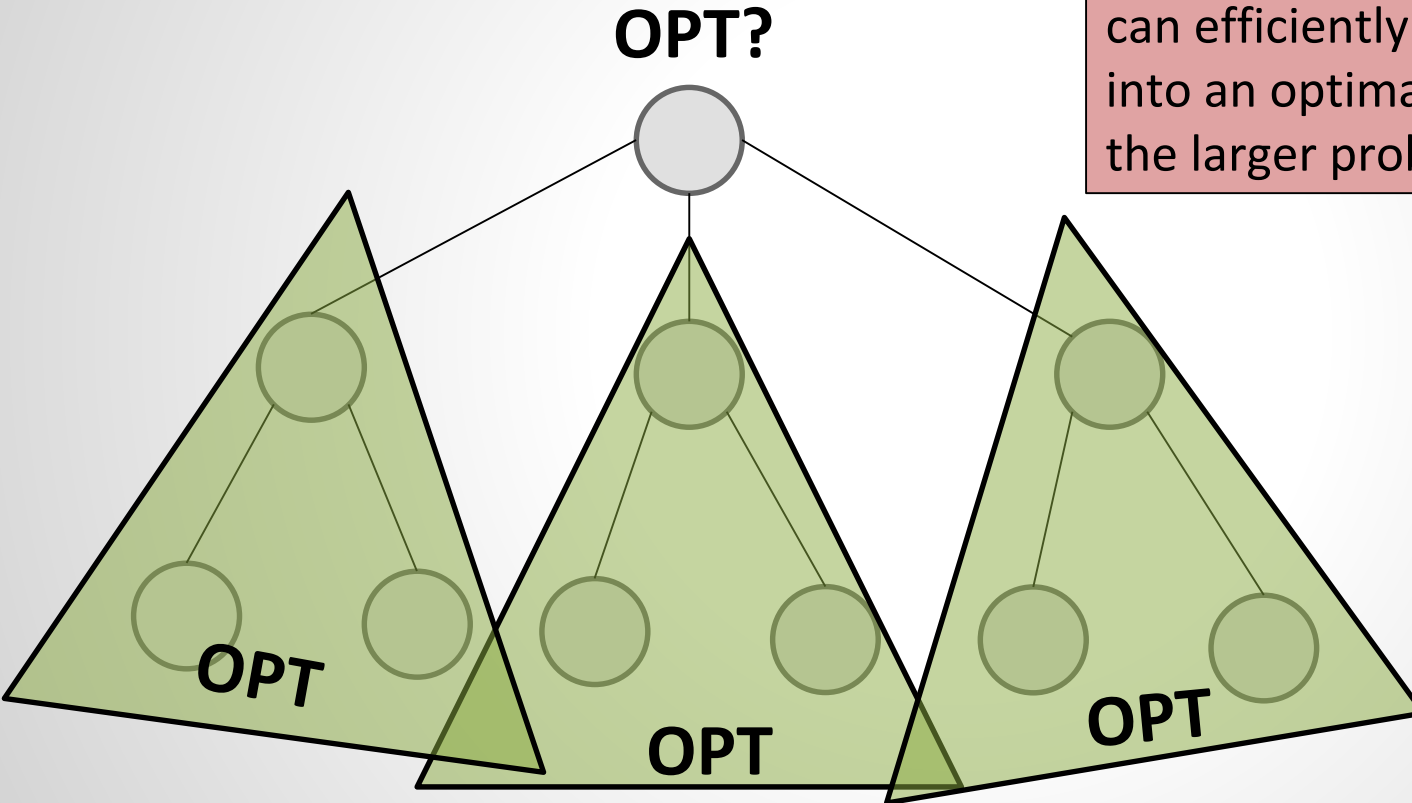
Dynamic Program = optimal solutions for subproblems can efficiently be combined into an optimal solution for the larger problem!



How to embed a Virtual Cluster in a Fat-Tree?

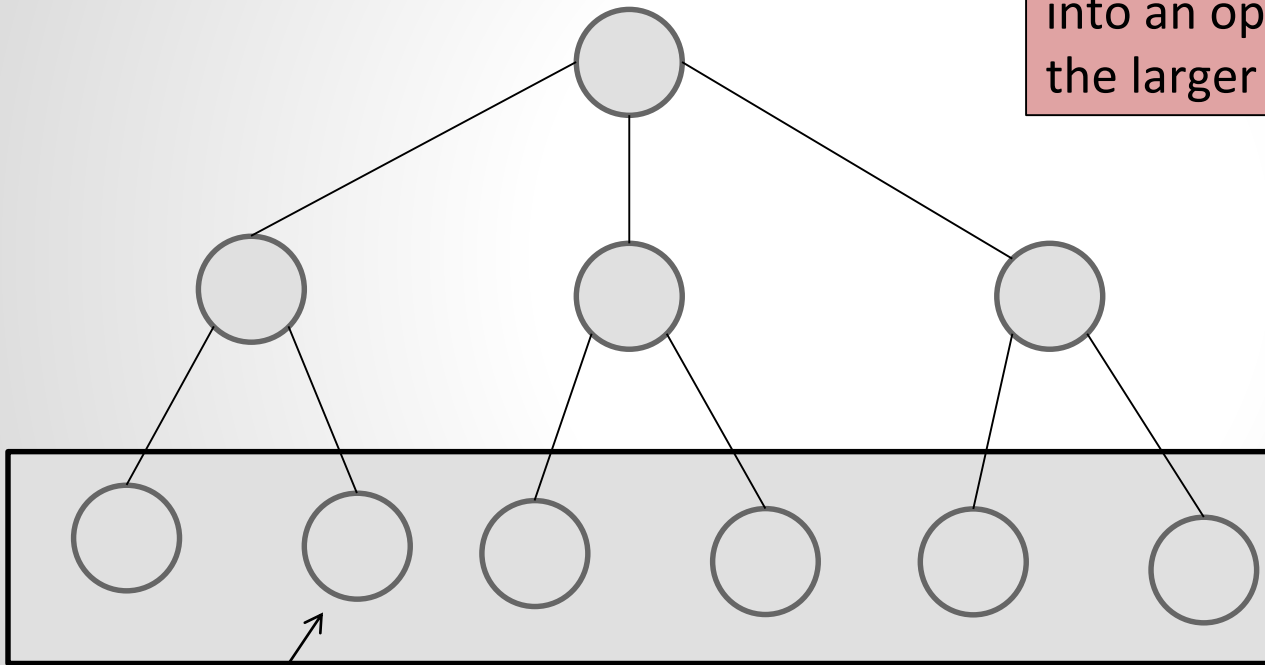
- Example: dynamic programming

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How to embed a Virtual Cluster in a Fat-Tree?

Dynamic Program = optimal solutions for subproblems can efficiently be combined into an optimal solution for the larger problem!



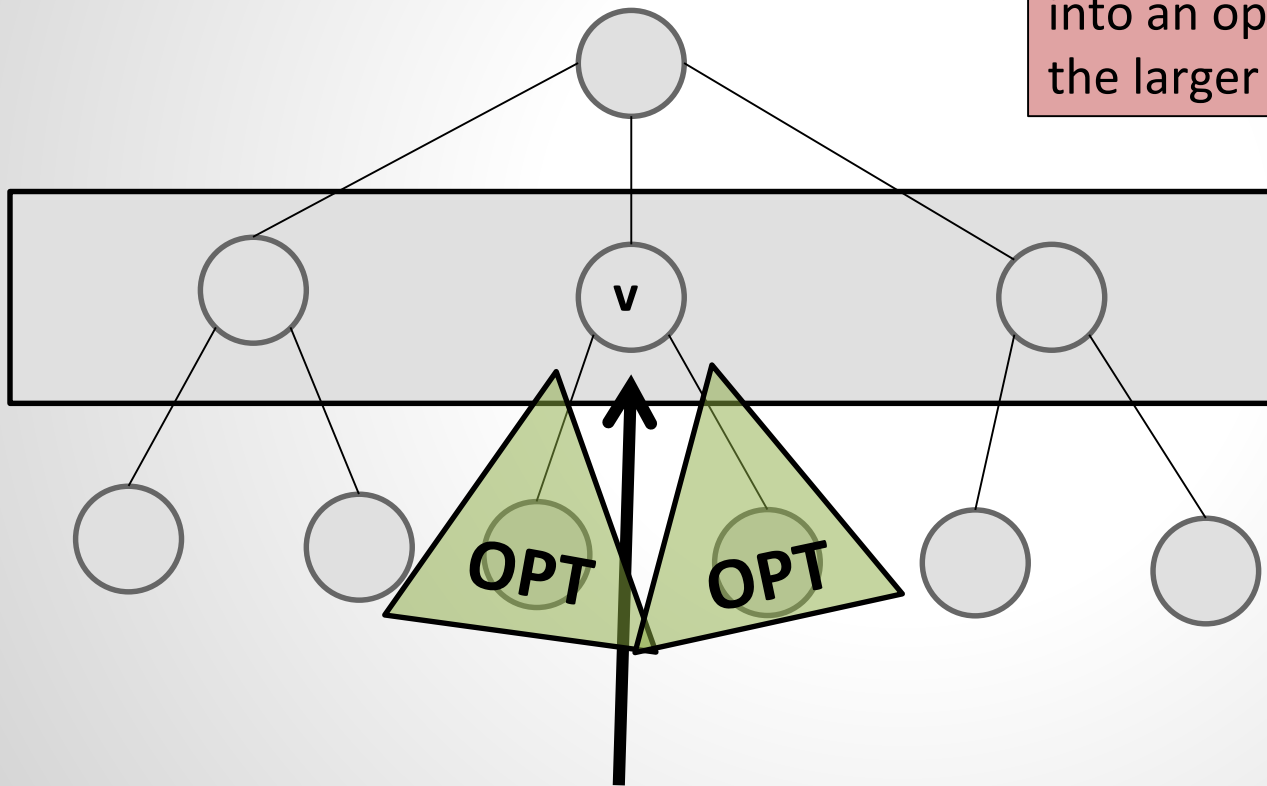
t = 0: solve leaves!

How to optimally embed x VMs here, $x \in \{0, \dots, n\}$?

Cost = 0 or ∞ !

How to embed a Virtual Cluster in a Fat-Tree?

Dynamic Program = optimal solutions for subproblems can efficiently be combined into an optimal solution for the larger problem!



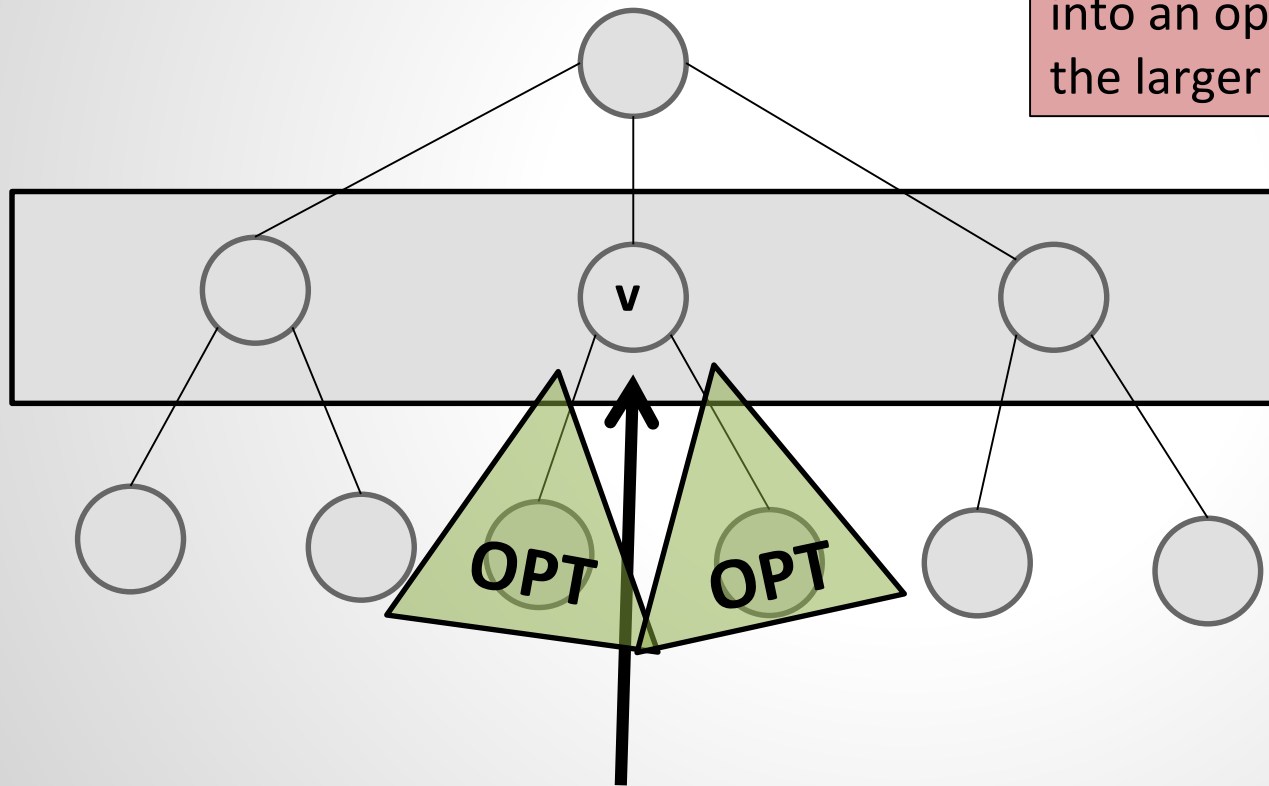
t = 1: solve height 1!

$$\text{Cost}[x] = \min_y \text{Cost}[y] + \text{Cost}[x-y]$$

+ cross-traffic + connections to v

How to embed a Virtual Cluster in a Fat-Tree?

Dynamic Program = optimal solutions for subproblems can efficiently be combined into an optimal solution for the larger problem!



t = 1: solve height 1!

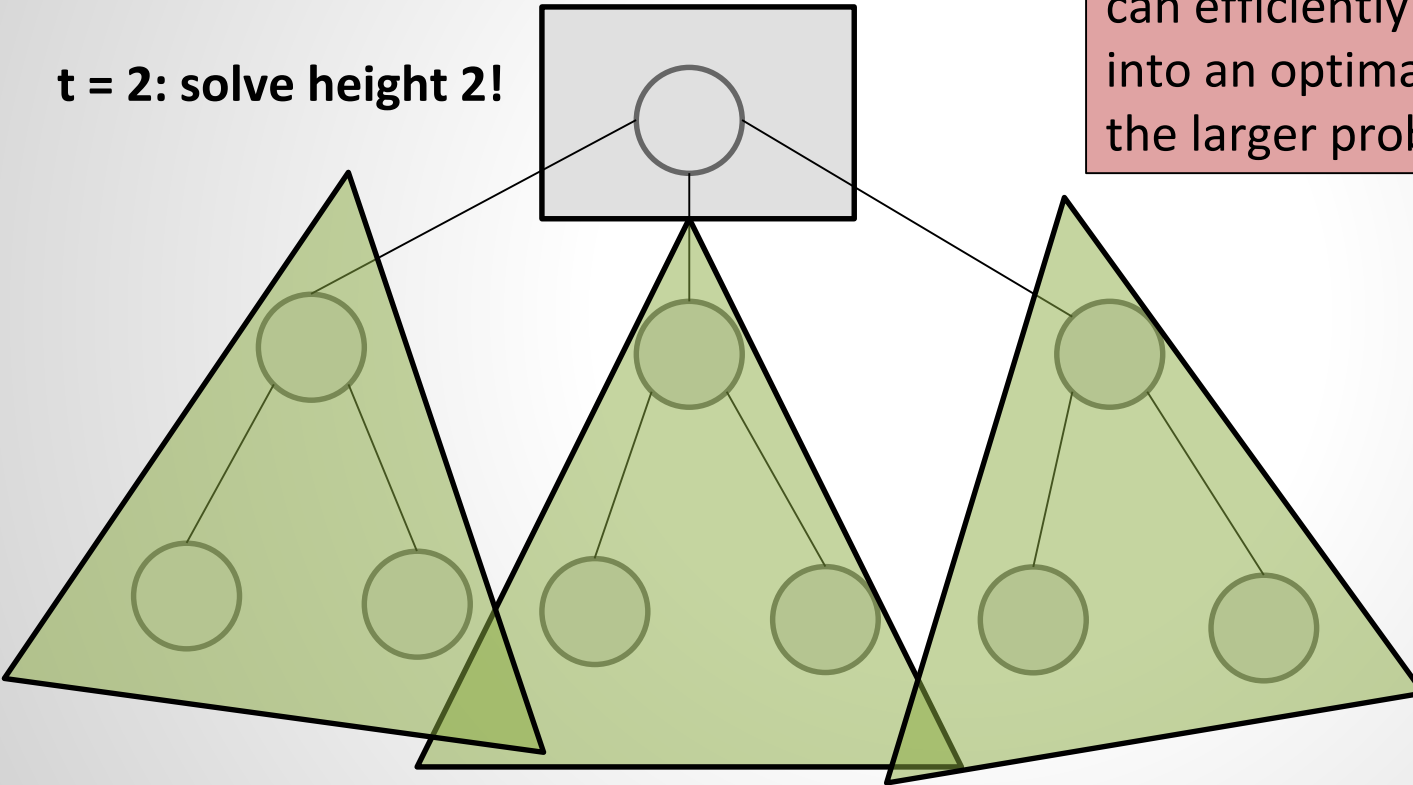
$$\text{Cost}[x] = \min_y \text{Cost}[y] + \text{Cost}[x-y]$$

+ cross-traffic + connections to v

**} Or just account on upward link
(number of leaving links!)**

How to embed a Virtual Cluster in a Fat-Tree?

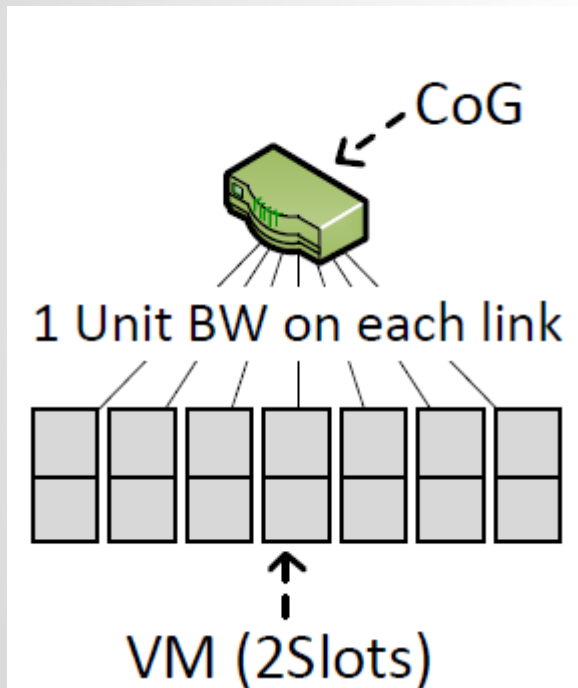
t = 2: solve height 2!



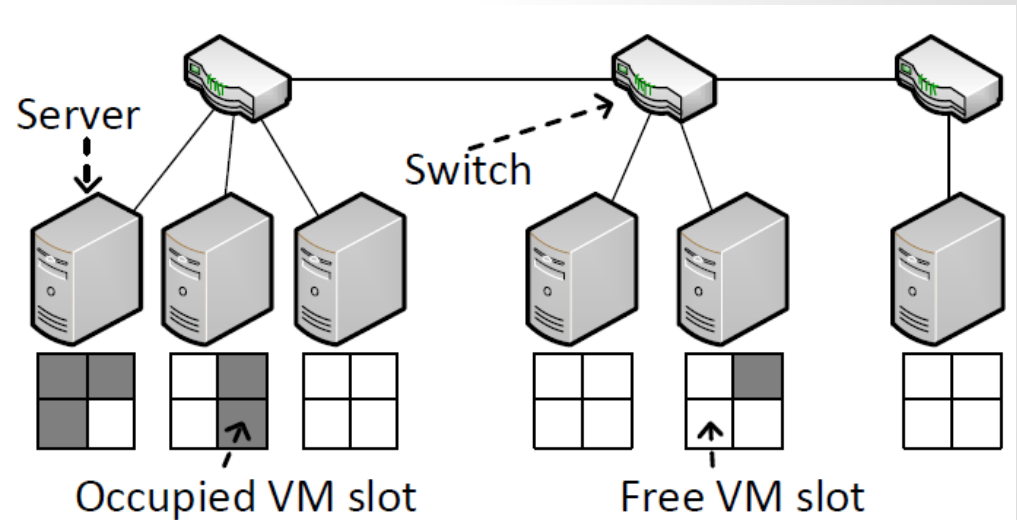
Dynamic Program = optimal solutions for subproblems can efficiently be combined into an optimal solution for the larger problem!

How to embed a Virtual Cluster in a General Graph?

How to embed?



Guest Graph

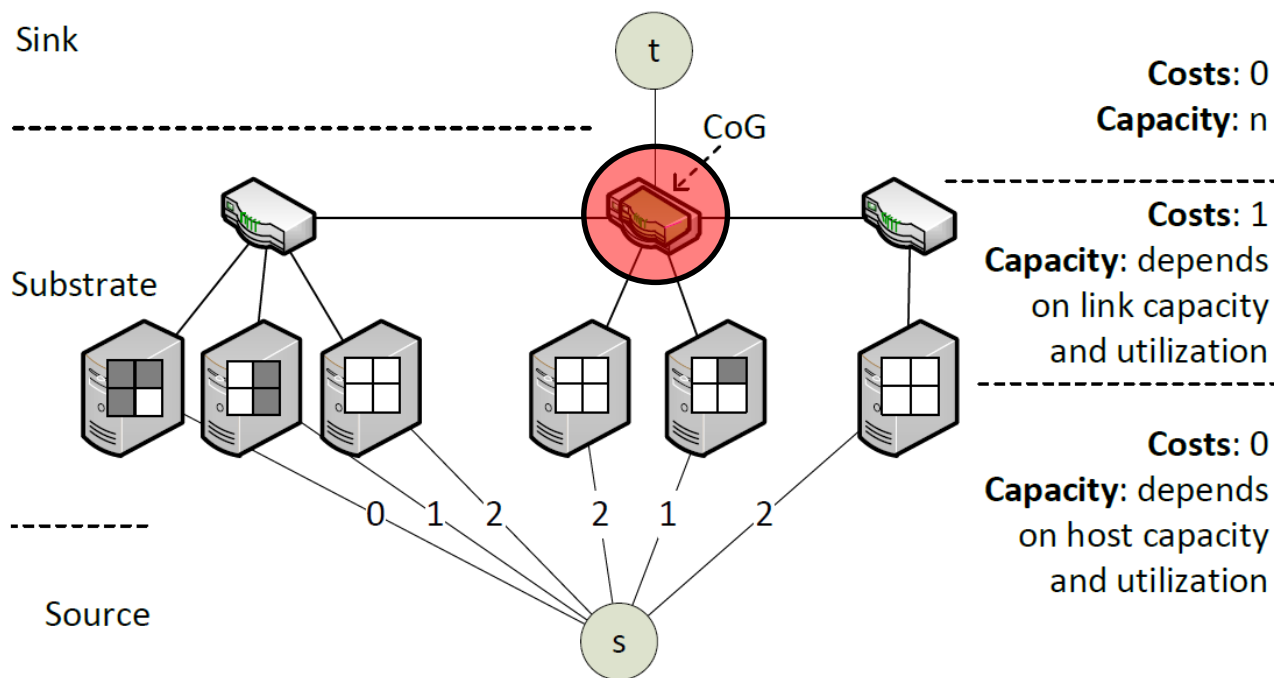
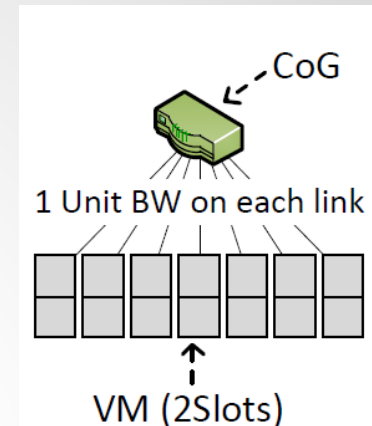


Host Graph

How to embed a Virtual Cluster in a General Graph?

Algorithm:

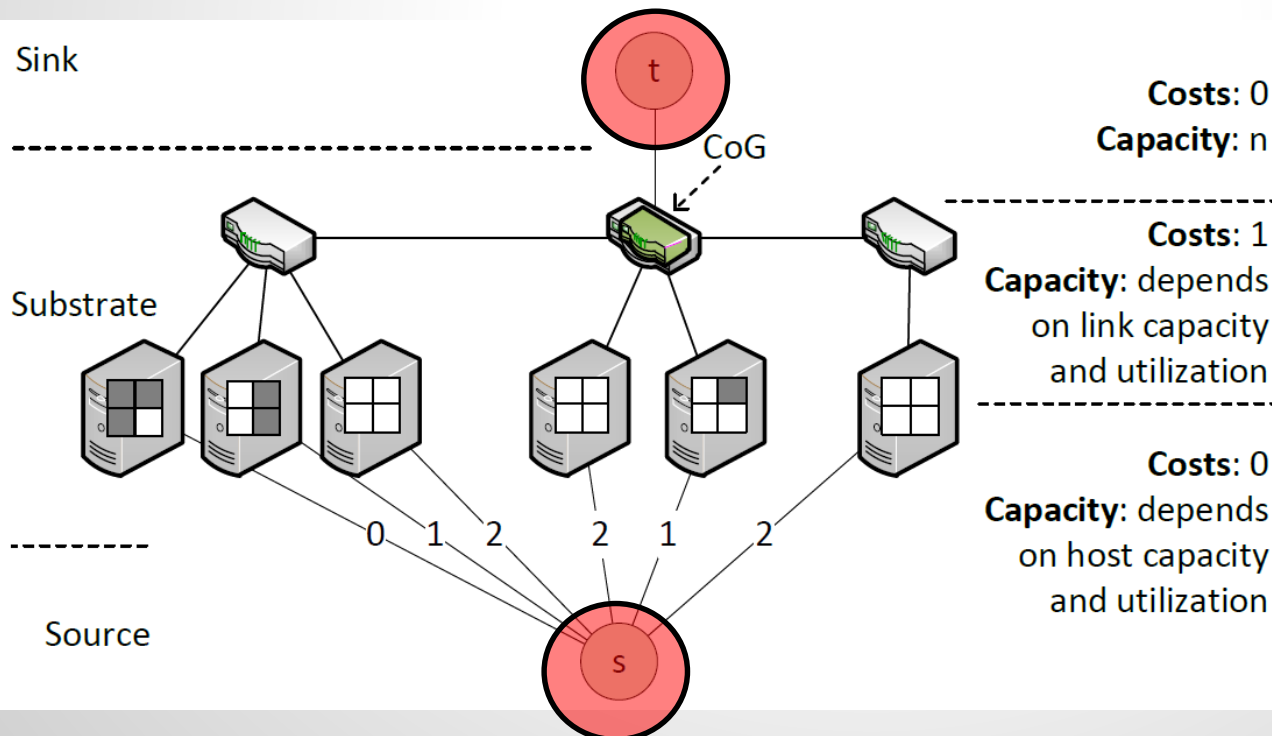
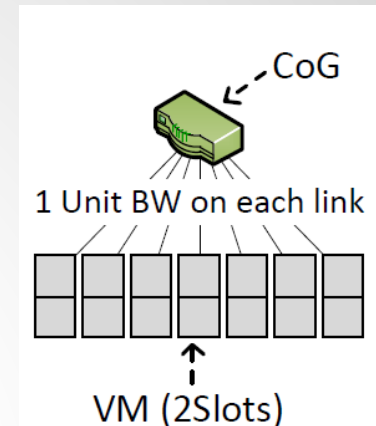
- Try all possible locations for virtual switch
- Extend network with artificial source s and sink t
- Add capacities
- Compute min-cost max-flow from s to t
(or simply: min-cost flow of volume n)



How to embed a Virtual Cluster in a General Graph?

Algorithm:

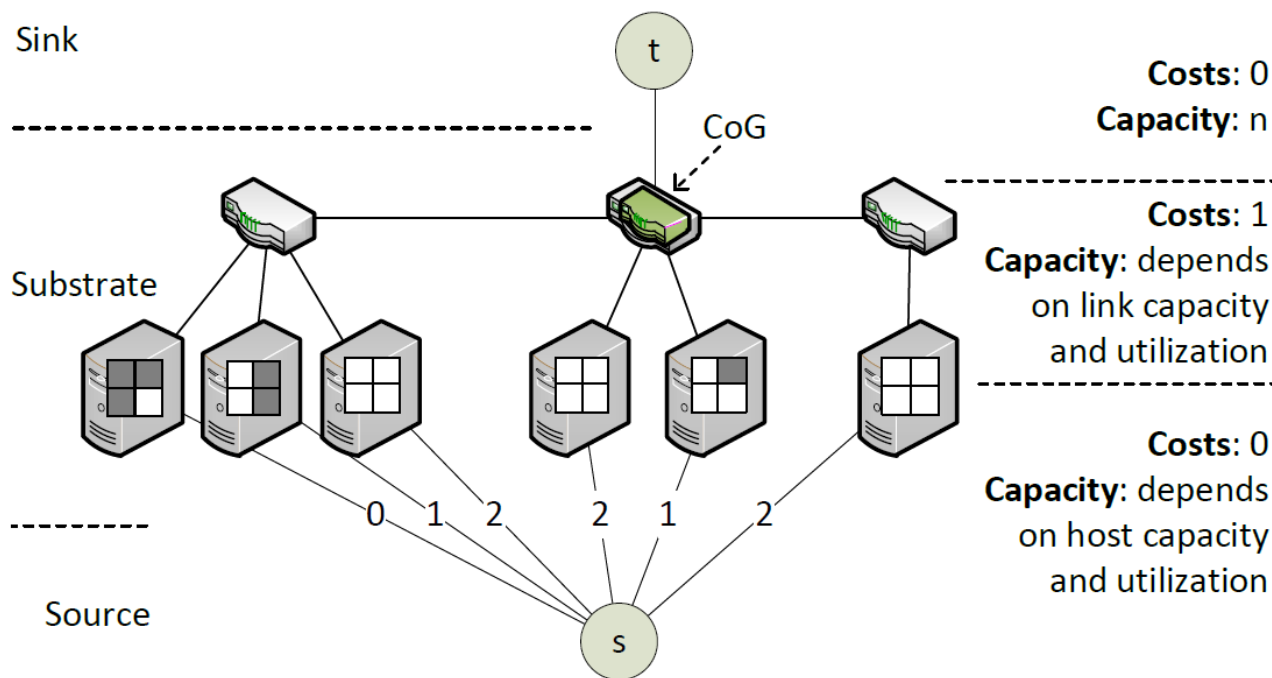
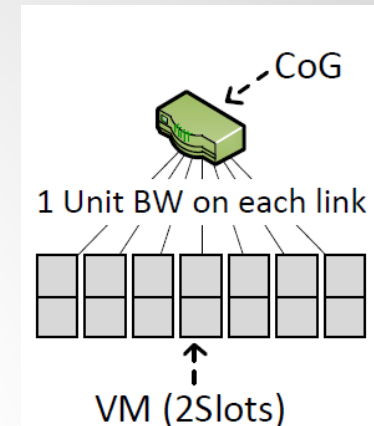
- Try all possible locations for virtual switch
- **Extend network with artificial source s and sink t**
- Add capacities
- Compute min-cost max-flow from s to t
(or simply: min-cost flow of volume n)



How to embed a Virtual Cluster in a General Graph?

Algorithm:

- Try all possible locations for virtual switch
- Extend network with artificial source s and sink t
- **Add capacities**
- Compute min-cost max-flow from s to t
(or simply: min-cost flow of volume n)



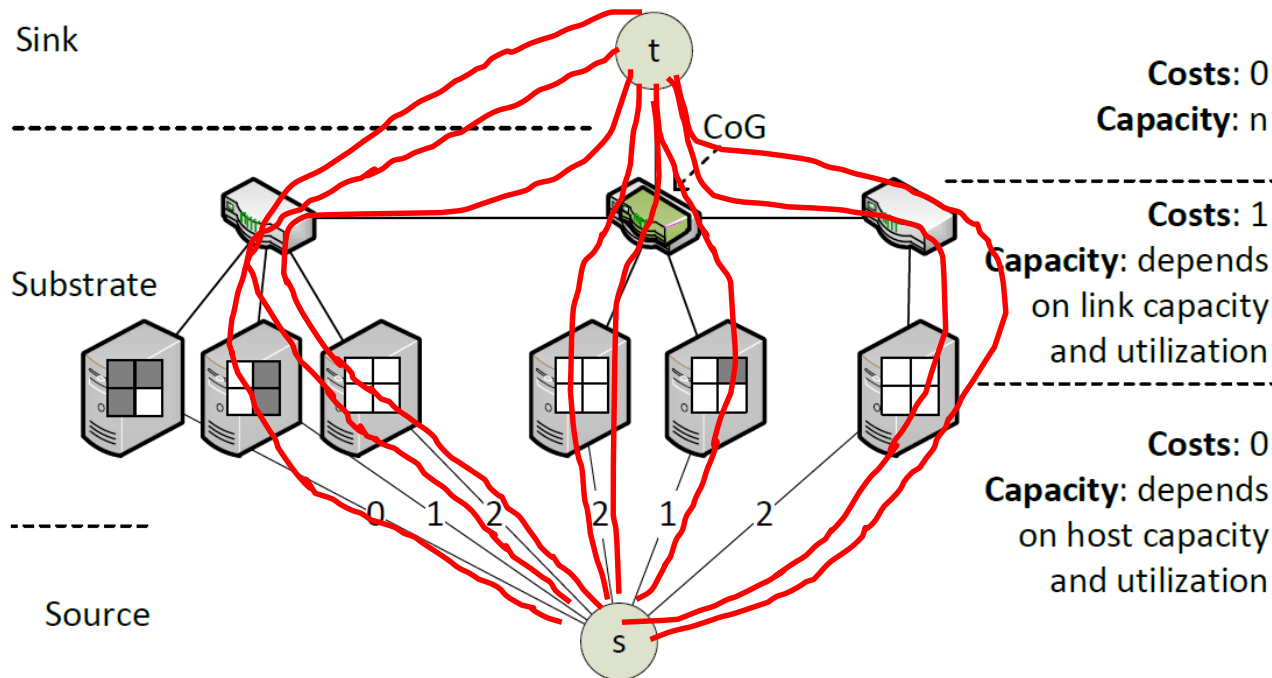
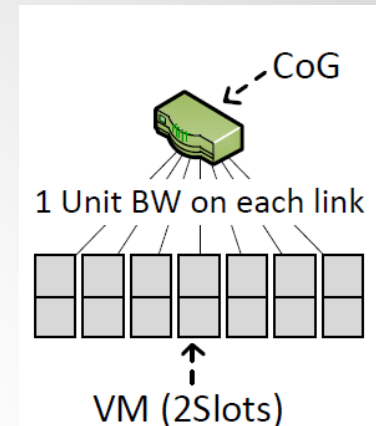
enough to embed n VMs

capacity = $\text{floor}(\text{available resources} / \text{unit demand})$

How to embed a Virtual Cluster in a General Graph?

Algorithm:

- Try all possible locations for virtual switch
- Extend network with artificial source s and sink t
- Add capacities
- **Compute min-cost max-flow from s to t**
(or simply: min-cost flow of volume n)



**Guaranteed integer
if links are integer!
(E.g., successive
shortest paths)**

Reading / Literature Pointer

- [Beyond the Stars: Revisiting Virtual Cluster Embeddings](#)
Matthias Rost, Carlo Fuerst, and Stefan Schmid.
ACM SIGCOMM Computer Communication Review (CCR), July 2015.
- [It's About Time: On Optimal Virtual Network Embeddings under Temporal Flexibilities](#)
Matthias Rost, Stefan Schmid, and Anja Feldmann.
28th IEEE International Parallel and Distributed Processing Symposium (IPDPS), Phoenix, Arizona, USA, May 2014.
- [Optimizing Long-Lived CloudNets with Migrations](#)
Gregor Schaffrath, Stefan Schmid, and Anja Feldmann.
5th IEEE/ACM International Conference on Utility and Cloud Computing (UCC), Chicago, Illinois, USA, November 2012.
- [How Hard Can It Be? Understanding the Complexity of Replica Aware Virtual Cluster Embeddings](#)
Carlo Fuerst, Maciek Pacut, Paolo Costa, and Stefan Schmid.
23rd IEEE International Conference on Network Protocols (ICNP), San Francisco, California, USA, November 2015.

Solving the VNEP

- ❑ Formulate a Mixed Integer Program!
- ❑ Leverage additional structure!
- ❑ **Use online primal-dual approach**

Guarantees Over Time

- ❑ How to provide guarantees over time?
- ❑ Realm of online algorithms and competitive analysis
 - ❑ Input to algorithm: sequence σ (e.g., sequence of requests)
 - ❑ Online algorithm ON does not know requests $t' > t$
 - ❑ Needs to be perform close to optimal offline algorithm OFF who knows future!



Competitive Analysis

Competitive ratio ρ : max over all possible sequences σ

$$\rho = \text{Cost}(\text{ON}) / \text{Cost}(\text{OFF})$$

Guarantees Over Time

- ❑ How to provide guarantees over time?
- ❑ Realm of online algorithms and competitive analysis
 - ❑ **Nice:** If competitive ratio is low, there is no need to develop any sophisticated prediction models (which may be wrong anyway)! The guarantee holds in the worst-case.

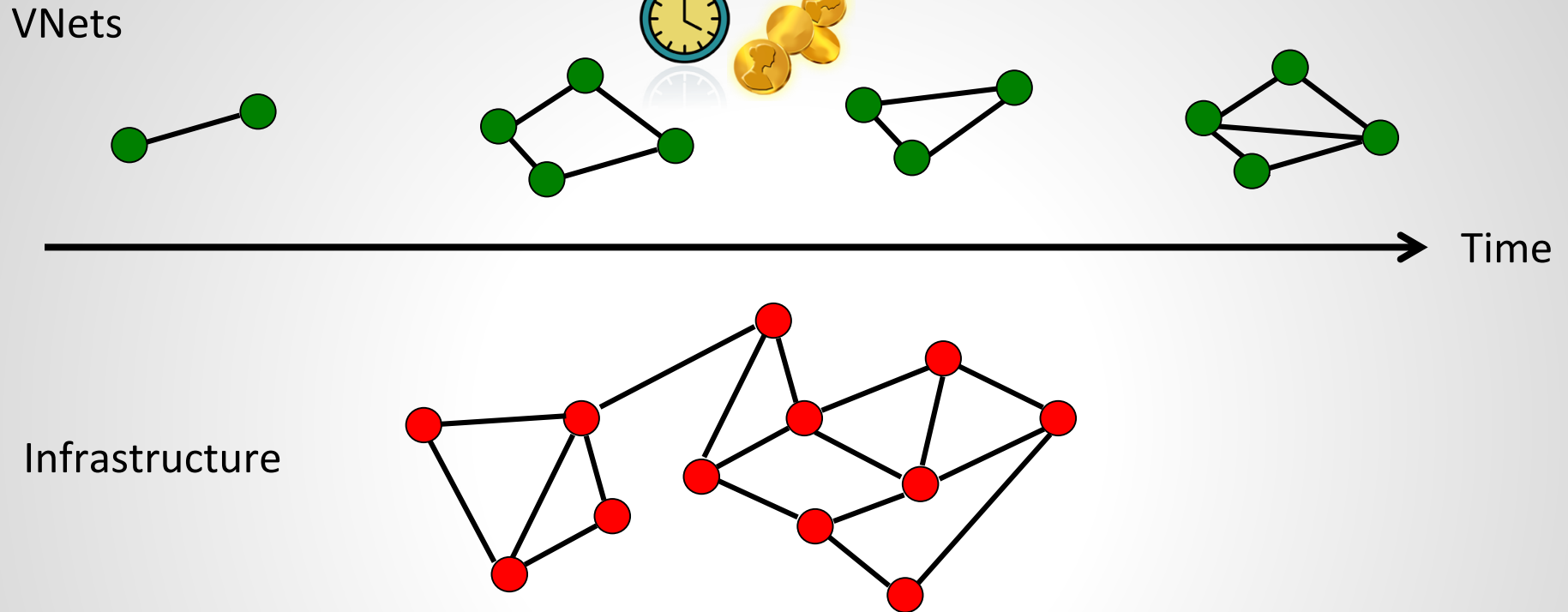


Competitive Analysis

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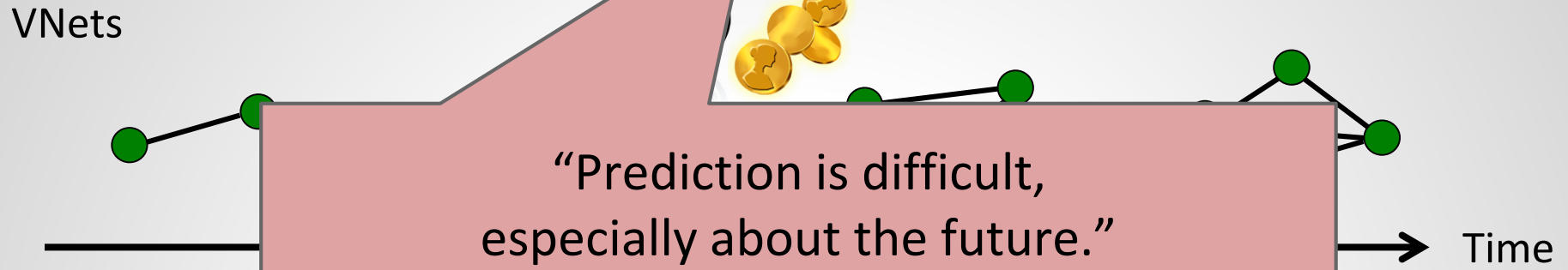
$$\rho = \text{Cost}(\text{ON}) / \text{Cost}(\text{OFF})$$

Online Access Control (1)



- ❑ Assume: end-point locations given
- ❑ Different routing and traffic models
- ❑ Price and duration
- ❑ Which ones to accept?
- ❑ Online Primal-Dual Framework (Buchbinder and Naor)

Online Access Control (1)



Infrastructure

- ❑ Assume:
- ❑ Different
- ❑ Price and duration
- ❑ Which ones to accept?
- ❑ Online Primal-Dual Framework (Buchbinder and Naor)



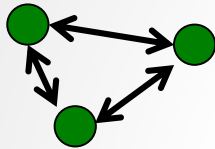
Nils Bohr

Online Access Control (2)

❑ Traffic models

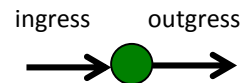
Customer Pipe

Traffic matrix:
Bandwidth per
VM pair (u,v)



Hose Model

Per VM
bandwidth:
polytope of traffic
matrices.



virtual switch

Aggregate Ingress

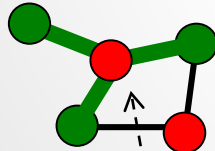
Only ingress
specified: e.g.,
support multicast
etc.



❑ Routing models

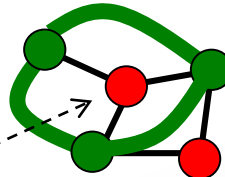
Tree

Steiner tree
embedding



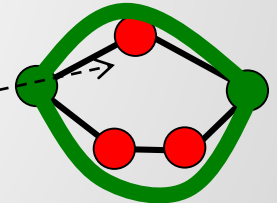
Single Path

Unsplittable
paths



Multi-Path

Splittable paths
(more capacity)



Relay costs: e.g., depending on packet rate

Online Access Control (3)

$\begin{aligned} \min \quad & Z_j^T \cdot \mathbf{1} + X^T \cdot C \quad s.t. \\ & Z_j^T \cdot D_j + X^T \cdot A_j \geq B_j^T \\ & X, Z_j \geq \mathbf{0} \end{aligned}$ (I)	$\begin{aligned} \max \quad & B_j^T \cdot Y_j \quad s.t. \\ & A_j \cdot Y_j \leq C \\ & D_j \cdot Y_j \leq \mathbf{1} \\ & Y_j \geq \mathbf{0} \end{aligned}$ (II)
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Fig. 1: (I) The primal covering LP. (II) The dual packing LP.



Algorithm

Algorithm 1 The General Integral (all-or-nothing) Packing Online Algorithm (GIPO).

Upon the j th round:

1. $f_{j,\ell} \leftarrow \operatorname{argmin}\{\gamma(j, \ell) : f_{j,\ell} \in \Delta_j\}$ (oracle procedure)
2. If $\gamma(j, \ell) < b_j$ then, (accept)
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- (c) $z_j \leftarrow b_j - \gamma(j, \ell)$.
3. Else, (reject)
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Competitive Analysis

Does not know $t' > t$.

Competitive ratio:

$$r = \text{Cost(ON)}/\text{Cost(OFF)}$$

Online Access Control (3)

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Does not know $t' > t$.

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Formulate the packing
(dual) LP: Maximize profit
(Note: dynamic LP!)

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s.t. constraints

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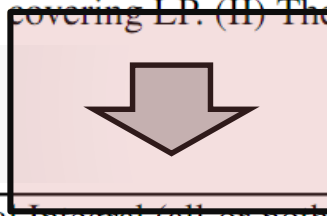
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← primal-dual framework

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Does not know $t' > t$.

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← optimal embedding!

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← Embedding cost vs profit?

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(c) $z_j \leftarrow b_j - \gamma(j, \ell)$.

3. Else, (reject)

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If cheap: accept and update primal variables (always feasible solution)

Online Access Control (3)

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← Else reject

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3. Else, (reject)

(a) $z_j \leftarrow 0$.

← Computationally hard!

Online Access Control (3)

$\begin{aligned} \min \quad & Z_j^T \cdot \mathbf{1} + X^T \cdot C \quad s.t. \\ & Z_j^T \cdot D_j + X^T \cdot A_j \geq B_j^T \\ & X, Z_j \geq \mathbf{0} \end{aligned}$ (I)	$\begin{aligned} \max \quad & B_j^T \cdot Y_j \quad s.t. \\ & A_j \cdot Y_j \leq C \\ & D_j \cdot Y_j \leq \mathbf{1} \\ & Y_j \geq \mathbf{0} \end{aligned}$ (II)
---	---

Fig. 1: (I) The primal covering LP. (II) The dual packing LP.



Algorithm

Algorithm 1 The General Integral (all-or-nothing) Packing Online Algorithm (GIPO).

Upon the j th round:

1. $f_{j,\ell} \leftarrow \operatorname{argmin}\{\gamma(j,\ell) : f_{j,\ell} \in \Delta_j\}$ oracle procedure
2. If $\gamma(j,\ell) < b_j$ then, (accept)
 - (a) $y_{j,\ell} \leftarrow 1$.
 - (b) For each row e : If $A_{e,(j,\ell)} \neq 0$ do

$$x_e \leftarrow x_e \cdot 2^{A_{e,(j,\ell)}/c_e} + \frac{1}{w(j,\ell)} \cdot (2^{A_{e,(j,\ell)}/c_e} - 1).$$

- (c) $z_j \leftarrow b_j - \gamma(j,\ell)$.
3. Else, (reject)
 - (a) $z_j \leftarrow 0$.

Competitive Analysis

Does not know $t' > t$.

Competitive ratio:

$$r = \text{Cost(ON)}/\text{Cost(OFF)}$$

Computationally hard!

Use your favorite approximation algorithm! If competitive ratio ρ and approximation r , overall competitive ratio $\rho * r$.

Reading / Literature Pointer

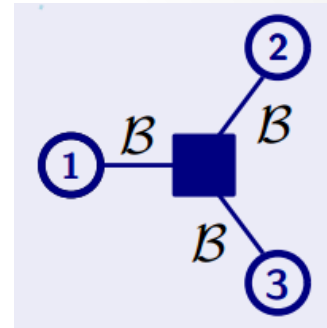
- [Competitive and Deterministic Embeddings of Virtual Networks](#)
Guy Even, Moti Medina, Gregor Schaffrath, and Stefan Schmid.
Journal Theoretical Computer Science (**TCS**), Elsevier, 2013.
- [It's About Time: On Optimal Virtual Network Embeddings under Temporal Flexibilities](#)
Matthias Rost, Stefan Schmid, and Anja Feldmann.
28th IEEE International Parallel and Distributed Processing Symposium (**IPDPS**), Phoenix, Arizona, USA, May 2014.

A Note on the Hose Model (1)

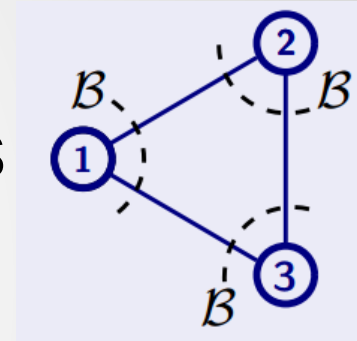
- ❑ Recall: Virtual Cluster Abstraction

- ❑ Two interpretations:

- ❑ Logical switch at unique location
- ❑ Logical switch can be distributed



VS

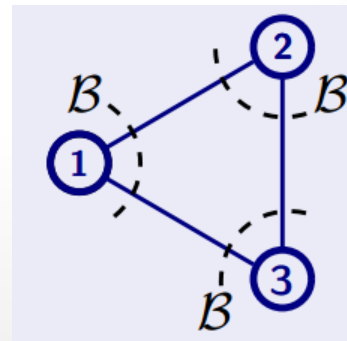
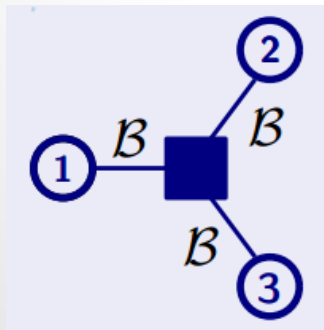


- ❑ If switch location unique

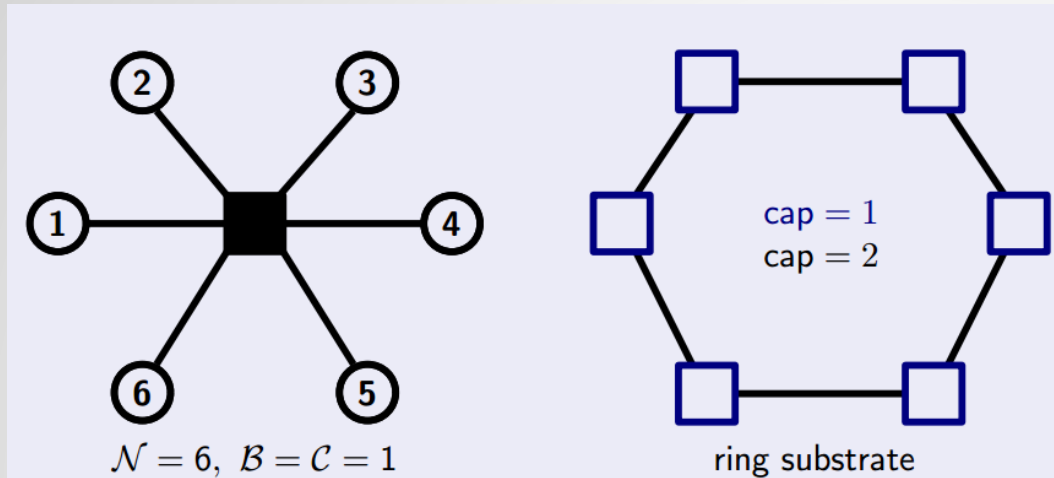
- ❑ Polynomial-time algorithms: can try all locations...
- ❑ ... and then do our trick with the extra source.
- ❑ What about Hose?

A Note on the Hose Model (2)

- ❑ Hose: More efficient?
- ❑ Deep classic result: The VPN Conjecture
 - ❑ In uncapacitated networks, hose embedding problems with symmetric bandwidth bounds and no restrictions on routing (SymG), can be reduced to hose problem instances in which routing paths must form a tree (known as the SymT model).
- ❑ Otherwise it can improve embedding footprint!
 - ❑ But is generally hard to compute

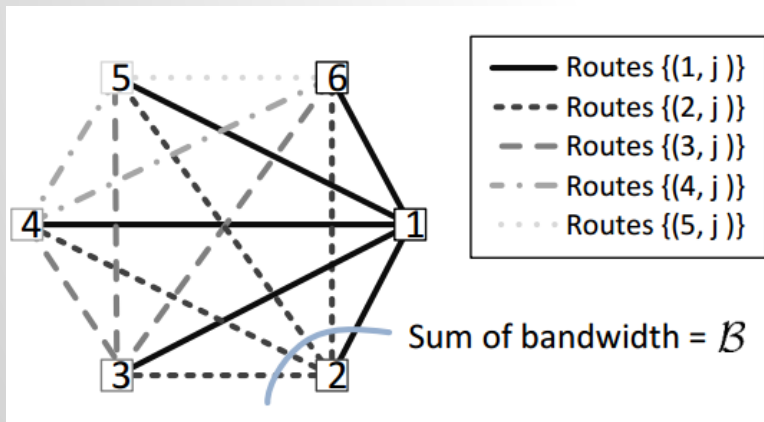


On the Benefit of Hose (1)

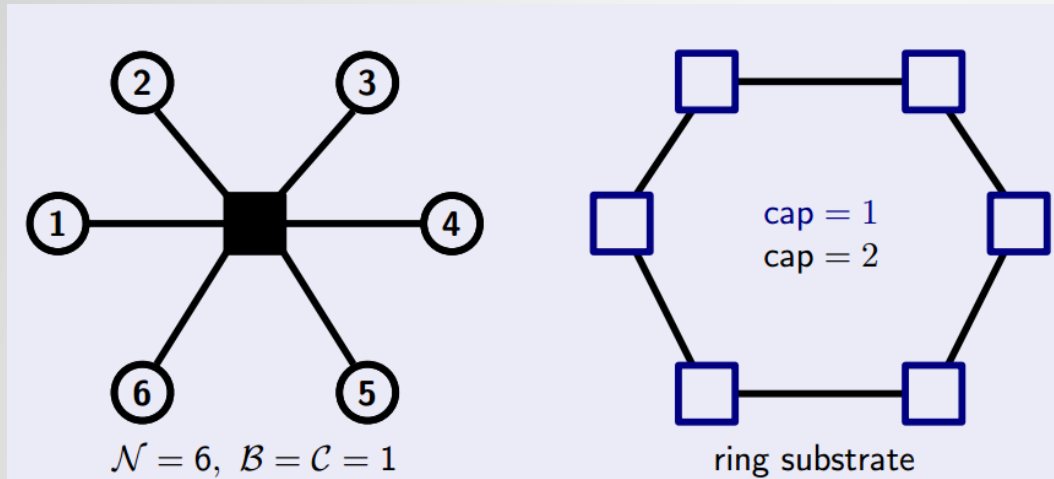


- VC: Compute and bandwidth one unit
- Substrate: compute one unit, links two units

VC Request

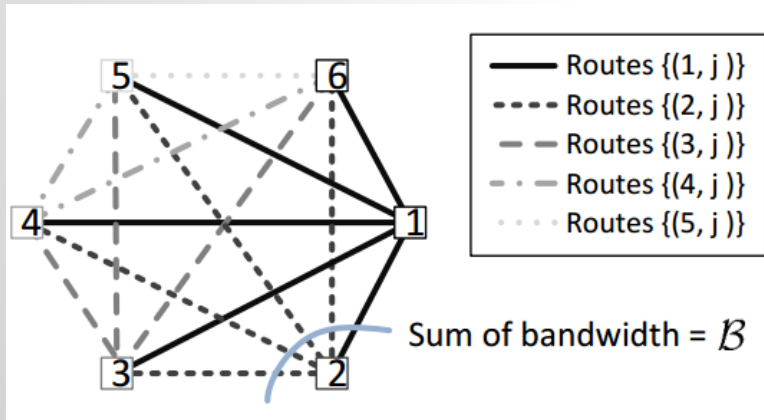


On the Benefit of Hose (1)



- VC: Compute and bandwidth one unit
- Substrate: compute one unit, links two units

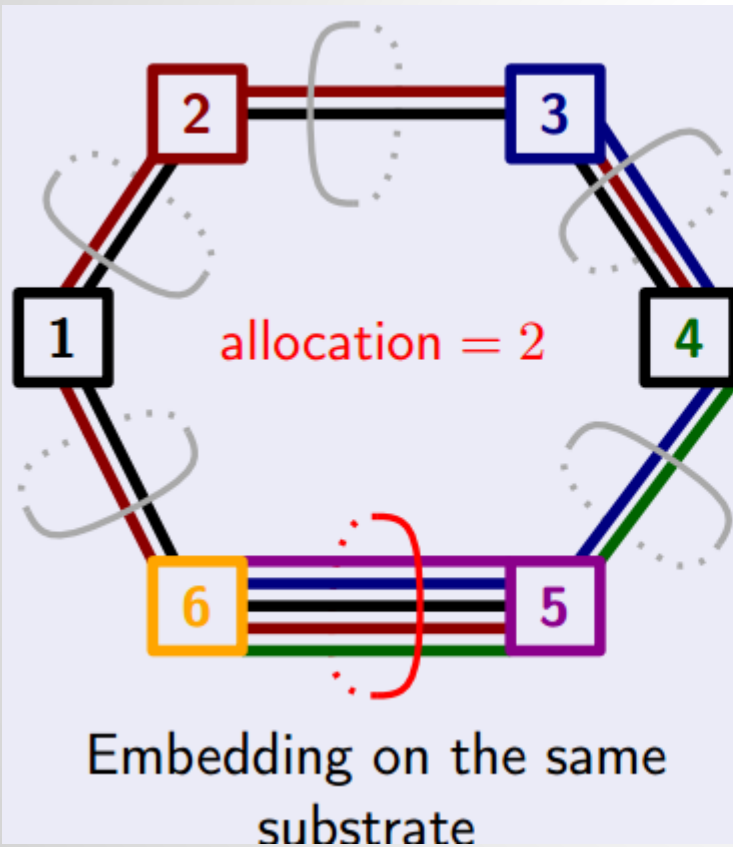
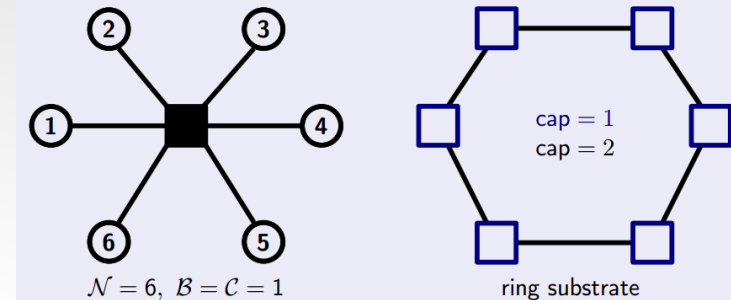
VC Request



Impossible to map
without splitting: need
at least 5 independent
paths to location where
center is mapped!

On the Benefit of Hose (2)

□ In Hose model, it works!

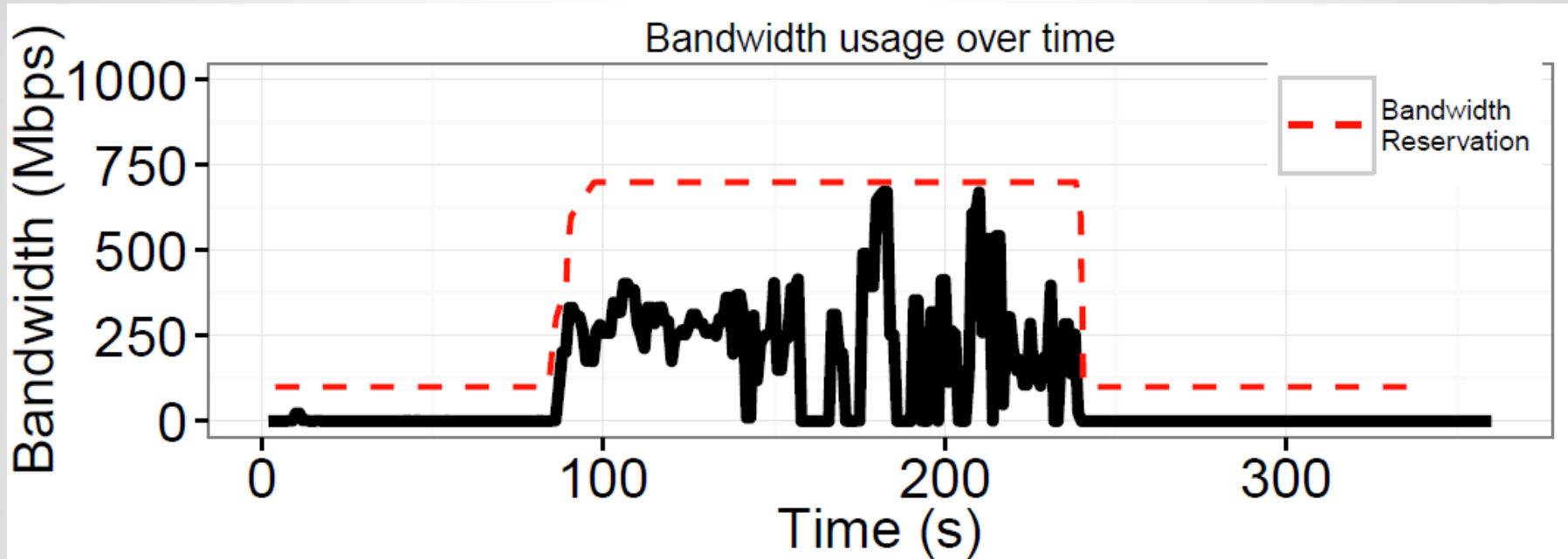


Why allocations of 2 are sufficient:

- Consider edge e between VMs 6 and 5.
- The edge is used by routes $R(e) = \{(1, 5), (2, 5), (3, 6), (4, 6), (5, 6)\}$.
- Any valid traffic matrix M will respect:
 - $M_{1,5} + M_{2,5} \leq 1$
 - $M_{3,6} + M_{4,6} + M_{5,6} \leq 1$
- Hence $\sum_{(i,j) \in R(e)} M_{i,j} \leq 2$ holds.

The need for adjustments

Constant reservations would be wasteful:



Bandwidth utilization of a TeraSort job over time.

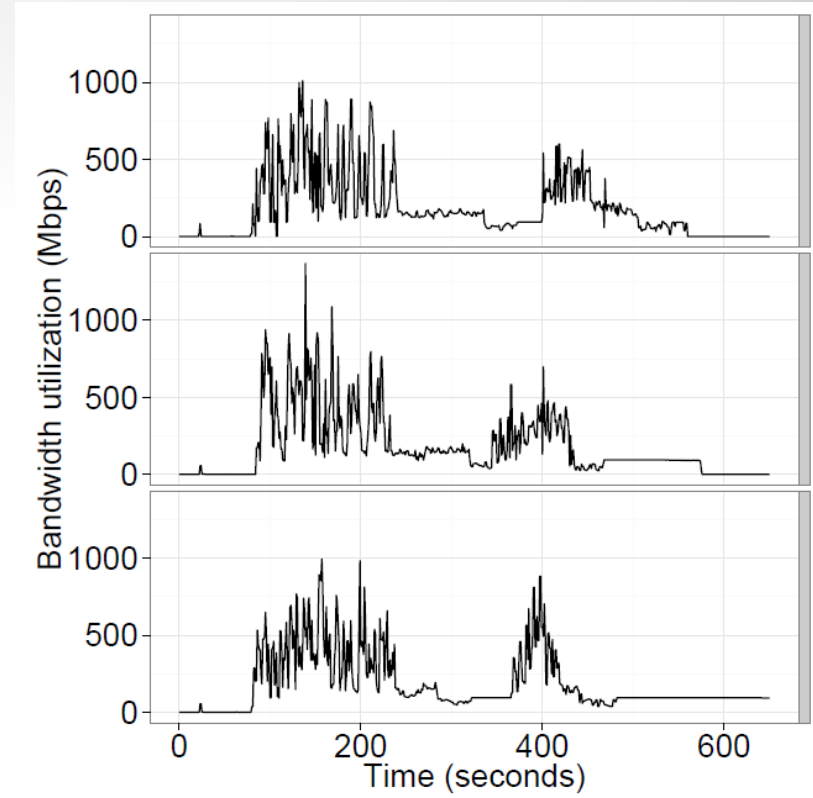
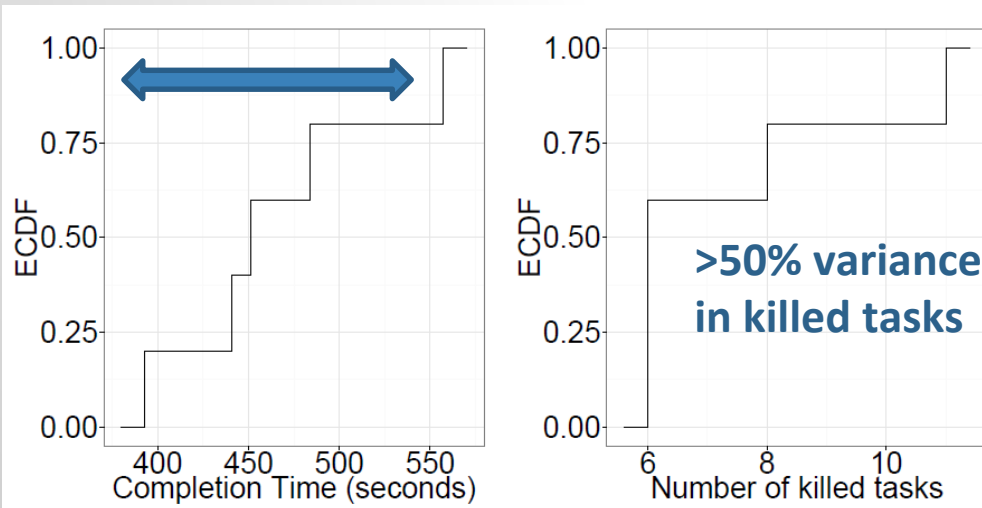
In red: good bandwidth reservation.

(Tasks inform Hadoop controller prior to shuffle phase; reservation with Linux *tc*.)

The need for online adjustments

- ❑ **Temporal** resource patterns are hard to predict
- ❑ Resource allocations must be changed **online**

>20% variance



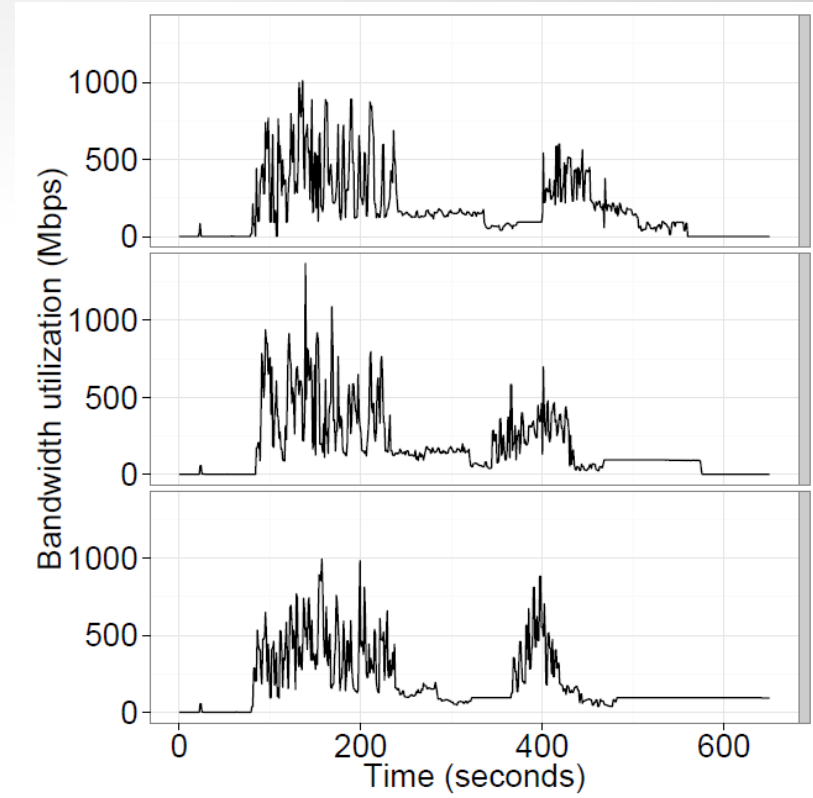
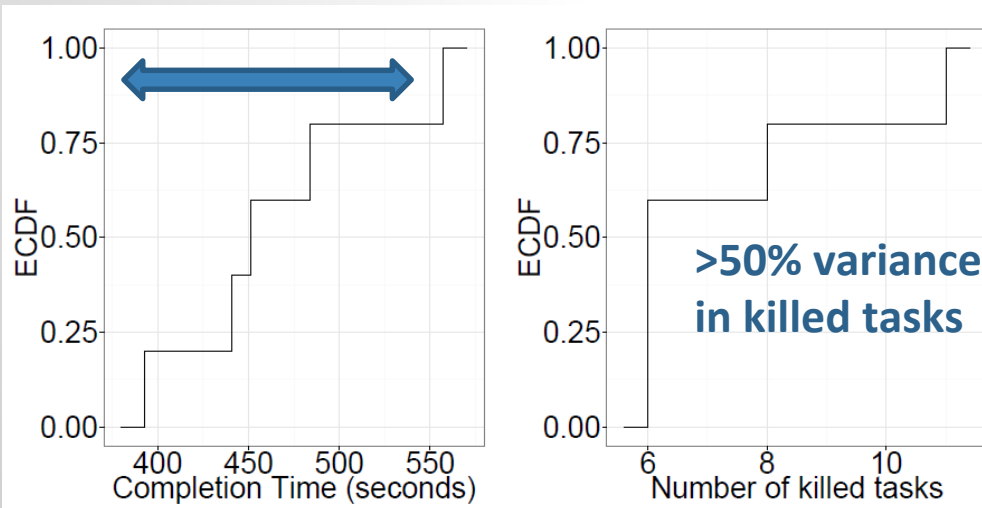
Bandwidth utilization of 3 different runs of the same **TeraSort** workload (**without interference**)

Completion times of jobs in the presence of **speculative execution** (*left*) and the number of speculated tasks (*right*)

The need for online adjustments

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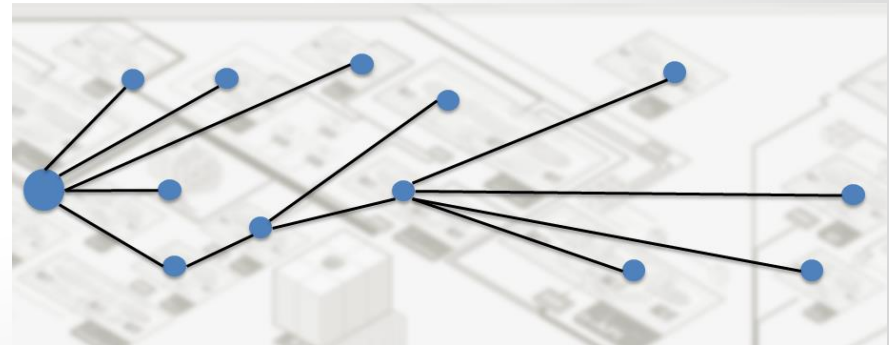


Bandwidth utilization of 3 different runs of the same **TeraSort** workload (**without interference**)

Completion times of jobs in the presence of **speculative execution** (*left*) and the number of speculated tasks (*right*)

Latency-Critical Applications

- ❑ Another critical requirement besides bandwidth, especially in cloud data stores is ***latency***
 - ❑ Today's interactive **web** applications require **fluid** response time
 - ❑ Degraded user experience directly impacts **revenue**
- ❑ **Tail matters...**
 - ❑ Web applications = multi-tier, **large** distributed systems
 - ❑ 1 request involves **10(0)s** data accesses / servers!
 - ❑ A **single late** read may delay entire request

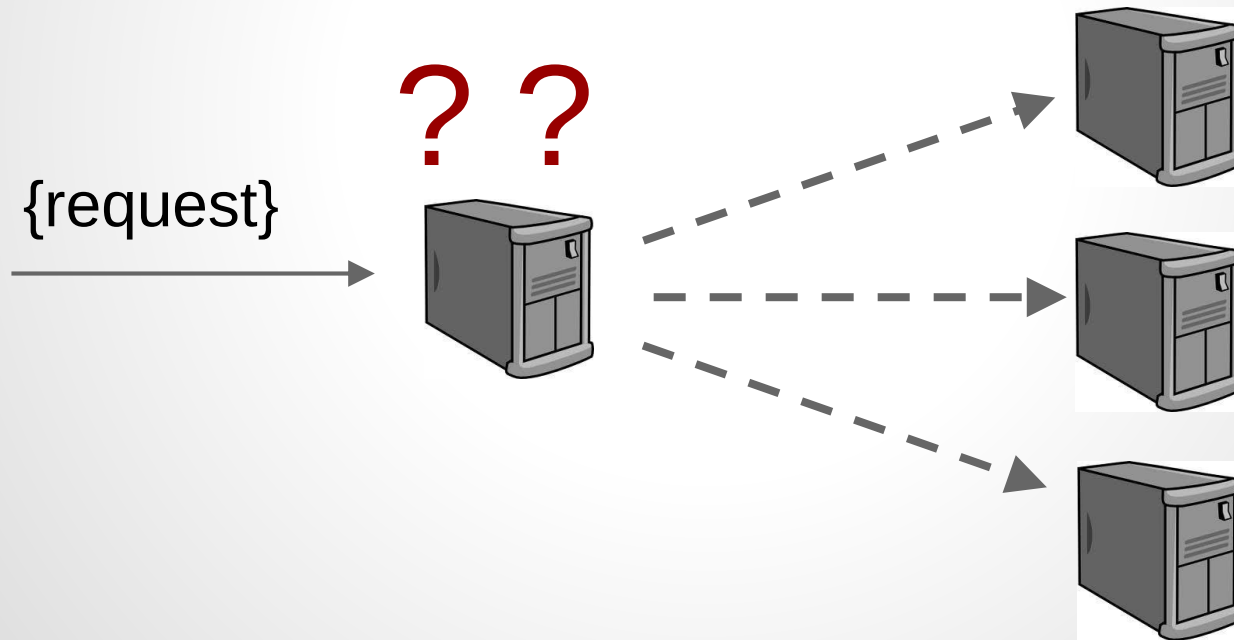


How to cut tail latency?

- ❑ How to guarantee low tail in shared cloud? A non-trivial challenge even in **well-provisioned** systems
 - ❑ **Skews** in demand, time-varying service times, stragglers, ...
 - ❑ No time to make make **rigorous optimizations or reservations**
- ❑ Idea: Exploit **replica selection!**
 - ❑ Many distributed DBs resp. **key-value stores** have redundancy
 - ❑ **Opportunity** often overlooked so far
- ❑ Our focus: **Cassandra** (1-hop DHT, server = client)
 - ❑ Powers, e.g., Ebay, Netflix, Spotify
 - ❑ More sophisticated than MongoDB or Riak

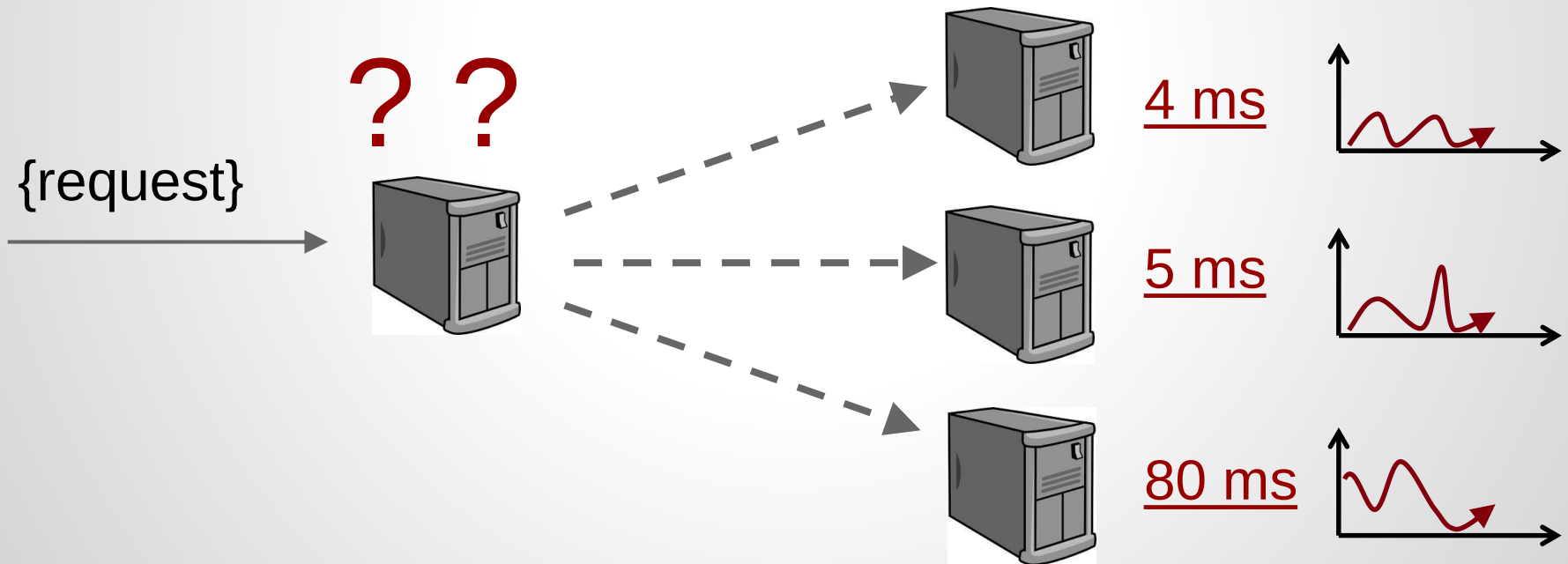
Exploit Replica Selection

- ❑ Great idea! But how? Just go for «the best»?



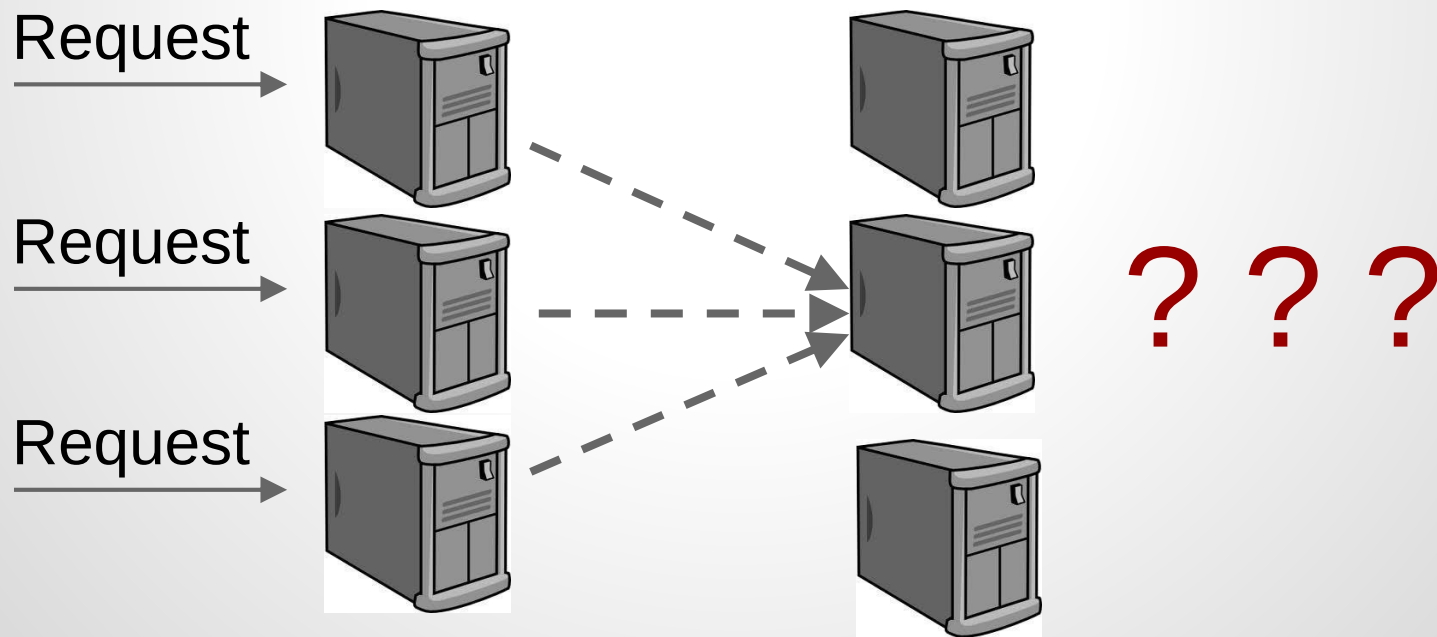
Careful: «The best» can change

- ❑ Not so simple!
 - ❑ Need to deal with **heterogenous** and **time-varying** service times
 - ❑ Background garbage collection, log compaction, TCP, deamons



Careful: Herd Behavior

- ❑ Potentially high **fan-in** and **herd behavior**!
- ❑ Observed in Cassandra Dynamic Snitching (DS)
 - ❑ Coarse **time intervals** and **I/O gossiping**
 - ❑ **Synchronization** and stale information



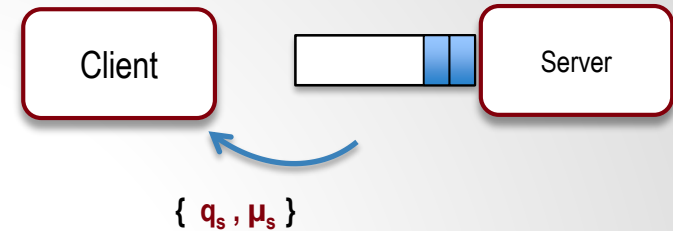
A coordination / control theory problem!

4 Principles:

- Stay informed: **piggy-back** queue state and service times
- Stay reactive and don't commit: use **backpressure queue**
- Leverage heterogeneity: **compensate** for service times
- Avoid redundancy

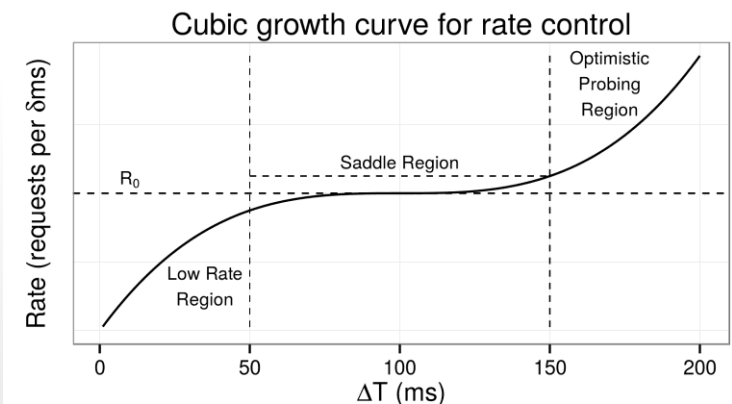
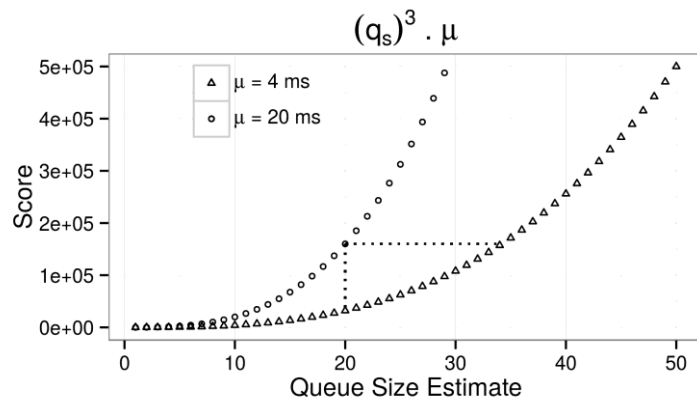
- Mechanism 1: replica ranking
 - Penalize larger queues

C3 in a Nutshell



Mechanism 2: rate control

- Goal: match service rate and keep pipeline full
- Cubic, with saddle region



Performance Evaluation

Methodology:

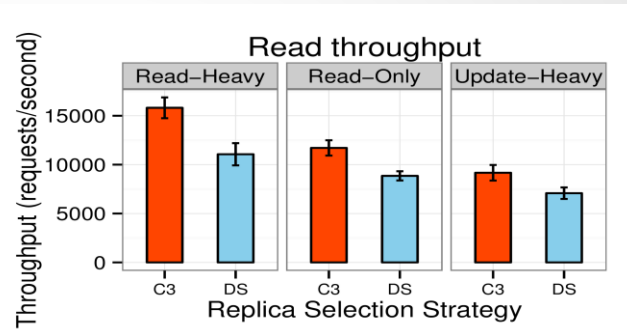
Amazon EC2

disk vs SSD

BigFoot testbed

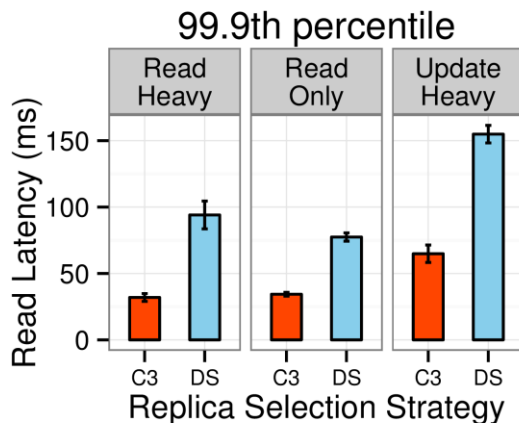
Simulations

Higher read throughput...

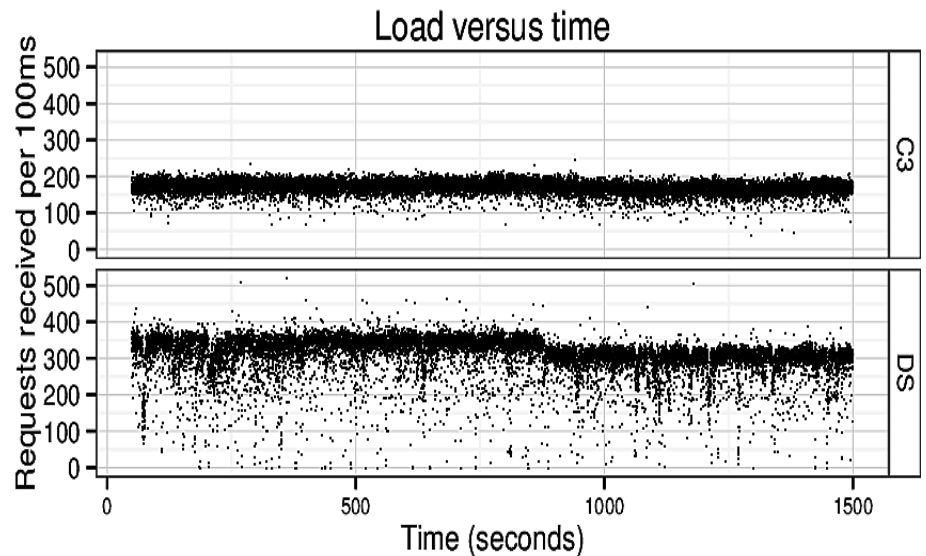


Lower tail latency

2-3x for 99.9%



... and lower load (and variance)!



Reading / Literature Pointer

- [C3: Cutting Tail Latency in Cloud Data Stores via Adaptive Replica Selection](#)

Lalith Suresh, Marco Canini, Stefan Schmid, and Anja Feldmann.
12th USENIX Symposium on Networked Systems Design and
Implementation (**NSDI**), Oakland, California, USA, May 2015.

Conclusion

- Virtualization opens many flexibilities for resource allocation
- Underlying computational problems often hard, but not always!
- Online Primal-Dual Framework can give guarantees over time
- What are the threats of offering such new services?
- How to deal with more general specifications

Thank you!

Some Own Related Work

[Beyond the Stars: Revisiting Virtual Cluster Embeddings](#)

Matthias Rost, Carlo Fuerst, and Stefan Schmid.

ACM SIGCOMM Computer Communication Review (**CCR**), July 2015.

[Online Admission Control and Embedding of Service Chains](#)

Tamás Lukovszki and Stefan Schmid.

22nd International Colloquium on Structural Information and Communication Complexity (**SIROCCO**), Montserrat, Spain, July 2015.

[How Hard Can It Be? Understanding the Complexity of Replica Aware Virtual Cluster Embeddings](#)

Carlo Fuerst, Maciek Pacut, Paolo Costa, and Stefan Schmid.

23rd IEEE International Conference on Network Protocols (**ICNP**), San Francisco, California, USA, November 2015.

[Panopticon: Reaping the Benefits of Incremental SDN Deployment in Enterprise Networks](#)

Dan Levin, Marco Canini, Stefan Schmid, Fabian Schaffert, and Anja Feldmann.

USENIX Annual Technical Conference (**ATC**), Philadelphia, Pennsylvania, USA, June 2014.

[Exploiting Locality in Distributed SDN Control](#)

Stefan Schmid and Jukka Suomela.

ACM SIGCOMM Workshop on Hot Topics in Software Defined Networking (**HotSDN**), Hong Kong, China, August 2013.

Tutorial

- Understanding hybrid SDN deployments
- Tutorial based on USENIX ATC 2014 paper on Panopticon

Overview: workshop@stacktile.io

Exercise

Physical / Logical
View

Task

The screenshot displays the Panopticon SDN tutorial interface. At the top, a browser window shows the URL workshop@stacktile.io. Below the browser window, the interface is divided into three main sections:

- Exercise Selection:** A dropdown menu labeled "exercise 1" and a status indicator "No Changes".
- Network Topology:** A diagram showing a network of switches (SW1, SW2, SW3, SW4, SW5, SW6, SW7, SW8) and hosts (A, B, C, D, E, F). The switches are interconnected in a mesh-like structure. Hosts are connected to specific switches: A to SW1, B to SW6, C to SW5, D to SW7, E to SW8, and F to SW8.
- Task Panel:** A sidebar on the right titled "Exercise 1: Introducing Panopticon". It contains a list of tasks (Task 1 to Task 6) and a detailed description of the tutorial's purpose and usage instructions.

Red arrows point from the labels "Exercise", "Physical / Logical View", "Task", and "Shell" to their respective elements in the interface.

Shell

The 3 Hands-On Exercises

- Exercise 1:

- Learning about waypoint enforcement and isolation concepts
- Setting access control policies

- Exercise 2:

- Dealing with layer-3 devices (routers, WPE across subnet boundaries)
- Supporting migration (IP subnet mobility)

- Exercise 3:

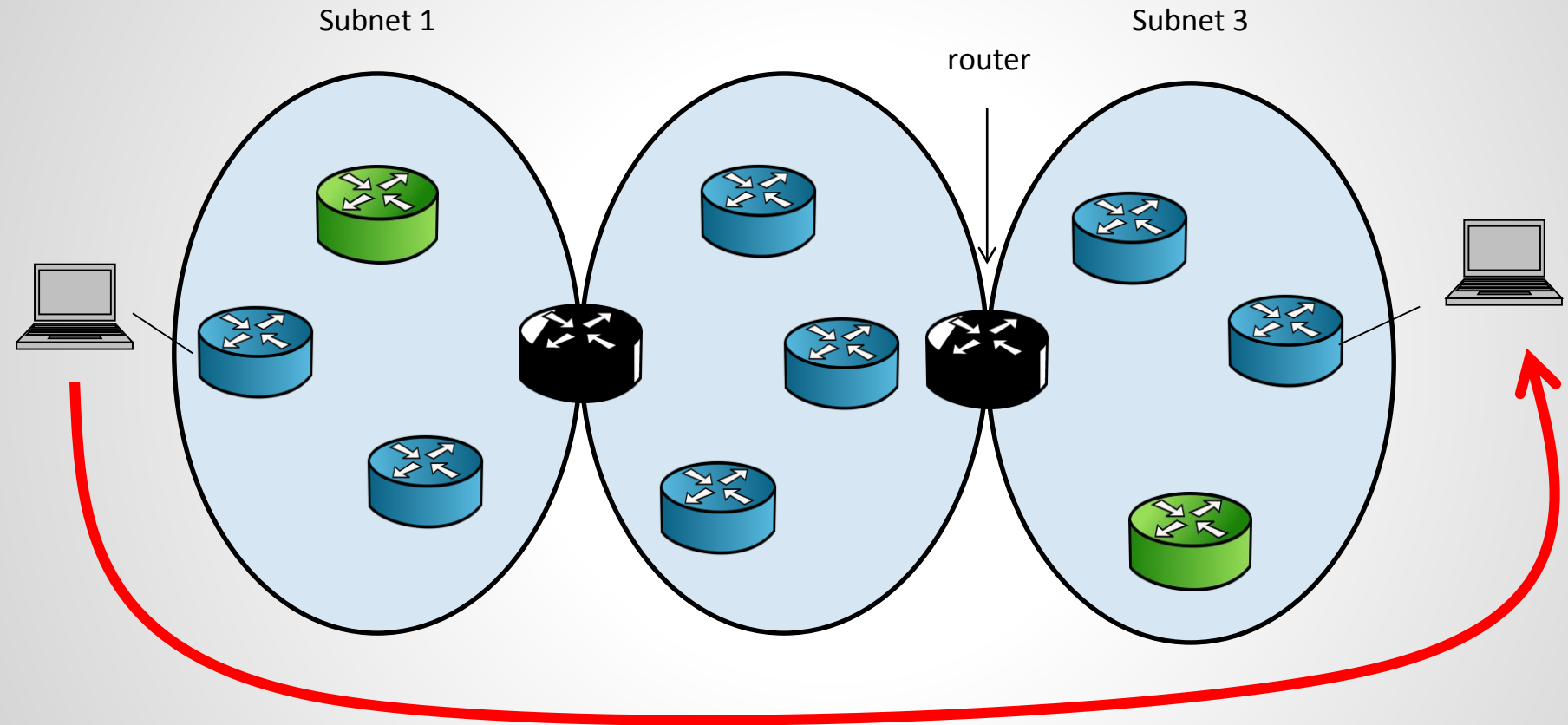
- Dealing with layer-3 devices (routers)
- Supporting migration

Exercise 1: Discussion

- All hosts in same IP subnet
- But different VLANs
- Hosts connected to all reachable SDN switches via SDNc port / VLAN
- One SDN switch on border is designated one
- Via Waypoint Enforcement: Can perform access control!

Exercise 2: Discussion (1)

- Mobility between subnets with an SDN router



Today: complex MPLS tunnels.
Alternative with SDN: logically centralized.

Exercise 2: Discussion (1)

- Waypoint Enforcement even if SDNc port communicates with non-SDNc port
- IP encapsulation such as GRE can be used by SDN switches to tunnel traffic across IP subnet boundaries
- Can also enforce simple policies

Exercise 3: Discussion (1)

- Panopticon can be used to enforce middlebox traversal in hybrid SDN deployments
- Two virtualized linux iptables-based firewalls
- Panopticon ensures the properties of guaranteed waypoint enforcement across subnet boundaries in the presence of middleboxes in a simple IP routed network topology

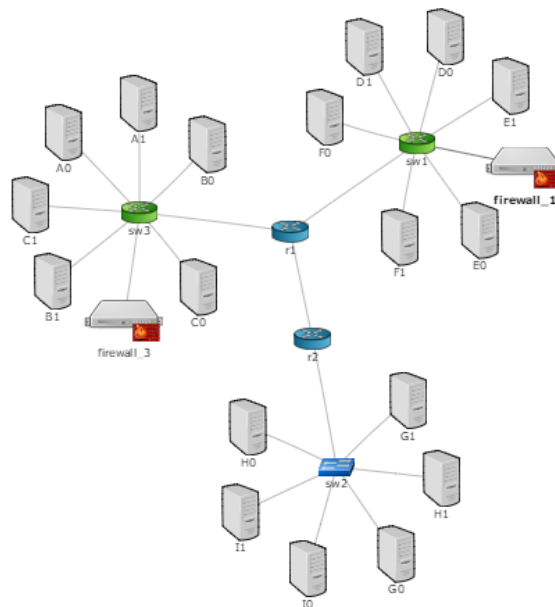
Exercise 3: Discussion (2)

exercise 5 middlebox redirection

No Changes

Physical

Logical



Show Firewall

Take-Aways

Note that the waypoint enforcement property of every SDNc port guarantees middlebox redirection, even when the SDNc port is communicating with a non-SDNc port.

This task concludes our exercise. We hope you enjoyed our tutorial!

Policies +

Source	Destination	More	Action
firewall_1			
Every 1.0s: iptables -nvL			
Chain INPUT (policy ACCEPT 0 packets, 0 bytes)			
pkts bytes target	prot opt in	out	source
destination			
Chain FORWARD (policy DROP 0 packets, 0 bytes)			
pkts bytes target	prot opt in	out	source
destination			
0 0 ACCEPT	icmp -- *	*	0.0.0.0/0
0.0.0.0/0			
0 0 ACCEPT	tcp -- *	*	0.0.0.0/0
0.0.0.0/0			
0 0 ACCEPT	tcp dpt:80		
0.0.0.0/0			
0 0 ACCEPT	all -- *	*	0.0.0.0/0
0.0.0.0/0			
state RELATED,ESTABLISHED			
Chain OUTPUT (policy ACCEPT 0 packets, 0 bytes)			